# J - Jungle

Time limit: 8sec / Memory limit: 256MB

#### **Problem**

Wolf Sothe owns a long land in the jungle. In this linear land, N trees grow at regular intervals. The size of the  $i_{th}$  tree from one end is given as  $t_i$ .

Inside the jungle it is dark because trees obstruct sunlight. In order to let sunlight shine into the jungle, Wolf Sothe considers cutting some of the N trees (or cutting no one). More specifically, trees will be cut with the following rules.

- Up to M trees can be cut (no more than M).
- Considering the impact on the surrounding ecosystem, it is not allowed to cut two or more trees in arbitrary K consecutive trees. More precisely, there is not  $i(1 \le i \le N K + 1)$  such that 2 or more trees are cut in the  $i_{th}$ ,  $(i+1)_{th}$ , .....,  $(i+K-1)_{th}$  trees from one end.
- If Wolf Sothe cuts the  $i_{th}$  tree from one end, the size of the tree  $t_i$  becomes 0.
- ullet We want the maximum value of the sum of sizes of K consecutive trees to be as small as

possible. Namely, we want to minimize  $\displaystyle \max_{1 \leq i \leq N-K+1} \sum_{j=i}^{i+K-1} t_j$ 

Since the size of the N trees and M, K have been given, when we make the optimal cutting choice for the trees, please obtain the minimum value of the maximum value of the sum of sizes of consecutive K trees.

### Input

Inputs will be given by standard input in following format.

- At the first line, integer  $N(1 \le N \le 100,000)$ ,  $M(1 \le M \le N)$ ,  $K(1 \le K \le N)$  will be given.
- From the second line there are N additional lines to give information about sizes of trees. At the  $i_{th}$  line, integer  $t_i (1 \le t_i \le 1,000,000,000)$  will be given.

### **Output**

Please print the minimum value of the maximum value of the sum of sizes of consecutive K trees, when we made the optimal cutting choice for the trees in a line.

Print a newline at the end of output.

# **Input Example 1**

```
Copy

1

5

6

2

4

3
```

## **Output Example 1**

```
Сору
```

If Wolf Sothe cuts the  $3_{rd}$  and  $6_{th}$  tree, the minimum value of the maximum value of the sum of sizes of consecutive 3 consecutive trees will be obtained when it is for the  $2_{nd}$ ,  $3_{rd}$ ,  $4_{th}$  tree. The sum of sizes is 5+0+2=7.

## **Input Example 2**

```
Copy
3
14
1
5
9
2
6
5
3
5
```

# **Output Example 2**

