

Brief Introduction to Python

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Outline

■ **Python basics**

■ **Numpy basics**

Overview of Python

- Python is an interpreted language, meaning there is no compilation or linking
- Python can be used in two different modes
 - **Interactive mode** makes it easy to experiment with the language
 - **Standard mode** is for running executable scripts and programs
- Typically, Python programs are much shorter than equivalent C, C++, or Java programs
 - High-level language and data types allow expressing complex operations concisely
 - Grouping of statements is done by **indentation** (e.g., tabs) instead of using brackets
 - No variable declarations

Modules and Built-in Numeric Types

- Python modules are **libraries** of code
 - They are imported using the **import** function, which runs the file

```
>>> from math import pi, sqrt

>>> import math
>>> math.pi
>>> math.e
```

- Python provides integers, floating-point numbers, complex numbers, etc.
 - **int**
 - **float**
 - **long** (long integers have unlimited precision)
 - **complex** (they have a real and imaginary part, which are each a floating point number)

Operators

Operation	Result
<code>x + y</code>	sum of x and y
<code>x - y</code>	difference of x and y
<code>x * y</code>	product of x and y
<code>x / y</code>	quotient of x and y
<code>x // y</code>	(floored) quotient of x and y
<code>x % y</code>	remainder of x / y
<code>-x</code>	x negated
<code>abs(x)</code>	absolute value or magnitude of x
<code>int(x)</code>	x converted to integer
<code>long(x)</code>	x converted to long integer
<code>float(x)</code>	x converted to floating point
<code>complex(re, im)</code>	a complex number with real part <i>re</i> , imaginary part <i>im</i> . <i>im</i> defaults to zero.
<code>pow(x, y)</code> , <code>x ** y</code>	x to the power y

Comparisons

Operation	Meaning
<	strictly less than
<=	less than or equal
>	strictly greater than
>=	greater than or equal
==	equal
!=	not equal
is	object identity
is not	negated object identity

Examples of Operations

```
>>> 125 + 25
>>> 125 * 25
>>> 125 ** 25
>>> 4 1/3
>>> 1/ float (3)
>>> 1/3.0

>>> import math
>>> math.sqrt (math .pi)
>>> math.sin (_)
>>> 1 + _
```

- In the interactive mode, the `_` operator contains the result of the last operation, which is very handy for subsequent operations

Python Statements (1/3)

The Python if statement

```
if test:
    block of code
elif test:
    block of code
else:
    block of code
```

Example: Computation of the absolute value

```
x = 4
y = 5

if x > y:
    absval = x - y
elif y > x:
    absval = y - x
else:
    absval = 0

Print "The absolute value is ", absval
```


Python Statements (2/3)

The Python for statement

```
for target in sequence:  
    block of code
```

Examples

```
names = ['Peter ', 'John ', 'Mary ', 'Helen ', 'Tom ',  
        'Nicholas ']
```

```
for name in names:  
    print name
```

```
for x in [0 ,1 ,2 ,3 ,4 ,5 ,6 ,7 ,8 ,9 ,10]:  
    print x
```

```
for x in range (11):  
    print x
```

```
for x in range (10 ,21) : print x
```

The range function creates a list of integers [start, stop) with the following syntax

```
range([ start ,] stop [, step ])
```

Python Statements (3/3)

The Python while statement

```
while expression:  
    block of code
```

Example

```
temperature = 60  
  
while (temperature > 40):  
    print('The water is hot enough')  
    temperature = temperature - 1  
  
print ('Water's temperature is now OK')
```

How to execute python programs

**Save a block of code in a file
with extension “py”: test1.py**

Example

```
#test1.py
temperature = 60
while (temperature > 40):
    print('The water is hot enough')
    temperature = temperature - 1
print ('Water's temperature is now OK')
```

Execute the program from the OS

```
$python test1.py
```

**Execute the program from within the
python environment**

```
>>> execfile(test1.py)
```

Lists (1/2)

- A list is a container that holds a number of other objects, in a given order
- It can contain more than one basic data types which are surrounded by square brackets

```
>>> mylist = [0,10,'data','mining']
```

- Accessing particular elements of a list simply requires giving it an index. Python indices start at 0

```
>>> print mylist[0]
0
>>> print mylist[3]
mining
```

- You can also index from the end using a minus sign

```
>>> print mylist[-2]
data
```

Lists (2/2)

- Sections of a list can be easily accessed using the *slice* operator. It can take three operators: [start:stop:step]

```
>>> print mylist[1:3]
[10, 'data' ]
>>> print mylist[1:]
[10, 'data' , 'mining' ]
>>> print mylist[:2]
[0 10]
>>> print mylist[1:4:2]
[10, 'mining' ]
```

- Some functions that are available to operate on lists are:
 - `append(x)` Adds x to the end of the list
 - `count(x)` Counts how many times x appears in the list
 - `pop(i)` Removes the item at index i
 - `remove(x)` Deletes the first element that matches x
 - `reverse(x)` Reverses the order of the list

Dictionaries

- A dictionary is another container that can store any number of objects, including other container types
- Dictionaries consist of pairs of keys and their corresponding values which are surrounded by curly brackets

```
>>> months = { 'Jan' : 31, 'Feb' : 28, 'Mar' : 31 }
```

- The elements of the dictionary can be accessed using their key

```
>>> print months[ 'Jan' ]  
31
```

- The functions *keys()* and *values()* return a list of all the keys and values of the dictionary respectively

```
>>> print months.keys()  
[ 'Jan' , 'Mar' , 'Feb' ]
```

Outline

■ Python basics

■ **NumPy basics**

NumPy

- **NumPy** is a Python package that adds support for large multi-dimensional arrays and matrices, along with a large library of high level mathematical functions to operate on these arrays
- To import the NumPy library we use

```
>>> from numpy import *
```

- The basic data structure of NumPy is the array
 - It consists of one or more dimensions of numbers or chars
 - Unlike lists, the elements of the array all have the same type

Simple Array Creation

Arrays are made using a function call, and the values are passed in as a list or set of lists for higher dimensions

```
>>> array1 = array([4,3,2])
```

Create an one-dimensional array

```
>>> print array1  
[4 3 2]
```

Print array

```
>>> array2 = array([[3,2,4],[3,3,2],[4,5,2]])
```

Create a two-dimensional array

```
>>> print array2  
[[3 2 4]  
 [3 3 2]  
 [4 5 2]]
```

Print array

Arrays can be accessed in the same way as lists

```
>>> print array1[1]  
3  
>>> print array2[2,0]  
4
```

Print indices

Array Creation Functions (1/2)

```
>>> print zeros((2,2))  
[[ 0.  0.]  
 [ 0.  0.]
```

Produces an array containing all zeros

```
>>> print ones((3,4))  
[[ 1.  1.  1.  1.]  
 [ 1.  1.  1.  1.]  
 [ 1.  1.  1.  1.]
```

Similar to zeros(), except that all elements of the matrix are ones

```
>>> print eye(3)  
[[ 1.  0.  0.]  
 [ 0.  1.  0.]  
 [ 0.  0.  1.]
```

Produces the identity matrix, the matrix that is zero everywhere except down the leading diagonal, where it is one

Array Creation Functions (2/2)

```
>>> print arange(5)
[0 1 2 3 4]
>>> print arange(3,7,2)
[3 5]
```

Produces an array containing the specified values, acting as an array version of range()

```
>>> print linspace(3,7,3)
[ 3.  5.  7.]
```

Produces a matrix with linearly spaced elements. The user specifies the number of elements, not the spacing

Getting Information about Arrays

```
>>> a = array([[0,1],[2,3],[4,5]])  
>>> print a  
[[0 1]  
 [2 3]  
 [4 5]]
```

The array that will be used in our examples

```
>>> print ndim(a)  
2
```

Returns the number of dimensions

```
>>> print size(a)  
6
```

Returns the number of elements

```
>>> print shape(a)  
(3 2)
```

Returns the size of the array in each dimension. You can access the first element of the result using `shape(a)[0]`

Changing the Shape of an Array

```
>>> print reshape(a, (2,3))  
[[0 1 2]  
 [3 4 5]]
```

Reshapes the array as specified

```
>>> print ravel(a)  
[0 1 2 3 4 5]
```

Makes the array one-dimensional

```
>>> print transpose(a)  
[[0 2 4]  
 [1 3 5]]
```

Computes the transpose of the matrix

```
>>> print a[::-1]  
[[4 5]  
 [2 3]  
 [0 1]]
```

Reverses the elements of each dimension

Operations on Arrays (1/2)

```
>>> b = arange(3,9).reshape(3,2)
>>> print b
[[3 4]
 [5 6]
 [7 8]]
```

The second array that will be used in the examples

```
>>> print a+b
[[ 3  5]
 [ 7  9]
 [11 13]]
```

Matrix addition

```
>>> print a*b
[[ 0  4]
 [10 18]
 [28 40]]
```

Element-wise multiplication

Operations on Arrays (2/2)

```
>>> c = transpose(b)
>>> print c
[[3 5 7]
 [4 6 8]]
```

The third array that will be used in the examples

```
>>> print dot(a,c)
[[ 4  6  8]
 [18 28 38]
 [32 50 68]]
```

Matrix multiplication

```
>>> print pow(a,2)
[[ 0  1]
 [ 4  9]
 [16 25]]
```

Computes exponentials of elements of matrix

```
>>> print pow(2,a)
[[ 1  2]
 [ 4  8]
 [16 32]]
```

Computes number raised to matrix elements

The *min()*, *max()* and *sum()* Functions

```
>>> print a.min()  
0
```

Returns the smallest element of a

```
>>> print a.max()  
5
```

Returns the largest element of a

```
>>> print a.sum()  
15  
>>> print a.sum(axis=0)  
[6  9]  
>>> print a.sum(axis=1)  
[1 5 9]
```

Returns the sum of elements. Often used to sum the rows or columns using the axis option

The *where()* Command

```
>>> x = where(a>2)
>>> print x
(array([1, 2, 2]), array([1, 0, 1]))
```

Returns the indices where the logical expression is true in the variable x

```
>>> print where(a>2,0,1)
[[1 1]
 [1 0]
 [0 0]]
```

Returns a matrix with the same size as a that contains 0 in those places the expression was true and 1 everywhere else

- Two or more conditions can be chained together using bitwise logical operators like | and &

Linear Algebra

- NumPy has a reasonable linear algebra package that performs standard linear algebra functions
- Some frequently used functions are:
 - **`linalg.inv(a)`** Computes the inverse of square array **a**
 - **`linalg.pinv(a)`** Computes the pseudo-inverse, which is defined even if **a** is not square
 - **`linalg.det(a)`** Computes the determinant of **a**
 - **`linalg.eig(a)`** Computes the eigenvalues and eigenvectors of **a**
 - **`linalg.svd(a)`** Computes the SVD decomposition of **a**