

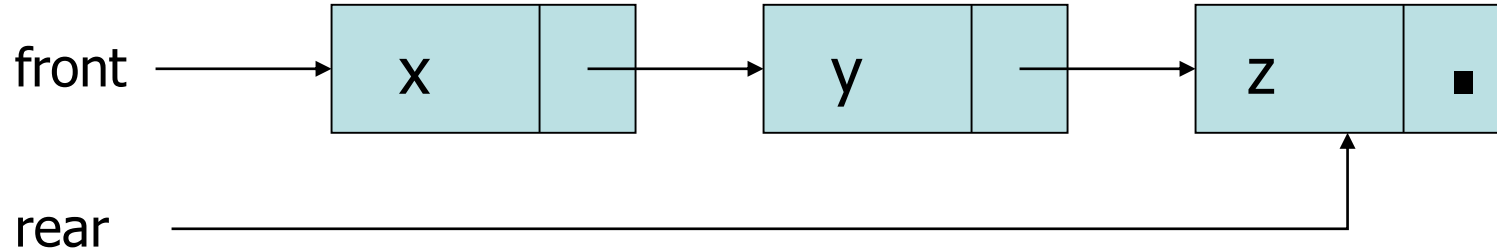
Data Structures

Fall 2023

Pointer-based Implementation of Queue

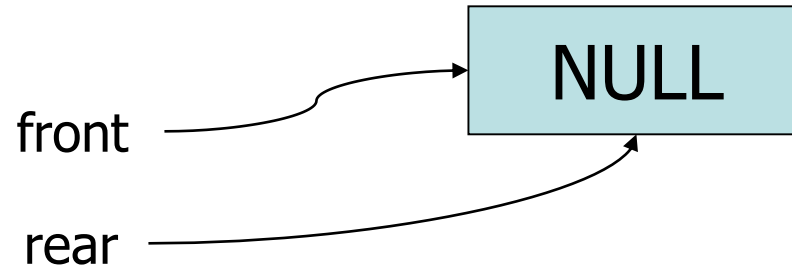
Pointer-Based Implementation of Queues

- Queue Class maintains two pointers
 - front: A pointer to the first element of the queue
 - rear: A pointer to the last element of the queue

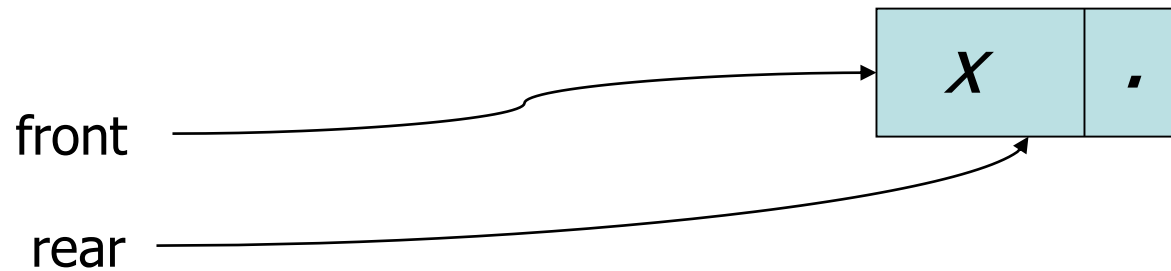


Queue Operations (1)

- `MAKENULL(Q)`

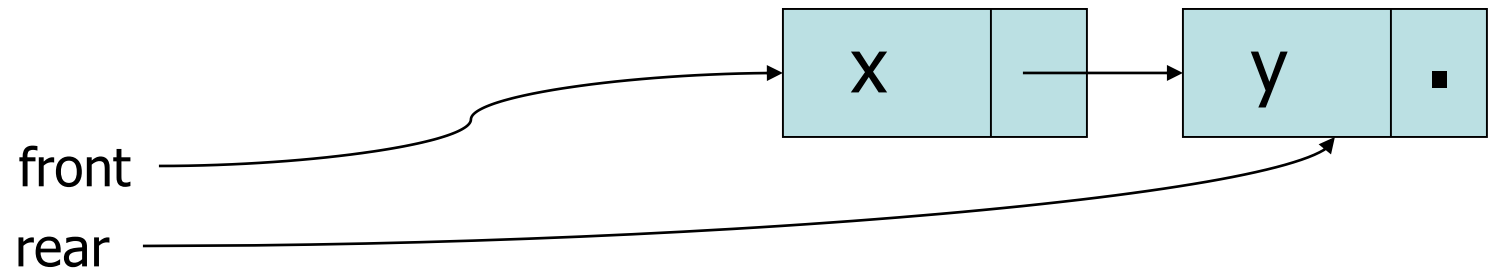


- `ENQUEUE (x, Q)`

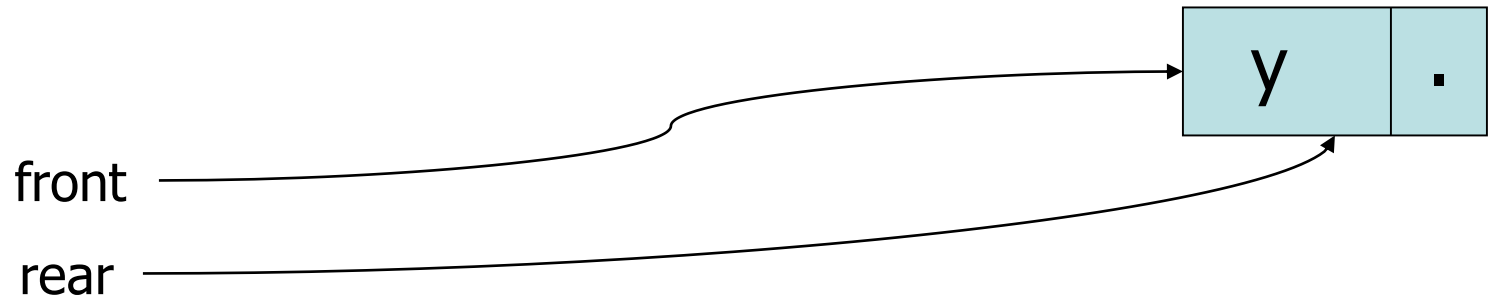


Queue Operations

- ENQUEUE(y, Q)



- DEQUEUE (Q)



Pointer Implementation – Code (1)

```
class DynIntQueue
{
    private:
        struct QueueNode // Structure to define linked list node
        {
            int value;
            QueueNode *next;
        };
        QueueNode *front; // pointer to the first node
        QueueNode *rear;  // pointer to the last node
        int numItems;      // Number of nodes in the linked list
    public:
        DynIntQueue(void);
        ~DynIntQueue(void);
        void enqueue(int);
        int dequeue(void);
        bool isEmpty(void);
        void makeNull(void);
};
```

Pointer Implementation – Code (2)

- Constructor

```
DynIntQueue::DynIntQueue(void)
{
    front = NULL;
    rear = NULL;
    numItems = 0;
}
```

- isEmpty() returns true if the queue is full and false otherwise

```
bool DynIntQueue::isEmpty(void)
{
    if (numItems)
        return false;
    else
        return true;
}
```

Array Implementation – Code (3)

- Function enqueue inserts the value in num at the end of Queue

```
void DynIntQueue::enqueue(int num)
{
    QueueNode *newNode;
    newNode = new QueueNode;
    newNode->value = num;
    newNode->next = NULL;
    if (isEmpty()) {
        front = newNode;
        rear = newNode;
    }
    else {
        rear->next = newNode;
        rear = newNode;
    }
    numItems++;
}
```

Array Implementation – Code (4)

- Function `dequeue` removes and returns the value at the front of the Queue

```
int DynIntQueue::dequeue(void)
{
    QueueNode *temp;
    int num;
    if (isEmpty())
        cout << "The queue is empty.\n";
    else {
        num = front->value;
        temp = front->next;
        delete front;
        front = temp;
        numItems--;
        if(!numItems) rear = NULL;
    }
    return num;
}
```


Pointer Implementation – Code (5)

- Destructor

```
DynIntQueue::~~DynIntQueue(void)
{
    makeNull();
}
```

- `makeNull()` resets front & rear indices to NULL and sets `numItems` to 0

```
void DynIntQueue::makeNull(void)
{
    while(!isEmpty()){
        dequeue();
    }
}
```

Using Queues

```
void main(void)
{
    DynIntQueue iQueue;

    cout << "Enqueuing 5 items...\n";
    // Enqueue 5 items
    for (int x = 0; x < 5; x++)
        iQueue.enqueue(x);

    // Dequeue and retrieve all items in the queue
    cout << "The values in the queue were:\n";
    while (!iQueue.isEmpty())
    {
        int value;
        value= iQueue.dequeue();
        cout << value << endl;
    }
}
```

Output:

```
Enqueuing 5 items...
The values in the queue were:
0
1
2
3
4
```

Data Structures

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14. Priority Queue

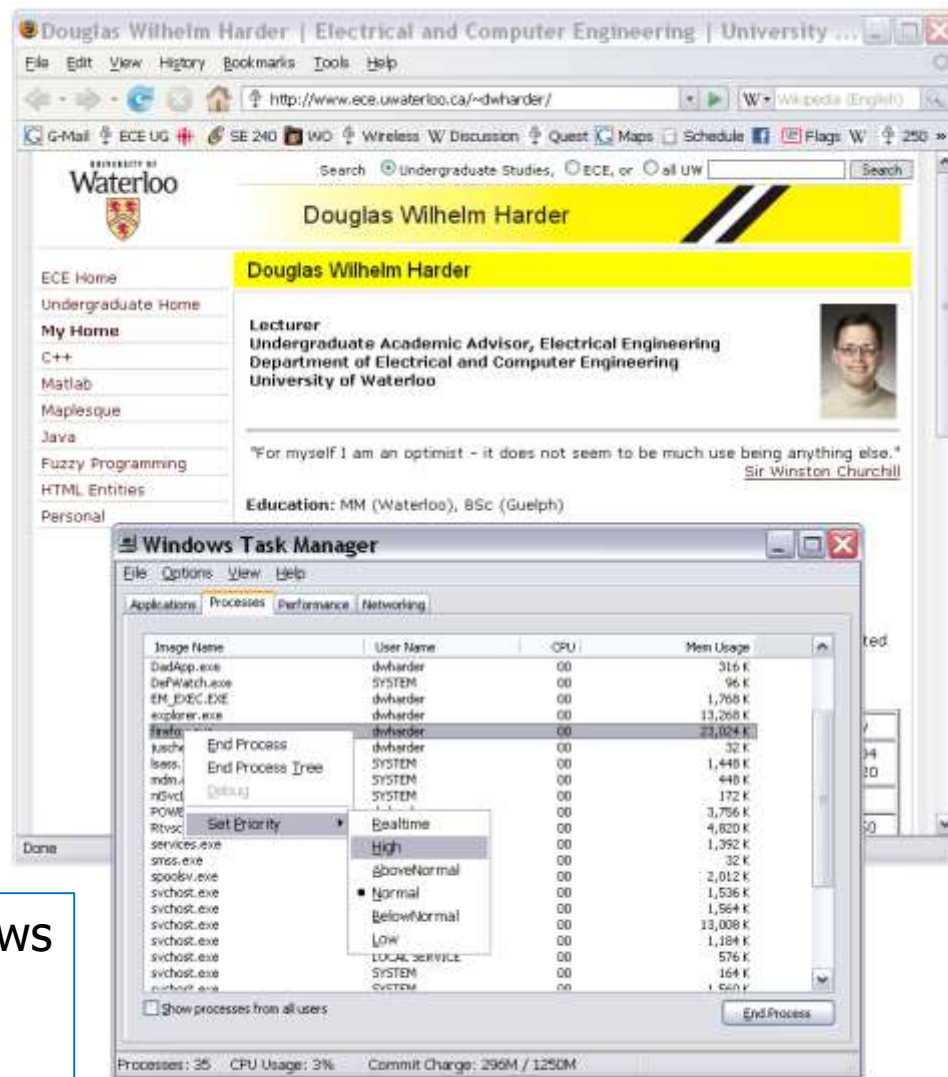
Definition

- With **queues** the order may be summarized by **first in, first out**
 - Some tasks may be more important or timely than others
 - Higher priority
- **Priority queues**
 - Enqueue objects using a partial ordering based on priority
 - Dequeue that object which has highest priority
- Performance goal is to make the run time of each operation as close to $O(1)$ as possible

Applications Of Priority Queue

- Hold jobs for a printer in order of length – shortest job first
- Store packets on network routers in order of urgency
- Ordering CPU jobs
- Emergency room admission processing

The priority of processes in Windows may be set in the Windows Task Manager



Priority Queue

- A priority queue is a data structure in which prioritized insertion and deletion operations on elements can be performed according to their priority values.
- There are two types of priority queues:
 - Ascending Priority queue, and a
 - Descending Priority queue

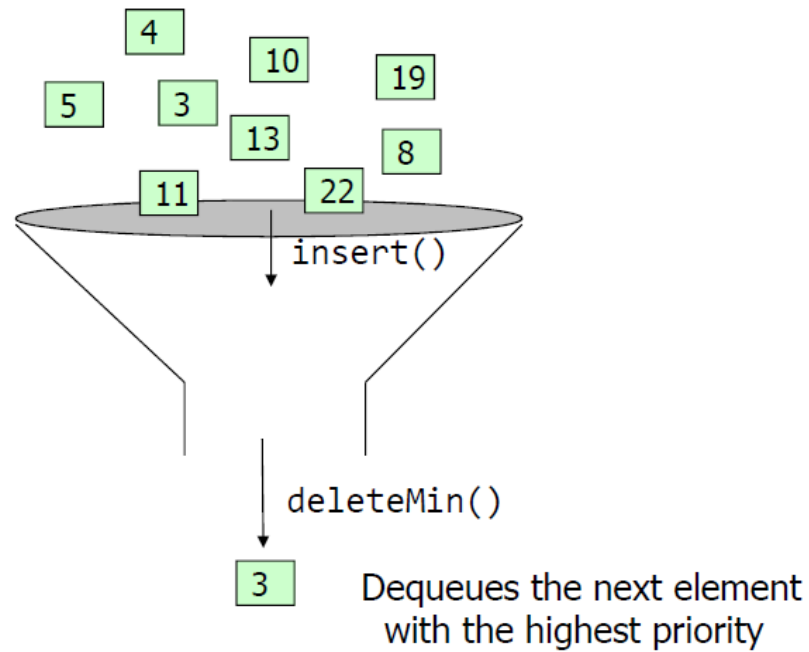
Types of Priority Queue

- **Ascending Priority queue**: a collection of items into which items can be inserted *randomly* but only the *smallest* item can be removed
- If “**A-Priority-Q**” is an ascending priority queue then
 - Enqueue() will insert item ‘x’ into **A-Priority-Q**,
 - minDequeue() will remove the minimum item from **A-Priority-Q** and return its value

Types of Priority Queue

- **Descending Priority queue**: a collection of items into which items can be inserted *randomly* but only the *largest* item can be removed
- If “**D-Priority-Q**” is a descending priority queue then
 - Enqueue() will insert item x into **D-Priority-Q**,
 - maxDequeue() will remove the maximum item from **D-Priority-Q** and return its value

Priority Queue



Priority Queue – ADT

- `insert` (i.e., enqueue)
 - Add to queue
 - Specification of a priority level (0=highest, 1, 2, 3, ... , lowest)
- `deleteMin` (i.e., dequeue)
 - Returns the current “highest priority” element in the queue
 - Deletes that element from the queue
- Performance goal is to make the run time of each operation as close to $O(1)$ as possible

Priority Queue

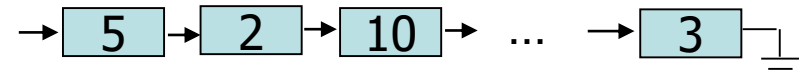
- The elements of a priority queue can be numbers, characters or any complex structures such as phone book entries
- But we must have some criteria to determine the priority of its constituent elements. For example,
 - Ascending priority: item with smallest value has maximum “priority”
 - Descending priority: item with highest value has maximum “priority”
- For elements with equal priority, the FIFO technique is applied.

Priority Queue Issues

- In what manner should the items be inserted in a priority queue
 - Ordered (so that retrieval is simple, but insertion will become complex)
 - Arbitrary (insertion is simple but retrieval will require elaborate search mechanism)
- Unordered linked list
 - Insert – $O(1)$ step
 - delete – $O(n)$ steps
- Ordered linked list
 - insert – $O(n)$ steps
 - delete – $O(1)$ step

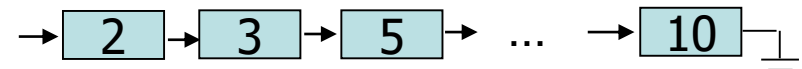
Simple Implementations

- **Unordered linked list**



- Insert – $O(1)$ step
 - Random insertion anywhere in list, e.g. at start
- deleteMin – $O(n)$ steps
 - Search list for element with highest priority and return

- **Ordered linked list**



- insert – $O(n)$ steps
 - Insert every element at its correct position in list based on priority
- deleteMin – $O(1)$ step
 - Return the first element since list is always sorted