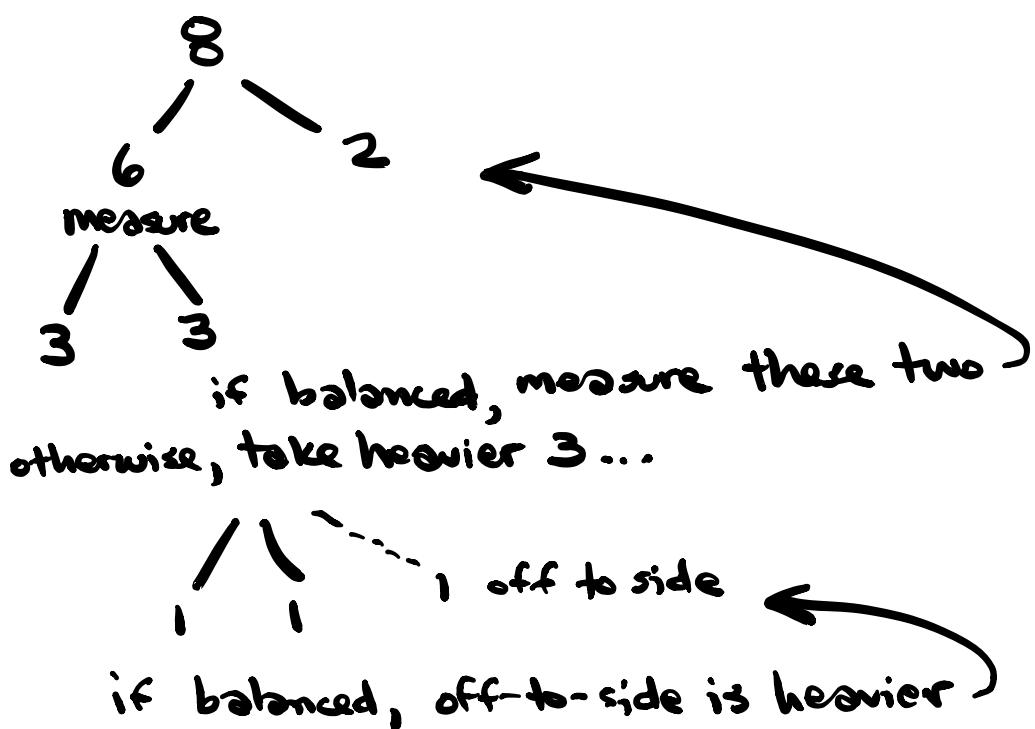


## COIN PUZZLE

- 8 coins, 1 is slightly heavier
- how to measure with balance scale to find outlier coin



## BIG O NOTATION

$O(n)$  vs  $O(n^2)$  vs  $O(\log n)$

## SEARCH SORTED ARRAY

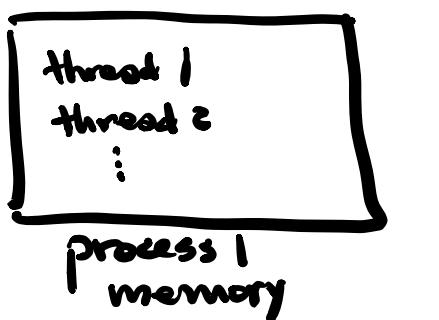
binary search  $[O(\log n)]$

L      ↑      R  
         mid

is  $\text{mid} == k$ ?  
return  $\text{mid}$   
elif  $k < \text{mid}$ :

check  $2 \rightarrow m-1$   
else:  
check  $m+1 \rightarrow R$

## THREADS AND PROCESSES



process loads  
and saves a  
separate set of  
registers for  
each thread

## MUTEXES AND SEMAPHORES

mutex  $\rightarrow$  integer 1

lock = decrement

unlock = increment

lock()

unlock()

semaphore  $\rightarrow$  can  
have values  
 $> 1$

wait()

signal()

## SYNCHRONIZED METHODS IN JAVA

- each object has its own mutex
- synchronized method locks mutex / unlocks at end
- only 1 synchronized method can be called on object at one time

## DEAD LOCK

### thread 1

acquire (lock 1)  
acquire (lock 2)

### thread 2

acquire (lock 2)  
acquire (lock 1)

- avoid by requiring locks be acquired in specific order

## POLYMORPHISM

- method can have different behavior depending on type of object it is called on or types of parameters

## VIRTUAL FUNCTION /METHOD (C++)

A has bar()

↓ subclass

B has bar()

A\* foo = new B();

foo.bar();

- if bar is virtual, this calls B.bar()  
else calls A.bar()

## A TO I

Write function to convert string to integer  
is first char negative sign? if so, save it for later.

total = 0

while ch = next char():

d = digit(ch)

total = total \* 10 + d

beware of overflow if number is too large

## REVERSING WORDS IN A STRING

- reverse all chars in strings

- find spaces to locate words
- reverse chars in each word

swap chars @ L/R  
 $L \leftarrow$   
 $R \rightarrow$

## SORTING

$O(n \log n)$

int[] MergeSort (int [] A)

void QuickSort (int [] A, startIndex, endIndex)

$O(n^2)$  worst-case

$O(n \log n)$  average

## ORDER STATISTICS

- find  $k$ th-largest element
- select random pivot and partition as in Quicksort
- based on index of pivot element, we know on which side of pivot element lies

Ex:  $k=15$   $n=30$

After pivot and partition, first half has 10 elements, so 15th is 4th largest in second half; so partition the second-half of the array and continue recursively.

$$\text{running time is } n + \frac{n}{2} + \frac{n}{4} + \frac{n}{8} + \dots \\ = O(n)$$

- finding median is special case where  $k = n/2$

# NEAREST NEIGHBOR

each person has name (string) and number (int); the number represents the person's position on a number line.

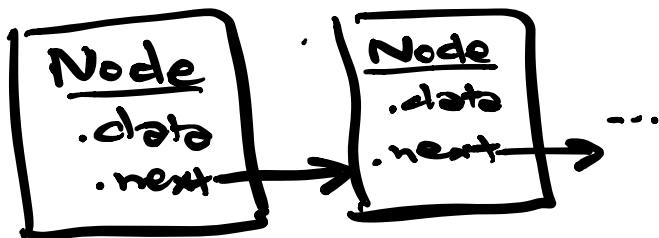
Each person has 3 friends which are the 3 people whose number is nearest their own. Algo to find each person's 3 friends.

A: Sort in ascending order. Check 3 people before and after each person. 3 nearest will be in this group.

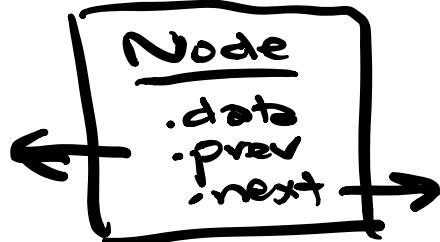
$O(n \log n)$

# LINKED LISTS

Linked List



Doubly Linked List



- adding or removing node is  $O(1)$  if we have pointer to the node
- $O(N)$  to look up element and get next ptr

## CYCLE IN A LINKED LIST

How do you determine if there is a cycle in a linked list?

- keep track of 2 pointers and start them both at the beginning of the list
- at each iteration move  $\text{ptr1}$  by one node and  $\text{ptr2}$  by two nodes
- if you reach the end of the list before the ptrs become the same, then there are no cycles

$O(n)$

## STACKS AND QUEUES

Queue — FIFO

Stack — LIFO

## HASH TABLES

key  $\rightarrow$  value

(each key has zero or one values)

key  $\rightarrow$  hash function  $\rightarrow$  integer  $\rightarrow$  hash bucket  
if collision, then linked list of key/value pairs

insert, remove, lookup each take  $O(1)$

(assuming sufficiently random hash —  $O(n)$  worst)

## DATA STRUCTURE FOR ANAGRAMS

- for each word, sort letters and use sorted as key in hash table (add word to list which is value of hash table)

sorting  $\rightarrow O(n \log n)$

lookup  $\rightarrow O(1)$

\* if interviewer doesn't like hash tables, you can use tree

## FACTORIAL ZEROS

How many zeros are at the end of  $100!$ ?

$$100 \text{ factorial} = 100 \cdot 99 \cdot 98 \cdot 97 \cdot 96 \cdots$$

$$100 - 1$$

$$90 - 1$$

$$80 - 1$$

:

$$10 - 1$$

$$= 10$$

AND

every 2/5 pair  
(more 2's than 5's,  
so just # of 5's)

$$95 - 1$$

$$85 - 1$$

:

$$5 - 1$$

$$= 10$$

$$10 + 10 = 20$$

BUT... we forgot the extra 5 for  
each of 25, 50, 75, 100

$$20 + 4 = \underline{24 \text{ zeroes}}$$

(really, just factoring and looking for 2·5 pairs)

## DECK SHUFFLING