secs1d

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Table 1: secs1d Package Description

Name:	secs1d
Description:	A Drift-Diffusion simulator for 1d semiconductor devices
Version:	0.0.9
Release Date:	2012-03-25
Author:	Carlo de Falco
Maintainer:	Carlo de Falco
License:	GPL version 2 or later
Depends on:	octave ($>= 3.0.0$), bim ($>= 0.0.0$),
Autoload:	No

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Part I

Mathematical models

1 Full model

1.1 Conservation laws

$$\begin{cases}
-\lambda^2 \operatorname{div} (\varepsilon_r \operatorname{grad} \varphi) = p - n + N_D - N_A \\
-\operatorname{div} (J_n) + R_n n = G_n \\
\operatorname{div} (J_p) + R_p p = G_p
\end{cases} \tag{1}$$

2 Constitutive relations

2.1 Currents

$$\begin{cases}
J_n = \mu_n (\operatorname{grad} n - n \operatorname{grad} \varphi) \\
J_p = -\mu_p (\operatorname{grad} p + p \operatorname{grad} \varphi)
\end{cases}$$
(2)

2.2 Mobilities

$$\begin{cases}
\mu_{n} = \frac{2\bar{\mu}_{n}}{1 + \sqrt{1 + 4\left(\frac{\bar{\mu}_{n}|E|}{v_{sat,n}}\right)^{2}}}; & \bar{\mu}_{n} = \mu_{min,n} + \frac{\mu_{0,n} - \mu_{min,n}}{1 + \left(\frac{N_{D} + N_{A}}{N_{ref,n}}\right)^{\beta_{n}}} \\
\mu_{p} = \frac{2\bar{\mu}_{p}}{1 + \sqrt{1 + 4\left(\frac{\bar{\mu}_{p}|E|}{v_{sat,p}}\right)^{2}}}; & \bar{\mu}_{p} = \mu_{min,p} + \frac{\mu_{0,p} - \mu_{min,p}}{1 + \left(\frac{N_{D} + N_{A}}{N_{ref,p}}\right)^{\beta_{p}}}
\end{cases} (3)$$

2.3 Production terms

$$\begin{cases}
R_n = \frac{p}{\tau_n(p+\theta) + \tau_p(n+\theta)} + p\left(C_n n + C_p p\right) \\
R_p = \frac{n}{\tau_n(p+\theta) + \tau_p(n+\theta)} + n\left(C_n n + C_p p\right)
\end{cases}$$
(4)

$$G_n = G_p = \frac{\theta^2}{\tau_n(p+\theta) + \tau_p(n+\theta)} + \theta^2 (C_n n + C_p p) + (\alpha_n |J_n| + \alpha_p |J_p|)$$
 (5)

$$\begin{cases}
\alpha_n = \alpha_n^{\infty} \exp\left(-\frac{E_{crit,n}}{|E|}\right) \\
\alpha_p = \alpha_p^{\infty} \exp\left(-\frac{E_{crit,p}}{|E|}\right)
\end{cases} (6)$$

3 Simplified model used for Newton's method

3.1 Conservation laws

$$\begin{cases}
-\lambda^2 \operatorname{div} (\varepsilon_r \operatorname{grad} \varphi) = p - n + N_D - N_A \\
-\operatorname{div} (J_n) + R_n n = G_n \\
\operatorname{div} (J_p) + R_p p = G_p
\end{cases}$$
(7)

4 Constitutive relations

4.1 Currents

$$\begin{cases}
J_n = \mu_n (\operatorname{grad} n - n \operatorname{grad} \varphi) \\
J_p = -\mu_p (\operatorname{grad} p + p \operatorname{grad} \varphi)
\end{cases}$$
(8)

4.2 Production terms

$$\begin{cases}
R_n = \frac{p}{\tau_n(p+\theta) + \tau_p(n+\theta)} + p\left(C_n n + C_p p\right) \\
R_p = \frac{n}{\tau_n(p+\theta) + \tau_p(n+\theta)} + n\left(C_n n + C_p p\right)
\end{cases}$$
(9)

$$G_n = G_p = \frac{\theta^2}{\tau_n(p+\theta) + \tau_p(n+\theta)} + \theta^2 (C_n n + C_p p)$$
 (10)

5 Scaling factors/adimensional parameters

Given any generic quantity u having units U, we define the scaled quantity \hat{u} as

$$\widehat{u}:=\frac{u}{\overline{u}}$$

where \overline{u} is the scaling factor associated with u and having the same units as u.

Scaling factor	Value	${f Units}$
\overline{x}	L	m
\overline{n}	$ N_D^+ - N_A^- _{L^{\infty}(0,L)}$	m^{-3}
\overline{arphi}	$K_B T/q \simeq 26 \cdot 10^{-3}$	V
$\overline{\mu}$	$\max\left\{\mu_{0,n},\mu_{0,p}\right\}$	${ m m}^2{ m V}^{-1}{ m s}^{-1}$
\overline{t}	$\overline{x}^2/(\overline{\mu}\overline{\varphi})$	\mathbf{s}
\overline{R}	$\overline{n}/\overline{t}$	${\rm m}^{-3}{\rm s}^{-1}$
\overline{E}	$\overline{arphi}/\overline{x}$	$ m Vm^{-1}$
\overline{J}	$q\overline{\mu}\overline{n}\overline{E}$	$\mathrm{Am^{-2}}$
\overline{lpha}	\overline{x}^{-1}	m^{-1}
\overline{C}_{Au}	$\overline{R}/\overline{n}^3$	$\mathrm{m}^6\mathrm{s}^{-1}$

Table 2: Scaling factors for the Drift-Diffusion model equations.

We also introduce the following adimensional numbers

$$\lambda^2 := \frac{\varepsilon_0 \overline{\varphi}}{q \, \overline{n} \, \overline{x}^2}, \qquad \theta := \frac{n_i}{\overline{n}}$$

having the meaning of squared normalized Debye length and normalized intrinsic concentration, respectively.

Part II

Function reference

6 Drift-Diffusion solvers

$6.1 secs1d_dd_gummel_map$

Cn, Cp, an, ap, Ecritnin, Ecritpin, toll, maxit, ptoll, pmaxit)

This function solves the scaled stationary bipolar DD equation system using Gummel algorithm

```
input:
                                spatial grid
                                doping profile
      D, Na, Nd
                                initial guess for hole concentration
       pin
                                initial guess for electron concentration
      nin
       Vin
                                initial guess for electrostatic potential
       Fnin
                                initial guess for electron Fermi potential
       Fpin
                                initial guess for hole Fermi potential
       12
                                scaled Debye length squared
                                relative electric permittivity
       uOn, uminn, vsatn, Nrefn electron mobility model coefficients
       uOp, uminp, vsatp, Nrefp hole mobility model coefficients
                                intrinsic carrier density
       theta
       tn, tp, Cn, Cp,
       an, ap,
       Ecritnin, Ecritpin
                                generation recombination model parameters
       toll
                                tolerance for Gummel iterarion convergence test
       maxit
                                maximum number of Gummel iterarions
       ptoll
                                convergence test tolerance for the non linear
                                Poisson solver
       pmaxit
                                maximum number of Newton iterarions
output:
              electron concentration
        n
              hole concentration
        р
        V
              electrostatic potential
        Fn
              electron Fermi potential
        Fр
              hole Fermi potential
```

6.2 Demo 1 for unction secs1d_dd_gummel_map

electron current density

number of Gummel iterations performed

total potential increment at each step

hole current density

```
% physical constants and parameters
secs1d_physical_constants;
secs1d_silicon_material_properties;
```

Jn

Jp it

res

% geometry

```
L = 10e-6;
                     % [m]
xm = L/2;
Nelements = 1000;
         = linspace (0, L, Nelements+1)';
sinodes = [1:length(x)];
% dielectric constant (silicon)
er = esir * ones (Nelements, 1);
% doping profile [m^{-3}]
Na = 1e23 * (x <= xm);
Nd = 1e23 * (x > xm);
% avoid zero doping
D = Nd - Na;
% initial guess for n, p, V, phin, phip
V_p = -1;
V_n = 0;
Fp = V_p * (x \le xm);
Fn = Fp;
p = abs (D) / 2 .* (1 + sqrt (1 + 4 * (ni./abs(D)) .^2)) .* (x <= xm) + ...
    ni^2 ./ (abs (D) / 2 .* (1 + sqrt (1 + 4 * (ni ./ abs (D)) .^2))) .* (x > xm);
n = abs (D) / 2 .* (1 + sqrt (1 + 4 * (ni ./ abs (D)) .^ 2)) .* (x > xm) + ...
    ni ^ 2 ./ (abs (D) / 2 .* (1 + sqrt (1 + 4 * (ni ./ abs (D)) .^2))) .* (x <= xm);
V = Fn + Vth * log (n / ni);
% scaling factors
                                % [m]
xbar = L;
nbar = norm(D, 'inf');
                                % [m^{-3}]
Vbar = Vth;
                                % [V]
mubar = max (u0n, u0p);
                                % [m^2 V^{-1} s^{-1}]
tbar = xbar^2 / (mubar * Vbar); % [s]
Rbar = nbar / tbar;
                               % [m^{-3} s^{-1}]
Ebar = Vbar / xbar;
                               % [V m^{-1}]
Jbar = q * mubar * nbar * Ebar; % [A m^{-2}]
CAubar = Rbar / nbar^3; \% [m^6 s^{-1}]
abar = 1/xbar;
                                % [m<sup>-{-1}</sup>]
% scaling procedure
12 = e0 * Vbar / (q * nbar * xbar^2);
theta = ni / nbar;
xin = x / xbar;
```

```
Din = D / nbar;
Nain = Na / nbar;
Ndin = Nd / nbar;
pin = p / nbar;
nin = n / nbar;
Vin = V / Vbar;
Fnin = Vin - log (nin);
Fpin = Vin + log (pin);
tnin = tn / tbar;
tpin = tp / tbar;
u0nin = u0n / mubar;
uminnin = uminn / mubar;
vsatnin = vsatn / (mubar * Ebar);
u0pin = u0p / mubar;
uminpin = uminp / mubar;
vsatpin = vsatp / (mubar * Ebar);
Nrefnin = Nrefn / nbar;
Nrefpin = Nrefp / nbar;
        = Cn / CAubar;
Cnin
        = Cp / CAubar;
Cpin
        = an / abar;
anin
apin
       = ap / abar;
Ecritnin = Ecritn / Ebar;
Ecritpin = Ecritp / Ebar;
% tolerances for convergence checks
toll = 1e-3;
maxit = 1000;
ptol1 = 1e-12;
pmaxit = 1000;
% solve the problem using the full DD model
[nout, pout, Vout, Fnout, Fpout, Jnout, Jpout, it, res] = ...
      secs1d_dd_gummel_map (xin, Din, Nain, Ndin, pin, nin, Vin, Fnin, Fpin, ...
                            12, er, uOnin, uminnin, vsatnin, betan, Nrefnin, ...
                        uOpin, uminpin, vsatpin, betap, Nrefpin, theta, ...
                tnin, tpin, Cnin, Cpin, anin, apin, ...
                Ecritnin, Ecritpin, toll, maxit, ptoll, pmaxit);
\% Descaling procedure
  = nout*nbar;
n
р
    = pout*nbar;
    = Vout*Vbar;
```

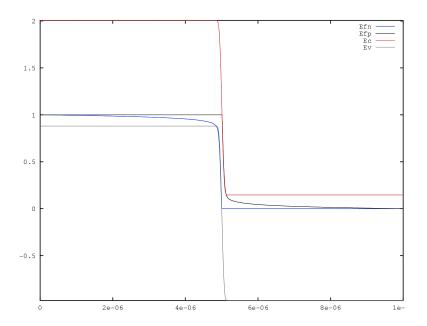


Figure 1: Figure produced by demo number 1 for function $secs1d_dd_gummel_map$

```
Fn
     = V - Vth*log(n/ni);
     = V + Vth*log(p/ni);
Fр
d٧
     = diff(V);
     = diff(x);
dx
     = -dV./dx;
% band structure
Efn = -Fn;
Efp
    = -Fp;
     = Vth*log(Nc./n)+Efn;
Ec
Εv
     = -Vth*log(Nv./p)+Efp;
plot (x, Efn, x, Efp, x, Ec, x, Ev)
legend ('Efn', 'Efp', 'Ec', 'Ev')
axis tight
```

$6.3 \quad secs1d_dd_newton$

```
[n, p, V, Fn, Fp, Jn, Jp, it, res] = secs1d_dd_newton (x, D, Vin, nin,
                                                       pin, 12, er, un,
                                                       up, theta, tn, tp,
                                                       Cn, Cp, toll, maxit)
Solve the scaled stationary bipolar DD equation system using Newton's method
    input:
                       spatial grid
     х
     D
                       doping profile
     pin
                       initial guess for hole concentration
                      initial guess for electron concentration
     nin
     Vin
                      initial guess for electrostatic potential
     12
                       scaled Debye length squared
      er
                       relative electric permittivity
                       electron mobility model coefficients
      un
                       electron mobility model coefficients
      up
      theta
                       intrinsic carrier density
      tn, tp, Cn, Cp generation recombination model parameters
                      tolerance for Gummel iterarion convergence test
      toll
     maxit
                      maximum number of Gummel iterarions
    output:
            electron concentration
     n
      р
           hole concentration
      V
           electrostatic potential
     Fn
           electron Fermi potential
           hole Fermi potential
      Fр
           electron current density
```

6.4 Demo 1 for function secs1d_dd_newton

hole current density

number of Gummel iterations performed

total potential increment at each step

```
% physical constants and parameters
secs1d_physical_constants;
secs1d_silicon_material_properties;
% geometry
L = 1e-6; % [m]
x = linspace (0, L, 10)';
sinodes = [1:length(x)];
```

Jр

it

```
% dielectric constant (silicon)
er = esir * ones (numel (x) - 1, 1);
% doping profile [m^{-3}]
Na = 1e20 * ones(size(x));
Nd = 1e24 * ones(size(x));
D = Nd-Na;
% externally applied voltages
V_p = 10;
V_n = 0;
% initial guess for phin, phip, n, p, V
Fp = V_p * (x \le L/2);
Fn = Fp;
p = abs(D)/2.*(1+sqrt(1+4*(ni./abs(D)).^2)).*(D<0)+...
    ni^2./(abs(D)/2.*(1+sqrt(1+4*(ni./abs(D)).^2))).*(D>0);
n = abs(D)/2.*(1+sqrt(1+4*(ni./abs(D)).^2)).*(D>0)+...
    ni^2./(abs(D)/2.*(1+sqrt(1+4*(ni./abs(D)).^2))).*(D<0);
V = Fn + Vth*log(n/ni);
% scaling factors
                                 % [m]
xbar = L;
nbar = norm(D, 'inf');
                                 % [m^{-3}]
Vbar = Vth;
                                  % [V]
mubar = max(u0n, u0p);
                                 % [m^2 V^{-1} s^{-1}]
                              % [m^2
% [s]
tbar = xbar^2/(mubar*Vbar);
                                 % [m^{-3} s^{-1}]
Rbar = nbar/tbar;
Ebar = Vbar/xbar;
                                 % [V m^{-1}]
                               % [A m^{-2}]
% [m^6 s^{-1}]
Jbar = q*mubar*nbar*Ebar;
CAubar = Rbar/nbar^3;
                                 % [m^{-1}]
abar = xbar^{-1};
% scaling procedure
12 = e0*Vbar/(q*nbar*xbar^2);
theta = ni/nbar;
xin = x/xbar;
Din = D/nbar;
Nain = Na/nbar;
Ndin = Nd/nbar;
pin = p/nbar;
nin = n/nbar;
Vin = V/Vbar;
Fnin = Vin - log(nin);
```

```
Fpin = Vin + log(pin);
tnin = tn/tbar;
tpin = tp/tbar;
% mobility model accounting scattering from ionized impurities
u0nin = u0n/mubar;
uminnin = uminn/mubar;
vsatnin = vsatn/(mubar*Ebar);
u0pin = u0p/mubar;
uminpin = uminp/mubar;
vsatpin = vsatp/(mubar*Ebar);
Nrefnin = Nrefn/nbar;
Nrefpin = Nrefp/nbar;
Cnin
         = Cn/CAubar;
        = Cp/CAubar;
Cpin
anin
        = an/abar;
apin
        = ap/abar;
Ecritnin = Ecritn/Ebar;
Ecritpin = Ecritp/Ebar;
% tolerances for convergence checks
ptoll = 1e-12;
pmaxit = 1000;
% solve the problem using the Newton fully coupled iterative algorithm
[nout, pout, Vout, Fnout, Fpout, Jnout, Jpout, it, res] = secs1d_dd_newton (xin, Din,
                                                               Vin, nin, pin, 12, er,
                                                                uOnin, uOpin, theta, tnin,
                                                                tpin, Cnin, Cpin, ptoll, pmaxit);
% Descaling procedure
   = nout*nbar;
    = pout*nbar;
    = Vout*Vbar;
Fn = V - Vth*log(n/ni);
    = V + Vth*log(p/ni);
d٧
    = diff(V);
dx
     = diff(x);
Ε
     = -dV./dx;
% compute current densities
[Bp, Bm] = bimu_bernoulli (dV/Vth);
        = q*u0n*Vth .* (n(2:end) .* Bp - n(1:end-1) .* Bm) ./ dx;
Jр
         = -q*u0p*Vth .* (p(2:end) .* Bm - p(1:end-1) .* Bp) ./ dx;
Jtot
        = Jn+Jp;
```

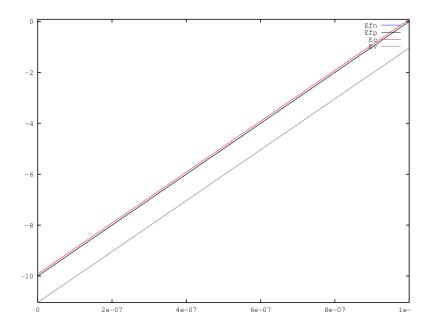


Figure 2: Figure produced by demo number 1 for function secs1d_dd_newton

```
% band structure
Efn = -Fn;
Efp = -Fp;
Ec = Vth*log(Nc./n)+Efn;
Ev = -Vth*log(Nv./p)+Efp;

plot (x, Efn, x, Efp, x, Ec, x, Ev)
legend ('Efn', 'Efp', 'Ec', 'Ev')
axis tight
```

7 Non-linear Poisson solver

7.1 secs1d_nlpoisson_newton

```
[V, n, p, res, niter] = secs1d_nlpoisson_newton (x, sinodes, Vin, nin, pin,
                                                 Fnin, Fpin, D, 12, er, toll, maxit)
   input:
                    spatial grid
           sinodes index of the nodes of the grid which are in the semiconductor subdomain
                    (remaining nodes are assumed to be in the oxide subdomain)
           Vin
                    initial guess for the electrostatic potential
           nin
                    initial guess for electron concentration
                    initial guess for hole concentration
           pin
           Fnin
                    initial guess for electron Fermi potential
           Fpin
                    initial guess for hole Fermi potential
           D
                    doping profile
           12
                    scaled Debye length squared
                    relative electric permittivity
           er
                    tolerance for convergence test
           maxit
                   maximum number of Newton iterations
   output:
           V
                   electrostatic potential
                   electron concentration
           n
                   hole concentration
           res
                   residual norm at each step
                   number of Newton iterations
```

7.2 Demo 1 for function secs1d_nlpoisson_newton

```
secs1d_physical_constants
secs1d_silicon_material_properties

tbulk= 1.5e-6;
tox = 90e-9;
L = tbulk + tox;
cox = esio2/tox;

Nx = 50;
Nel = Nx - 1;

x = linspace (0, L, Nx)';
sinodes = find (x <= tbulk);
xsi = x(sinodes);</pre>
```

```
Nsi = length (sinodes);
Nox = Nx - Nsi;
NelSi = Nsi - 1;
NelSiO2 = Nox - 1;
Na = 1e22;
D = - Na * ones (size (xsi));
p = Na * ones (size (xsi));
n = (ni^2) ./ p;
Fn = Fp = zeros (size (xsi));
Vg = -10;

Nv = 80;
for ii = 1:Nv
    Vg = Vg + 0.2;
    vvect(ii) = Vg;
    V = - Phims + Vg * ones (size (x));
    V(sinodes) = Fn + Vth * log (n/ni);
    % Scaling
    xs = L;
    ns = norm (D, inf);
    Din = D / ns;
    Vs = Vth;
    xin = x / xs;
    nin = n / ns;
         = p / ns;
    pin
    Vin
         = V / Vs;
    Fnin = (Fn - Vs * log (ni / ns)) / Vs;
    Fpin = (Fp + Vs * log (ni / ns)) / Vs;
          = esio2r * ones(Nel, 1);
    12(1:NelSi) = esi;
       = (Vs*e0)/(q*ns*xs^2);
    % Solution of Nonlinear Poisson equation
    % Algorithm parameters
    toll = 1e-10;
    maxit = 1000;
    [V, nout, pout, res, niter] = secs1d_nlpoisson_newton (xin, sinodes,
                                                            Vin, nin, pin,
                                                            Fnin, Fpin, Din, 12,
                                                            er, toll, maxit);
```

% Descaling

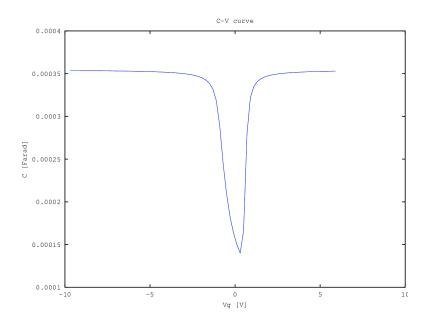


Figure 3: Figure produced by demo number 1 for function $secs1d_nlpoisson_newton$

```
n = nout*ns;
p = pout*ns;
V = V*Vs;

qtot(ii) = q * trapz (xsi, p + D - n);
end

vvectm = (vvect(2:end)+vvect(1:end-1))/2;
C = - diff (qtot) ./ diff (vvect);
plot(vvectm, C)
xlabel('Vg [V]')
ylabel('C [Farad]')
title('C-V curve')
```

8 Physical constants and material properties

$8.1 \quad secs1d_physical_constants.m$

some useful physical constants

Kb = Boltzman constant
q = quantum of charge

e0 = permittivity of free space

hplanck = Plank constant

hbar = Plank constant by 2 pi
mn0 = free electron mass
T0 = temperature

TO = temperature Vth = thermal voltage

8.2 secs1d_silicon_material_properties.m

material properties for silicon and silicon dioxide

```
esir = relative electric permittivity of silicon
```

esio2r = relative electric permittivity of silicon dioxide

esi = electric permittivity of silicon

esio2 = electric permittivity of silicon dioxide
mn = effective mass of electrons in silicon
mh = effective mass of holes in silicon

u0n = low field electron mobility
u0p = low field hole mobility

uminn = parameter for doping-dependent electron mobility

 $\begin{array}{ll} \text{betan} &=& \text{idem} \\ \text{Nrefn} &=& \text{idem} \end{array}$

uminp = parameter for doping-dependent hole mobility

betap = idem Nrefp = idem

vsatn = electron saturation velocity
vsatp = hole saturation velocity

tp = electron lifetime
tn = hole lifetime

Cn = electron Auger coefficient Cp = hole Auger coefficient

an = impact ionization rate for electrons
ap = impact ionization rate for holes

Ecritn = critical field for impact ionization of electrons

Ecritp = critical field for impact ionization of holes

Nc = effective density of states in the conduction band

Nv = effective density of states in the valence band

Egap = bandgap in silicon

EgapSio2 = bandgap in silicon dioxide

ni = intrinsic carrier density

Phims = metal to semiconductor potential barrier

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