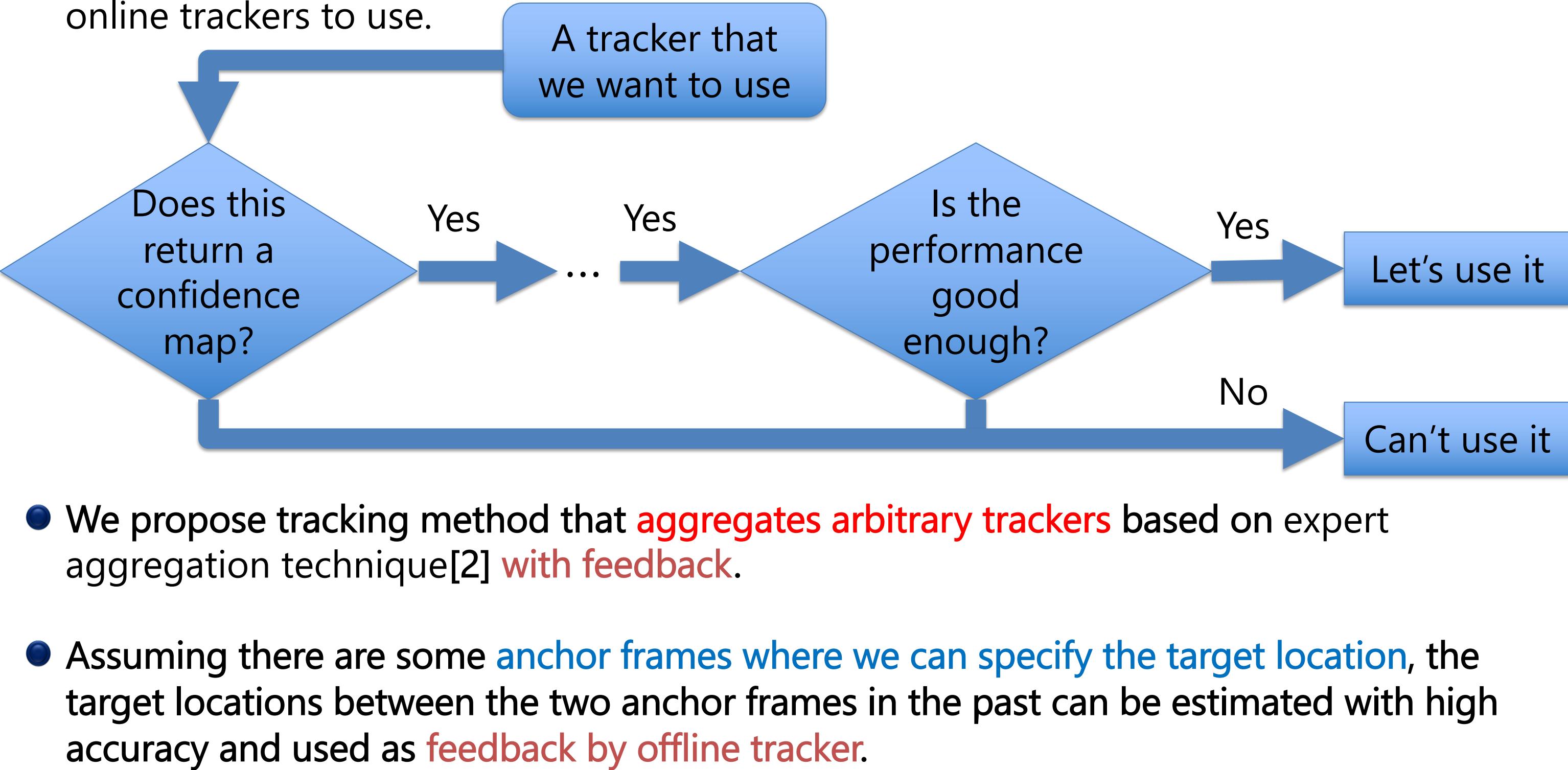


# How to Aggregate Arbitrary Online Trackers

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## Summary

- Visual object tracking is a task that predicts a target location in an image sequence given the initial frame image and target location.
- In object tracking, it is difficult to realize an accurate and stable tracker due to large variations in the target appearance.
- Using multiple trackers can stabilize tracking, but it's difficult to use any trackers we want because most algorithms using multiple trackers require a lot of restrictions to hire online trackers to use.

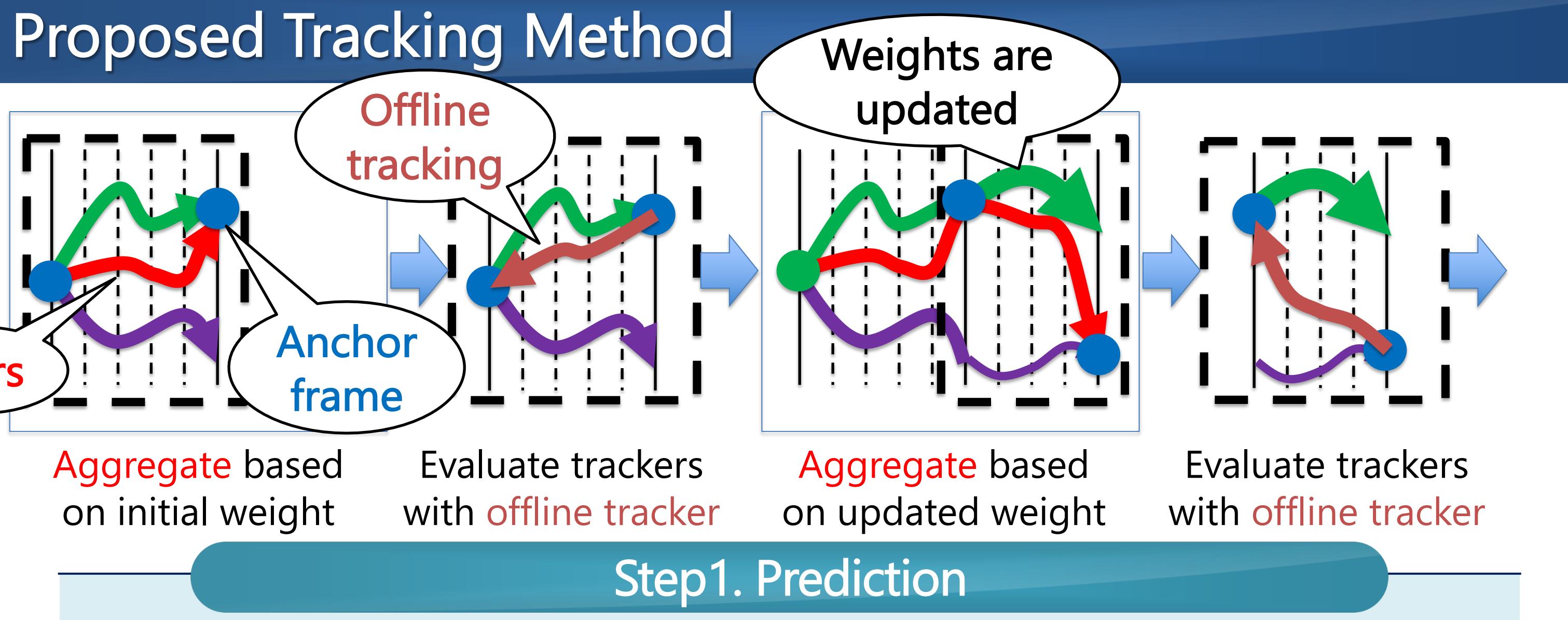


The proposed method is **theoretically guaranteed to follow the best tracker** without any assumption.

[1] L. Zhang, Y. Li, and R. Nevatia. Global data association for multi-object tracking using network flows. In Proc. CVPR, 2008.

[2] K. Quanrud and D. Khashabi. Online learning with adversarial delays. In Proc. NIPS, 2015

## Proposed Tracking Method



- (1) At each frame  $t$ ,  $N$  online trackers estimate the target locations.
- (2) Predict **the current target location by selecting one of the estimations** by using the trackers' weight as a probability distribution
- (3) If we have a reliable target location, determine **frame  $t$  as an anchor frame**.
- (3) The **feedback** is given by the offline tracker[1] between **previous anchor frame  $u$  and current anchor frame  $t$** .
- (4) Calculate the **cumulative tracking error** of  $i$ th tracker  $L^{u+1:t}$  between previous anchor frame  $u$  and current frame  $t$  and update weights so that **trackers that are likely to be the best tracker have a higher weight**.

$$w_i^{t+1} = \frac{w_i^t \exp(-\eta L_i^{u+1:t})}{\sum_{j=1}^N w_j^t \exp(-\eta L_j^{u+1:t})}$$

## Theoretical Guarantee[2]

- By updating the weights as above, **the regret is upper bounded**, which means that we can **theoretically guarantee ours can follow the best tracker even in the worst case**. It doesn't matter which trackers you aggregate for any videos.

$$\text{Regret} = \overbrace{\overbrace{L_{\text{ours}}^{1:T}}^{\text{Tracking error of ours}}} - \overbrace{\min_{i=1,\dots,N} \overbrace{L_i^{1:T}}^{\text{Tracking error of the best}}} = O(\sqrt{T \ln N})$$

## Experimental Results

- The proposed method and the six state-of-the-art trackers are evaluated with average area-under-curve score(AUC) of overlap.

