The Cognitive Effects of Computational Thinking: A Systematic Review and Meta-Analytic Study

Supplementary materials

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Contents

T	Intr	roduction	2
	1.1	Meta-analysis	2
	1.2	Meta-analysis	2
2	Dat	easet description	2
	2.1	Pre-processing steps	3
	2.2	Multiple effects for the same outcome	3
3	Effe	ect size computation	4
4	Met	ta-analysis models	5
	4.1	Univariate vs multivariate model	5
	4.2	Random-effect vs fixed-effect model	5
	4.3	Modelling functions	6
5	Cor	relations imputation	7
6	Met	ta-analysis table	7
7	Mu	ltiverse analysis	9
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1 Introduction

This document explains in detail the statistical approach of the main paper. All the analyses are conducted with R (R Core Team, 2021) and all scripts are available on the Open Science Framework repository.

- Section 2 presents the full dataset description with all extracted variables. Despite only a subset of these variables being used to compute the meta-analysis model, we reported all extracted study-level information.
- Section 3 describes the computation of the effect size measure and the sampling variance.
- Section 4 describes the main meta-analysis model presented in the paper together with modeling alternatives
- Section 5 describes the correlations imputation that is necessary to compute the meta-analysis model
- Section 7 presents the sensitivity analysis for different correlations values and different meta-analytic models

1.1 Meta-analysis

The meta-analysis is the statistical procedure to combine information from already conducted studies. The core aspect of a meta-analysis is weighting each included effect according to the amount of information (i.e., precision) that the study provides. In order to compute a meta-analysis model we need:

- The effect size measure
- The effect size sampling variance
- The meta-analysis model

1.2 Papers

Almost all published papers reported enough information to calculate the effect size. Di Lieto and colleagues (2020) provided us with raw data to calculate all relevant parameters. They use a design with three time points (T0 = pre, T1 = post, and T2 = follow-up) for both the experimental and control group. Furthermore, they measured several different outcome measures. To include the paper in our meta-analysis we performed these processing steps:

- We selected only the T0 and T1 to have a single pre-post measure
- We included all participants that have both time points (T0 and T1) in at least one outcome measure. For example, if a child has T0 and T1 for the outcome x but only T0 for the outcome y we keep the child in the analysis. This creates a situation where different outcomes have different sample sizes but maximize the amount of available information instead of including children with all outcomes.

2 Dataset description

The main dataset can be found on the online OSF repository under data/raw/meta_table_cleaned.csv. The following list describes the meaning of each column:

- paper: Unique id for every paper
- paper_id: Unique id for every paper with authors and year
- author: Paper's authors
- year: Publication year
- Participants: Participants' characteristics: ST (typical development), SA (atypical development)
- n_EX: Sample size for the experimental group
- n_CT: Sample size for the control group
- male_EX: Number of males for the experimental group
- **female_EX**: Number of females for the experimental group

- male_CT: Number of males for the control group
- female_CT: Number of females for the control group
- Training length: Length of the training (in weeks)
- Minute_Training_length: Length of a single training session (in minutes)
- Training_Mode: Type of training activity: CV (Virtual Coding), ER (Educational Robotics)
- Training_CV_Type: Types of virtual coding activities: structured and unstructured
- M_SES_EX: Mean socio-economic status (SES) for the experimental group
- SD_SES_EX: Standard deviation of socio-economic status (SES) for the experimental group
- M_SES_CT: Mean socio-economic status (SES) for the control group
- SD_SES_CT: Standard deviation of socio-economic status (SES) for the control group
- M_age_CT: Mean age for the control group
- M_age_EX: Mean age for the experimental group
- outcome: The outcome measure/test used
- M_pre_EX: Mean pre-training score for the experimental group
- M_post_EX: Mean post-training score for the experimental group
- SD_pre_EX: Standard deviation pre-training score for the experimental group
- SD_post_EX: Standard deviation post-training score for the experimental group
- M_pre_CT: Mean pre-training score for the control group
- M_post_CT: Mean post-training score for the control group
- SD_pre_CT: Standard deviation pre-training score for the control group
- SD_post_CT: Standard deviation post-training score for the control group
- outcome2: The recoded outcome variable
- **Flip_NoFlip**: Whether the effect size need to be flipped in order to have the same direction (i.e., positive values, the training improve performance)
- eff_size: The computed $dpcc_2$
- eff_size_var: The computed $dpcc_2$ variance
- eff_size_se: The computed $dpcc_2$ standard error

2.1 Pre-processing steps

The raw dataset is available on the online Open Science Framework repository. We performed these minimal pre-processing steps:

- renaming relevant columns
- re-coding the outcome variable into the outcome2 variable (see the main paper for the rationale)
- separating the Arfè et al. (2019) paper into two separate papers (see Section 2.1.1)
- converting outcomes names into English

2.1.1 Arfè et al. (2019)

Arfè et al. (2019) is the only paper that contains multiple independent (i.e., with different participants) sub-studies creating a multilevel structure. To reduce the data complexity we decided to consider these studies as two independent papers, creating Arfè et al. (2019a) and Arfè et al. (2019b).

2.2 Multiple effects for the same outcome

We decided to transform the outcome into the outcome2 variable to have a smaller set of outcomes according to the underlying psychological construct. For example, if the test x and the test y are Working Memory measures we created a unique Working Memory variable. This reduces the dataset complexity but creates a situation where papers have multiple effects belonging to the same outcome. We decided to aggregate multiple effects of the same outcome2 using the approach suggested by Borenstein et al. (2009, pp. 225–233) implemented using the metafor::aggregate.escalc() function (see https://wviechtb.github.io/metafor/reference/aggregate.escalc.html). To note, we use a slightly different approach compared to Borenstein et

al.(2009, pp. 225–233) computing an *inverse-variance weighted average* instead of an *un-weighted average*. Essentially, the weighted average combines multiple effect sizes taking into account the precision (i.e., the inverse of the variance).

We used the metafor::aggregate.escalc() as follows:

This is a wrapper of the metafor::aggregate.escalc() function that splits the dataset according to the paper and then aggregates within each outcome2.

3 Effect size computation

All included studies used a Pretest-Posttest-Control Group (PPC) design where the treated group is compared with an age-matched control group before and after a certain treatment. Morris (2008) described different effect size indexes for the PPC design. We decided to use the d_{ppc2} index because it provides an unbiased estimation of the true effect size and the sampling variance can be analytically computed. The d_{ppc2} is calculated as indicated in Equation (1).

$$d_{ppc2} = c_p \frac{(M_{T,post} - M_{T,pre}) - (M_{C,post} - M_{C,pre})}{SD_{pooled,pre}} \tag{1}$$

The numerator describes the actual mean difference between the treated and control groups of the respective *pre-post* scores. The difference is standardized using only a pooled standard deviation of pre-test scores. The variance is calculated in Equation (2):

$$\sigma^2(d_{ppc2}) = c_p^2 (1-\rho) (\frac{n_t + n_c}{n_t n_c}) (\frac{n_t + n_c - 2}{n_t + n_c - 4}) (\frac{1 + \Delta^2}{2(1-\rho)(\frac{n_t + n_c}{n_t n_c})}) \tag{2}$$

Both the d_{ppc2} and the variance are adjusted using a small sample correction factor c_p calculated in Equation (3)

$$c_p = 1 - \frac{3}{4(2n_t + 2n_c - 4) - 1} \tag{3}$$

Positive effect size values mean that the treatment increased the experimental group's performance. However, for some measures, higher values correspond to worse performance (e.g., the number of errors). In this case, we computed the effect size as described in the previous section and then we flipped the sign obtaining the same interpretation regardless of the original measure.

For the actual computation we wrote two functions following the documentation of the metafor package: (http://www.metafor-project.org/doku.php/analyses:morris2008), get_dppc2():

4 Meta-analysis models

4.1 Univariate vs multivariate model

When multiple variables are collected from the same pool of participants (e.g., multiple outcomes studies) and/or there are multiple experiments within the same paper, the effect size cannot be considered independent (Cheung, 2014, 2019). Instead of pooling multiple effects into a single measure or keeping only a single effect, we computed a multivariate meta-analysis model taking into account the dependency (i.e., the correlation) between multiple effect sizes calculated on the same pool of participants. To compute the multivariate model we need to include or impute the variance-covariance matrix that describes how multiple effects correlate within each study. The section 5 explains our imputation approach.

4.2 Random-effect vs fixed-effect model

Another important choice is between the fixed-effect and the random-effect model. Under the fixed-effect model, we make the assumption of a single true effect size that is estimated by a sample of studies. For this reason, the variability observed in the empirical meta-analysis is only caused by the sampling error.

On the other side, the random-effect model assumes a distribution of true effects. The model estimate the average effect (the mean of the distribution) and the between-study heterogeneity τ^2 (i.e., the variance of the distribution). The critical assumption is that the observed heterogeneity is composed of sampling variability (as the fixed-effect model) and true between-study variability. The latter can be caused by different experimental designs, participants' features, or other study-level variables and can be explained using moderators (i.e., meta-regression).

The goal of the *random-effect* model is to generalize the meta-analytic findings at the population level while the *fixed-effect* model is focused on a specific pool of studies.

We decided to use a fixed-effect model for several reasons. Firstly, one reason to estimate τ^2 (i.e., the focus of the random-effect model) is to explain the observed heterogeneity with study-level variables. Given our limited pool of studies, we did not include a meta-regression analysis. Furthermore, Under the random-effect framework, the multivariate model estimates the average effect and the variability (τ^2) for each included outcome increasing the model complexity compared to the univariate counterpart. Crucially, with a limited number of studies the τ^2 estimation can be strongly biased (Veroniki et al., 2016) influencing also the pooled effect estimation (Borenstein et al., 2009, pp. 73–75) especially in terms of the standard error. Finally, the fixed-effect is less complex in terms of model parameters because we need to estimate only the average effect of each included outcome, taking into account the statistical dependency (see 4.1).

4.3 Modelling functions

We tested each model parameter (i.e., average effect for a specific outcome) using the Wald z-test with $\alpha = 0.05$.

For the *univariate fixed-effect* model we use the metafor::rma() function:

For the univariate random-effect model we use the metafor::rma() function and the REML estimator for τ^2 :

```
fit_uni_random <- function(data){
    rma(yi = eff_size,
         vi = eff_size_var,
         method = "REML",
         data = data)
}</pre>
```

For the multivariate fixed-effect model we use the metafor::rma.mv() function:

```
fit_multi_fixed <- function(data, cov_matrix){
    rma.mv(
        yi = eff_size,
        V = cov_matrix,
        mods = ~ 0 + outcome2,
        data = data)
}</pre>
```

For the *multivariate random-effect* model we use the metafor::rma.mv() function:

```
fit_multi_random <- function(data, cov_matrix, struct = "UN"){
    rma.mv(
        yi = eff_size,
        V = cov_matrix,
        mods = ~ 0 + outcome2,
        random = ~ outcome2|paper_id,
        # the variance-covariance matrix structure
        # see https://wviechtb.github.io/metafor/reference/rma.mv.html
        struct = struct,</pre>
```

```
data = data)
}
```

In both the multivariate cases we used the outcome2 variable as a moderator with a *cell-mean parametrization* (Schad et al., 2020) (i.e., removing the intercept 0 + outcome2). In this way model parameters and statistical tests correspond directly to the average effect for each outcome. As explained in the previous section, the random-effect model estimate also a τ^2 for each outcome (written as random = ~ outcome2|paper_id, see https://www.metafor-project.org/doku.php/analyses:berkey1995).

4.3.1 Variance-covariance matrix

For the *multivariate* models (both fixed and random) is necessary to include a variance-covariance matrix. Essentially, each study has n different outcomes and we need a $n \times n$ variance-covariance matrices where the diagonal is the d_{pcc2} variance for a specific outcome and off-diagonal elements are the covariances between pairs of outcomes.

Combining all study-level matrices we obtain a full block-variance-covariance matrix to use within the rma.mv() function. The metafor::vcalc() (see https://wviechtb.github.io/metafor/reference/vcalc.html) function allows to create the full matrix specifying the assumed correlation and a clustering variable:

```
get_block_cov_matrix <- function(data, rho){
    vcalc(eff_size_var, cluster = paper_id, obs = effect_id, data = data, rho = rho)
}</pre>
```

5 Correlations imputation

As explained in previous sections, we decided to use a *fixed-effect multivariate* model. To compute the model we need to include 3 correlations measures:

- For the effect size computation, we need the correlation between pre-post (pre-post correlation) scores for both groups
- For the aggregation of multiple effects within the same paper (aggregation correlation) (see Section 2.2) we need the correlation between the effects
- For the actual multivariate model we need the full variance-covariance matrix of different outcomes. To create the matrix we need to include the correlation between outcomes within each study (multivariate correlation).

Correlations are rarely reported in published papers, thus we decided to impute these values and assess the impact with a multiverse-like approach (Steegen et al., 2016). In particular, we used:

- A $\rho_{pre-post}$ of 0.5, 0.7 and 0.9
- A ρ_{agg} of 0.3, 0.5, 0.7
- A ρ_{multi} of 0.3, 0.5 and 0.7

6 Meta-analysis table

Table 1 describes all included papers with pre-post scores for the experimental and control groups and the computed effect size. Furthermore, the table is organized grouping the effects according to the considered outcome in order to highlight the multivariate data structure.

Table 1: Pre-post scores (M=mean, SD=standard deviation, N=sample size) for the control and experimental group. The last two columns represent the computed effect size and the variance. The effects are organized according to the outcome value and the corresponding paper.

			Experimental Group					Control Group				
Outcome	Paper	N	M _{pre}	M _{post}	SD _{pre}	SD _{post}	N	M _{pre}	M _{post}	SD _{pre}	SD _{post}	d _{ppc2} (σ)
Cognitive Flexibility	, Di Lieto et al. (2020a)	96	7.22	8.39	2.06	1.69	91	7.19	8.27	2.10	1.66	0.04 (0.01)
Acc.	Di Lieto et al. (2020b)	18	5.72	6.61	2.37	2.12	18	7.05	7.05	2.15	2.41	0.38 (0.07)
	Arfé et al. (2019a)	44	4.63	1.79	4.45	2.01	36	5.76	4.16	4.36	3.72	0.21 (0.02)
	Arfé et al. (2019b)	19	4.03	1.58	3.80	1.81	19	3.74	2.82	2.79	2.27	0.46 (0.05)
Inhibition Acc.	Arfé et al. (2020)	88	5.71	1.97	6.01	2.23	91	5.66	4.12	0.26	1.50	0.44 (0.01)
	Di Lieto et al. (2020a)	96	5.72	3.39	4.62	3.42	91	4.61	3.02	3.53	3.13	0.14 (0.01)
	Di Lieto et al. (2020b)	18	8.16	6.50	7.64	6.14	18	6.58	5.38	4.39	6.66	0.06 (0.05)
	Arfé et al. (2019a)	44	7.13	9.84	2.46	2.45	36	5.75	7.57	2.91	2.80	0.30 (0.02)
Planning Acc.	Arfé et al. (2019b)	19	8.39	11.42	3.51	2.60	19	8.92	8.55	3.23	3.29	0.99 (0.06)
	Arfé et al. (2020)	88	6.02	9.59	2.88	2.39	91	4.95	7.05	1.34	1.18	0.61 (0.01)
	Akcaoglu & Koehler (2014)	20	-1.11	-0.07	1.23	1.11	24	-1.17	-1.29	0.91	1.15	1.05 (0.05)
	Arfé et al. (2019a)	44	4.31	6.12	1.46	1.06	36	3.09	3.68	1.60	1.92	0.79 (0.03)
	Arfé et al. (2019b)	19	6.05	7.16	1.08	0.96	19	5.58	5.21	1.17	1.08	1.29 (0.08)
	Arfé et al. (2020)	88	3.90	5.86	1.45	0.87	91	3.57	3.74	0.08	0.08	1.75 (0.02)
Problem Solving	Erol & Çırak (2022)	16	93.25	99.12	16.32	12.39	18	89.11	86.72	10.79	10.88	0.59 (0.08)
	La Paglia et al. (2017)	30	54.19	58.09	7.52	6.89	30	56.29	56.86	11.58	12.22	0.34 (0.04)
	Nam et al. (2010)	30	9.55	13.36	3.50	3.55	30	10.09	11.50	3.16	2.84	0.71 (0.04)
	Nam et al. (2019)	25	25.72	37.16	6.29	3.88	28	26.79	29.75	5.07	6.33	1.47 (0.07)
	Pardamean et al. (2011)	43	9.98	12.05	3.08	2.90	42	9.35	10.76	2.02	3.23	0.26 (0.02)
Working Memory Acc	Di Lieto et al. (2020a)	96	3.34	4.93	1.92	2.31	91	3.15	4.23	1.76	1.90	0.26 (0.01)
VVOI KIII I WIEITIOI Y ACC	Di Lieto et al. (2020b)	18	2.36	3.34	1.25	1.94	18	2.11	3.42	1.14	2.01	-0.21 (0.04)

7 Multiverse analysis

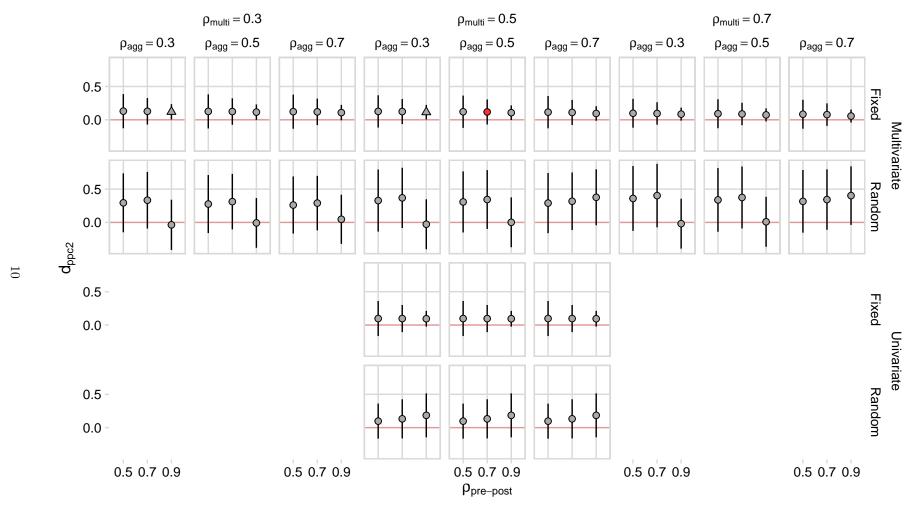
We assessed the impact of our modeling assumptions using a sensitivity analysis approach. In particular, we considered:

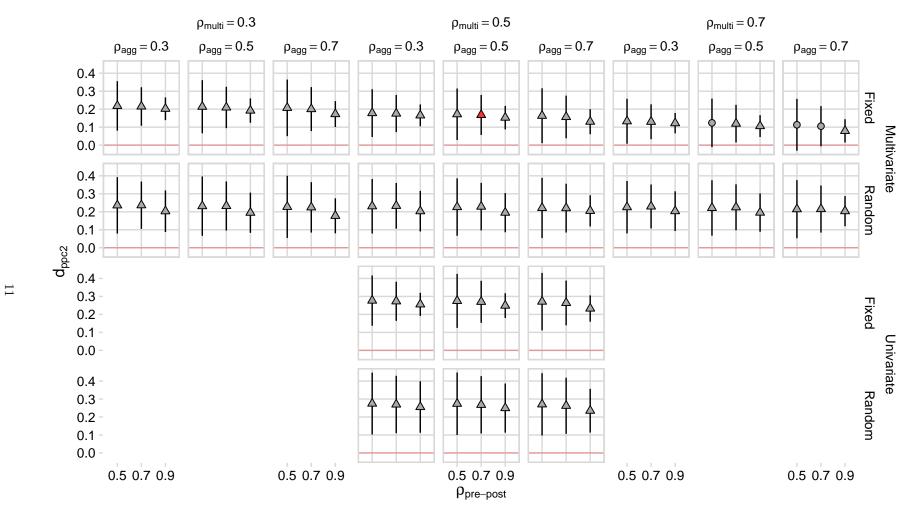
- 4 meta-analysis models:
 - univariate fixed-effect
 - univariate random-effect
 - multivariate fixed-effect
 - multivariate random-effect
- All correlations combinations $(3\rho_{pre-post} \times 3\rho_{aggregation} \times 3\rho_{multivariate})$

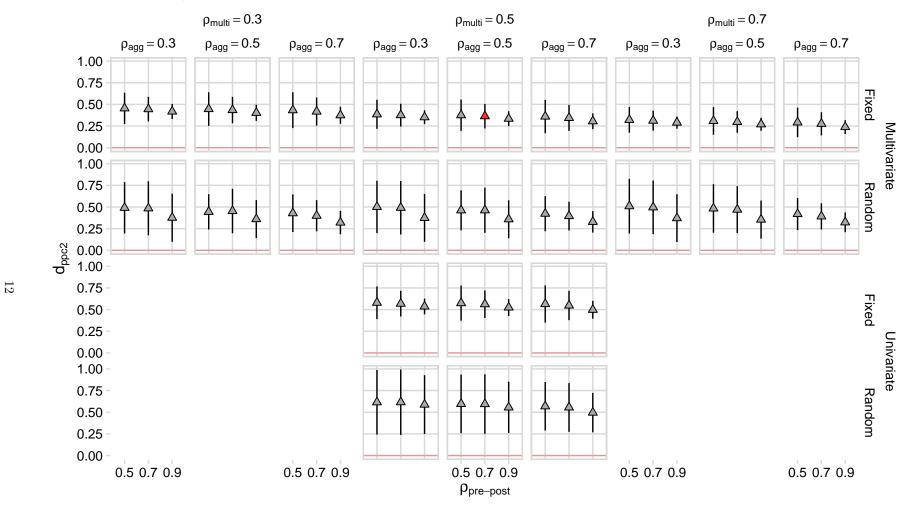
In this way, we computed 72 meta-analysis directly assessing the impact on the parameters estimation and p-values¹. All plots in the following pages depicted the sensitivity analysis for each outcome. Triangles indicate parameters with p < 0.05 while points indicate parameters with p > 0.05. Red shapes indicate the correlations/model combination included in the paper. Clearly, $random\ effect\ models$ (both univariate and multivariate) are associated with wider confidence intervals (i.e., less precise estimation) compared to $fixed\ effect\ models$.

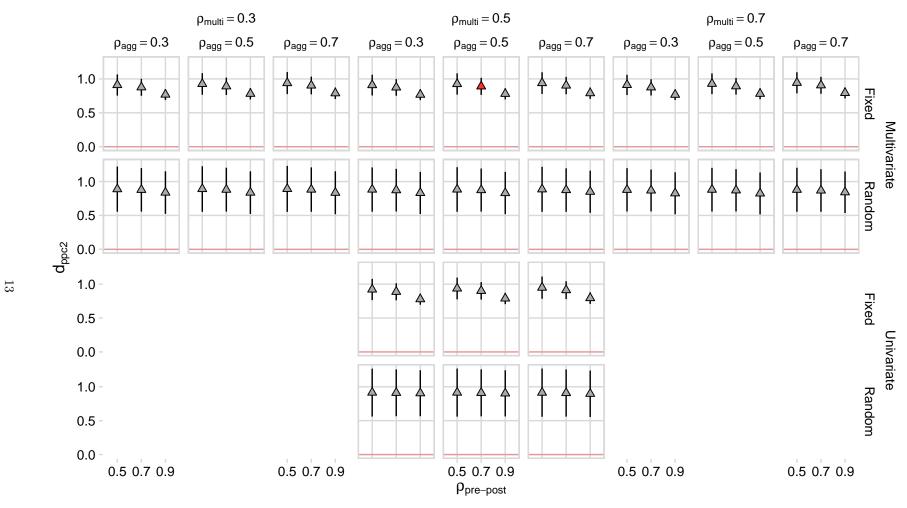
¹For multivariate models (fixed and random) we have 3x3x3 correlation combinations while for univariate models (fixed and random) only 3x3 ($\rho_{pre-post}$ and ρ_{agg})

Cognitive Flexibility Acc.

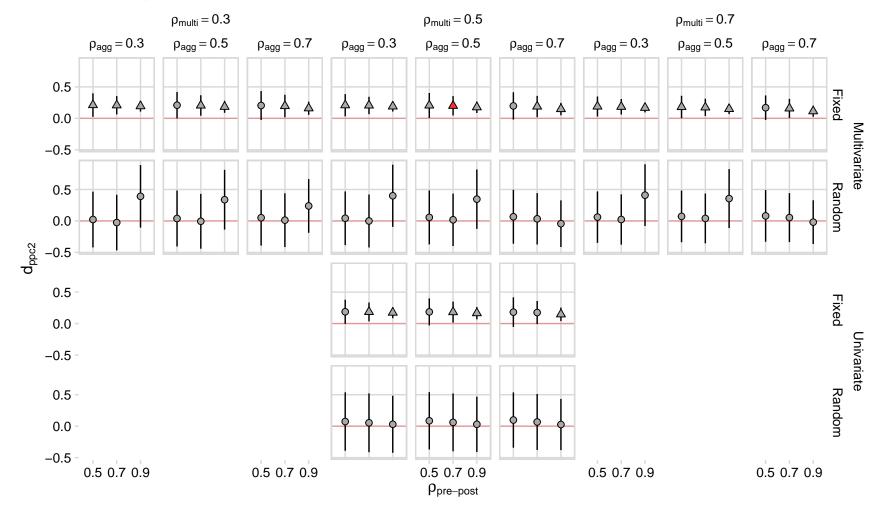








14



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