

## Recursion

### Using recursion to implement maximum item in array

It's quite intuitive to get the maximum item of an array using standard methods - namely, iterative functions:

```
public static int maxInArr(int[] arr, int start, int end){
    int maxSoFar = arr[start];
    for(int i=start+1; i<=end; i++)
        maxSoFar = Math.max(maxSoFar, arr[i]);
    return maxSoFar;
}
```

However, there are times when it's useful, and often more intuitive, to use recursion in algorithms. I'll do the same thing as before but this time using recursion:

```
public static int maxInArrRec(int[] arr, int start, int end){
    //base case
    if(start == end) return arr[end];
    int middle = (start+end)/2;
    //splitting in half recursively
    int max1 = maxInArrRec(arr, start, middle);
    int max2 = maxInArrRec(arr, middle+1, end);
    //combining together
    return Math.max(max1, max2);
}
```

If you use the array [1,3,10,8,4], you get the expected result: 55.

Now, we can implement the Merge Sort algorithm to sort an array using recursion as well:

```
public static void mergeSort(int[] arr, int start, int end){
    if(start == end) return; //base case
    int middle = (start+end)/2;
    mergeSort(arr, start, middle); //splitting into two arrays
    mergeSort(arr, middle+1, end);
    merge(arr, start, middle, end); //combining the arrays
}
```

With the merge function being:

```
public static void merge(int[] arr, int start, int middle, int end){
    int[] auxiliar = new int[end-start+1];
    int p1 = start;
    int p2 = middle+1;
    int curr = 0;
```

```

while(p1<=middle && p2<=end){
    if (arr[p1]<=arr[p2]) auxiliar[curr++] = arr[p1++]; //choose smallest number
    else auxiliar[curr++] = arr[p2++];
}
while(p1 <= middle) auxiliar[curr++] = arr[p1++];
while(p2 <= end) auxiliar[curr++] = arr[p2++];
//copy array auxiliar[] to arr[]
for(int i=0; i<curr; i++) arr[start+i] = auxiliar[i];
}

```

If the array is [1, 3, 12, 28, 85, 10, 8, 4], you not surprisingly get [1, 3, 4, 8, 10, 12, 28, 85]!

## Reversing an array

To reverse an array, you have to use the same process as before:

1. Start with a base case.
2. Do the operations you need.
3. Make recursive call to repeat the operations made previously.

Here's the code which does exactly that:

```

static void reverse(int[] arr,int start, int end){
    //base case
    if(start >= end) return;
    //swaping first with last
    int tmp = arr[start];
    arr[start] = arr[end];
    arr[end] = tmp;
    //recursive call
    reverse(arr, start+1, end-1);
}

```

## Flood fill

In this case, the recursive algorithm goes into every position of a 2D array and gets the number of '#' chars that are near each other (near being right next to each other horizontally and vertically). The recursive method which does that is:

```

static int floodfill(int y, int x){
    if(y<0 || y>=rows || x<0 || x>=cols) return 0;
    if(visited[y][x]) return 0;
    if(m[y][x]!='.') return 0;
    int count=1;

```

```

        visited[y][x] = true;
        count += floodfill(y,x+1);
        count += floodfill(y,x-1);
        count += floodfill(y+1,x);
        count += floodfill(y-1,x);
        return count;
    }

```

It also uses the following variables:

```

static char[] [] m;
static int cols;
static int rows;
static boolean[] [] visited;

```

The visited 2D array keeps track of the positions which were already visited, preventing infinite loops from one position to the other and subsequently stack overflow.

## Generating all subsets

One way you could do this (and the way it's done on the DS class) is to create a boolean array and use it to generate all the combination of trues and falses. For instance, if you have the set {1,2,3}, the set of all subsets is {1,2,3}, {2,3}, {1,2}, {1,3}, {1}, {2}, {3}, {}. If you then create a boolean array and assume the *i*th boolean value represent the whether the *i*th position on the set is present or not, then:

```

[True,True,True] = {1,2,3}
[True,True,False] = {1,2}
[True,False,True] = {1,3}
[True,False,False] = {1}
[False,True,True] = {2,3}
[False,True,False] = {2}
[False,False,True] = {3}
[False,False,False] = {}

```

Notice the pattern: the first item in the boolean array is True for the first 4 sets and False for the last 4. And it's also clear the the total number of subsets in an  $n$  size set is  $2^n$ . For each first boolean value (True or False), you will then have the iterations of True and False. Here is the code which does that:

```

class TestSets{
    static void sets(int arr[]){
        boolean used[] = new boolean[arr.length];
        goSets(0, arr, used);
    }
}

```

```

static void goSets(int curr, int[] arr, boolean[] used){
    //base case: when all the array is traversed
    if(curr == arr.length){
        System.out.print("Set: ");
        for(int i=0;i<arr.length;i++)
            if(used[i]) System.out.print(" "+arr[i]);
        System.out.println();
    }
    else{
        //generating sets which start with true
        used[curr] = true;
        goSets(curr+1, arr, used);
        //generating sets which start with false
        used[curr] = false;
        goSets(curr+1, arr, used);
    }
}

public static void main(String[] args){
    int[] arr = {1,2,3};
    sets(arr);
}
}

```

## Generating permutations

```

class TestPermutations{
    static void permutations(int arr[]){
        boolean used[] = new boolean[arr.length];
        int perm[] = new int[arr.length];
        goPermutation(0, arr, used, perm);
    }

    static void goPermutation(int curr, int arr[], boolean[] used, int[] perm){
        if(curr == arr.length){ //the entire array was traversed
            for(int i=0;i<arr.length;i++)
                System.out.print(arr[perm[i]]+" ");
            System.out.println();
        }
        else{
            for(int i=0;i<arr.length;i++)
                if(!used[i]){
                    used[i] = true;
                    perm[curr] = i;
                    goPermutation(curr+1, arr, used, perm);
                }
        }
    }
}

```

```
        used[i] = false;
    }
}

public static void main(String[] args){
    int[] arr = {1,2,3};
    permutations(arr);
}
}
```