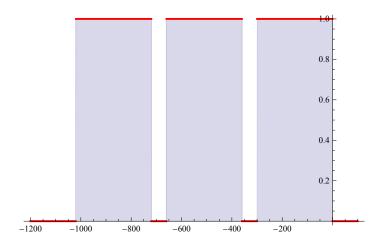
```
(* Decay heat calculation according to the simplified DIN25463-1990 formula *)
(* The decay heat calculation according
 to the 1990 formula is very simple as compared to
 the updated standard from 2014. Old 1990
 standard: "https://www.beuth.de/de/norm/din-25463-1/1549611"
   New 2014 standard: "https://www.beuth.de/de/norm/din-25463-1/194886177" *)
(* The 1990 standard also contained a simplified
 formula which in essence is an evelope function
 to cover different enrichments etc. *)
(* As input you have to define a power history as a step-wise function *)
gamma = {
    \{7.552 \times 10^{-2}, 7.546 \times 10^{-2}, 7.602 \times 10^{-2}\},\
    \{2.040 * 10^0, 1.532 * 10^0, 1.191 * 10^0\},
    \{-1.991 * 10^{-1}, -1.934 * 10^{-1}, -1.918 * 10^{-1}\}
  };
a = {
    {9.023 \times 10^{-2}, 1.069 \times 10^{-1}, 1.207 \times 10^{-1}},
    \{5.056 * 10^0, 5.226 * 10^0, 5.310 * 10^0\},
    \{-1.659 * 10^+2, -1.705 * 10^+2, -1.624 * 10^+2\},
    \{-5.716 * 10^+2, -8.356 * 10^+2, -9.077 * 10^+2\},
    \{-1.022 * 10^+ 4, -1.127 * 10^+ 4, -1.126 * 10^+ 4\}
    \{-6.498 * 10^+ 4, -7.328 * 10^+ 4, -7.644 * 10^+ 4\}
  };
b = {
    \{2.611*10^+3, 1.734*10^+3, 1.389*10^+3\},
    \{2.286 * 10^+6, 2.158 * 10^+6, 2.115 * 10^+6\},
    \{2.389 * 10^+10, 2.287 * 10^+10, 2.214 * 10^+10\},
    \{2.411*10^+13, 1.764*10^+13, 1.740*10^+13\},
    \{6.881 \times 10^{+} + 14, 6.948 \times 10^{+} + 14, 6.904 \times 10^{+} + 14\},
    \{1.763 * 10^+16, 1.846 * 10^+16, 1.869 * 10^+16\}
  };
c = {
    \{9.156 \times 10^{-5}, 1.717 \times 10^{-4}, 1.683 \times 10^{-4}\},
    \{-2.883 * 10^+1, -1.969 * 10^+1, -2.086 * 10^+1\}
  };
FAHC = {
    {0, 1.027},
    \{1.0, 1.028\}, \{1.5, 1.028\}, \{2.0, 1.029\},
    \{3.0, 1.029\}, \{4.0, 1.030\}, \{6.0, 1.031\}, \{8.0, 1.031\},
    \{10.0, 1.033\}, \{15.0, 1.034\}, \{20.0, 1.034\}, \{30.0, 1.034\}, \{40.0, 1.035\},
    \{60.0, 1.037\}, \{80.0, 1.037\}, \{100.0, 1.037\}, \{150.0, 1.039\}, \{200.0, 1.041\},
    \{300.0, 1.042\}, \{400.0, 1.044\}, \{600.0, 1.049\}, \{800.0, 1.052\},
    {1000.0, 1.055}, {1500.0, 1.059}, {2000.0, 1.063}, {3000.0, 1.070},
    {4000.0, 1.075}, {6000.0, 1.084}, {8000.0, 1.091}, {10000, 1.097},
```

```
{15 000, 1.109}, {20 000, 1.118}, {30 000, 1.131}, {40 000, 1.142},
    \{60000, 1.158\}, \{80000, 1.168\}, \{1.0*10^5, 1.177\}, \{1.5*10^5, 1.188\},
    \{2.0 * 10^5, 1.195\}, \{3.0 * 10^5, 1.201\}, \{4.0 * 10^5, 1.203\},
    \{6.0 \times 10^5, 1.206\}, \{8.0 \times 10^5, 1.210\}, \{1.0 \times 10^6, 1.213\}, \{1.5 \times 10^6, 1.223\},
    \{2.0 * 10^6, 1.231\}, \{3.0 * 10^6, 1.247\}, \{4.0 * 10^6, 1.258\}, \{6.0 * 10^6, 1.285\},
    \{8.0 \times 10^6, 1.310\}, \{1.0 \times 10^7, 1.331\}, \{1.5 \times 10^7, 1.378\}, \{2.0 \times 10^7, 1.415\},
    {3.0*10^{7}, 1.466}, {4.0*10^{7}, 1.503}, {6.0*10^{7}, 1.565}, {8.0*10^{7}, 1.628},
    \{1.0 \times 10^{8}, 1.691\}, \{1.5 \times 10^{8}, 1.785\}, \{2.0 \times 10^{8}, 1.799\}, \{3.0 \times 10^{8}, 1.721\}
  };
BMAX = {
    \{0, 3.741*10^-3\}, \{1.0, 3.740*10^-3\},
    \{1.5, 3.740*10^-3\}, \{2.0, 3.739*10^-3\},
    {3.0, 3.738 * 10^-3}, {4.0, 3.737 * 10^-3},
    \{6.0, 3.736 * 10^{-3}\}, \{8.0, 3.734 * 10^{-3}\},
    \{10.0, 3.732 * 10^-3\}, \{15.0, 3.727 * 10^-3\},
    \{20.0, 3.722 * 10^-3\}, \{30.0, 3.712 * 10^-3\},
    \{40.0, 3.703 * 10^-3\}, \{60.0, 3.684 * 10^-3\},
    \{80.0, 3.665 * 10^{-3}\}, \{100.0, 3.646 * 10^{-3}\},
    \{150.0, 3.600 * 10^-3\}, \{200.0, 3.555 * 10^-3\},
    \{300.0, 3.469 * 10^-3\}, \{400.0, 3.387 * 10^-3\},
    \{600.0, 3.233 * 10^{-3}\}, \{800.0, 3.095 * 10^{-3}\},
    \{1000.0, 2.969 * 10^{-3}\}, \{1500.0, 2.702 * 10^{-3}\},
    \{2000.0, 2.493*10^-3\}, \{3000.0, 2.200*10^-3\},
    \{4000.0, 2.019 * 10^-3\}, \{6000.0, 1.833 * 10^-3\},
    \{8000.0, 1.757 * 10^-3\}, \{10000, 1.721 * 10^-3\},
    \{15\,000, 1.678*10^{-3}\}, \{20\,000, 1.649*10^{-3}\},
    \{30000, 1.594 * 10^-3\}, \{40000, 1.540 * 10^-3\},
    \{60000, 1.439*10^-3\}, \{80000, 1.344*10^-3\},
    \{1.0 * 10^5, 1.255 * 10^-3\}, \{1.5 * 10^5, 1.058 * 10^-3\},
    \{2.0*10^5, 8.925*10^-4\}, \{3.0*10^5, 6.346*10^-4\},
    \{4.0*10^5, 4.512*10^-4\}, \{6.0*10^5, 2.281*10^-4\},
    \{8.0 \times 10^5, 1.154 \times 10^4, \{1.0 \times 10^6, 5.832 \times 10^5\},
    \{1.5 * 10^6, 1.060 * 10^-5\},
    \{2.0 * 10^6, 1.927 * 10^-6\}, \{3.0 * 10^6, 6.367 * 10^-8\},
    \{4.0 \times 10^6, 2.104 \times 10^-9\}
    \{6.0 \times 10^6, 2.297 \times 10^{-12}\}, \{8.0 \times 10^6, 2.507 \times 10^{-15}\}, \{1.0 \times 10^7, 0.0\},
    \{1.5 * 10^7, 0.0\}, \{2.0 * 10^7, 0.0\},
    \{3.0 * 10^7, 0.0\}, \{4.0 * 10^7, 0.0\}, \{6.0 * 10^7, 0.0\},
    \{8.0 * 10^7, 0.0\}, \{1.0 * 10^8, 0.0\}, \{1.5 * 10^8, 0.0\},
    \{2.0 * 10^8, 0.0\}, \{3.0 * 10^8, 0.0\}
  };
FA = Interpolation[FAHC];
BM = Interpolation[BMAX];
(* n=1 is a conservative estimate of
    the upper bound of the decay heat assuming sigma=0 *)
(* n=2 is a conservative estimate of the upper bound
```

```
of the decay heat assuming sigma=1 *)
(* n=3 is a conservative estimate of the upper bound
   of the decay heat assuming sigma=2 *)
Exp[c[[2]][[n]] *t] + Sum[(a[[j]][[n]] / Sqrt[b[[j]][[n]] + t^2]), {j, 1, 6}];
(* the power history has to be defined in such a manner that t=
 0 equals end of life EOL *)
tk = {300 + 60 + 300 + 60, 300 + 60, 0};
Tk = {300, 300, 300};
power[t_{\_}] := UnitStep[t + tk[[1]] + Tk[[1]]] - UnitStep[t + tk[[1]]] +
   \label{eq:continuous_theorem} \mbox{UnitStep[t+tk[[2]]+Tk[[2]]]-UnitStep[t+tk[[2]]]+} \\
   UnitStep[t + tk[[3]] + Tk[[3]]] - UnitStep[t + tk[[3]]];
{\tt Plot[power[t], \{t, -1200, 100\}, PlotStyle \rightarrow \{Red, Thick\}, Filling \rightarrow Bottom]}
```



```
\texttt{DayToSec} = 24 * 60 * 60;
DecayHeat[t_, n_] :=
  FA[t] * Sum[(Fv[tk[[j]] * DayToSec + t, n] - Fv[(tk[[j]] + Tk[[j]]) * DayToSec + t, n]),
      {j, 1, 3}] + BM[t];
results = {
   {0.1, DecayHeat[0.1, 2]},
   {1, DecayHeat[1, 2] },
   {10, DecayHeat[10, 2]},
   {100, DecayHeat[100, 2]},
   {1000, DecayHeat[1000, 2]},
   {10^4, DecayHeat[10^4, 2]},
   {10^5, DecayHeat[10^5, 2]},
   {10^6, DecayHeat[10^6, 2]},
   {10^7, DecayHeat[10^7, 2]},
   {10^8, DecayHeat[10^8, 2]}
  };
results
\{\{0.1, 0.0764875\}, \{1, 0.0707629\}, \{10, 0.0544559\}, \{100, 0.0362458\},
 {1000, 0.0229125}, {10000, 0.0118817}, {100000, 0.00644069},
 \{1000000, 0.00274417\}, \{10000000, 0.000890494\}, \{100000000, 0.000110294\}\}
ListLogLogPlot[results, PlotStyle → {Red, Thick}]
 0.050
```

