

# Data in Brief

## A Multi-Objective, Multi-Fidelity Materials Science Optimization Benchmark Dataset for Hard-Sphere Packing Simulations --Manuscript Draft--

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<b>Order of Authors:</b>	Sterling Gregory Baird, M.Sc. Taylor D. Sparks, Ph.D.
<b>Abstract:</b>	<p>Benchmarks are an essential driver of progress in scientific disciplines. The most effective benchmarks closely resemble real-world tasks, as an inadequate level of difficulty or relevance can hinder progress in the field. Benchmarks should also have sufficiently low computational overhead to promote accessibility and repeatability. The goal is then to win a “Turing test” of sorts by creating a surrogate model that is indistinguishable from the ground truth observation (at least within the dataset bounds that were explored), necessitating a large amount of data. This study captures several features that are characteristic of industry-relevant chemistry and materials science optimization tasks: high noise, multiple fidelities, multiple objectives, linear constraints, non-linear correlations, and failure regions. We performed 438371 random hard-sphere packing simulations representing 279 CPU days’ worth of computational overhead. Simulations required nine input parameters with linear constraints and two discrete fidelities each with continuous fidelity parameters. The results were logged in a free-tier shared MongoDB Atlas database, producing two core tabular datasets: a failure probability dataset and a regression dataset. The failure probability dataset maps unique input parameter sets to the estimated probabilities that the simulation will fail. The regression dataset maps input parameter sets (including repeats) to particle packing fractions and computational runtimes for each of the two steps. These two datasets will be used to create a surrogate model as close as possible to running the actual simulations by incorporating simulation failure and heteroskedastic noise. For the regression dataset, percentile ranks were computed within each of the groups of identical parameter sets to enable capturing heteroskedastic noise, ensuring reliability and accurate results. This contrasts with a more traditional approach that imposes a-priori assumptions such as Gaussian noise, e.g., by providing a mean and standard deviation. A similar approach can be applied to other benchmark datasets to bridge the gap between optimization benchmarks with low computational overhead and realistically complex, real-world optimization scenarios.</p>
<b>Suggested Reviewers:</b>	<p>Vasili Baranov vasili.baranov@gmail.com Expert on hard-sphere packing simulations.</p> <p>Sam Daulton sdaulton8@gmail.com Expert in multi-fidelity optimization and Bayesian optimization.</p> <p>Alex Dunn ardunn@lbl.gov Creator of Matbench, a suite of materials science property prediction benchmarks.</p>



**Materials Science and Engineering**

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Dear Editor:

We are very pleased to submit this data article to Data in Brief. Our manuscript, titled Materials Science Optimization Benchmark Dataset for Multi-fidelity Hard-sphere Packing Simulations provides important research from my research group at the University of Utah. This work presents a benchmark dataset for materials science optimization tasks that incorporates both simulation failure and heteroskedastic noise in a realistically complex setting.

The dataset represents 279 days' worth of CPU computation time and contains over 400,000 datapoints. The two datasets presented in this work can be used to create a surrogate model as close as possible to running the actual simulations. This will help form part of a larger suite of experimentally and computationally derived benchmarks. Additionally, this dataset can serve as an optimization task for advanced Bayesian optimization topics including multi-fidelity and linearly constrained optimization.

Sincerely,

A handwritten signature in black ink, appearing to read 'Taylor D. Sparks', with a horizontal line underneath.

Dr. Taylor Sparks  
Associate Professor & Associate Chair  
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## Article information

### Article title

A Multi-Objective, Multi-Fidelity Materials Science Optimization Benchmark Dataset for Hard-Sphere Packing Simulations

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### Keywords

adaptive design, physics-based, Lubachevsky–Stillinger, force-biased algorithms, particle packing, packing generation, transfer learning, size distribution

### Abstract

Benchmarks are an essential driver of progress in scientific disciplines. The most effective benchmarks closely resemble real-world tasks, as an inadequate level of difficulty or relevance can hinder progress in the field. Benchmarks should also have sufficiently low computational overhead to promote accessibility and repeatability. The goal is then to win a “Turing test” of sorts by creating a surrogate model that is indistinguishable from the ground truth observation (at least within the dataset bounds that were explored), necessitating a large amount of data. This study captures several features that are characteristic of industry-relevant chemistry and materials science optimization tasks: high noise, multiple fidelities, multiple objectives, linear constraints, non-linear correlations, and failure regions. We performed 438371 random hard-sphere packing simulations representing 279 CPU days’ worth of computational overhead. Simulations required nine input parameters with linear constraints and two discrete fidelities each with continuous fidelity parameters. The results were logged in a free-tier shared MongoDB Atlas database, producing two core tabular datasets: a failure probability dataset and a regression dataset. The failure probability dataset maps unique input parameter sets to the estimated probabilities that the simulation will fail. The regression dataset maps input parameter sets (including repeats) to particle packing fractions and computational runtimes for each of the two steps. These two datasets will be used to create a surrogate model as close as possible to running the actual simulations by incorporating simulation failure and heteroskedastic noise. For

the regression dataset, percentile ranks were computed within each of the groups of identical parameter sets to enable capturing heteroskedastic noise, ensuring reliability and accurate results. This contrasts with a more traditional approach that imposes a-priori assumptions such as Gaussian noise, e.g., by providing a mean and standard deviation. A similar approach can be applied to other benchmark datasets to bridge the gap between optimization benchmarks with low computational overhead and realistically complex, real-world optimization scenarios.

## Specifications table

<b>Subject</b>	Computational materials science
<b>Specific subject area</b>	Physics-based geometric packing
<b>Type of data</b>	Table Figure
<b>How the data were acquired</b>	Data was acquired by running compiled C software hosted at <a href="https://github.com/VasiliBaranov/packing-generation">https://github.com/VasiliBaranov/packing-generation</a> in a two-step process orchestrated using Python in <a href="https://github.com/sparks-baird/matsci-opt-benchmarks/blob/3c0a74b1a594d5628bde232062e55804590c4e1f/src/matsci_opt_benchmarks/particle_packing/utils/packing_generation.py#L61-L181">https://github.com/sparks-baird/matsci-opt-benchmarks/blob/3c0a74b1a594d5628bde232062e55804590c4e1f/src/matsci_opt_benchmarks/particle_packing/utils/packing_generation.py#L61-L181</a> . The Python code acted as a driver for the compiled packing generation executable and was run using the University of Utah's Center for High-performance Computing (CHPC) resources. <a href="https://github.com/facebookincubator/submitit">https://github.com/facebookincubator/submitit</a> was used to send jobs to the SLURM scheduler and the MongoDB Data API was used to log results in JSON format. For a snapshot of the matsci-opt-benchmarks code used, see <a href="https://github.com/sparks-baird/matsci-opt-benchmarks v0.1.0">https://github.com/sparks-baird/matsci-opt-benchmarks v0.1.0</a> ( <a href="https://zenodo.org/badge/latestdoi/577963870">https://zenodo.org/badge/latestdoi/577963870</a> ).
<b>Data format</b>	Raw Analyzed Filtered
<b>Description of data collection</b>	Seven irreducible parameters plus number of particles and initial scaling factor were varied in a quasi-random Sobol sampling of 65536 parameter combinations using a constrained search space via the Ax Platform, with 15 repeats (total: 983040 simulations). Of these, 438371 ran to completion (279 CPU days) with 41228 unique sets. Failed simulations were recorded as NaN values with ratio of successful to total simulations tracked on a per parameter set basis

	(sobol_probability_filter.csv). Repeat simulations were grouped and ranked by percentile using the “dense” method with pct=True in pandas.core.groupby.GroupBy.rank (sobol_regression.csv) <sup>1</sup> . In future work, surrogate models will be fitted for failure probability, packing fraction, and computational runtime for each of two particle packing algorithms, totaling six surrogate models.
<b>Data source location</b>	University of Utah, Salt Lake City UT USA
<b>Data accessibility</b>	Repository name: Zenodo  Data identification number: 7513019  Direct URL to data: <a href="https://doi.org/10.5281/zenodo.7513019">https://doi.org/10.5281/zenodo.7513019</a>

## Value of the data

- Valuable for adaptive design benchmarking
- Benefits optimization researchers and practitioners in the physical sciences
- Provides insight into packing behavior in powder-bed additive manufacturing, can be integrated with experimental data
- Provides an example for future datasets

## Objective

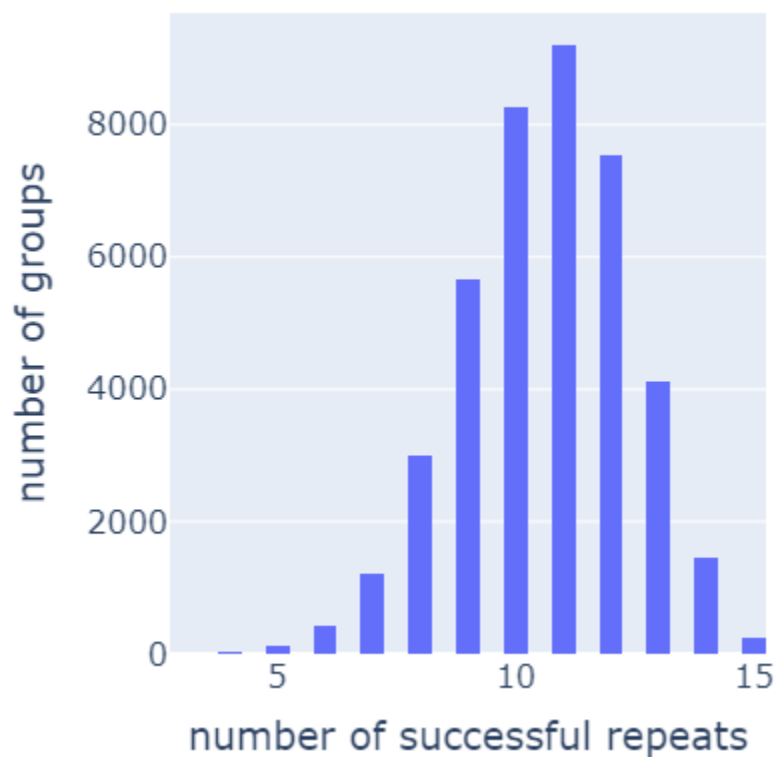
In the fields of materials science and chemistry, industry-relevant optimization tasks are often hierarchical, noisy, multi-fidelity<sup>2,3</sup>, multi-objective<sup>4,5</sup>, high-dimensional<sup>6,7</sup>, and non-linearly correlated while exhibiting mixed numerical and categorical variables subject to linear<sup>8</sup> and non-linear constraints. Existing benchmark datasets<sup>9–14</sup>, while very useful, ignore or simplify the influence of noise and ignore the fact that certain parameter combinations will result in failure. By incorporating simulation failure and heteroskedastic noise, we create a “Turing test” of sorts with the goal of creating a surrogate model that is indistinguishable from the ground truth simulation. This bridges the gap between cheap-to-evaluate surrogate functions based on benchmark datasets and high-cost, real-world objective function evaluations.

## Data description

The failure probability dataset (sobol\_probability\_filter.csv) contains unique input parameter sets (nine variables) and the estimated probabilities that the simulation will fail at each of the two steps (force-biased algorithm and Lubachevsky–Stillinger).

The regression dataset (sobol\_regression.csv) contains input parameters (including repeats) spanning nine variables and corresponding particle packing fractions as well as computational runtimes for each of the two steps (force-biased algorithm and Lubachevsky–Stillinger).

For histogram data summarizing characteristics of the two datasets, see Figure 1, Figure 2, and Figure 3.



*Figure 1. Histogram of number of parameter groups vs. number of successful repeats within a given group. The lowest number of repeats for a parameter set is 3, with approximately 10 repeats on average.*

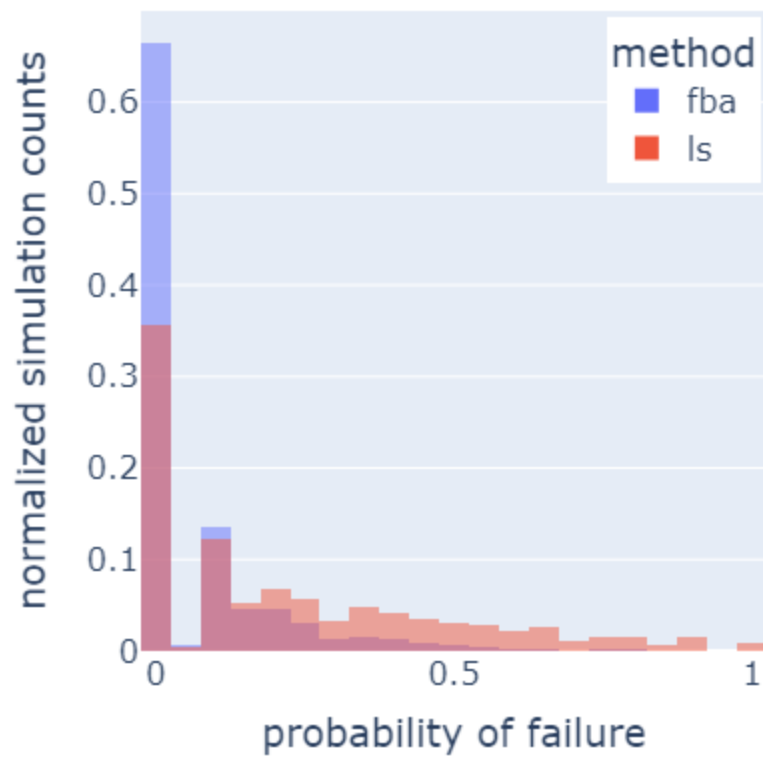


Figure 2. Histogram of normalized simulation counts vs. the probability of a simulation failing for a given parameter set. On average, the force-biased algorithm or fba (blue) is more likely to succeed than the Lubachevsky–Stillinger or ls (red) algorithm.

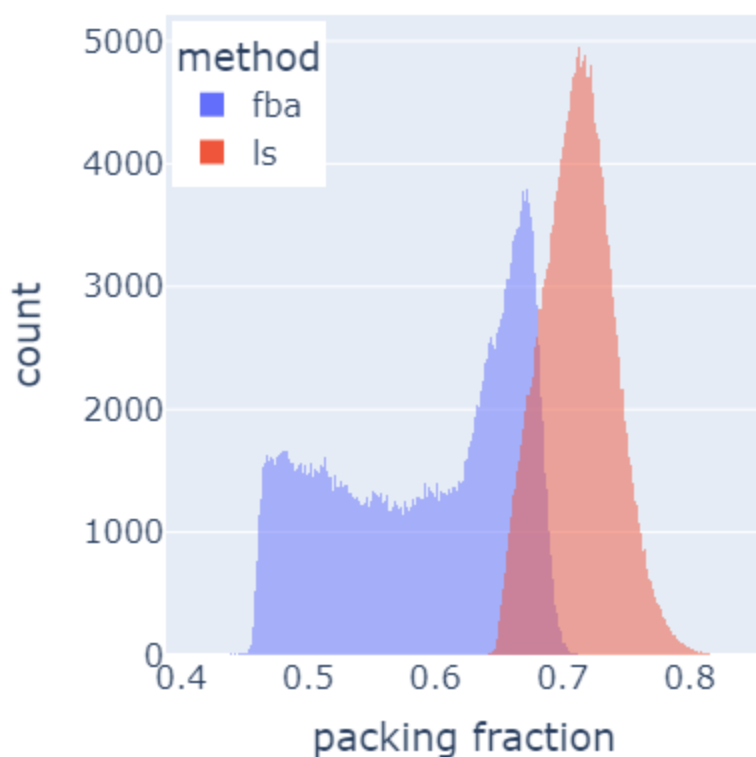


Figure 3. Histogram of number of simulations vs. packing fraction for the force-biased algorithm or fba (blue) and Lubachevsky–Stillinger or ls algorithm (red). On average, the ls algorithm tends to have higher packing fractions with a more Gaussian-like distribution than fba.

## Experimental design, materials and methods

In this study, 438371 hard-sphere packing simulations were conducted using a two-step process of a force-biased algorithm<sup>15,16</sup> followed by the Lubachevsky–Stillinger algorithm<sup>17–19</sup>. The simulations were performed using mixtures of three different particle types, each characterized by two log-normal distribution parameters and three composition parameters. Two parameters (scale and shape) describe each of the three distributions, and three additional composition parameters describe the fractional share (e.g., in terms of volume) of each of the particle types. Additionally, the number of particles and an initial scaling factor were allowed to vary (see [https://github.com/sparks-baird/matsci-opt-benchmarks/blob/v0.1.0/scripts/particle\\_packing/packing\\_generation\\_submitit.py](https://github.com/sparks-baird/matsci-opt-benchmarks/blob/v0.1.0/scripts/particle_packing/packing_generation_submitit.py) for more details). With a greater number of particles, denser and more realistic packs can be generated at the expense of computational cost (i.e., the fidelity parameter). The initial scaling factor affects the computational stability of the simulation; with an adequate scaling factor, the simulation is more likely to be completed successfully. Quasi-random Sobol sampling was used to generate parameter combinations to obtain a more uniform sampling of the allowable parameter space. While there can be other uses, this dataset is primarily intended as a multi-fidelity benchmark dataset for constrained adaptive design experiments. To realistically capture the noise for this benchmark dataset, simulations were repeated for each of the quasi-random parameter combinations (most with at least 8 repeats). To maximize throughput and reduce



latency, simulation parameters (including repeats) were shuffled and divided into batches and sent to a high-performance computing environment for asynchronous evaluation. Results were logged to a free-tier MongoDB Atlas database and then aggregated and prepared as machine-learning-ready datasets. For further implementation details, see [https://github.com/sparks-baird/matsci-opt-benchmarks/tree/v0.1.0/scripts/particle\\_packing](https://github.com/sparks-baird/matsci-opt-benchmarks/tree/v0.1.0/scripts/particle_packing) and [https://github.com/sparks-baird/matsci-opt-benchmarks/tree/v0.1.0/notebooks/particle\\_packing](https://github.com/sparks-baird/matsci-opt-benchmarks/tree/v0.1.0/notebooks/particle_packing).

## Ethics statements

There are no statements to declare.

## CRediT author statement

**Sterling G. Baird:** Project administration, Conceptualization, Methodology, Software, Validation, Formal analysis, Investigation, Data Curation, Writing - Original Draft, Writing - Review & Editing, Visualization. **Taylor D. Sparks:** Supervision, Funding acquisition

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## Declaration of interests

☒ The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

☐ The authors declare the following financial interests/personal relationships which may be considered as potential competing interests:

## References

- (1) Baird, S. G. Materials Science Optimization Benchmark Dataset for Multi-Fidelity Hard-Sphere Packing Simulations, 2023. <https://doi.org/10.5281/zenodo.7513019>.
- (2) Ghoreishi, S. F.; Molkeri, A.; Arróyave, R.; Allaire, D.; Srivastava, A. Efficient Use of Multiple Information Sources in Material Design. *Acta Materialia* **2019**, *180*, 260–271. <https://doi.org/10.1016/j.actamat.2019.09.009>.

- (3) Kandasamy, K.; Vysyaraju, K. R.; Neiswanger, W.; Paria, B.; Collins, C. R.; Schneider, J.; Poczos, B.; Xing, E. P. Tuning Hyperparameters without Grad Students: Scalable and Robust Bayesian Optimisation with Dragonfly. *arXiv:1903.06694 [cs, stat]* **2020**.
- (4) Hanaoka, K. Comparison of Conceptually Different Multi-Objective Bayesian Optimization Methods for Material Design Problems. *Materials Today Communications* **2022**, 103440. <https://doi.org/10.1016/j.mtcomm.2022.103440>.
- (5) Häse, F.; Roch, L. M.; Aspuru-Guzik, A. Chimera: Enabling Hierarchy Based Multi-Objective Optimization for Self-Driving Laboratories. *Chem. Sci.* **2018**, 9 (39), 7642–7655. <https://doi.org/10.1039/C8SC02239A>.
- (6) Baird, S. G.; Liu, M.; Sparks, T. D. High-Dimensional Bayesian Optimization of 23 Hyperparameters over 100 Iterations for an Attention-Based Network to Predict Materials Property: A Case Study on CrabNet Using Ax Platform and SAASBO. *Computational Materials Science* **2022**, 211, 111505. <https://doi.org/10.1016/j.commatsci.2022.111505>.
- (7) Eriksson, D.; Jankowiak, M. High-Dimensional Bayesian Optimization with Sparse Axis-Aligned Subspaces. *arXiv:2103.00349 [cs, stat]* **2021**.
- (8) Baird, S.; Hall, J. R.; Sparks, T. D. The Most Compact Search Space Is Not Always the Most Efficient: A Case Study on Maximizing Solid Rocket Fuel Packing Fraction via Constrained Bayesian Optimization. *ChemRxiv* September 6, 2022. <https://doi.org/10.26434/chemrxiv-2022-nz2w8-v2>.
- (9) Dunn, A.; Wang, Q.; Ganose, A.; Dopp, D.; Jain, A. Benchmarking Materials Property Prediction Methods: The Matbench Test Set and Automatminer Reference Algorithm. *npj Comput Mater* **2020**, 6 (1), 138. <https://doi.org/10.1038/s41524-020-00406-3>.
- (10) De Breuck, P.-P.; Evans, M. L.; Rignanese, G.-M. Robust Model Benchmarking and Bias-Imbalance in Data-Driven Materials Science: A Case Study on MODNet. *J. Phys.: Condens. Matter* **2021**, 33 (40), 404002. <https://doi.org/10.1088/1361-648X/ac1280>.
- (11) Wang, A.; Liang, H.; McDannald, A.; Takeuchi, I.; Kusne, A. G. Benchmarking Active Learning Strategies for Materials Optimization and Discovery. *arXiv* April 12, 2022. <http://arxiv.org/abs/2204.05838> (accessed 2022-07-04).
- (12) Liang, Q.; Gongora, A. E.; Ren, Z.; Tiihonen, A.; Liu, Z.; Sun, S.; Deneault, J. R.; Bash, D.; Mekki-Berrada, F.; Khan, S. A.; Hippalgaonkar, K.; Maruyama, B.; Brown, K. A.; Fisher III, J.; Buonassisi, T. Benchmarking the Performance of Bayesian Optimization across Multiple Experimental Materials Science Domains. *npj Comput Mater* **2021**, 7 (1), 188. <https://doi.org/10.1038/s41524-021-00656-9>.
- (13) Henderson, A. N.; Kauwe, S. K.; Sparks, T. D. Benchmark Datasets Incorporating Diverse Tasks, Sample Sizes, Material Systems, and Data Heterogeneity for Materials Informatics. *Data in Brief* **2021**, 37, 107262. <https://doi.org/10.1016/j.dib.2021.107262>.
- (14) Häse, F.; Aldeghi, M.; Hickman, R. J.; Roch, L. M.; Christensen, M.; Liles, E.; Hein, J. E.; Aspuru-Guzik, A. Olympus: A Benchmarking Framework for Noisy Optimization and Experiment Planning. *Mach. Learn.: Sci. Technol.* **2021**, 2 (3), 035021. <https://doi.org/10.1088/2632-2153/abedc8>.
- (15) Mościński, J.; Bargieł, M.; Rycerz, Z. A.; Jacobs, P. W. M. The Force-Biased Algorithm for the Irregular Close Packing of Equal Hard Spheres. *Molecular Simulation* **1989**, 3 (4), 201–212. <https://doi.org/10.1080/08927028908031373>.
- (16) Bezrukov, A.; Bargieł, M.; Stoyan, D. Statistical Analysis of Simulated Random Packings of Spheres. *Particle & Particle Systems Characterization* **2002**, 19 (2), 111–118. [https://doi.org/10.1002/1521-4117\(200205\)19:2<111::AID-PPSC111>3.0.CO;2-M](https://doi.org/10.1002/1521-4117(200205)19:2<111::AID-PPSC111>3.0.CO;2-M).
- (17) Skoge, M.; Donev, A.; Stillinger, F. H.; Torquato, S. Packing Hyperspheres in High-Dimensional Euclidean Spaces. *Phys. Rev. E* **2006**, 74 (4), 041127. <https://doi.org/10.1103/PhysRevE.74.041127>.

- (18) Lubachevsky, B. D. How to Simulate Billiards and Similar Systems. *Journal of Computational Physics* **1991**, *94* (2), 255–283. [https://doi.org/10.1016/0021-9991\(91\)90222-7](https://doi.org/10.1016/0021-9991(91)90222-7).
- (19) Lubachevsky, B. D.; Stillinger, F. H. Geometric Properties of Random Disk Packings. *Journal of Statistical Physics* **1990**, *60* (5), 561–583. <https://doi.org/10.1007/BF01025983>.



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