

①

// Enqueue  $\rightarrow$

newnode = new Node(a);  
rear  $\rightarrow$  next = newnode;  
newnode = rear;

②

// Priority Queue  $\Rightarrow$

$O(1)$  We need best is

Input - restricted deque:

- insert at one end.
- delete from both end

Output - restricted deque:

- delete from one end.
- insert at both ends

③

// Unordered Linked List

insert  $\rightarrow O(1)$

delete  $\rightarrow O(n)$

// Ordered Linked List

insert  $\rightarrow O(n)$

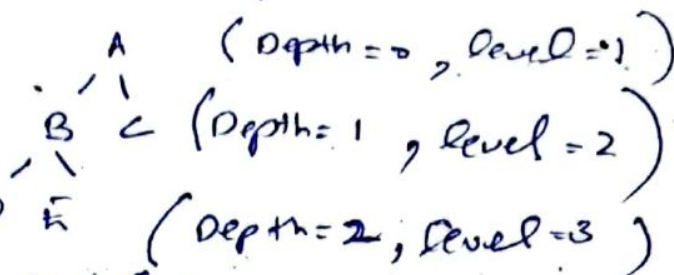
delete  $\rightarrow O(1)$

④

degree  $\rightarrow$  jitray bachay

height  $\rightarrow$  arrows

length  $\rightarrow$  nodes in path



height of tree with one node is 0.

empty tree height can be -1

⑤

A degree-0 node is tree leaf.

degree-n

All children are disjoint tree

⑥ Full Binary tree  $(0,2)$  also called as proper, strictly or 2-tree.

Full  $\rightarrow (0,2) \rightarrow$  children

Complete/Perfect  $\rightarrow$  Same depth (Symmetric)  
All levels filled except last one.  
Last level filled from left to right.

Complete Binary tree with height h has  $2^h$  leaf nodes.

Complete Binary tree with height h has  $2^{h+1} - 1$  number of nodes.

Complete Binary tree with nodes n has height  $\log_2(n+1) - 1$

Binary tree of height h is at least  $h+1$  and at most  $2^{h+1} - 1$

Almost called nearly also.

Each leaf in tree is either level h or h-1. It should be complete.

Balanced Binary trees

difference of height no more than 1 in left and right subtree.

Tree Traversal :-

Breadth First

Depth - First (inorder, postorder, preorder)

n elements sorted in BST. Complexity to search a key in the tree.  $O(n)$

n elements sorted in balanced tree. complexity to search a key in tree.  $O(\log n)$