

Streams, Sketching and Big Data – References

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1 Lecture 1: Sketches and Frequency Moments

1.1 General Background on streams and concentration bounds

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1.2 Sketches for frequencies

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1.4 Extensions

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2 Lecture 2: Advanced Topics

2.1 L_p Sampling

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2.4 Lower bounds

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