

Ocframe Manual

Structural Analysis functions of the Mechanics package

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1 Introduction

The structural analysis functions of the *Mechanics* packages were written during a FEM course. The following possibilities are in the package:

- The analysis of 2D frames with rigid connections with the function *SolveFrame*. The solutions for the reaction forces, displacements and member end forces are given.
- Solution of multiple load cases at once with the function *SolveFrameCases*
- A plot of the frame, with nodal displacements if needed, with the function *PlotFrame*. The nodes and members are numbered.
- Calculation the member internal forces for each member with the function *MSNForces*
- Plot of the internal member forces diagram with the function *PlotDiagrams*

2 Conventions

2.1 Units

The user can use any units as long as they are consistent. So if the forces are provided in kN, kN/m and kNm, the geometry and member properties must be in similar units (m, m², m⁴ and kN/m²).

2.2 Global and local axis

For the nodes and the members, care must be taken for the axes. The following images show the used coordinate systems (figure 1) and the conventions for the member forces (figure 2 and 3). The local axes are always from the near node to the far node.

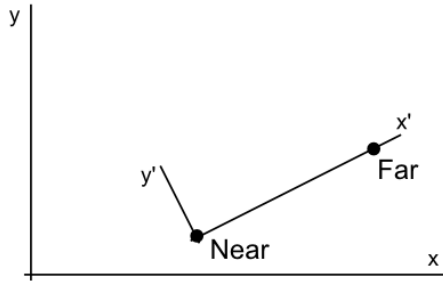


Figure 1: Local and global axis convention

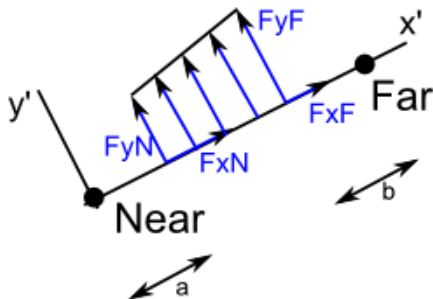


Figure 2: Conventions for a distributed load on a member

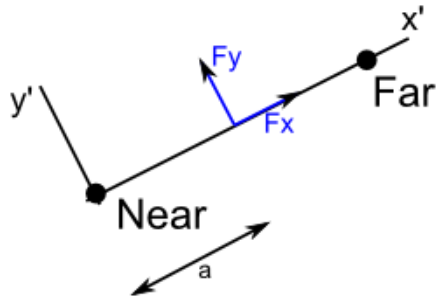


Figure 3: Conventions for a point load on a member

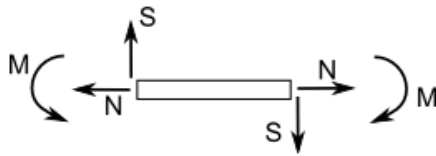


Figure 4: Sign conventions for internal forces

3 Example

An example will clarify the usage of the different functions.

3.1 Forces and geometry

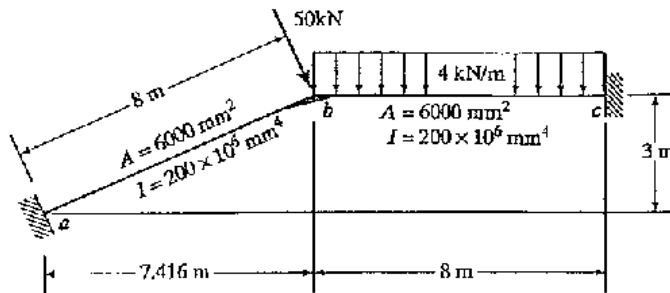


Figure 5: Example frame

An example frame, which was taken from the book Matrix Structural Analysis, is shown in figure 5. The following code snippet is used to enter the geometry:

```
joints=[0,0,1,1,1;
7.416,3,0,0,0;
8+7.416,3,1,1,1];
# first cells of each row are the x and y coordinates
```

```

# next cells are the x, y and z constraints.
# node 1 and 3 are fully fixed, node 2 is free

# member data
E = 210.0e3; # N/mm^2 = MPa
A = 6000;# mm^2
I = 200.0e6;# mm^4

# convert units to kN and m
E = E*10^3;
A = A*(10^-3)^2;
I = I*(10^-3)^4,

#connectivity data
members=[1,2,E,I,A;
2,3,E,I,A];

```

3.2 Loads

The following code snippet is used to enter the loads:

```

# point load on node 2
# Fx = 18.75 kN
# Fy = -46.35 kN
# Mz = 0 kNm
nodeloads=[2, 18.75,-46.35, 0.0];

loc = 1;
glob = 0;

# distributed load on member 2
# Fx = 0 kN/m
# Fy = -4 kN/m
# same for the end of the load
# a = b = 0 m load on full span
# local load
dist=[2,0,-4.0,0,-4.0,0.0,0.0,loc];
#no point loads on members
point=[];

```

3.3 Solutions

The following code snippet is used to find the basic solution:

```
[P,D,MemF]=SolveFrame(joints,members,nodeloads,dist,point);
```

The basic solution are the reactions, the displacements and the member end forces:

P =

130.497	55.677	13.374
NaN	NaN	NaN
-149.247	22.673	-45.356

D =

0.0000000	0.0000000	0.0000000
0.0009476	-0.0047441	-0.0005088
0.0000000	0.0000000	0.0000000

MemF =

141.8530	2.6758	13.3742	-141.8530	-2.6758	8.0315
149.2473	9.3266	-8.0315	-149.2473	22.6734	-45.3557

Each row of the reaction matrix (matrix P in this case) corresponds to the node. (First row to first node, etc.). The columns are R_x , R_y and M_z . For node 1 the reactions are thus: $R_x = 130.497$ kN, $R_y = 55.677$ kN and $M_z = 13.374$ kNm. In case of a free component without reactions, the value is represented by NaN.

The same convention holds for the displacement matrix (matrix D in this case). For node 2 the displacements are thus: $x = 0.0009476$ m, $y = -0.0047441$ m and rotation = -0.0005088 rad.

A similar principle holds for the member-end-forces. Each row corresponds to the element. The columns are: F_x , F_y , M_z , F_x , F_y and M_z where the first three components are for the first node and the last three components are for the last node.

4 Function reference

```
-- Function File: [X, M, S, N] = MSNForces (JOINTS, MEMBERS, DIST,
      POINT, MEMF, MEMBERNUM, DIVISIONS)
      This function returns the internal forces of a member for each
      position x. The member is divided in 20 subelements if the
      argument is not given. The used sign convention is displayed in
      the help file.

      Input parameters are similar as with SolveFrame and PlotFrame with
      extra arguments:

      membernum = Number of the member to calculate      divisions =
      Number of divisions for the member

-- Function File: ocframe_ex1 ()
      Example of a planar frame.

-- Function File: ocframe_ex2 ()
      Example of a beam.

-- Function File: ocframe_ex3 ()
      Example of a planar frame.

-- Function File: ocframe_exLC ()
      Example of a beam with generation of eurocode ULS load cases

-- Function File: ocframe_railwaybridge ()
      Example taken from a real railwaybridge.

-- Function File: ocframe_tests ()
      Various tests for the entire package. Test 1, 2 & 3 are simple
      beams (tested for reactions and internal forces) Test 4 & 5 are
      frames (tested for reactions)

-- Function File: PlotDiagrams (JOINTS, MEMBERS, DIST, POINT, MEMF,
      DIAGRAM, DIVISIONS, SCALE)
      This function plots the internal forces for all members. The force
      to be plotted can be selected with DIAGRAM which will be "M", "S"
      or "N" for the moment, shear or normal forces.

      Input parameters are similar as with SolveFrame and PlotFrame.

-- Function File: PlotFrame (JOINTS, MEMBERS, D, FACTOR)
```

Plots a 2D frame (with displacements if needed) using the following input parameters:

joints = [x , y, constraints ; ...]

constraints=[x , y, rotation] free=0, supported=1

members = [nodeN, nodeF, E, I, A; ...]

Optional arguments:

D = [x,y,rotation;...] Displacements as returned by SolveFrame

factor= Scaling factor for the displacements (default: 10)

-- Function File: [RESULTS] = SolveFrameCases (JOINTS, MEMBERS, LOADCASES)

Solves a 2D frame with the matrix displacement method for the following input parameters:

joints = [x , y, constraints ; ...]

constraints=[x , y, rotation] free=0, supported=1

members = [nodeN, nodeF, E, I, A; ...]

loadcases is a struct array with for each loadcase the fields

- nodeloads = [node, Fx, Fy, Mz; ...]

- dist = [membernum,FxN,FyN,FxF,FyF,a,b,local ; ...]

- point = [membernum,Fx,Fy,a,local; ...]

input is as for the function SolveFrame.

Output is a struct array with the fields: Displacements, Reactions and MemF

(output formatted as for the function SolveFrame.)

-- Function File: [REACTIONS, DISPLACEMENTS, MEMF] = SolveFrame (JOINTS, MEMBERS, NODELOADS, DIST, POINT)

Solves a 2D frame with the matrix displacement method for the following input parameters:

joints = [x , y, constraints ; ...]

constraints=[x , y, rotation] free=0, supported=1

```

members = [nodeN, nodeF, E, I, A; ...]

nodeloads = [node, Fx, Fy, Mz; ...]

loads on members:

dist = [membernum, FxN, FyN, FxF, FyF, a, b, local ; ...] for distributed
loads      where FxN and FyN are the loads on distance a from the
near node   (same with far node and distance b)      local=1 if
loads are on local axis, 0 if global

point = [membernum, Fx, Fy, a, local; ...]      where Fx and Fy are
the loads on distance a from the node near      local=1 if loads
are on local axis, 0 if global

Output is formatted as follows (rownumber corresponds to      node
or member number):

Reactions = [Fx, Fy, Mz; ...] where NaN if it was a non supported dof

Displacements = [x, y, rotation; ...]

MemF = [FxN, FyN, MzN, FxF, FyF, MzF; ...]

```