

α , CI & H_0 relationship

$\alpha \downarrow \rightarrow CI \uparrow \rightarrow$ harder to reject null hypothesis
 $\alpha \downarrow \rightarrow$ defines how sure you are about your null hypothesis
So when α is low you have high confidence in null hypothesis $\rightarrow H_1$ has to be nearly impossible but still if you prove it then reject null

Z-test

$$Z_{\text{score (sample)}} = \frac{\bar{x} - \mu}{\sigma/\sqrt{n}}$$

Applied to average data w.r.t population data

2 things needed

(i) population standard deviation

(ii) $n \geq 30$

$P < \alpha \rightarrow$ reject null hypothesis

t-test

$$t = \frac{\bar{x} - \mu}{s/\sqrt{n}}$$

degree of freedom (dof) = $(n-1)$

$s \rightarrow$ sample SD

CI $\Rightarrow \bar{x} \rightarrow$ sample mean

$$\bar{x} \pm Z_{\alpha/2} \cdot \frac{\sigma}{\sqrt{n}}$$