Paul Dubois

1st January 1970

$$\forall \varepsilon > 0 \exists \delta > 0 st x \in (x0 - \delta, x0 + \delta) \implies f(x) \in (fx0) - \varepsilon, f(x0) + \varepsilon)$$

1

1.1

2

3

4

[1] [2]

1	2	3	1	2	3
4	5	6	4	5	6
7	8	9	7	8	9

txt txt txt well txt txt txt

note

$\mathbb{C}$

$\mathbb{R}$

$\mathbb{Q}$

$\mathbb{D}$

$\mathbb{Z}$

$\mathbb{N}$

$\forall \exists$

$\emptyset \infty \partial \nabla \sqrt{a}$

[1]

[2]

$$\sqrt[n]{a}\,\overleftarrow{d}\,\overrightarrow{d00}\overline{s}\underline{ef}\frac{ze}{ze}\,\binom{ze}{z}$$

$$\widetilde{w}x\imath\jmath\;\notin\in\ll\leq\geq\gg\neq\equiv\approx\;\pm\mp$$

$$\subset\parallel\perp\;\circ\;\sim$$

$$\mathbb{C}\int\oint\bigsqcup\bigcap\in\emptyset$$

$$\int_{zefe}^{ezfezf}\oint_{zefezf}^{ezfzef}\bigsqcup_{zef}^{zef}\bigcap_{zef}^{fzef}e\to\infty$$

$$\iint\sum$$

$$\bigcup$$

$$\pm\pi\iint_{sdvfe}^{zaf}\sum_{efez}^{efezf}\bigcup_{ezf}^{ezf}\Longrightarrow\;\Longleftrightarrow$$

$\iiint\prod\lim\bigoplus\iiint_{efgef}^{zeaf}\prod_{azf}^{azf}\lim_{zaf}\bigoplus_{azf}^{zf}$

$\alpha\beta\gamma\epsilon\zeta\eta\iota\lambda\mu\nu\xi\pi\rho\sigma\tau\upsilon\phi\chi\psi\omega$

$\Gamma\Delta\Theta\Lambda\Xi\Pi\Sigma\Phi\Omega\varepsilon\cdots\Re\Im\surd\square\blacksquare$

$\mathbb{N}\forall$

$\emptyset\partial$

$\sqrt{jgg}\frac{ZZAF}{sg}$

$\overrightarrow{zef}\underline{zef}$

$\Longrightarrow\;\Longleftrightarrow\leq\geq\gg\int\prod\neq\notin\int_{zef}^{ezf}\sum_{ezf}^{zef}\pm\to\subset\alpha\varepsilon\theta\lambda\pi$

5 ezf

5.1 zef

$$\prod_a^b\prod_a^b\lim_{caca}$$