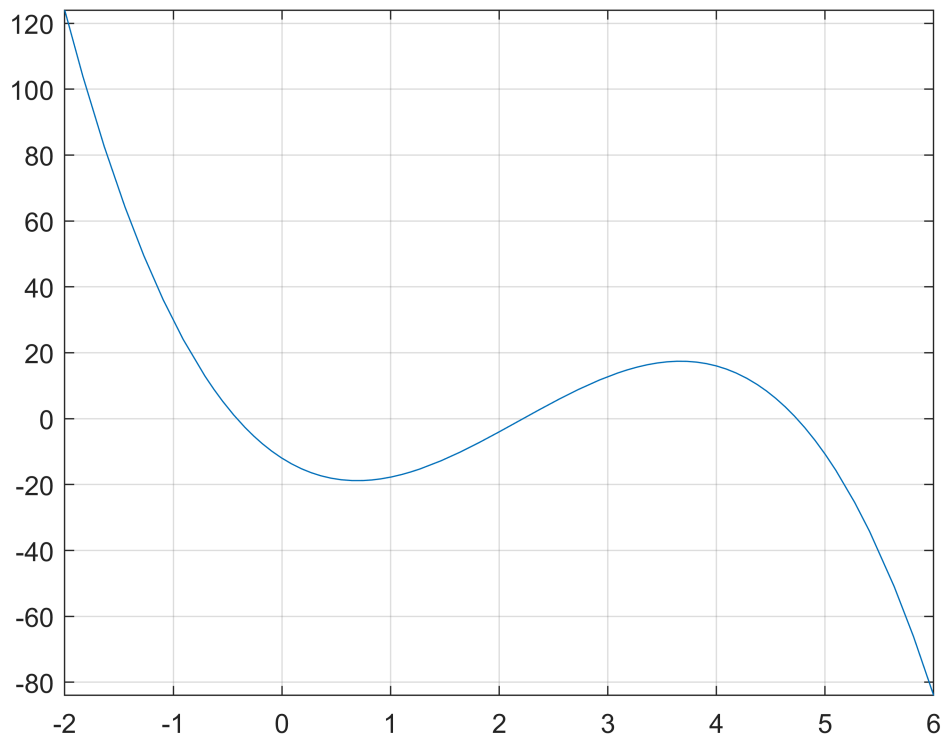


Ejercicios bisección

5.7 Determine the roots of $f(x) = -12 - 21x + 18x^2 - 2.75x^3$ graphically. In addition, determine the first root of the function with bisection

```
%  
f=@(x) -12 -21*x +18*x.^2-2.75*x.^3;  
fplot(f,[-2,6]);  
grid on;
```



%Parece que los ceros están entre los valores de x: (-1,0), (2,3) y (4,5)

This plot indicates that roots are located at about -0.4 , 2.25 and 4.7 . La primera raíz está en $[-1,0]$.

```
%  
[x,iteraciones]=bisect(f,-2,6);  
x
```

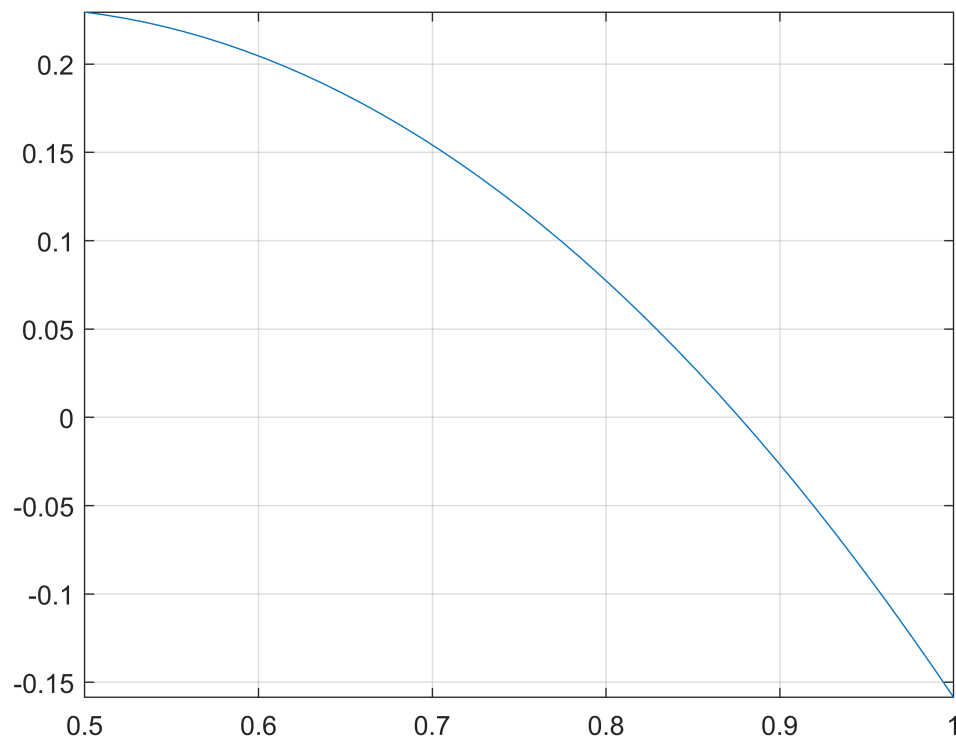
x = -0.4147

iteraciones

iteraciones = 57

5.8 Locate the first nontrivial root of $\sin(x) = x^2$ where x is in radians. Use a graphical technique and bisection.

```
%La trivial es 0. La no trivial está entre 0.5 y 1
f=@(x) sin(x)-x.^2;
fplot(f,[0.5,1]);
grid on;
```



```
[x,iteraciones]=bisect(f,0.5,1);
x
```

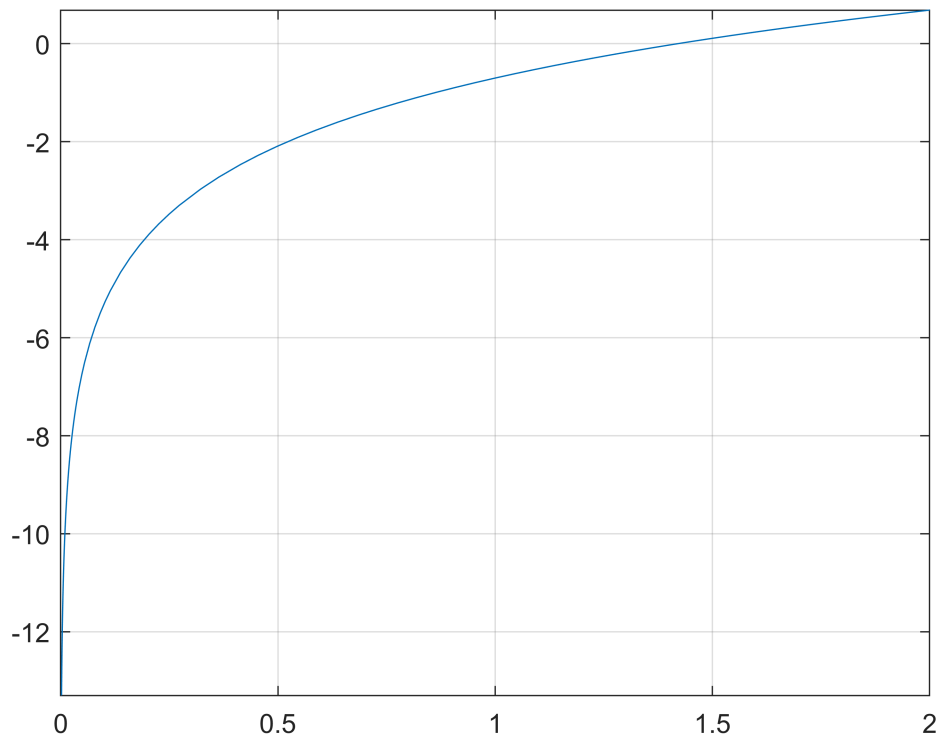
```
x = 0.8767
```

```
iteraciones
```

```
iteraciones = 52
```

5.9 Determine the positive real root of $\ln(x^2) = 0.7$ (a) graphically, (b) using the bisection method, with initial guesses of $x_l = 0.5$ and $x_u = 2$

```
%La solución se encuentra entre 1 y 1.5
f=@(x) log(x.^2)-0.7;
fplot(f,[0,2]);
grid on;
```



```
[x,iteraciones]=bisect(f,1,1.5);
x
```

```
x = 1.4191
```

```
iteraciones
```

```
iteraciones = 51
```

Escribe aquí la función bisección

```
function [x,i]=bisect(f,a,b)
    if f(a)*f(b)>0, error('f(a) y f(b) deben tener distinto signo'), end
    xizq=a;
    xder=b;
    x=(xizq+xder)/2;
    i=1;
    while abs((x-xder)/x)>eps && f(x)~=0
        if f(x)*f(xizq)>0
            xizq=x;
        else
            xder=x;
        end
        i=i+1;
        x=(xizq+xder)/2;
    end
end
```