### A C++ PEG library

# What is PEG

PEG (Parsing Expression Grammar) is a formalism for specifying recursive descent parsers with unlimited backtracking. The theory of PEGs can be browsed in Wikipedia or in Bryan Ford's original paper <a href="http://bford.info/pub/lang/peg.pdf">http://bford.info/pub/lang/peg.pdf</a>. Bryan Ford developed a technique called "packrat parsing" that optimizes PEG parsers by memoization and allows them to parse any PEG grammar in linear time.

As a practical example of a PEG grammar, this one describes a calculator that handles signed or unsigned integers, skips white space and supports the four basic operations and grouping with parentheses:

```
<- [ \t\f\r\n]*
SIGN
                <- [+-]
DIGIT
                <- [0-9]
                <- SIGN? DIGIT+ WS
NUMBER
                <- '(' WS
<- ')' WS
LPAR
RPAR
                <- '+' WS
<- '-' WS
ADD
SUB
                <- '*' WS
MUL
                <- '/' WS
DIV
                <- WS expression
calc
                <- term ( ADD term / SUB term )*
expression
                <- factor ( MUL factor / DIV factor )*
term
                <- NUMBER / LPAR expression RPAR
factor
```

This calculator accepts expressions like

```
((1 + 2) * (-3 + 4) + 1) / 3 + 5
```

Given a correct input, the parser consumes it and succeeds. If the input is syntactically incorrect, it is not consumed and the parser fails.

Like YACC, which is a compiler of context-free grammars (CFGs), there are also compilers of PEG grammars. The PEG/LEG tools by Ian Piumarta are good examples.

Here we introduce a C++ PEG library whose style and functionality are inspired by Piumarta's LEG tool. LEG is a compiler, i.e. it takes a PEG grammar and generates C code from it. Our library allows PEG grammars to be embedded in C++ code and parsed directly, without intermediate code generation.

This library is a single header file (peg.h). It is conceptually similar to boost::spirit, although much smaller, simpler and less efficient.

Following LEG, we did not implement "packrat parsing" optimizations. In theory, a recursive descent parser with unlimited backtracking could take exponential time. In practice, however, this is unlikely to happen. Most grammars require only modest amounts of backtracking, since they would be difficult to understand otherwise. So the effect of optimization could frequently be small or even negative. For example, the Pascal language has a LL(1) grammar and may be parsed without backtracking.

### The peg library

The library requires at least C++11.

The syntax has been made as similar to LEG's as possible, although there are some restrictions due to the available C++ operators, their associativities and precedence.

Here is the same calculator as in the previous example, this time implemented with our library. Actions have been added to the grammar, so that it not only recognizes but also evaluates the arithmetic expressions and prints the results.

```
#include <iostream>
#include <string>
#define PEG_USE_SHARED_PTR
#include "peg.h"
using namespace std;
using namespace peg;
int main(int argc, char *argv[])
{
        matcher m:
        vect<int> val;
        // Lexical rules
        Rule WS, SIGN, DIGIT, NUMBER, LPAR, RPAR, ADD, SUB, MUL, DIV;
        WS
                         = *Ccl(" \t\f\r\n");
                         = Ccl("+-");
= Ccl("0-9");
        SIGN
        DIGIT
                         = (~SIGN >> +DIGIT)-- >> WS >> Do([&] { val.push(stoi(m.text())); });
        NUMBER
                         = Chr('(') >> WS;
        LPAR
                         = Chr(')') >> WS;
        RPAR
                         = Chr('+') >> WS;
= Chr('-') >> WS;
        \mathsf{ADD}
        SUB
                         = Chr('*') >> WS;
        MIII
                         = Chr('/') >> WS;
        DIV
        // Calculator
        Rule calc, expression, term, factor;
        calc
                         = WS >> expression
                                                   >> Do([&] { cout << val.top() << endl; val.pop(); });
                         = term >> *(
        expression
                                    ADD >> term
                                                   >> Do([&] { val.top(-1) += val.top(); val.pop(); })
                                                   >> Do([&] { val.top(-1) -= val.top(); val.pop(); })
                                   SUB >> term
                         = factor >> *(
        term
                                  MUL >> factor >> Do([&] { val.top(-1) *= val.top(); val.pop(); })
| DIV >> factor >> Do([&] { val.top(-1) /= val.top(); val.pop(); })
                         = NUMBER
        factor
                         | LPAR >> expression >> RPAR;
        while ( calc.parse(m) )
                m.accept();
}
```

Rule definitions use = instead of <-.

Sequences of expressions, made by concatenation in the original, need an operator in C++. Binary operator >> is used for this purpose.

The prioritized choice operator is  $\mid$  instead of /.

Lexical primitives are defined by constructor functions:

Chr(c) matches character c.

Ccl(s) matches any character in the string s. Ccl means character class. Character – is special. If it appears between two other characters in s it defines a character range, otherwise, if it is the first or last character in s, it just represents itself. Ccl(``0-9") is the class of decimal digits. If s begins with  $^$ , the class is complemented or negated. The  $^$  is removed from s and the class contains all characters not included in the rest of s. It does not make sense to define classes with only one character, since Chr(c) is much cheaper. Ccl(```A") is thus interpreted as a class that contains all characters and matches any character. It is equivalent to Any().

Any() matches any character. In the original syntax this primitive is represented by a dot (.). It fails only when the parser has reached the end of the input and cannot read more (end-of-file).

Str(s) matches the string s literally.

Repetition operators are prefix and not postfix as in the original.

- \* means zero or more times.
- + means one or more times.
- ~ means zero or one time (optional). It is postfix ? in the original.

Rule definitions need a semi-colon (;) at the end, since they are normal C++ statements.

The Do() primitive always succeeds without consuming input. It schedules an action to be executed after a successful parse if the branch of the grammar where the Do() is placed is matched. It takes an argument of type std::function<void()>, i.e. a free function, function object or lambda taking no arguments and returning nothing.

The Pred() primitive designates a semantic predicate. It takes an argument of type std::function<void(bool &)>, i.e. a free function, function object or lambda that takes a reference to a boolean variable and returns nothing. The function passed to Pred() is not scheduled for later, it is executed during parsing and Pred() succeeds without consuming input or fails, depending on the value of the variable when the function returns. The variable is initialized to true (success) before calling the function, so that Pred() succeeds by default if the function does not modify or just ignores its argument.

Syntactic predicates use the same prefix operators as in the original notation:

&exp ("and-predicate") succeeds if exp can be parsed at this point. It does not consume input and does not schedule any actions that exp might contain.

!exp ("not-predicate") is the same as the and-predicate, but it inverts the result: it succeeds if exp fails and vice-versa, without consuming input or scheduling actions. This kind of predicate is most frequently used. For example, !Any() means end-of-file.

The text consumed by one expression or by a sequence of expressions can be captured using the prefix or postfix operator --. The captured text is available in Do() or Pred() code following the capture. In the calculator, for example, the NUMBER rule uses ( $\sim$ SIGN >> +DIGIT)-- >> WS. This means an optional sign followed by one or more decimal digits and eventual white space. The captured text includes the optional sign and the digits, but not the white space that may follow. The action included in the rule gets the captured text by calling m.text() - this will be explained later.

# The rules

Rules are instances of the Rule class. Defining a rule means constructing a syntax tree, dynamically allocating memory for the structures in the nodes of the tree. If a grammar is defined just once, it is probably not worth worrying about the allocated memory. In this case, each node of the tree points to its children using normal pointers. If the macro PEG\_USE\_SHARED\_PTR is defined before including peg.h, these pointers are replaced by smart pointers of the type std::shared\_ptr. These take care of releasing memory when the rules are no longer used.

In our example we have defined this macro just to check that the smart pointer version works, although it is really not necessary, since the grammar is defined only once in function main().

When a grammar is built, rules may be defined in any arbitrary order. Any rule can refer to any other rule, whether it has already been defined or not. This is necessary in order to define recursive grammars, which is very frequent.

The Rule class has been designed in such a way that, when used as an expression, a Rule becomes a reference to itself. For this reason its use is very restricted: rules can only be default constructed and assigned from another rule, an expression or a type implicitly converting to an expression. No temporaries can be created, since they would produce expressions with dangling references. For that reason the class has no constructors except the default, and the copy constructor has been deleted. Rule() is the only possible temporary, do not use it. It would serve no purpose, anyway.

Note that the copy assignment operator is also non-standard. One would expect that the statement r = r does nothing. However, if r is a rule, what it actually does is make r left-recursive: it calls itself directly without reading input. Such a rule will overflow the stack if parsed.

Left recursion can also arise from cyclic references. The calculator has the following cycle:

```
expression \rightarrow term \rightarrow factor \rightarrow expression
```

The two first references (expression  $\rightarrow$  term  $\rightarrow$  factor) are direct. The third one (factor  $\rightarrow$  expression) closes the cycle but only after reading a LPAR (left parenthesis) token. Otherwise the grammar would be left-recursive and the parser would enter an infinite loop. This is an inherent limitation of PEG grammars: there cannot be reference cycles that close without reading at least one character from the input.

Once built, a grammar is used by calling method parse() of the starting rule (calc in our case). Parse() takes an argument of type matcher (see below). It returns true if the input matches the grammar, and false otherwise. Either way, when parse() returns the matcher holds the whole input that was read during parsing, both the part that matches the grammar and the one that does not. For example, let's assume that the parser is fed with this input:

(1 + 2) \* 3 Hello

The call to calc.parse(m) returns true. When parsing, the matcher advances its input pointer to the H in Hello (the first character that does not match the grammar). This is the limit of the part of the input that will be consumed by the parser. The matcher also holds a vector of actions (scheduled by Do() during parsing). These actions must be executed in order to evaluate the expression. Calling m.accept() executes the scheduled actions, resets the vector that holds them and discards the consumed part of the input. Input now starts at the H in Hello. The next call to calc.parse() fails, since Hello does not match the grammar.

### The matcher class

Each instance of a PEG parser uses a grammar (a set of rules) and an instance of the matcher class. This class provides services to the parser. Most of its methods are for internal library use, only a few of them are public and directly callable by the user:

- The constructor takes an optional argument of type std::istream with a default value of std::cin. Passing an adequate std::istream object the parser can be made to get its input from anywhere.
- Method accept() must be called after parsing in order to execute the scheduled actions and discard consumed input.
- Method clear() discards both all input and all scheduled actions.
- Both scheduled actions and semantic predicates may call method text() to get a string with the content of the most recently closed text capture. Text captures can be nested, which is useful for debugging.

### The vect class

Recursive grammars usually need a value stack. Class vect is good for this. It is a simple wrapper around std::vector that introduces some handy features.

Operator [] automatically resizes the vector when it is indexed beyond its current limit.

These methods are specially useful for using the vector as a stack:

- Method push() adds an element at the end of the vector.
- Method top() allows addressing relative to the top of the stack. Top() or top(0) accesses the last element of the vector, top(-1) the previous one, etc.
- Method pop() removes elements at the end of the vector. Pop() or pop(1) removes the last element, pop(2) removes the last two elements, etc.

Methods reserve(), size(), resize() and clear() are the same as in std::vector.

Manual handling of the value stack may be easy in a simple case like the calculator, but in more complicated cases it is better to handle the stack automatically. This is easily accomplished using special classes that handle stack indexing with the help of the matcher.

## Automatic handling of the value stack - classes value\_stack and value\_map

This version of the calculator handles the value stack automatically using the value\_stack class, and eliminates all calls to the primitives except Ccl() using an overload mechanism that will be explained later.

```
#include <iostream>
#include <string>
#define PEG_USE_SHARED_PTR
#include "peg.h"
using namespace std;
using namespace peg;
int main(int argc, char *argv[])
{
       matcher m;
       value stack<int> val(m);
       // Lexical rules
       Rule WS, SIGN, DIGIT, NUMBER, LPAR, RPAR, ADD, SUB, MUL, DIV;
                       = *Ccl(" \t\f\r\n");
= Ccl("+-");
       WS
       SIGN
                       = Ccl("0-9");
       DIGIT
                       = (~SIGN >> +DIGIT)-- >> WS >> [&] { val[0] = stoi(m.text()); };
       NUMBER
       LPAR
                       = ')' >> WS;
       RPAR
                       = '+' >> WS;
       ADD
                       = '-' >> WS;
       SUB
                       = '*' >> WS;
       MUL
                       = '/' >> WS;
       DIV
       // Calculator
       Rule calc, expression, term, factor;
                       = WS >> expression
                                                     >> [&] { cout << val[1] << endl; };
       calc
       expression
                       = term >> *(
                                ADD >> term
                                                      >> [&] { val[0] += val[2]; }
                               | SUB >> term
                                                      >> [&] { val[0] -= val[2]; }
        term
                       = factor >> *(
                                MUL >> factor
                                                      >> [&] { val[0] *= val[2]; }
                               | DIV >> factor
                                                     >> [&] { val[0] /= val[2]; }
       factor
                       = NUMBER
                       | LPAR >> expression >> RPAR >> [&] { val[0] = val[1]; };
       while ( calc.parse(m) )
               m.accept();
}
```

A value\_stack is constructed with a reference to the matcher (m). The constructor and operator [] are its only public interface.

Expressions in a rule may return a value in a slot of the value stack, according to their position in the sequence. Rule actions may access these values using indices relative to the start of the rule. Rules return values by assigning val[0] (assuming val is the value stack). If a rule's actions do not assign val[0], the rule returns the value of its first expression.

The index of each expression in a rule can be easily calculated by counting how many >>'s separate it from the start of the rule. For example, in rule term, the first factor is in position 0 and the second one in position 2. If an expression of the rule has alternatives, it uses as many stack slots as its longest alternative. For example:

The expression between parentheses uses four stack slots. The result of e5 always appears in val[5], no matter which alternative (a1 ... a2 or b1 ... b4) matches when parsing.

This way of handling the value stack is similar to YACC's. Our val[0] is equivalent to YACC's \$\$ and \$1, val[1] is YACC's \$2, etc.

Handling the stack automatically with value\_stack is easier than doing it manually, but it can be less efficient, because there are unused positions. Class value\_stack is implemented with vect<T>. The size of the vector grows automatically to include the biggest index used. When the vector grows, unused slots are filled with the default value T(). It is also possible that the vector needs to re-allocate memory and copy the values in the previous buffer to the new one. This can be mitigated or avoided by configuring the stack with a sufficiently large initial number of slots. Value\_stack's constructor accepts an optional second argument specifying the initial capacity, by default 128.

Class value\_map is implemented using std::map<int, T> and has the same public interface as value\_stack, except it does not accept the second argument in the constructor since it does not need to reserve memory. Maps accept any index without filling the unused slots, and they do not need to re-allocate memory or copy values from one buffer to another. Value\_map is probably more efficient than value\_stack if the stack is very sparse (has many unused slots), and either the default constructor or copy assignment of T are costly.

It is possible to use more than one value stack with the same matcher; they run in parallel.

#### **Elimination of primitives**

The binary operators used to build the rules are overloaded so that they can accept in one of their arguments (but not in both) values of the types taken by the primitives, and automatically convert them to the respective primitive. The assignment operator of class Rule is similarly overloaded.

```
std::string s
const char *s
becomes Str(s)
becomes Str(s)
int c
becomes Chr(c)
std::function<void()> f
becomes Do(f)
std::function<void(bool &)> f
becomes Pred(f)
```

In many cases these automatic conversions allow replacing explicit calls to the primitives by their arguments. In the second version of the calculator we have eliminated all the Chr() and Do() primitives. It is not possible to eliminate Ccl(s), since s by itself becomes Str(s).

Calls to Str(s), Ccl(s) and Chr(c) with literal arguments may also be replaced by user-defined literals:

```
"ab"_str becomes Str(std::string("ab", 2))
"a-z"_ccl becomes Ccl(std::string("a-z", 3))
'c'_chr becomes Chr('c');
```

Using these literals is mostly a matter of aesthetic preference. Additionally, \_str and \_ccl allow null characters to be included in the basic string literal, since the compiler passes its size to the respective literal operator. The operators are defined in inline namespace peg::literals.

### **Attached expressions**

An expression can be attached to another using the syntax e1 (e2). Expression e2 is parsed immediately after successfully parsing e1. The behaviour is similar to e1 >> e2, except e2 does not use any value stack slots. This is very useful for debugging when automatic handling of the value stack is used, since actions can be inserted anywhere in the rules without changing the position of any expression in the stack. For example, we could modify the calculator to make it show everytime a + sign is matched in an arithmetic expression:

We have attached an action to expression ADD, without disturbing the placement of the second term in position 2 of the stack. If we now feed the calculator with the arithmetic expression ((1+2)\*3+4)\*5+6, we get the following output:

add add add 71

Attached expressions may be arbitrarily complex. Operator () has been overloaded for the same types as the binary operators, allowing us to eliminate an explicit call to Do() in the previous example.

Attaching actions saves unused slots in value stacks (although this is irrelevant if value\_map is used instead of value\_stack). The previous rule can be re-written will all actions attached without altering its behavior:

### Final version of the calculator

This final version of the calculator replaces calls to Ccl() by user-defined literals and attaches all actions.

```
#include <iostream>
#include <string>
#define PEG_USE_SHARED_PTR
#include "peg.h"
using namespace std;
using namespace peg;
int main(int argc, char *argv[])
{
        matcher m;
        value_stack<int> val(m);
        // Lexical rules
        Rule WS, SIGN, DIGIT, NUMBER, LPAR, RPAR, ADD, SUB, MUL, DIV;
                       = *" \t\f\r\n"_ccl;
= "+-"_ccl;
= "0-9"_ccl;
        WS
        SIGN
        DIGIT
        NUMBER
                        = (\sim SIGN >> +DIGIT) -- >> WS ([\&] { val[0] = stoi(m.text()); });
                             >> WS;
        LPAR
                       = ')' >> WS;
        RPAR
                       = '+' >> WS;
= '-' >> WS;
        ADD
        SUB
                       = '*' >> WS;
        MUL
                       = '/' >> WS;
        DIV
        // Calculator
        Rule calc, expression, term, factor;
        calc
                       = WS >> expression
                                                       ([&] { cout << val[1] << endl; });
                        = term >> *(
        expression
                                 ADD >> term
                                                       ([&] { val[0] += val[2]; })
                                | SUB >> term
                                                       ([&] { val[0] -= val[2]; })
                        = factor >> *(
        term
                                 MUL >> factor
                                                       ([&] { val[0] *= val[2]; })
                                | DIV >> factor
                                                       ([&] { val[0] /= val[2]; })
                        = NUMBER
        factor
                        | LPAR >> expression >> RPAR ([&] { val[0] = val[1]; });
        while ( calc.parse(m) )
               m.accept();
}
```