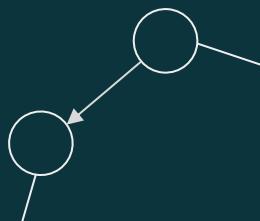


TECHNISCHE
UNIVERSITÄT
DARMSTADT

Causality for Machine Learning II

Matej Zečević

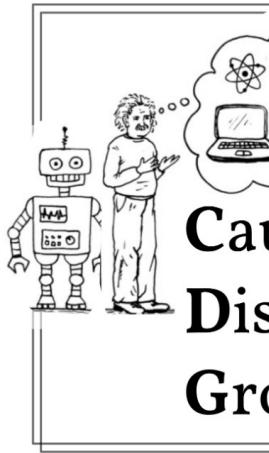
7th Int'l Summer School on Data Science (SSDS 2022),
Day 4, 13th October 2022



Overview of Today's Programme:

- Done:** *Causality for Machine Learning 1*, where we explore the basic concepts from causality that are being used in current ML research
9 am – 10:30 am (including Q&A)
- Now:** *Causality for Machine Learning 2*, where we discuss some selected publications and on-going work on the interface of causality and ML
10:45 am – 12:15 am (including Q&A)
- In the afternoon: *Hands-on session: Causality for Machine Learning*, where you get to experience some code for using causal ML first hand
1:30 pm – 3 pm

Join the Discussion!



Many works in Causality x AI/ML check out the sessions at CDG for example:



Join the **Session** (Zoom)



Join the **Community** (Slack)



Join the **Mailing List** (G-Groups)

Towards Causal Representation Learning

Bernhard Schölkopf, Francesco Locatello, Stefan Bauer, Nan Rosemary Ke, Nal Kalchbrenner, Anirudh Goyal, Yoshua Bengio

Self-Supervised Learning with Data Augmentations Provably Isolates Content from Style

Julius von Kügelgen, Yash Sharma, Luigi Gresele, Wieland Brendel, Bernhard Schölkopf, Michel Besserve, Francesco Locatello

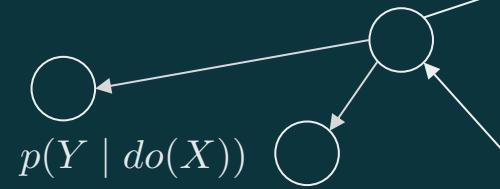
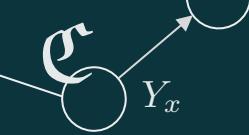
Weakly supervised causal representation learning

Johann Brehmer, Pim de Haan, Phillip Lippe, Taco Cohen

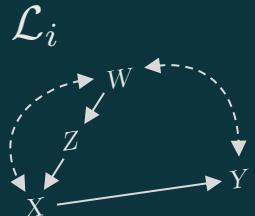
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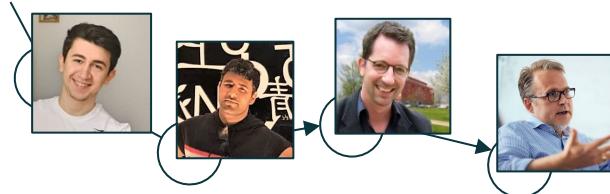
The session recordings are freely available,
and the authors discuss their paper best naturally.

Therefore, this session will focus on several works from **our lab**



I | XAI meets Causality





XAI Establishes a Common Ground Between Machine Learning and Causality

old name: Structural Causal Interpretation Theorem

Matej Zečević, Devendra Singh Dhami, Constantin Rothkopf, Kristian Kersting

arxiv: 2110.02395

Hypothesis 1 (HMM Conversion, short HMMC). *The parts of the HMM that are being used for encoding the causal relationships of the variables of interest can be formally captured by a corresponding SCM (def. in Sec.2), in short this “equivalence” can be denoted as $\text{HMM} \equiv \text{SCM}$.*

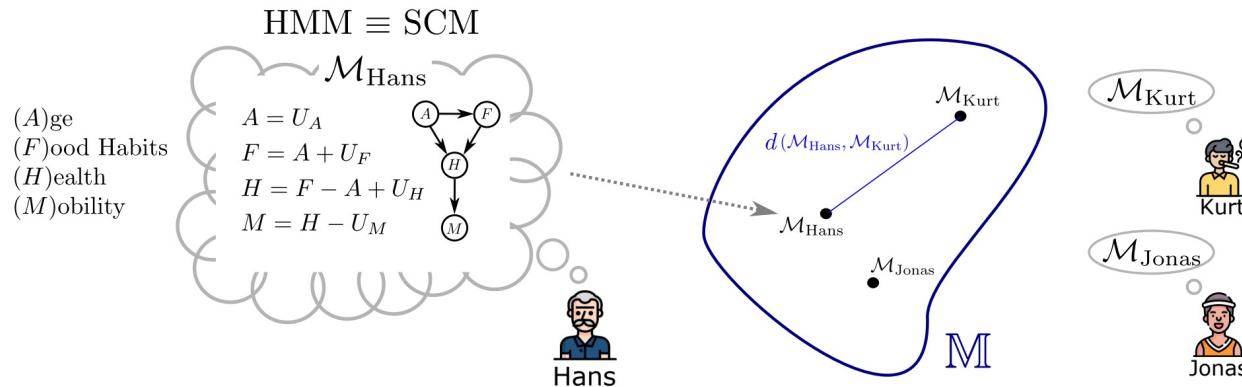


Figure 1: **HMMC Hypothesis and Linear SCM Metric Space.** Left: Accepting Hyp.1 means that the HMM of Hans is an SCM. Right: Different linear SCM (from different individuals) can be compared, an example metric space for (\mathbb{M}, d) is given by Prop.1. (Best viewed in color.)

SCM \mathcal{M}
(unobserved Nature)

$$A \leftarrow f_A(U_A)$$

$$F \leftarrow f_F(A, U_F)$$

$$H \leftarrow f_H(A, F, U_H)$$

$$M \leftarrow f_M(H, U_M)$$

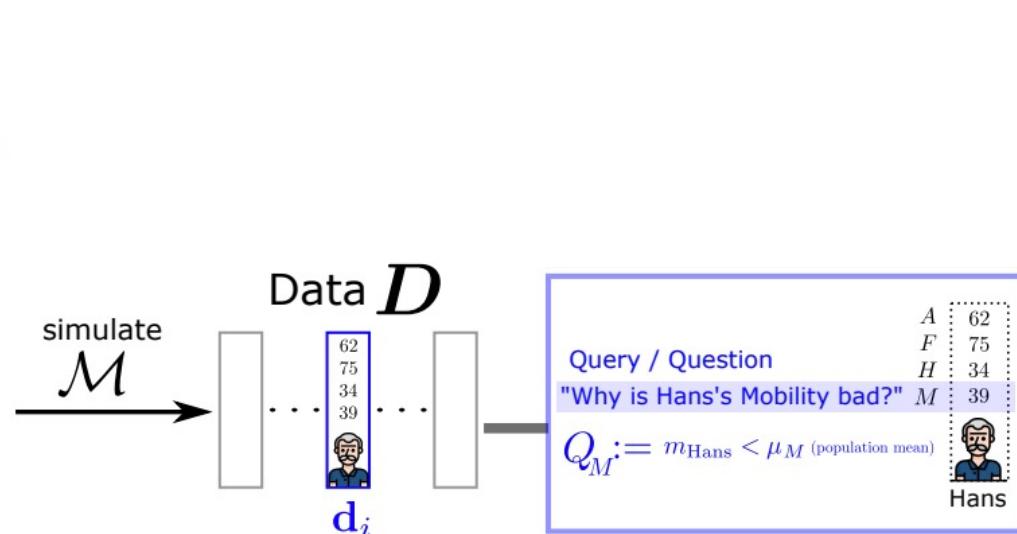
SCM \mathcal{M} (unobserved Nature)

$$A \leftarrow f_A(U_A)$$

$$F \leftarrow f_F(A, U_F)$$

$$H \leftarrow f_H(A, F, U_H)$$

$$M \leftarrow f_M(H, U_M)$$



SCM \mathcal{M}

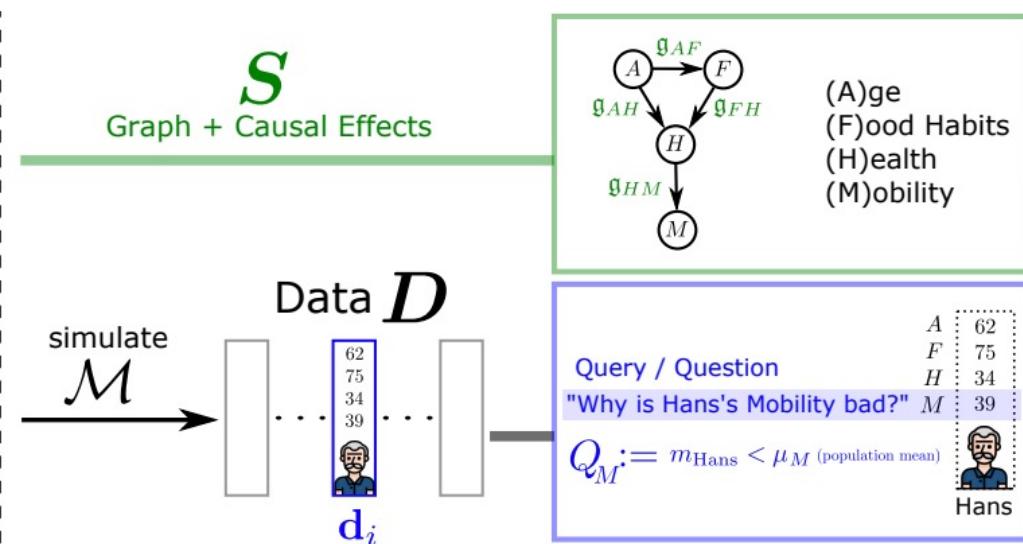
(unobserved Nature)

$$A \leftarrow f_A(U_A)$$

$$F \leftarrow f_F(A, U_F)$$

$$H \leftarrow f_H(A, F, U_H)$$

$$M \leftarrow f_M(H, U_M)$$



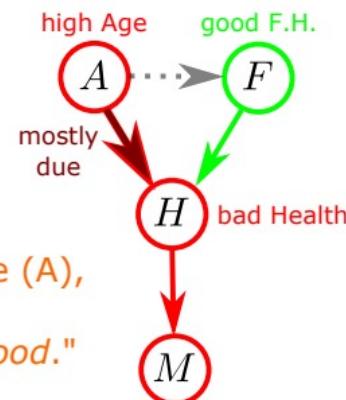
$$\mathfrak{I}(Q_M, S_M, D)$$

"Hans' Mobility (M) is bad

because of his *bad* Health (H)

which is *mostly* due to his *high* Age (A),

although his Food Habits (F) are *good*."



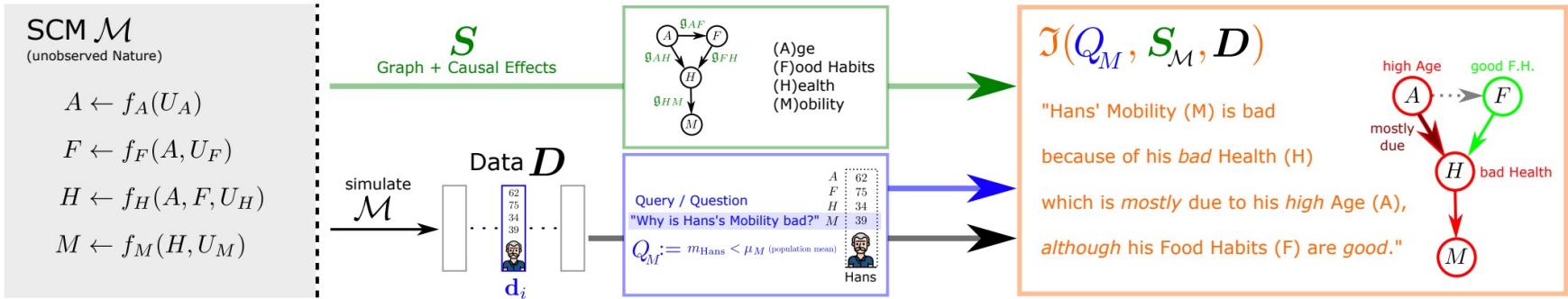


Figure 2: SCI for the “Causal Hans” Example. Left: the (unobserved) SCM \mathcal{M} . Middle: The why-question Q_M is an individual-level query derived from some population D originating in \mathcal{M} . The graph weighted by causal effect of each causal pair of \mathcal{M} is called $S_{\mathcal{M}}$. Right: the Structural Causal Interpretation $\mathfrak{I}(Q_M, S_{\mathcal{M}}, D)$. (Best viewed in color.)

Definition 5 (FOL Interpretation Rules). Let C_{YX} denote a causal scenario (see Def.4), let $s(x) \in \{-1, 1\}$ be the sign of a scalar, let $R_i \in \{<, >\}$ be a binary ordering relation and let $\mathcal{Z}_X = \{|\mathbf{g}(Z \rightarrow X)| : Z \in \text{Pa}_X\}$ be the set of absolute parental causal effects onto X . We define FOL-based rule functions $\mathcal{R}_i(C_{YX}, R_1, R_2, s, \mathcal{Z}_X) \in \{-1, 0, 1\}$,

$$(\mathcal{R}_1) \text{ Excitation. If } R_1 \neq R_2, \text{ then:} \quad R_1(s(\mathbf{g}(Y \rightarrow X)), 0) \wedge (R_2(y, \mu_Y) \vee R_1(x, \mu_X)),$$

$$(\mathcal{R}_2) \text{ Inhibition. If } R_1 \neq R_2, \text{ then:} \quad R_1(s(\mathbf{g}(Y \rightarrow X)), 0) \wedge R_1(y, \mu_Y) \wedge R_2(x, \mu_X),$$

$$(\mathcal{R}_3) \text{ Preference. If } |\mathcal{Z}_X| > 1, \text{ then} \quad Y \iff \arg \max_{Z \in \mathcal{Z}_X} Z,$$

indicating for each rule \mathcal{R}_i how the causal relation $Y \rightarrow X$ satisfies that rule (e.g. for \mathcal{R}_1 either Over- or Under-Excitation when $\mathcal{R}_1 \neq 0$ and No Excitation if $\mathcal{R}_1 = 0$).

Definition 6 (SCI). Let $Q_X, S_{\mathcal{M}}$ like before be a why-question and the causal effect weighted graph for SCM \mathcal{M} , and let $\mathbf{D} \in \mathbb{R}^{n \times |\mathbf{V}|}$ denote our data set. We define a recursion

$$\mathfrak{I}(Q_X, S_{\mathcal{M}}, \mathbf{D}) = (\bigoplus_{Z \in \text{Pa}(X)} \mathcal{R}(Z \rightarrow X), \bigoplus_{Z \in \text{Pa}(X)} \mathfrak{I}(Q_Z, S_{\mathcal{M}}, \mathbf{D})) \quad (1)$$

where $\bigoplus_{i=1}^n v_i = (v_1, \dots, v_n)$ denotes concatenation and in slight abuse of notation \mathcal{R} checks each rule \mathcal{R}_i from Def.5, and the recursion's base case is being evaluated at the roots of the causal path to X , that is, for some $Z \in \mathbf{V}$ with a path $Z \rightarrow \dots \rightarrow X$ we have

$$\mathfrak{I}(Q_Z, S_{\mathcal{M}}, \mathbf{D}) = \emptyset. \quad (2)$$

We call $\mathfrak{I}(Q_X, S_{\mathcal{M}}, \mathbf{D})$ Structural Causal Interpretation.

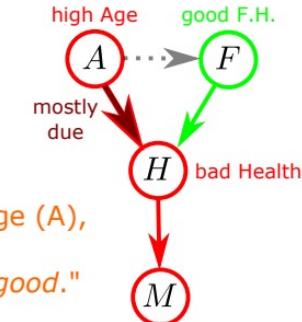
$$\mathfrak{I}(Q_M, S_{\mathcal{M}}, D)$$

"Hans' Mobility (M) is bad

because of his *bad* Health (H)

which is *mostly* due to his *high* Age (A),

although his Food Habits (F) are *good*."



$$\mathfrak{I}(Q_M, S_{\mathcal{M}}, D)$$

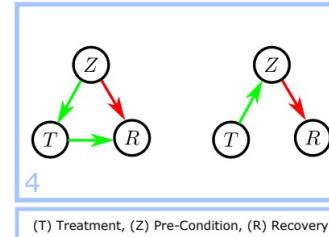
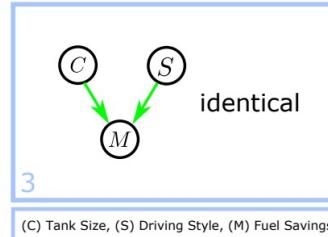
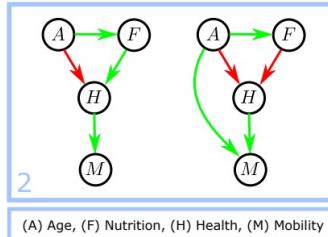
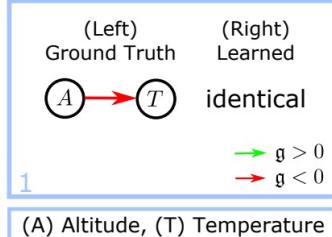
$$= ((\mathcal{R}_1 = -1), \bigoplus_{Z \in \{A, F\}} \mathfrak{I}(Q_H, S_{\mathcal{M}}, D))$$

$$= ((\mathcal{R}_1 = -1), (((\mathcal{R}_1 = 1, \mathcal{R}_3 = 1), \mathfrak{I}(Q_A, S_{\mathcal{M}}, D)), ((\mathcal{R}_2 = 1), \mathfrak{I}(Q_F, S_{\mathcal{M}}, D))),$$

$$= ((\mathcal{R}_1 = -1), (((\mathcal{R}_1 = 1, \mathcal{R}_3 = 1), \emptyset), ((\mathcal{R}_2 = 1), \emptyset)).$$



Theorem 1. *Any GIM is interpretable in the SCI-sense.*



		(Question)	(Ground Truth)	(Learned)
1	"Why is the Temperature at the Matterhorn low?" "The Temperature at the Matterhorn is low because of the high Altitude." "The Temperature at the Matterhorn is low because of the high Altitude."			
2	"Why is Hans's Mobility bad?" "Hans's Mobility is bad because of his bad Health which is mostly due to his high Age, although his Food Habits are good." "Hans's Mobility, in spite his high Age, is bad mostly because of his bad Health which is bad mostly due to his good Food Habits."			
3	"Why is your personal car's left Mileage low?" "Your left Mileage is low because of your small Car and your bad Driving Style." "Your left Mileage is low because of your small Car and your bad Driving Style."			
4	"Why did Kurt not Recover?" "Kurt did not Recover because of his bad Pre-condition, although he got Treatment." "Kurt did not Recover because of his bad Pre-Condition, which were bad although he got Treatment."			

Table 1: **Quality of Learned Interpretations.** We chose the simple, popular NOTEARS from [Zheng et al. \(2018\)](#) as our GIM for generating the SCI. Subtle differences between interpretations exist e.g., the interpretation 4 is right on the top-level but for the wrong reasons, that is $T \rightarrow Z$ instead of $T \rightarrow R$. Variable letters are capitalized. (Best viewed in color.)

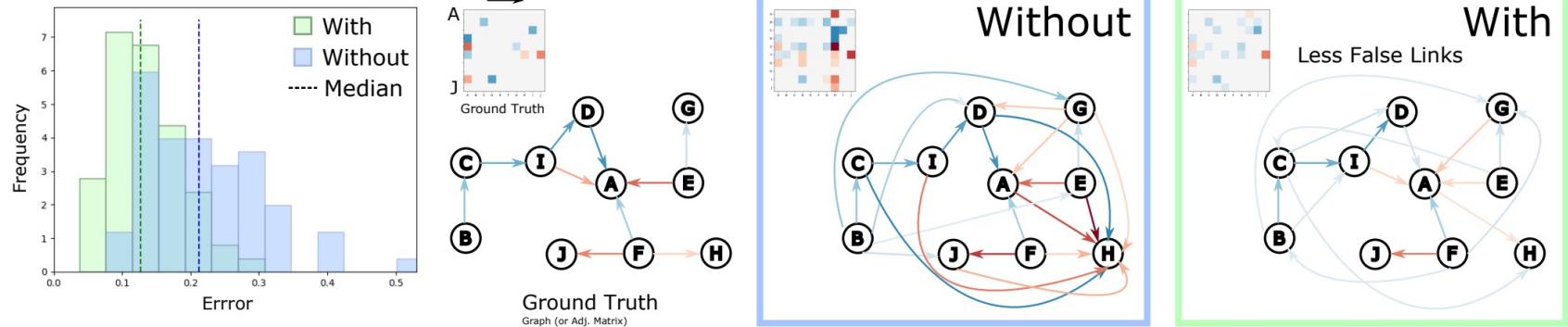


Figure 3: Quality of Learned Graphs with SCI Regularization. Left: error distributions when performing graph learning with/-out SCI regularization (which is simply an added penalty term for inconsistent SCIs), next to is the ground truth graph. Right (boxes): the predicted graphs, showing a decreased number of false positives. (Best viewed in color.)

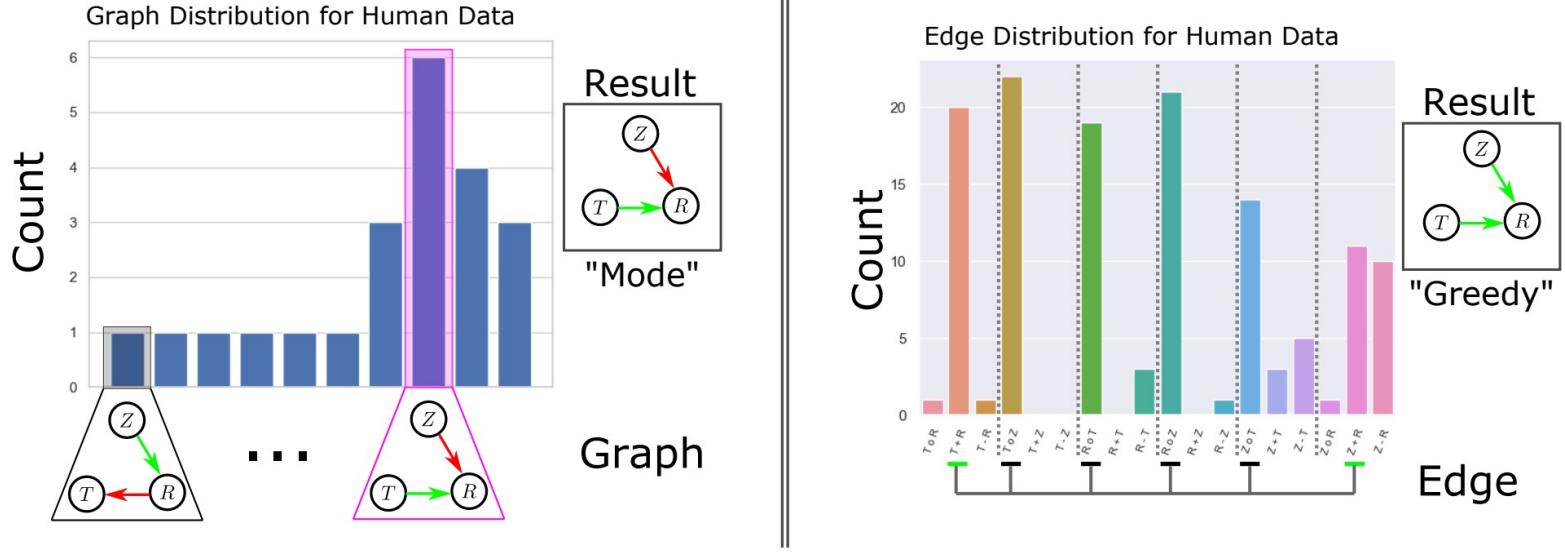
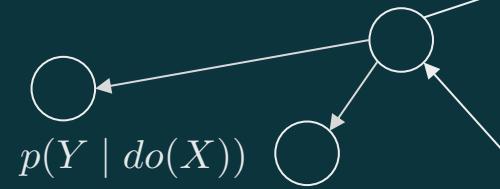
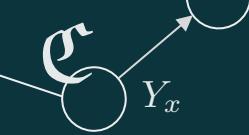


Figure 4: **Human Study.** $N = 22$ subjects data visualized as distributions over graphs (left) and edges (right). We present two ways of *aggregating* the data. Top, the final graph is the mode of the distribution. Bottom, look at each possible pair and choose each the edge type greedily from the distribution. (Best viewed in color.)

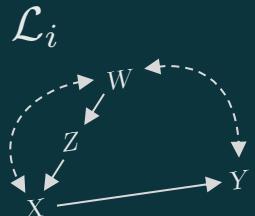
Humans: “*Hans’s Mobility is bad because of his bad Health which is mostly due to his high Age, although his Food Habits are good.*”

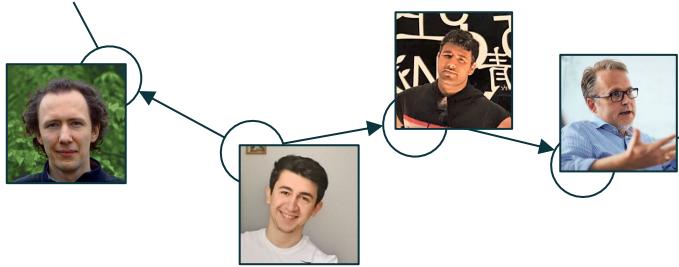
Machines: “*Hans’s Mobility, in spite his high Age, is bad mostly because of his bad Health which is bad mostly due to his good Food Habits.*”





2 | Large Language Models and Causality



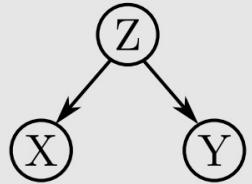


Can Foundation Models Talk Causality?

Moritz Willig*, Matej Zečević*, Devendra Singh Dhami, Kristian Kersting

UAI CRL Workshop 2022

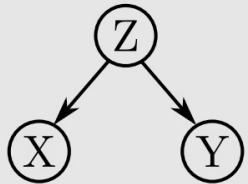
Causal Assumptions



“Z is common cause of X and Y”

“X and Y are causally unrelated”

Causal Assumptions

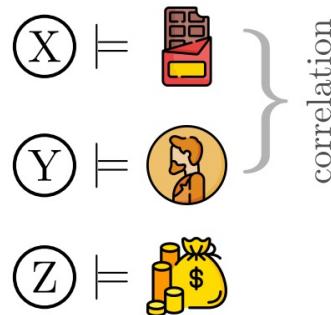


“Z is common cause of X and Y”
“X and Y are causally unrelated”

Classical Setting

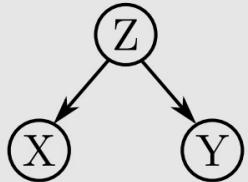
Variables model natural concepts

Example:



Legend: “Chocolate Consumption” “Number of Nobel Laureates” “Gross Domestic Product (GDP)”

Causal Assumptions

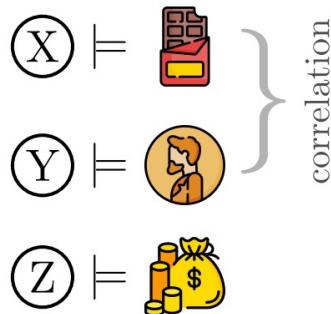


"Z is common cause of X and Y"
"X and Y are causally unrelated"

Classical Setting

Variables model natural concepts

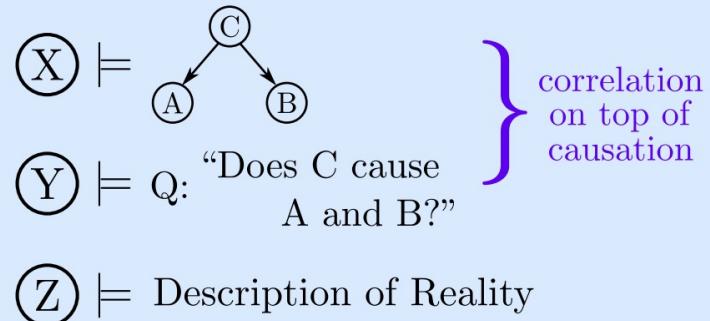
Example:



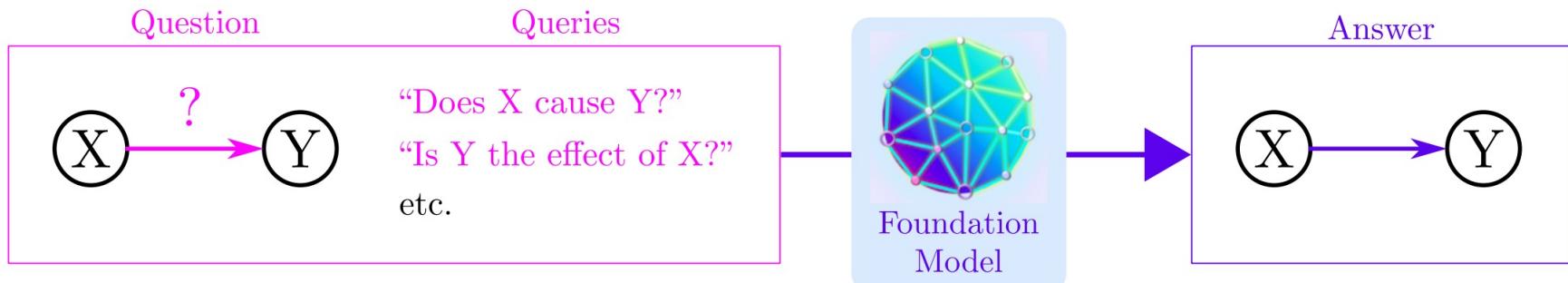
Meta-level Setting

Variables model causal assumptions

Example:



Legend: "Chocolate Consumption" "Number of Nobel Laureates" "Gross Domestic Product (GDP)"



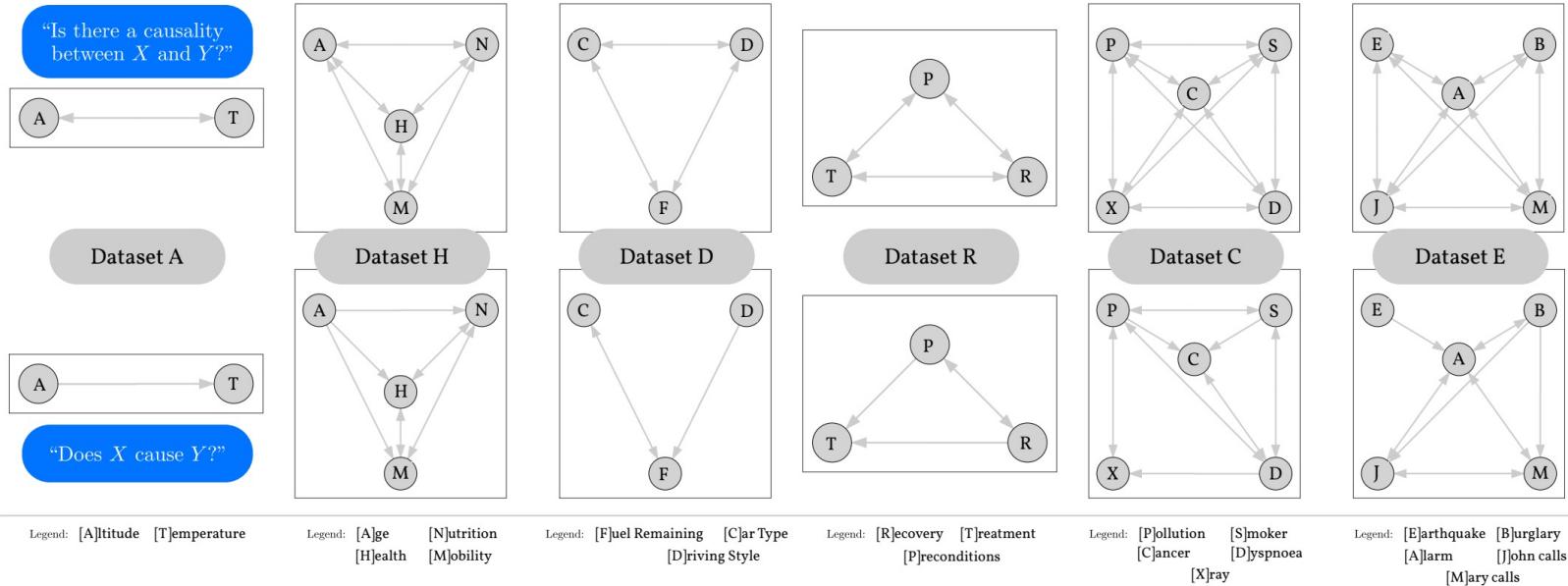
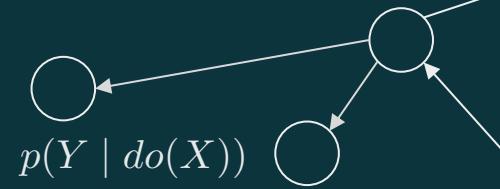
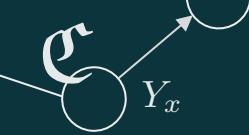
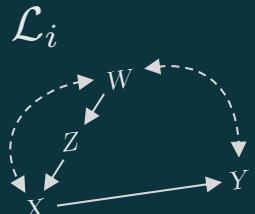


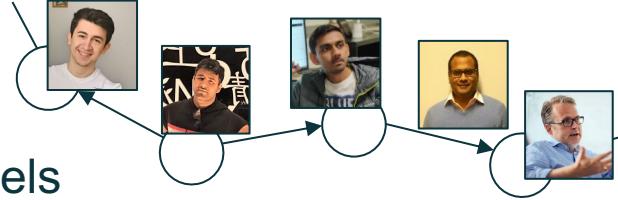
Figure 3: Asymmetric Query Wording Implies Unidirectedness. Language FM naive graph predictions on data sets that provide a causal graph (FM-O is shown). Top row, predictions with a symmetric query wording, bottom row, predictions with an asymmetric query wording. Surprisingly, the FM is capable of deciding multiple edges uniquely (and correctly) when switching to the asymmetric formulation without explicit guarantees to such behavior.



3 | SCMs and Other Model Families



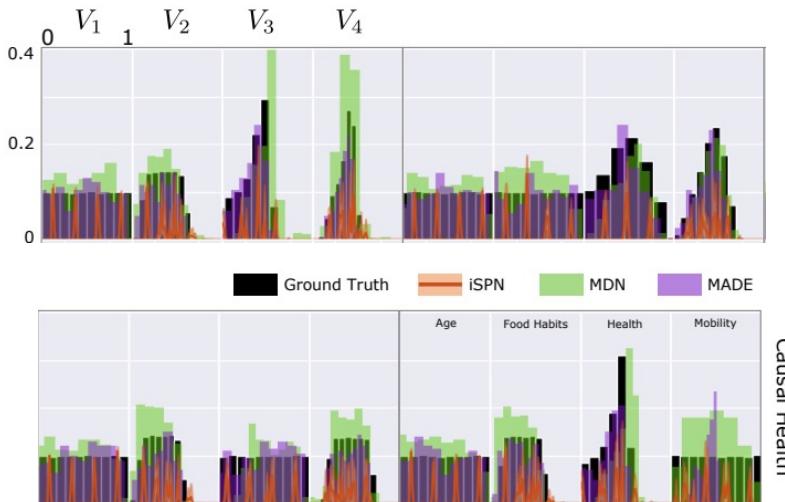
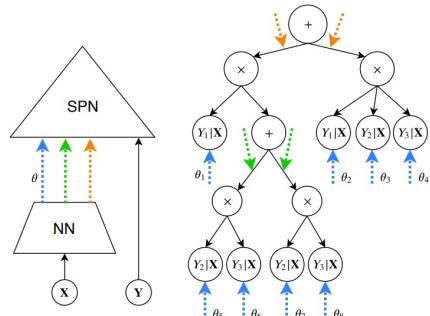
Interventional Sum-Product Networks: Causal Inference with Tractable Probabilistic Models



Matej Zečević, Devendra Singh Dhami, Athresh Karanam, Sriraam Natarajan, Kristian Kersting

NeurIPS 2021

Definition 1 (Interventional Sum-Product Network). An *interventional sum-product network (iSPN)* is the joint model $m(\mathbf{G}, \mathbf{D}) = g(\mathbf{D}; \psi = f(\mathbf{G}; \theta))$, where $g(\cdot)$ is a SPN, $f(\cdot)$ a non-parametric function approximator and $\psi = f(\mathbf{G})$ are shared parameters.



Individuals



Individuals and their Descriptions

A	(62	18	24	...	21	...)
F		48	60	20	...	32	...	
H		34	90	40	...	64	...	
M		39	75	37	...	66	...	
										

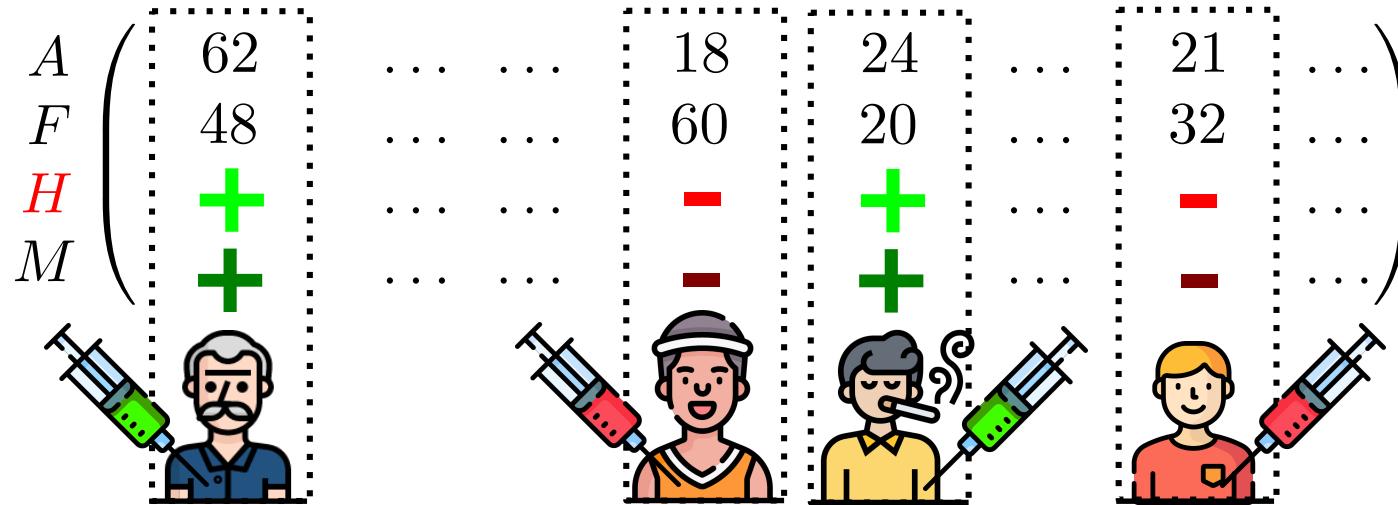
A =Age

F =Food Habits (or Nutrition)

H =Health

M =Mobility

Interventions (e.g. a Vaccine)



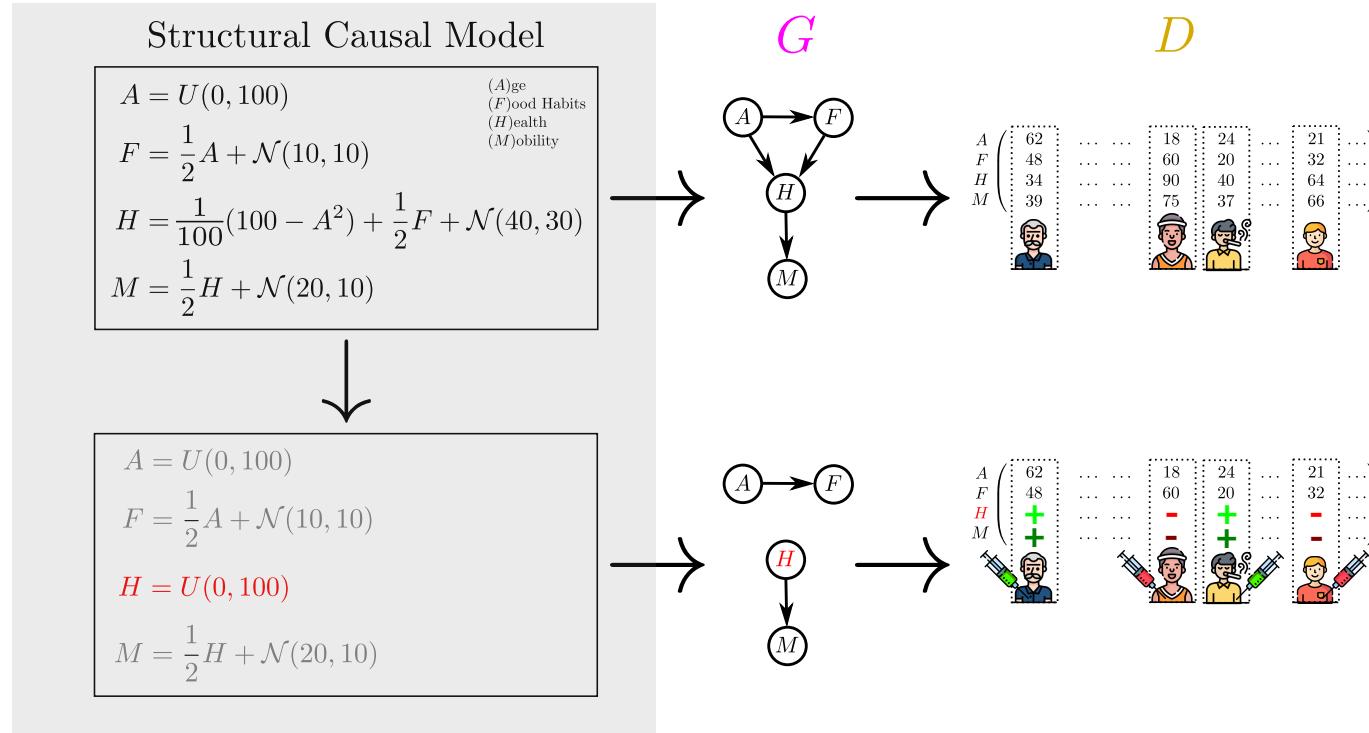
$A =$ Age

$F =$ Food Habits (or Nutrition)

$H =$ Health

$M =$ Mobility

Hidden Reality: SCM



$A = \text{Age}$ $F = \text{Food Habits (or Nutrition)}$ $H = \text{Health}$ $M = \text{Mobility}$

We ask...

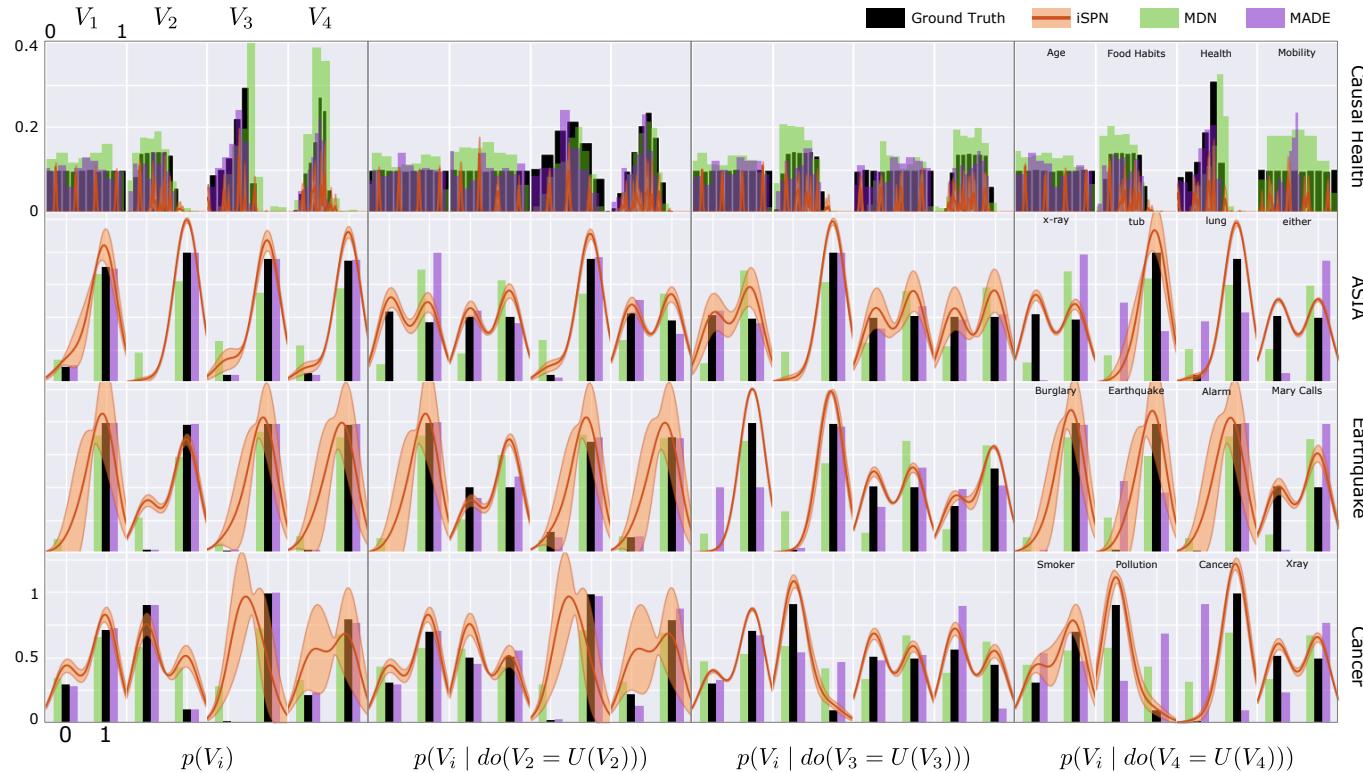
...can we perform *tractable* causal inference?
...can we find a purely computational view on causality?

The BN-SPN Relation

- Zhao et al., 2015 presented a compilation method between BN and SPN that resulted in **degenerate** BNs incapable of causal inference as pointed out by Papantonis & Belle 2020.
- We consider *extension* of the SPN model class. We reason that the **over-parameterization** framework can be used to achieve tractable causal inference with SPN.

The natural candidate for extension are **Gated (or Conditional) SPN** as presented by Shao et al., 2019.

Q1 and Q3



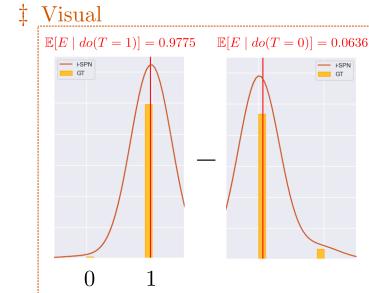
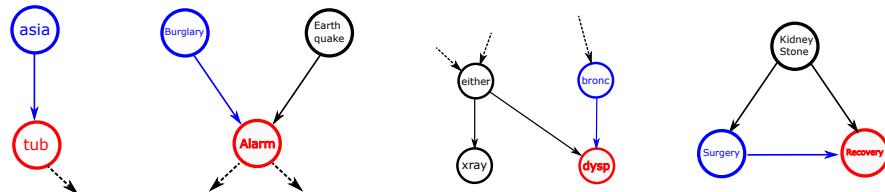
Q1: How is the estimation quality for interventional distributions?

Q3: How is the performance relative to generative models?

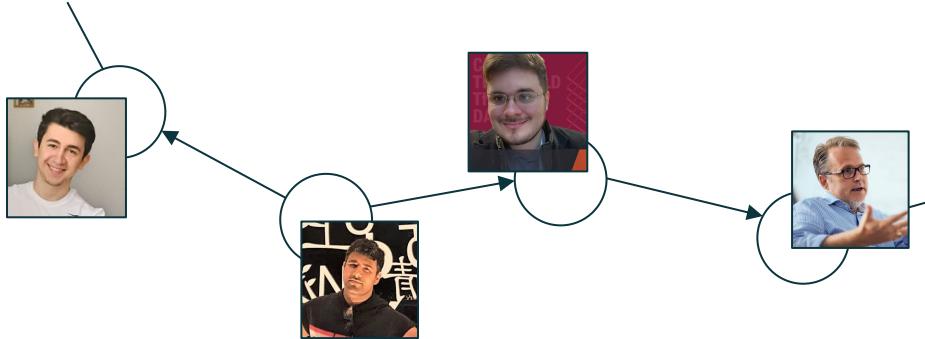
Q4

Confounding	Conditioning	Ground Truth ¹	CausalML	DoWhy	iSPN
No	0.0374	0.0397 (0.04)	0.0397	0.0397	0.0347 ✓ ATE(asia, tub)
No	0.9271	0.9337 (0.93342)*	0.9337	0.9337	† 0.9139 ✓ ATE(Burglary, Alarm)
Yes	0.6766	0.6703 (0.667586)	0.6703	0.6697	0.6551 ✓ ATE(bronc, dysp)
Yes	-0.0457	0.0537 (0.05)	-0.0454	0.0538	0.0545 ✓ ATE(Surgery, Recovery)

$$\text{ATE}(\mathbf{T}, \mathbf{E}) := \mathbb{E}[\mathbf{E} \mid do(\mathbf{T} = 1)] - \mathbb{E}[\mathbf{E} \mid do(\mathbf{T} = 0)]$$



Q4: How is the performance relative to causal models?



Relating Graph Neural Networks to Structural Causal Models

Matej Zečević, Devendra Singh Dhami, Petar Veličković, Kristian Kersting

arxiv: 2109.04173

Variational Inference IOI

- Assuming the existence of unobserved but relevant variables \mathbf{Z} to jointly model the phenomenon with observations $p(\mathbf{X}, \mathbf{Z})$ we resort to **optimization** to get the *posterior* $p(\mathbf{Z} | \mathbf{X})$

$$q^*(\mathbf{Z}) = \arg \min_{q \in \mathcal{Q}} \text{KL}(q(\mathbf{Z}) \parallel p(\mathbf{Z} \mid \mathbf{X}))$$

where \mathcal{Q} denotes a selected variational family of distributions (e.g. MoG).

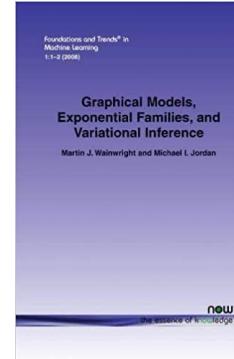
- Intractability of the evidence $p(\mathbf{X}) = \int p(\mathbf{X}, \mathbf{Z}) d\mathbf{Z}$ leads to a **lower bound** (ELBO)

$$\begin{aligned}\log p(\mathbf{X}) - \text{KL}(q(\mathbf{Z}) \parallel p(\mathbf{Z} \mid \mathbf{X})) &= \\ \mathbb{E}_q[\log p(\mathbf{X} \mid \mathbf{Z})] - \text{KL}(q(\mathbf{Z}) \parallel p(\mathbf{Z}))\end{aligned}$$

with Variational Auto-Encoder (VAE) being a neural variant.

Pointers to Variational Inference References

- Wainwright & Jordan, “**Graphical Models, Exponential Families, and Variational Inference**”, 2008.
- David Blei, “**Variational Inference: A Review for Statisticians**”, JASA 2017.



- Philipp Hennig Lecture, “**Variational Inference**”, 2021.

<https://www.youtube.com/watch?v=TcgeofQJYyM>

- Jaan Altosaar Blog, “**Tutorial - What is a variational autoencoder?**”.

<https://jaan.io/what-is-variational-autoencoder-vae-tutorial/>

Graph Neural Networks IOI

- Graph Neural Networks (GNN) place an **inductive bias on graphs**.

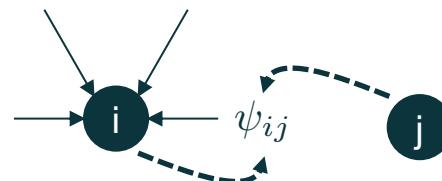
Permutation-equivariant application $f(\mathbf{D}, \mathbf{A}_G)$
of permutation-invariant functions $g(\mathbf{d}_i, \mathbf{D}_{\mathcal{N}_i^G})$.

- Three different flavors: convolution \subseteq attention \subseteq message-passing.

The most general formulation in terms of messages is given by:

$$\mathbf{h}_i = \phi \left(\mathbf{d}_i, \bigoplus_{j \in \mathcal{N}_i^G} \psi(\mathbf{d}_i, \mathbf{d}_j) \right)$$

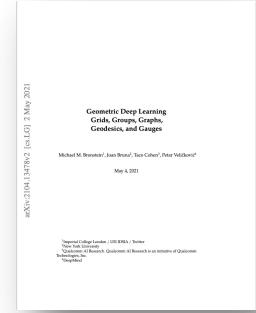
$$G \supseteq \mathcal{N}^G$$



Pointers to GNN References

- Petar Veličković Lecture, “**Theoretical Foundations of GNN**”, Cambridge, 2021.

<https://www.youtube.com/watch?v=uF53xST7mjc>



- Bronstein et al., “**Geometric Deep Learning**”, arXiv, 2021.

Bronstein Lecture, “**GDL: The Erlangen Programme of ML**”, ICLR, 2021.

<https://www.youtube.com/watch?v=w6Pw4MOzMuo>

- Nikolas Adaloglou Tutorial, “**How GNN work: [...]**”, 2021.

<https://theaisummer.com/graph-convolutional-networks/>

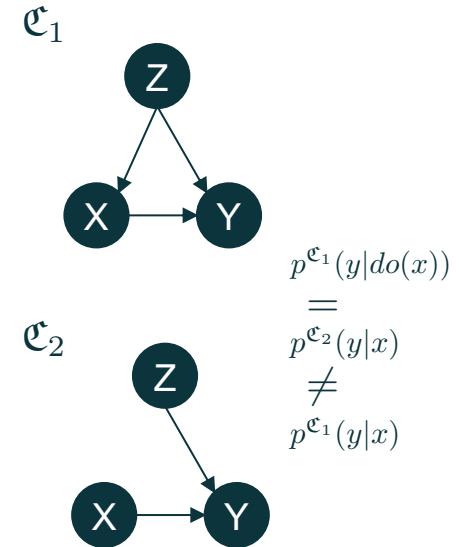
From First Principles

- Peter Holland & Don Rubin (1986):
“No causation without manipulation”
Not true, as **identifiability** suggests (*do*-calculus etc.):

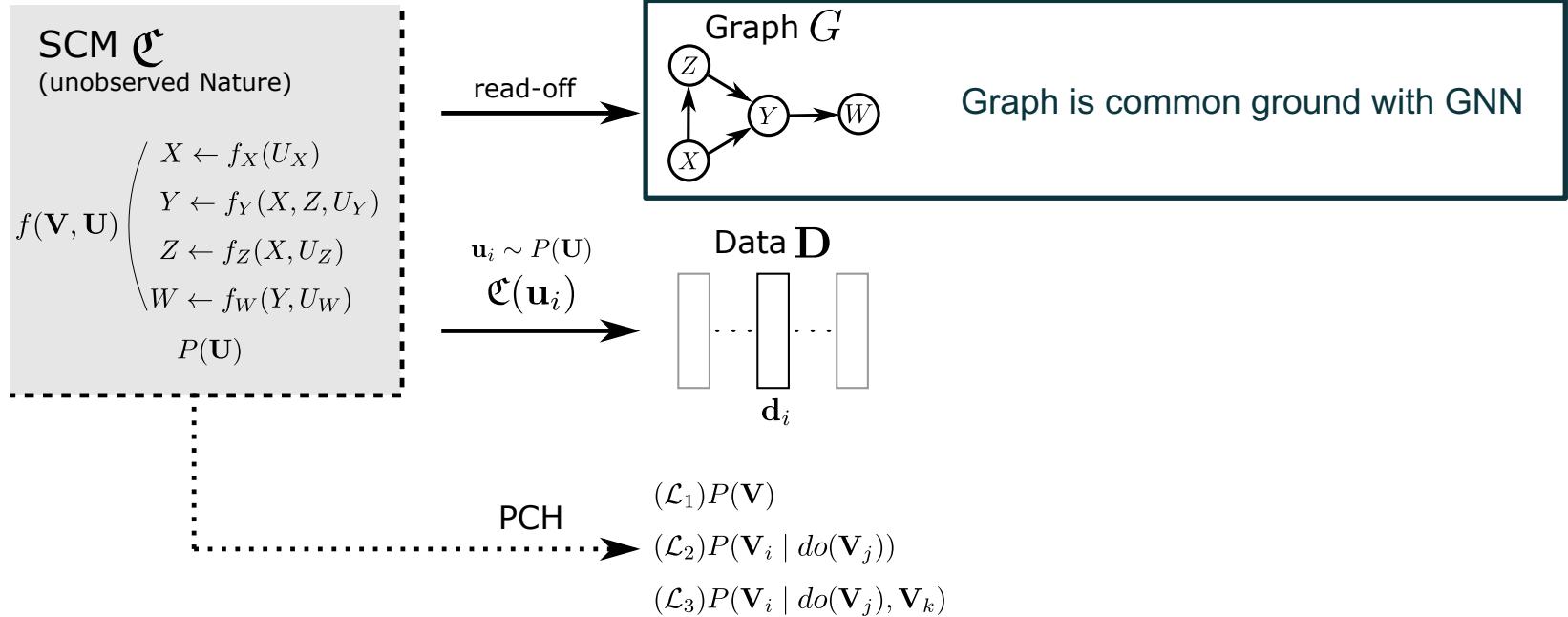
$$p(y|do(x)) = \sum_z p(y|x, z)p(z)$$

But yes, interventions are very important and at the core of causality.

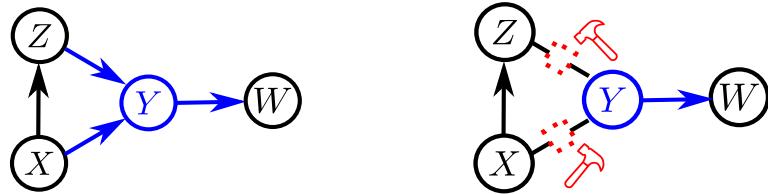
- What does it mean to intervene on a GNN?



Looking at the SCM



Looking at the GNN

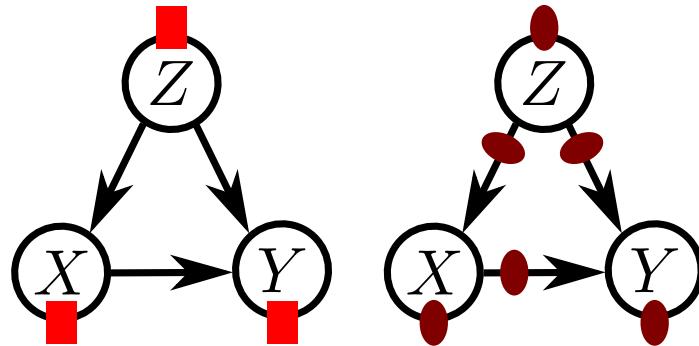


$$f(\mathbf{D}, G \mid \textcolor{red}{do}(\mathbf{V}_j)) = \begin{bmatrix} \textcolor{blue}{g}(\mathbf{d}_X, \mathbf{D}_{\mathcal{M}_X}) \\ \textcolor{blue}{g}(\mathbf{d}_Y, \mathbf{D}_{\mathcal{M}_Y}) \\ \textcolor{blue}{g}(\mathbf{d}_Z, \mathbf{D}_{\mathcal{M}_Z}) \\ \textcolor{blue}{g}(\mathbf{d}_W, \mathbf{D}_{\mathcal{M}_W}) \end{bmatrix}$$

$$\begin{aligned} \mathcal{M}_i = \{j \mid j \in \mathcal{N}_i, \\ j \notin pa_i \iff i \in \mathbf{V}_j\} \end{aligned}$$

NCM & NCM-Type 2

- NCM: use separate neural networks to model structural equations $|\mathbf{V}|$
NCM-T2: ... to model a causal relation tuple (plus exogenous variables) $|\mathcal{E}| + |\mathbf{V}|$

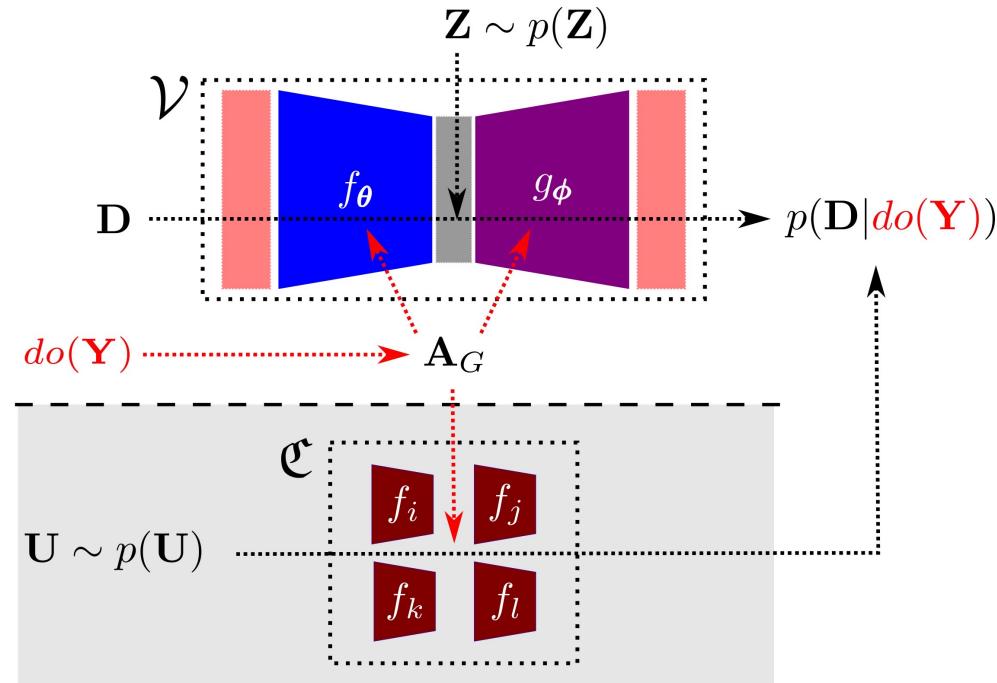


■ NCM MLP_i
● NCM-Type 2 MLP_i

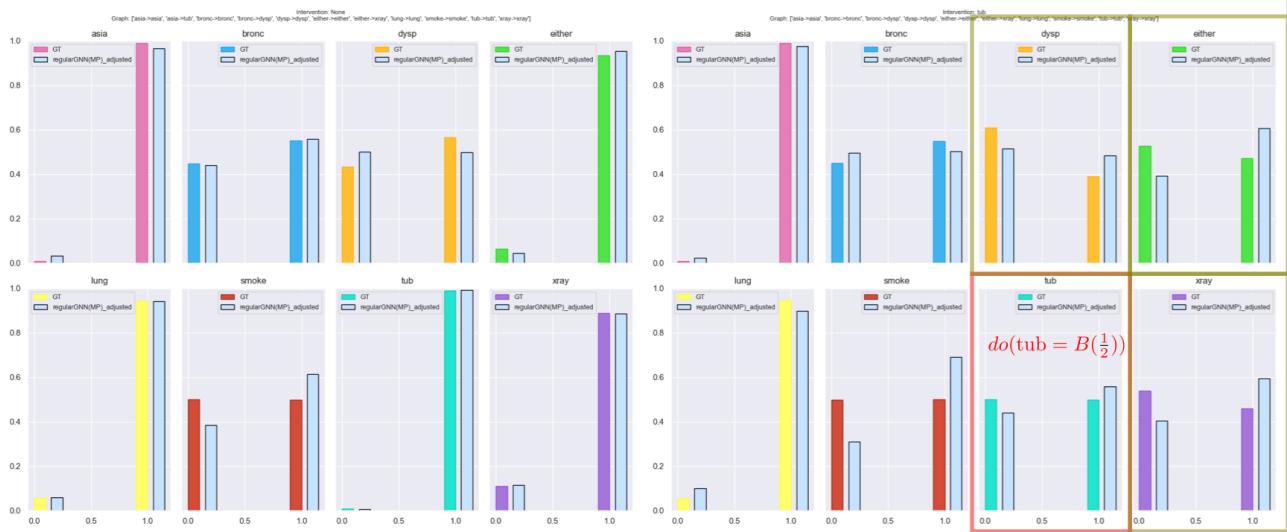
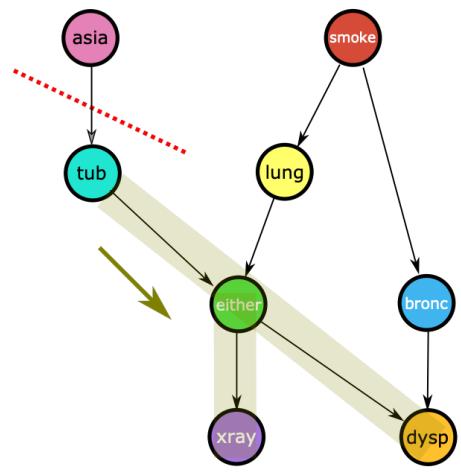
Three Flavours of GNN-based Neuro-Causality

Model	Expressivity (PCH)	Training Difficulty & Cost
iGNN (iVGAE)	<i>Interventional</i>	<i>Easy & Low</i>
SCM-GNN	<i>Complete</i>	<i>Difficult & High</i>
NCM-Type 2	<i>Complete</i>	<i>Easy & High</i>

Looking at the iVVAE



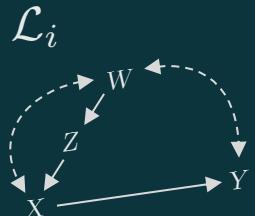
Estimation



S. Lauritzen, D. Spiegelhalter, JRSS, 1988.



4 | Linear Programs and Causal Semantics

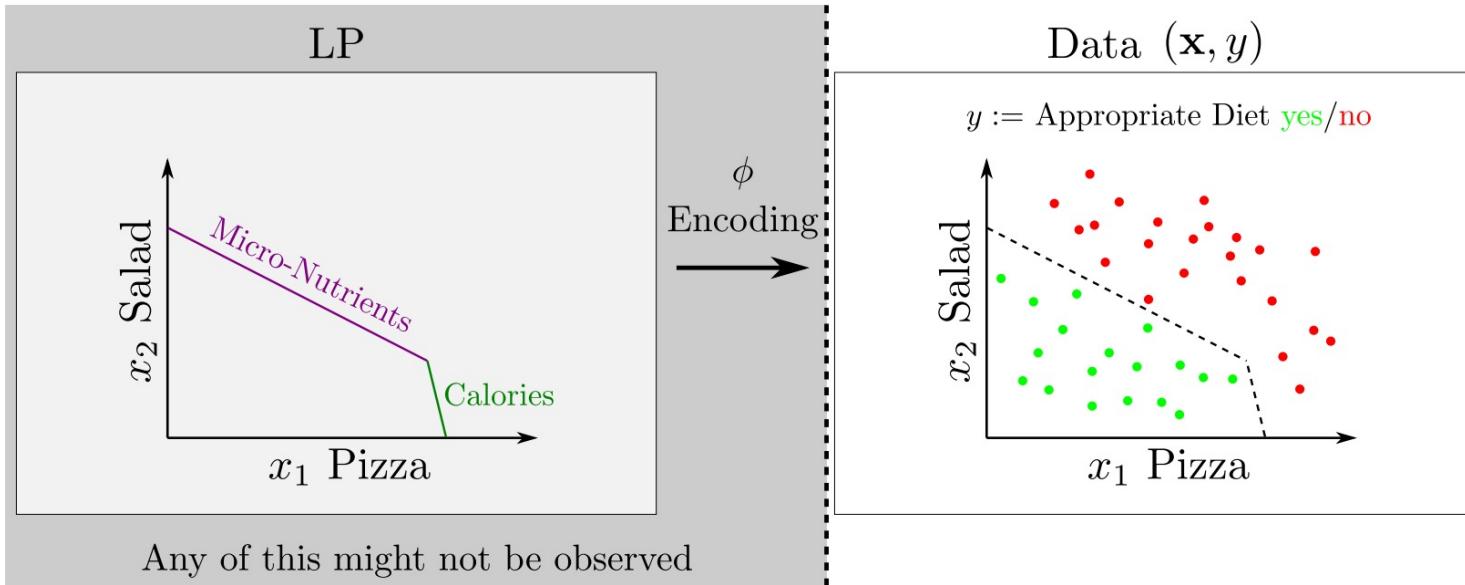


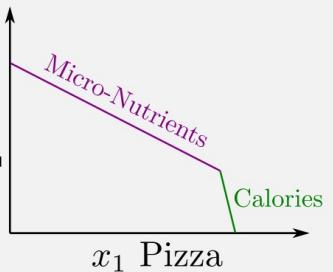


Finding Structure and Causality in Linear Programs

Matej Zečević, Florian Busch, Devendra Singh Dhami, Kristian Kersting

ICLR OSC Workshop 2022

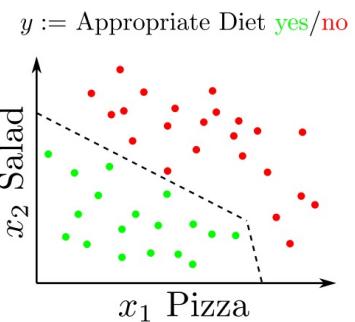




Any of this might not be observed

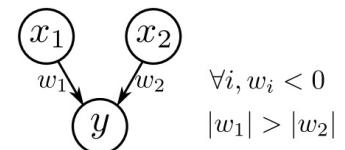
ϕ
Encoding

Data (\mathbf{x}, y)



f
Induction

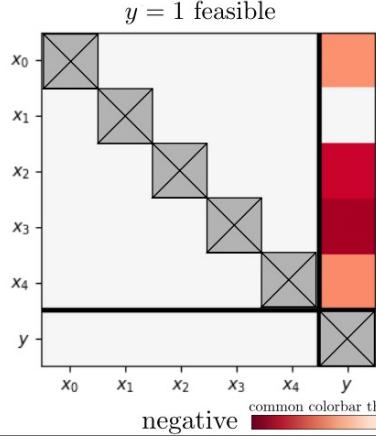
Structure



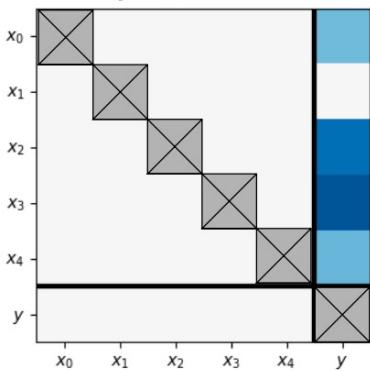
$$\begin{aligned} \forall i, w_i < 0 \\ |w_1| > |w_2| \end{aligned}$$

“Pizza worse for appropriate Diet.”
“Pizza-Salad Balance dictates Diet.”

Case: (\mathbf{x}, y)

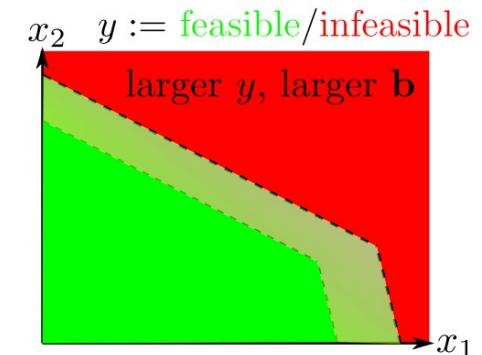
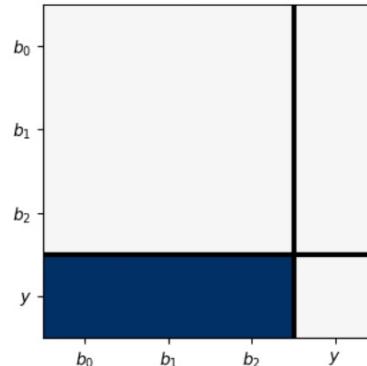


Alternate Encoding
 $y = 0$ feasible (switched)



Case: (\mathbf{b}, y)

$\lambda = 0, \omega = 0.3$



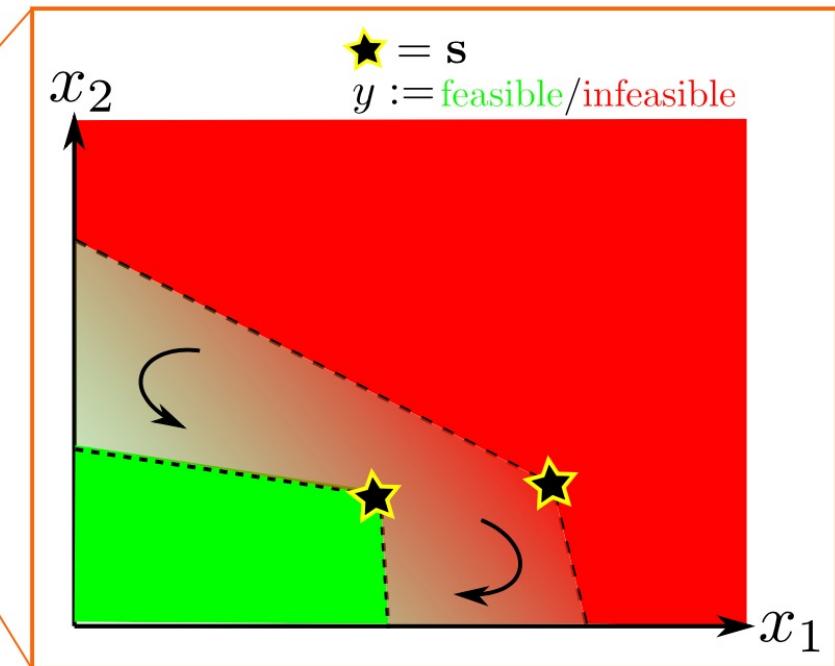
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$(\mathbf{c}, \mathbf{A}, \mathbf{b}, \mathbf{s})$

$\lambda = 0, \omega = 0.3$

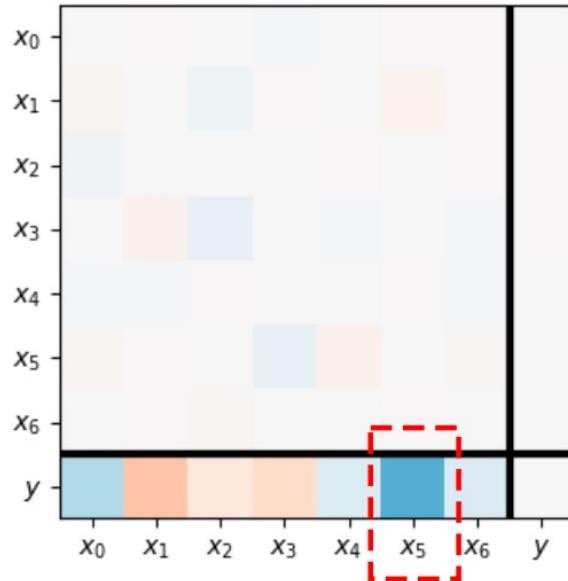
C_0			
C_1			
C_2			
C_3			
C_4			
A_0			
A_1			
A_2			
A_3			
A_4			
A_5			
A_6			
A_7			
A_8			
A_9			
A_{10}			
A_{11}			
A_{12}			
A_{13}			
A_{14}			
b_0			
b_1			
b_2			
sol_0			
sol_1			
sol_2			
sol_3			
sol_4			

c **A** **b** **sol**



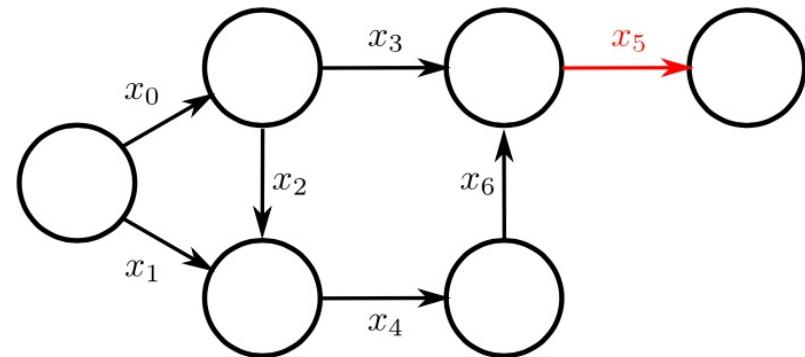
Case: (\mathbf{x}, y)

$\lambda = 0, \omega = 0$



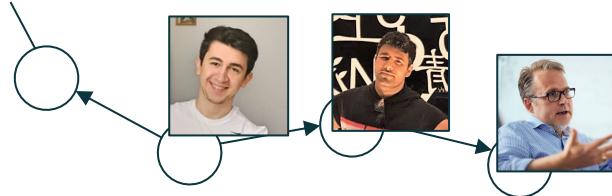
Fixed SP

y denotes valid path



“ x_5 must be part of shortest path.”





Can Linear Programs Have Adversarial Examples? A Causal Perspective

old name: Intriguing Parameters of
Structural Causal Models

Matej Zečević, Devendra Singh Dhami, Kristian Kersting

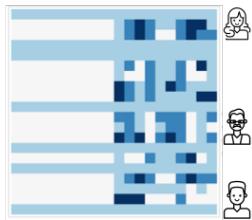
arxiv:2105.12697

Optimizer: Linear Assignment
 w_{ij} is health priority for given vaccination spot



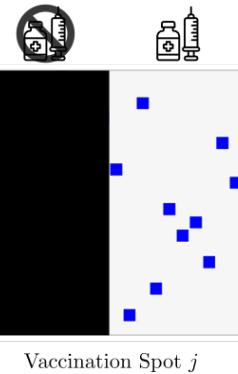
\mathbf{w}

$$+ 0.01 * \text{sign}(\nabla_{\mathbf{w}} ||\mathbf{x}_P^*(\mathbf{w}) - \mathbf{x}^*(\mathbf{w})||_2)$$

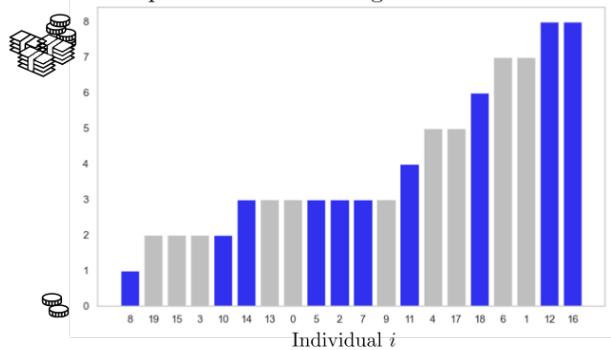


$\hat{\mathbf{w}}$

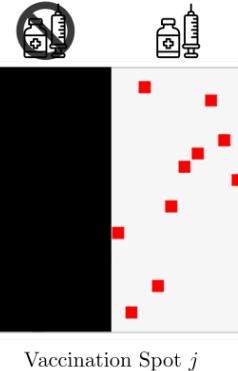
$\mathbf{x}^*(\mathbf{w})$



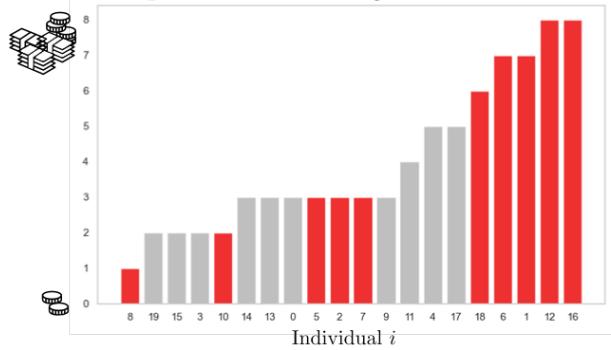
Wealth per individual with guaranteed vaccination



$\mathbf{x}^*(\hat{\mathbf{w}})$



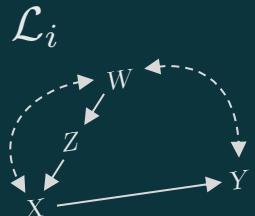
Wealth per individual with guaranteed vaccination



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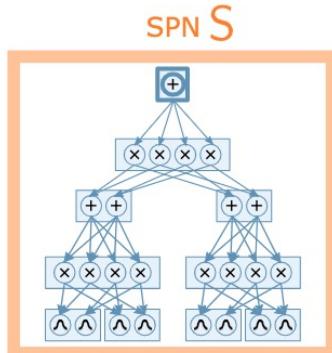
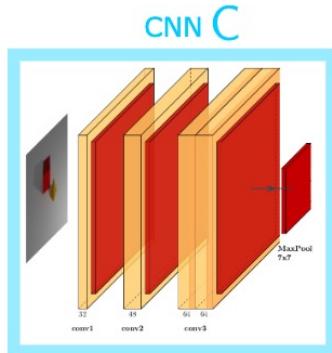
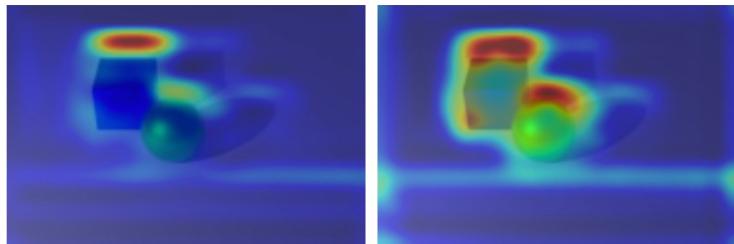
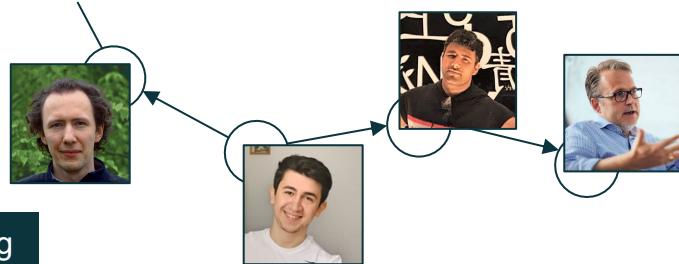
Z | Other Directions for Causal AI/ML



The Causal Loss: Driving Correlation to Imply Causation

Moritz Willig, Matej Zečević, Devendra Singh Dhami, Kristian Kersting

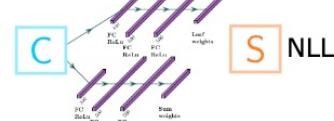
arxiv: 2110.12052



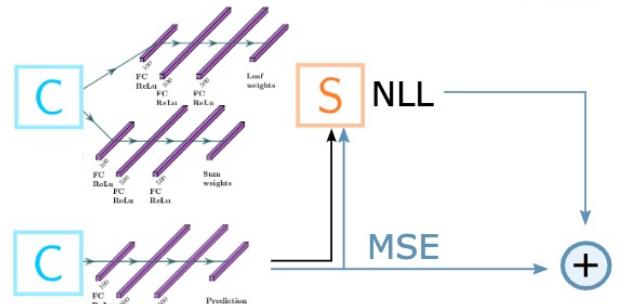
(a) CNN with MSE



(b) ciSPN with NLL



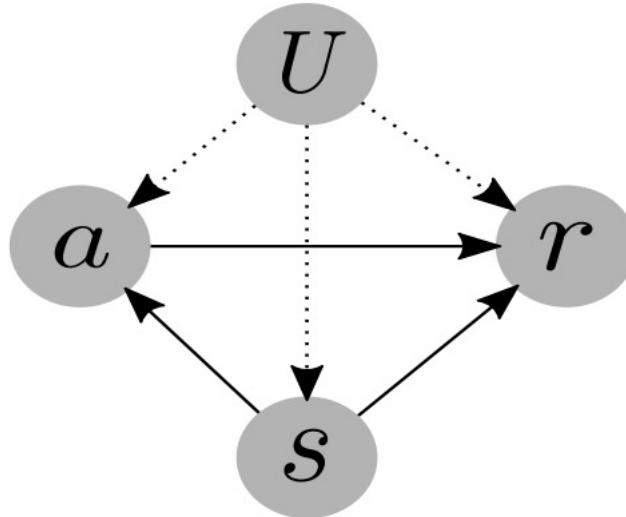
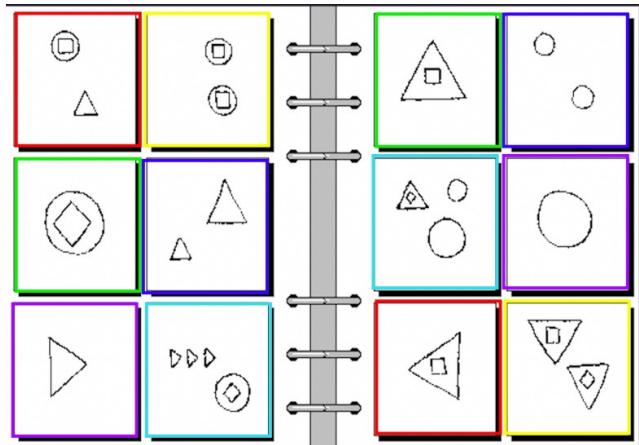
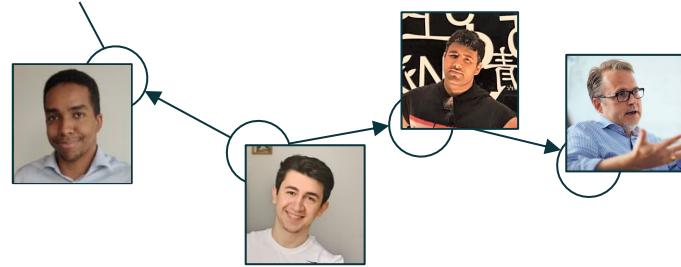
(c) CNN with NLL via ciSPN



Towards a Solution to Bongard Problems: A Causal Approach

Salah Youssef, Matej Zečević, Devendra Singh Dhami, Kristian Kersting

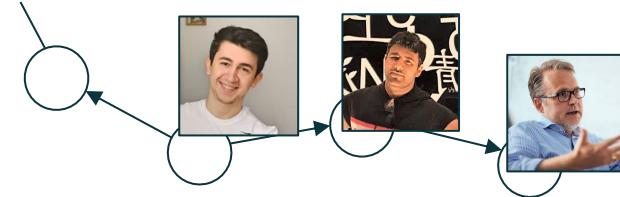
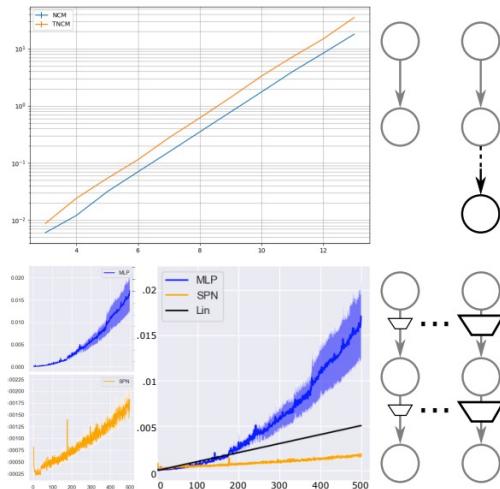
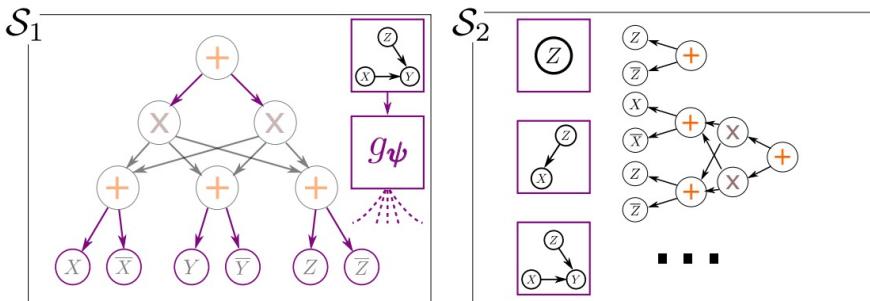
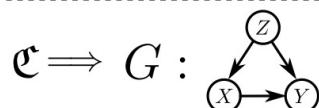
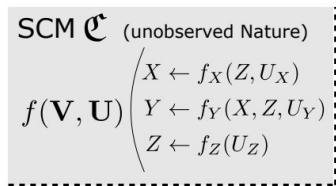
arXiv: 2206.07196

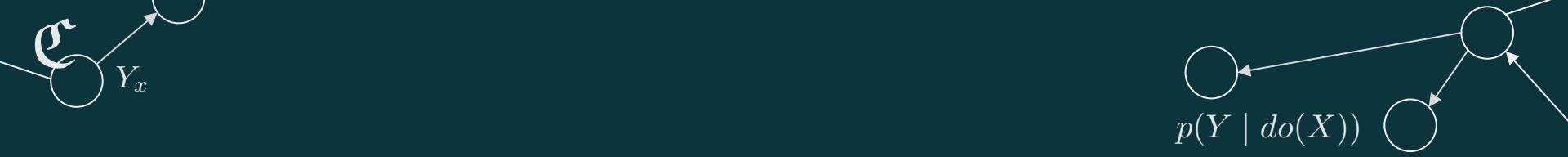


On the Tractability of Neural-Causal Inference

Matej Zečević, Devendra Singh Dhami, Kristian Kersting

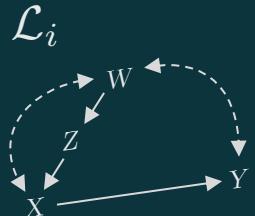
arxiv: 2110.12052





A | Reminder: Announcements

Opportunities following SSDS 2022



Join the weekly discussion
(or simply listen..)



Join the community
via
discuss.causality.link



Join the virtual event
ncsi.cause-lab.net

neuro (Causal \wedge Symbolic) AI

Workshop at the 36th Conference on Neural Information Processing Systems (NeurIPS)

December 2022

Visit ncsi.cause-lab.net



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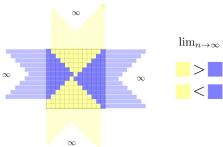
Stay in Touch via Social Media



Twitter
@matej_zecevic

The Infinite is Useful

Talking about the foundation of mathematics usually involves at some initial point the discussion on set theory, which one arguably considers to be a "theory..."



$$\lim_{n \rightarrow \infty}$$

Yellow > Blue
Blue < Yellow

Proving Nešetřil's Conjecture: Minimal Asymmetric Graphs

In 1988 at a seminar in Oberwolfach (located in Germany and by many mathematicians considered as a sort of "mecca for mathematicians" [1]) the czech...



Nešetřil

Schweitzer

Sports Excellence: The Greatest Shohei Ono

Judo (柔道, Japanese for "gentle way") is a martial art centered around throwing techniques for close-quarters combat (opposed to for instance Karate, another Japanese martial...



Ôno Shôhei

Open-access articles
on my Blog
(pretty much on anything
but mostly on nerdy topics)
matej-zecevic.de



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We finished CML I + II !

Questions?

See you at the Hands-on Code Session

matej.zecevic@tu-darmstadt.de | <https://www.matej-zecevic.de>

Further, my gratitude and thanks go out to Kristian Kersting, Devendra Dhami, all our collaborators, the AIML lab @ TU Darmstadt and finally the organizers of SSDS 2022

