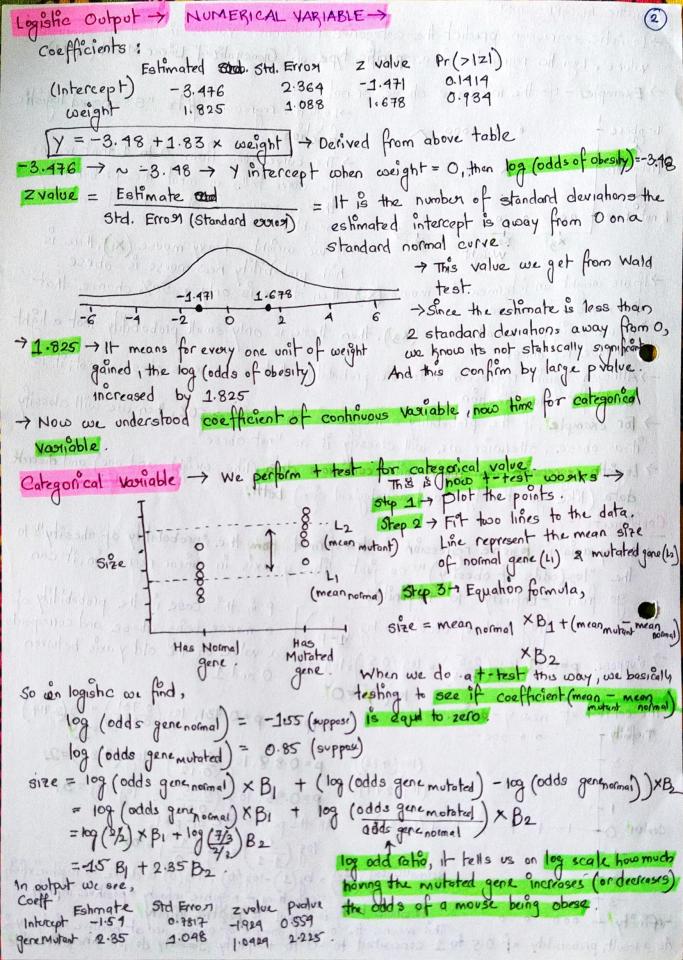
LOGISTIC REGRESSION Values, Logistic regression is a specific type of Generalized Linear Model (GLM). gistic regression fits "3" shaped logistic -> Example - If the mice are obese or not. 18 obese + 0 0,000-77 -> The curve goes from 0 to 1 that means the curve tells us what the probability that a mouse is obese based on it's weight. k not obese - aga o o high probability new mouse (XI), there is The weight an intermediate mouse (x), then there is only a 50% chance that the mouse is obese . If we weight a small mouse (x3), then there is only small probability that a light mouse is obese. -> Although logistic regression tells the probability that a mouse is obese or not, it is Tor example, if the probability a mouse is obese is > 50%, then we will classify it as obese, otherwise we will classify it as "not obese". data (like genetic type and astrological sign) both. data (like genotic type and astrological sign) both. The y axis in logistic regression is transformed from the "probability of obesity" to
the "log(odds of obesity)" so just like y-axis in linear regression, it can
go from -enfinity to tinfinity.

P in this case is the probability of Coefficients -> P in this case is the probability of a mouse being obese and corresponds a value on the old y axis between log (odds of obesity) = log (P) 7 Suppose p=0.5, $\log \left(\frac{0.5}{1-0.5}\right) = \log \left(\frac{0.5}{0.5}\right) = \log (1)$ 0 and 1. The center of new y-axis. Suppose p=0,931, log (0.731) = log (2.717) $P = 0.88, \log \left(\frac{0.88}{0.12}\right) = \log (7.33) = 2$ - (log (7.33)) p=0.95 log (0.95) = log (19) =3.

All the points are at p=1, 1 1 1 1 (108(1)) $\log\left(\frac{1}{1-1}\right) = \log\left(\frac{1}{0}\right) = \infty$ Normally, log (1) = log (1) -log (0), log (0) is define as negative infinity

So whole thing is equal to positive infinity. This means the original sample of obese are at positive infinity. I converted to 0 to tinfinity. Similarly do for a negative side. As a result, probability of 0.5 to



Suppose the output is as follows > glm (formula = hd ~ atb+c, family = "binomial", data = data) Residual deviance looks good they are close to being centered on O and are Deviance Residual: MB 1Q Median 30 Max -1.2 -1.27 -0.776 1.08 1.61 toughly symmetrical. -> If the proposed model has a good Coefficients: fot, the deviance will be small . , Estimate std Erron zvalue Pyalue. > If the model has bad fit, deviance (Interept) 1.74 A -0.39 B -0.12 079 1.75 0.99 will be high. -1.23 0.21 PESIDUAL DEVIANICE = TRANSON ON 1860F 0.32 0.03 -2.057 when the model has included 0.006 0.04 -3.08. A, B and C vallable, then the C '0.18 0.008 deviance is residual deviance 188 degree of freedom Null deviance: 234.67 on which & lower (227.38) Residual deviana: 227.38 on 186 degree of freedom. than null deviance (231.67). Lower value of residual AIC: 213.12. deviance points out that the Number of Fisher Scoring Iterations: 4. model has become better when it has included 3 variables (A.B.C). -> Null deviance = 234.67 on 18 DF the performance of the model is governed by NULL deviance. > Fisher Sconng Iteration : 4 o In short it says model needed 4 iterations to perform the figt. The algorithm looks around to see if the fit would be improved by using different estimates . If it improves then it moves in that direction and then fits the model again. The algorithm stops when no significant additional improvement can be done. o In this case , best model acheived in 4 sterations. + AIC = 213.12 · Ale is Alkaline Information Criterion. . This is useful when we have more than one model to compare goodness of fit. of is maximum likelihood which penalize overfitting of lower Ale of model is better than model having higher AIC. -> Pralue -> if p-value is less than 0.05 then the variable are statistically Bo variable A is not significant (0.21) and variable B (0.03), variable C (0.04) both are statistically significant.

> We can also calculate MacFadden's Assudo R2

Suppose Pseudo R2= 0.55. This can be interpreted as overall effect size.

> And we can calculate a produce for pseudo R2 using animagnare distribution.

Suppose produce 0. So produce < 0.05 so R2 is now with damn luck. significant.