

Merge (L, R)

$m = \text{length}(L) + \text{length}(R)$

$S = \text{empty Array of size } (m)$

$i = 1, j = 1, k = 1$

for $k = 1$ to m

if $L[i] \leq R[j]$

$S[k] = L[i]$

$i++$

else

$S[k] = R[j]$

$j = j + 1$

Return S

while ($i \leq \text{length}(L)$ && $j \leq \text{length}(R)$)

{ if ($L[i] \leq R[j]$)

$S[k] = L[i]$

$i++ , k++$

else

$S[k] = R[j]$

$j++ , k++$

}

MergeSort (A)

$n = \text{length}(A)$

if $(n \leq 1)$

return A

$L = \text{MergeSort}(A[1 \dots \text{floor}(n/2)])$

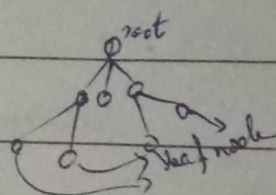
$R = \text{MergeSort}(A[\text{floor}(n/2) + 1 \dots n])$

return merge(L, R)

Tree

Root \rightarrow no parent, ya 1 he.

last node \rightarrow leaf node



(1*) Binary Tree :-

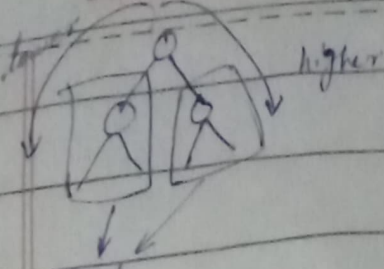
Each node have max. 2 children.
min. 0
null Tree is also binary Tree.

(2) Binary Search Tree

if x is a node in binary search tree, then

node y on left side of x will be
 $y.\text{key} < x.\text{key}$ and node y on right-side
of x will be $y.\text{key} \geq x.\text{key}$

Date: _____

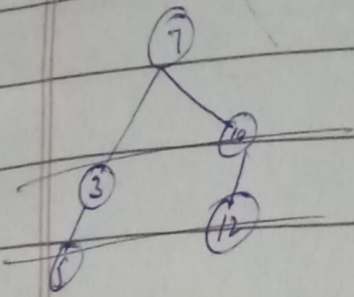


[Sub Tree]

left-side value

struct node

```
{
    int key;
    node* left;
    node* right;
}
```



Traversing

↓
 left, root, right
 - left side ka node, root, right side ka node

i In Order — LNR

ii Pre Order — NLR

iii Post Order — LRN

[left subtree
 right is "
 node]

key → int, float (type)
 left right

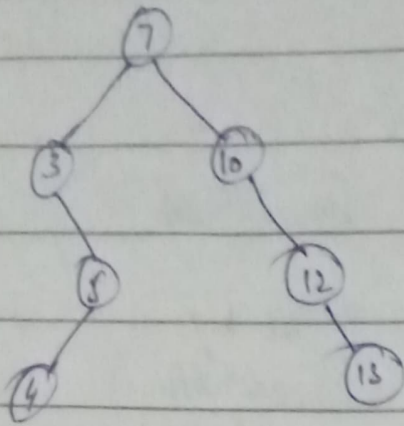
InOrder(x) → root ka address, if not → null.
 if (x == null)

InOrder(x.left)

Print x-key

InOrder(x.right)

[3, 4, 5, 7, 10, 12, 13]



PreOrder(x)

if (x ≠ null)

x.print

InOrder(x.left)

InOrder(x.right)

social media → semi structured data.

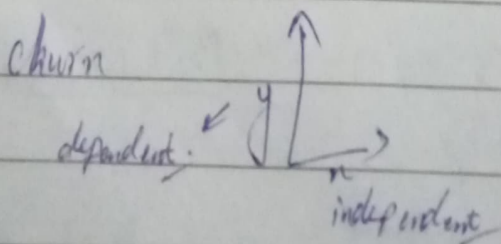
data mining → knowledge discovery

↓
prediction

Youtube Recommendation.

on Home Page

Clustering, classification, Support Vector Machine



Data Frame → df variable name.