$$f := x \rightarrow \exp(-x^2)$$

$$f := x \rightarrow e^{-x^2}$$

$$f := unapply(convert(taylor(f(x), x = 0, 8), polynom), x)$$

$$ft := x \rightarrow 1 - x^2 + \frac{1}{2} x^4 - \frac{1}{6} x^6$$

$$(2)$$

$$ft := x \to 1 - x^2 + \frac{1}{2} x^4 - \frac{1}{6} x^6$$
 (2)

$$= \operatorname{erf} I := \operatorname{unapply} \left(\frac{2}{\operatorname{sqrt}(Pi)} \cdot \operatorname{int}(\operatorname{ft}(t), t = 0 \dots x), x \right)$$

$$\operatorname{erf} I := x \to \frac{2 \left(x - \frac{1}{3} x^3 + \frac{1}{10} x^5 - \frac{1}{42} x^7 \right)}{\sqrt{\pi}}$$
(3)

> erf2 := erf(0): for i from 1 to 8 do $erf2 := erf2 + \frac{subs(x=0, diff(erf(x), x\$i))}{i!} \cdot x^i$ end do:

$$erf2 := unapply(erf2, x)$$

$$erf2 := x \to \frac{2x}{\sqrt{\pi}} - \frac{2}{3} \frac{x^3}{\sqrt{\pi}} + \frac{1}{5} \frac{x^5}{\sqrt{\pi}} - \frac{1}{21} \frac{x^7}{\sqrt{\pi}}$$
 (4)

> evalf(erf1(1))
> evalf(erf2(1))
> evalf(erf(1))