# **GWAS Quality Control**

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### Setup

## **Quality Control**

- ▶ Aim of quality control: reduce bias in our statistics.
- Many of the methods discussed today apply to other types of analysis.

# Microarray vs NGS Technologies

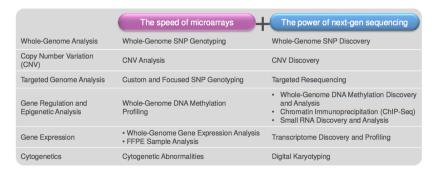


Figure 1: Advantages of using microarray vs Next-Generation Sequencing (NGS) technologies (Caroline Thureau, 2010)

# Summary of How Microarrays Work: Affymetrix

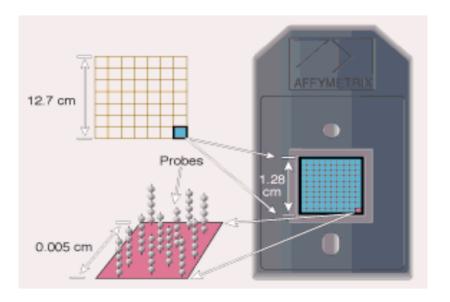


Figure 2: The Affymetrix platform (image courtesy of Nickerson)

## Summary of How Microarrays Work: Affymetrix

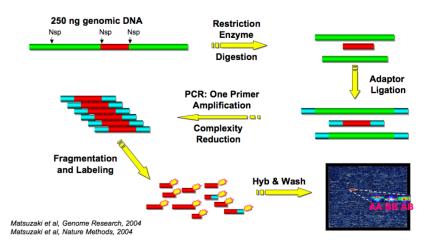


Figure 3: Affymetrix Workflow: Preparation of samples for Illumina chips is similar (image courtesy of Nickerson)

# Summary of How Microarrays Work: Illumina

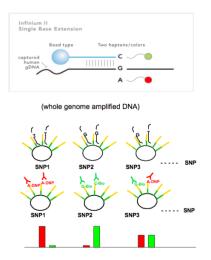


Figure 4: DNA fragments are captured on microbeads in Illumin platform (image courtesy of Nickerson)

# Summary of How Microarrays Work: Illumina

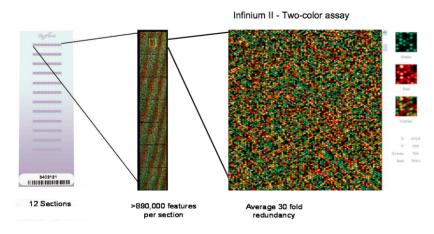


Figure 5: Beads are randomly dispersed on a plate and later decoded. Redundancy is higher (image courtesy of Nickerson)

# Summary of How Microarrays Work: Genotype Inferrence

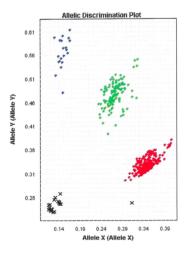


Figure 6: Intensities of A and B alleles are clustered to infer genoyptes.

# Genome Wide Association Studies (GWAS)

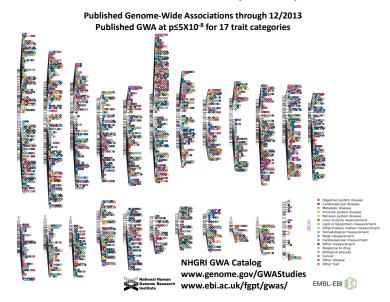


Figure 7: GWAS Findings as of 2013 (Hindorf et. al.)

#### Batch Effects: Problem

- Microarrays are tricky things
- ▶ Results can be slightly influenced (i.e. different) by processing date, lab tech, equipment used, . . .
- Every effort should be made to follow your protocol as exactly as possible, but you are still going to end up with batch effects.



Figure 8: Batch Effect Bias

#### Batch Effects: Solution

- Solution: Randomization breaks the link between disease and batch, which breaks the false association between SNP and disease.
- Alternate solution: Include batch number in your statistical model. Randomization is better, but sometimes we don't get a say in the matter.

$$disease = \beta_0 + \beta_{b1}batch_1 + \beta_{b2}batch_2 + \cdots + \beta_1 X_1 + \cdots + \beta_n X_n + \varepsilon$$

$$Disease \xrightarrow{\times} Batch \xrightarrow{\longrightarrow} SNP$$

#### **Batch Randomization**

Lets say we have 1000 samples we need to split over 10 batches of 100 each.

#### **Batch Randomization**

Again, our study will collect 1000 samples, which will need to be split into 10 batches of 100 each. This time, however, we expect the samples to be collected over a 5 year period, due to the low incidence of our disease. Also, we can't wait until the end of collection to run all the batches at once.

- Collect controls at the same time as the cases!!
- When you have collected 50 cases with their corresponding 50 controls, run a batch.
- If your technology has sub-batches (e.g. lanes) randomize the distribution of your cases and controls across those sub-batches as well.

# Genotyping Quality: Problem

- ▶ We assume that the technology is performing as it should.
- ▶ If it is performing as it should, we expect to get complete data (i.e. not very many missing values).
- ▶ If there are too many missing values, something is probably wrong with either the sample or the technology!
- Sources of "wrongness" include:
  - ► Poor DNA quality
  - Poor reagent quality
  - Contamination
  - Poor adherance to protocol

# Genotyping Quality: Solution

If there is a problem with your genotyping quality, you are really only left with two viable options:

- Redo the genotyping
- ▶ Remove the offending individuals/SNPs from the analysis

You can expect a small proportion of your SNPs to fail, and it is not uncommon to have a small proportion of your samples fail. The general rule of thumb is: there should be no more than 3-5% of your genotypes are missing for each individual, and no more than 3-5% of individuals have a missing genotype for each SNP.

- Too many missing genotypes for a SNP: Assay problem
- ► Too many missing genotypes for an individual: Sample problem

## Genotyping Quality: Non-Solution

Fancy bioinformatics will not solve genotyping quality problems!

- If your DNA is of low quality, your data are of low quality.
- If your assay is of low quality (e.g. due to a bad lot of a reagent), your data are of low quality.

▶ If your data are of low quality, your statistics are suspect.

If your statistics are suspect, your inferences/conclusions are also suspect (i.e. they are no good)!

## Genotyping Quality: Solution

► This will remove all SNPs with more than 5% of their genotypes missing (you may also want to remove any SNPs with a very low minor allele frequency using the --maf option):

```
plink --bfile mydata --geno 0.05 --maf 0.01 --recode
```

► This will remove all individuals with more than 5% of their genotypes missing:

```
plink --bfile mydata --mind 0.05 --recode
```

► The --recode option will generate a new set of PLINK files. You can include more than one filtering command in a single call.

# Genotyping Quality: HWE

Hardy-Weinberg Equilibrium (HWE) is another indicator of poor genotyping quality.

$$\begin{array}{c|cccc} & A & a \\ \hline A & f_{AA} & f_{aA} \\ \hline a & f_{Aa} & f_{aa} \end{array}$$

$$p = f_{AA} + \frac{f_{Aa} + f_{aA}}{2}$$
$$q = f_{aa} + \frac{f_{Aa} + f_{aA}}{2}$$

# HWE: Assumption of Genetic Equilibrium

Under the assumption of genetic equilibrium in the population,

$$f_{AA} = P(A \text{ from mom } \cap A \text{ from dad})$$

$$= p^2,$$

$$f_{aa} = P(a \text{ from mom } \cap a \text{ from dad})$$

$$= q^2,$$

$$f_{Aa} = f_{aA},$$

$$f_{Aa} + f_{aA} = P(A \text{ from mom } \cap a \text{ from dad}) +$$

$$P(a \text{ from mom } \cap A \text{ from dad})$$

$$= 2pq,$$

$$p^2 + 2pq + q^2 = 1.$$

# Genotyping Quality: Testing HWE Assumption

We can test this assumption using a Chi-squared test as follows:

- $\triangleright$  Calculate p and q (sample size is n).
- Define:
  - $\triangleright$   $O_{AA} =$  Observed number of individuals with AA genotype,
  - $\triangleright$   $O_{Aa} =$  Observed number of individuals with Aa genotype,
  - $ightharpoonup O_{aa} = Observed number of individuals with aa genotype.$

$$\frac{(O_{AA} - n * p^2)^2}{n * p^2} + \frac{(O_{Aa} - n * 2pq)^2}{n * 2pq} + \frac{(O_{aa} - n * q^2)^2}{n * q^2} \sim \chi_1^2$$

- Some SNPs will not fall within HWE expectations simply as a natural result of frequency deviations
- Research indicates that most of these deviations are due to genotyping errors

$$O_{AA} = 1469$$

$$O_{Aa} = 138$$

$$O_{aa} = 5$$

$$n = 1469 + 138 + 5$$

$$= 1612$$

$$p = \frac{2 * O_{AA} + O_{Aa}}{2n}$$

$$= \frac{2 * 1469 + 138}{2 * 1612}$$

$$= 0.954$$

$$q = (1 - p)$$

$$E_{AA} = n * p^{2}$$

$$= 1612 * 0.954^{2}$$

$$= 1612 * (2 * 0.954 * 0.046)$$

$$= 141.2$$

$$E_{aa} = n * q^{2}$$

$$= 1612 * 0.046^{2}$$

$$= 3.4$$

$$= \frac{2 * 5 + 138}{2 * 1612}$$

$$= 0.046$$

$$\chi_1^2 = \frac{(1469 - 1467.4)^2}{1467.4} + \frac{(138 - 141.2)^2}{141.2} + \frac{(5 - 3.4)^2}{3.4}$$
$$= 0.001 + 0.073 + 0.756$$
$$= 0.83$$

```
pchisq(0.83, 1, lower.tail = FALSE)
```

```
## [1] 0.3622725
```

```
hwexact(1469, 138, 5)
```

```
## [1] 0.3825187
```

$$O_{AA} = 1465$$

$$O_{Aa} = 138$$

$$O_{aa} = 9$$

$$n = 1465 + 138 + 9$$

$$= 1612$$

$$p = \frac{2 * O_{AA} + O_{Aa}}{2n}$$

$$=$$

$$q = (1 - p)$$

$$E_{AA} = n * p^{2}$$

$$=$$

$$E_{Aa} = n * 2pq$$

$$=$$

$$=$$

$$E_{aa} = n * q^{2}$$

$$=$$

$$=$$

$$q = \frac{2 * O_{aa} + O_{Aa}}{2n}$$

$$=$$

$$=$$

$$q = \frac{2 * O_{aa} + O_{Aa}}{2n}$$

$$=$$

$$=$$

$$=$$

$$\chi_{1}^{2} = \sum \frac{(O - E)^{2}}{E}$$

$$ho_{\chi^2} = 
ho_{ ext{exact}} =$$

# Genotyping Quality: HWE Solution

Use the --hwe option in PLINK to filter on a specific threshold (0.001 is common),

```
plink --bfile mydata --hwe 0.001 --recode
```

or you can get a summary of the HWE test statistics using the --hardy option,

```
plink --bfile mydata --hardy
```

which creates a file called plink.hwe with the following columns of data:

```
## SNP
                   SNP identifier
## TEST
                   Code indicating sample
## A1
                   Minor allele code
## A2
                   Major allele code
## GENO
                   Genotype counts: 11/12/22
                   Observed heterozygosity
## O(HET)
## E(HET)
                   Expected heterozygosity
## P
                   H-W p-value
```

# Asside on the $\chi^2$ Test (i.e. Pearson $\chi^2$ Test)

- ► This is used to test the frequency distribution of a sample is consistent with a theoretical distribution.
  - NULL under HWE:  $E_{AA} = np^2$ ,  $E_{AB} = 2npq$ , and  $E_{BB} = nq^2$ .
  - NULL for 2 tosses of fair coin (n times):  $E_{HH} = 0.25n$ ,  $E_{HT} = 0.5n$ ,  $E_{TT} = 0.25n$ .
  - NULL for 1 toss of fiar die (n times):  $E_1 = E_2 = \cdots = E_6 \approx 0.167 n$ .
- ▶ The test statistic takes the form:

$$\chi_1^2 = \sum_j \frac{(O_j - E_j)^2}{E_j}$$

# Asside on the $\chi^2$ Test: Example

Our test statistic for the number of coin tosses is:

$$\chi_1^2 = \frac{\left(O_{HH} - 0.25n\right)^2}{0.25n} + \frac{\left(O_{HT} - 0.5n\right)^2}{0.5n} + \frac{\left(O_{TT} - 0.25n\right)^2}{0.25n}$$

# Asside on the $\chi^2$ Test: Example

```
set.seed(872364)
n < -100
tosses <- sample(c('HH', 'HT', 'TT'), size = n, replace = TRUE,
                 prob = c(0.36, 0.48, 0.16)) # P(H) = 0.6
table(tosses)
## tosses
## HH HT TT
## 35 46 19
sum((c(35, 46, 19) - n*c(0.25, 0.5, 0.25))^2 /
        n*c(0.25, 0.5, 0.25))
## [1] 0.42
pchisq(0.42, df = 1, lower.tail = FALSE)
## [1] 0.516937
```

# Asside on the $\chi^2$ Test: Example

```
set.seed(72364)
n < -1000
tosses <- sample(c('HH', 'HT', 'TT'), size = n, replace = TRUE,
                 prob = c(0.36, 0.48, 0.16)) # P(H) = 0.6
table(tosses)
## tosses
## HH HT TT
## 384 459 157
sum((c(384, 459, 157) - n*c(0.25, 0.5, 0.25))^2 /
        n*c(0.25, 0.5, 0.25))
## [1] 7.49175
pchisq(7.492, df = 1, lower.tail = FALSE)
## [1] 0.006197369
```

# Asside on the $\chi^2$ Test: Applications

- Potential uses:
  - ► Test HWE
  - Check HLA-A allele distribution in a sample, compared to known reference
- Not appropriate for:
  - ► Test mean blood pressure (not categorical)
  - ► Test HLA-A and HLA-B allele distributions (frequencies must add to 1; would need two separate tests).

## Allele Flips: Problem

It is possible that you will get major alleles that are reported on different strands. In this example, we have an allele flip between sample A and sample B, which results in very different allele frequencies (reference is T).

- Sample A:  $f_T = 0.23$
- ▶ Sample B:  $f_T = 0.81$

If we flip sample B to the other strand we get an allele frequency of 0.19, which is much more in line with what we would expect.

ACCTGCAGCTCTCATTTTC[C/T]ATACAGTCAGTATCAATTC
GTTCATGATCTCTGAAAAT[T/C]GCGTGACTGACGCTGGAAG

Figure 9: Picking different strands as the reference in different samples is called an allele flip

### Allele Flips: Solution

If you aren't merging multiple samples, this shouldn't be a problem. Also, if you don't identify any allele flips in A/C or G/T SNPs while merging multiple samples, there probably aren't any allele flips in A/G or C/T SNPs (this isn't a guaruntee, though).

- ▶ If neither of those is true, you can check for allele flips using the --flip-scan module in PLINK.
- ► This works by scanning all potential allele flips (i.e. C/T and A/G SNPs) for inconsistent linkage disequilibrium between cases and controls. Thus, you may need to create a dummy case/control variable that corresponds to the sample ID for this test.

plink --bfile mydata --flip-scan

### Allele Flips: Solution

14

14

rs10129954

rs7140455

72220454

72240734

T C

```
## CHR.
           Chromosome
## SNP
           SNP identifier for index SNP
## BP
           Base-pair position
## A1
           Minor allele code
## A2
           Major allele code
## F
           Allele frequency (A1 allele)
## POS
           Number of positive LD matches
## R POS
           Average correlation of these
## NF.G
           Number of negative LD matches
## R NEG
           Average correlation of these
## NEGSNPS The SNPs showing negative correlation
```

CHR	SNP	BP	A1	A2	F	POS	R_POS	NEG	R_NEG	NEGSNP
14	rs12434442	72158039	T	C	0.249	5	0.515	1	0.46	rs2240
14	rs4899437	72190986	G	C	0.394	5	0.802	1	0.987	rs2240
14	rs2803980	72196284	G	Α	0.41	5	0.808	1	0.95	rs2240
14	rs2240344	72197893	C	G	0.489	0	NA	7	0.807	rs1243
14	rs2286068	72198107	C	T	0.407	7	0.741	1	0.962	rs2240
14	rs7160830	72209491	T	C	0.414	6	0.801	1	0.922	rs2240

C 0.413

0.469

6 0.729

0.72

0.73

0.64

rs2240

rs2240

### Allele Flips: Solution

Any SNPs you identify that need to be flipped can be recoded as follows:

```
plink --bfile mydata --flip list.txt --recode
```

If your samples have already been merged, you can do this for just a subset of the data:

```
plink --bfile mydata --flip list.txt
    --flip-subset subsample.txt --recode
```

#### Sex Mismatch

The reported sex of an individual may not match their biological sex. We want to be aware of these mismatches and treat them accordingly in our analysis. These can be checked with the following command:

```
plink --bfile mydata --sex-check
```

This will generate a file called plink.sexcheck.

```
## FID Family ID
## IID Individual ID
## PEDSEX Sex as determined in pedigree file (1=male, 2=female)
## SNPSEX Sex as determined by X chromosome STATUS Displays "PROBLEM" or
## "OK" for each individual
## F The actual X chromosome inbreeding (homozygosity) estimate
```

#### Relatives: Identification

We also want to know if there are relatives in the sample. An assumption for nearly any statistical test is that the sample is made up of independent individuals.

#### plink --file mydata --genome

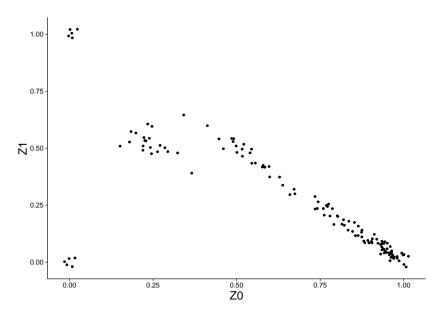
```
## FID1
             Family ID for first individual
             Individual ID for first individual
## TTD1
## FID2
             Family ID for second individual
## TTD2
             Individual ID for second individual
## R.T
             Relationship type given PED file
## EZ
             Expected IBD sharing given PED file
## 7.0
             P(IBD=0)
## Z1
             P(IBD=1)
## Z2
             P(IBD=2)
## PI HAT
             P(IBD=2)+0.5*P(IBD=1) ( proportion IBD )
## PHE
             Pairwise phenotypic code (1,0,-1 = AA, AU \text{ and } UU \text{ pairs})
## DST
             IBS distance (IBS2 + 0.5*IBS1) / ( N SNP pairs )
## PPC
             TBS binomial test
             Of HETHET: IBS 0 SNPs (expected value is 2)
## RATIO
```

Relatives: Z0, Z1, Z2

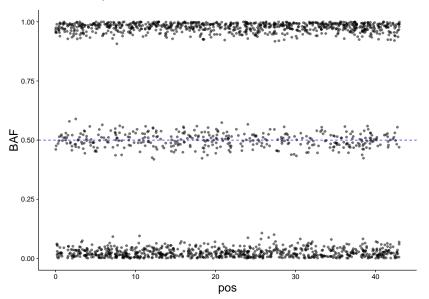
Relationship	Z0	Z1	Z2
Twins	0	0	1
Parent-Child	0	1	0
Full Sib	0.25	0.5	0.25
Half Sib	0.5	0.5	0
1st Cousin	0.75	0.25	0
2nd Cousin	0.875	0.125	0
nth Cousin	1 - Z1	$0.5^{n+1}$	0

Table 1: Probability of sharing 0, 1, or 2 loci Identically by Descent (Z0, Z1, and Z2, respectively)

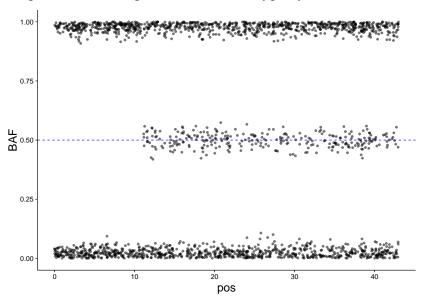
# Relatives: IBD Plot



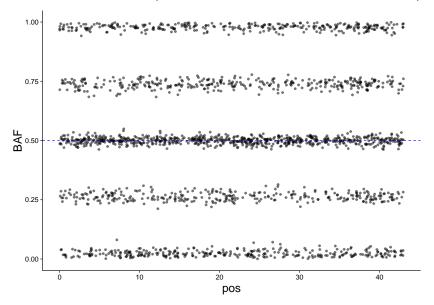
A normal BAF plot:



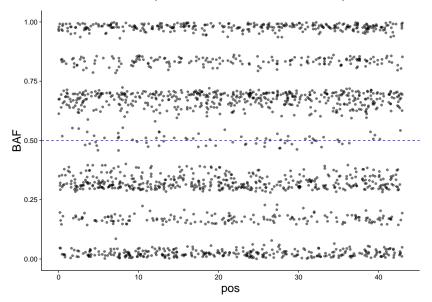
Large deletion leading to a loss of heterozygosity:



Sample contamination (equal amounts of sample and comaminant)



Sample contamination (30% of DNA is contamination)



Sample contamination (10% of DNA is contamination)

