



# National Textile University

## Department of Computer Science

**Subject**

**Operating system**

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02

**Semester**

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## Part 1: Semaphore theory:

### Question:

1. A counting semaphore is initialized to 7. If 10 wait() and 4 signal() operations are performed, find the final value of the semaphore.

### Answer:

We start with 7 keys.

Each wait() takes 1 key. So 10 wait() calls take 10 keys.

Each signal() gives back 1 key. So 4 signal() calls return 4 keys.

Final keys =  $7 - 10 + 4 = 1$

The final semaphore value is 1.

### Question:

2. A semaphore starts with value 3. If 5 wait() and 6 signal() operations occur, calculate the resulting semaphore value.

### Answer:

Take the semaphore as keys:

Start with 3 keys.

5 wait() calls take 5 keys so  $3 - 5 = -2$ .

6 signal() calls return 6 keys so  $-2 + 6 = 4$ .

Final semaphore value = 4.

**Question:**

3. A semaphore is initialized to 0. If 8 signal() followed by 3 wait() operations are executed, find the final value.

**Answer:**

Take the semaphore as keys:

Start with 0 keys.

8 signal() calls add 8 keys, so 0 plus 8 equals 8.

3 wait() calls take 3 keys, so 8 minus 3 equals 5.

Final semaphore value is 5.

**Question:**

4. A semaphore is initialized to 2. If 5 wait() operations are executed:

- a) How many processes enter the critical section?
- b) How many processes are blocked?

**Answer:**

Think of the semaphore as keys:

Start with 2 keys. The first 2 wait() calls take the keys and enter the critical section.

The next 3 wait() calls find no keys and have to wait.

- a) Processes in the critical section: 2
- b) Processes blocked: 3

**Question:**

5. A semaphore starts at 1. If 3 wait() and 1 signal() operations are performed:

- a) How many processes remain blocked?
- b) What is the final semaphore value?

**Answer:**

The semaphore starts with 1 key, so 1 process can enter.

- First wait() takes the key, Process 1 enters.
  - Next 2 wait() calls find no keys, so Processes 2 and 3 are blocked.
  - One signal() returns a key, Process 2 enters.
  - Process 3 remains blocked.
- a) Processes blocked: 1 (Process 3)  
b) Final semaphore value: -1

**Question:**

```
6.  
semaphore S = 3;  
wait(S);  
wait(S);  
signal(S);  
wait(S);  
wait(S);
```

- a) How many processes enter the critical section?  
b) What is the final value of S?

**Answer:**

Semaphore starts with 3 keys, so 3 processes can enter.

1. First wait(): Process 1 takes 1 key,  $S = 2$ , enters.
  2. Second wait(): Process 2 takes 1 key,  $S = 1$ , enters.
  3. signal(): 1 key returned,  $S = 2$ .
  4. Third wait(): Process 3 takes 1 key,  $S = 1$ , enters.
  5. Fourth wait(): Process 4 takes 1 key,  $S = 0$ , enters.
- a) Processes in critical section: 4  
b) Final semaphore value: 0

**Question:**

```
7.  
semaphore S = 1;  
wait(S);  
wait(S);  
signal(S);  
signal(S);
```

- a) How many processes are blocked?
- b) What is the final value of S?

**Answer:**

Semaphore starts with 1 key, so 1 process can enter.

1. First wait(): Process 1 takes 1 key,  $S = 0$ , enters.
  2. Second wait(): Process 2 finds no key, is blocked,  $S = -1$ .
  3. First signal(): Key is returned, Process 2 enters,  $S = 0$ .
  4. Second signal(): Key is returned,  $S = 1$ .
- a) Processes blocked: 1 (Process 2)
  - b) Final semaphore value: 1

**Question:**

```
8. A binary semaphore is initialized to 1. Five wait() operations are executed without any signal(). How many processes enter the critical section and how many are blocked?
```

**Answer:**

Binary semaphore has 1 key, so only 1 process can enter at a time.

1. First wait(): Process 1 takes the key, enters, semaphore = 0.
2. Next 4 wait(): No key available, Processes 2, 3, 4, and 5 are blocked.

**Question:**

9. A counting semaphore is initialized to 4. If 6 processes execute wait() simultaneously, how many proceed and how many are blocked?

**Answer:**

Semaphore has 4 keys, so 4 processes can enter at once.

1. First 4 processes take the keys and enter, semaphore = 0.
2. Next 2 processes find no keys and are blocked.

Processes that proceed: 4

Processes blocked: 2

**Question:**

10. A semaphore S is initialized to 2.  
wait(S);  
wait(S);  
wait(S);  
signal(S);  
signal(S);  
wait(S);

- a) Track the semaphore value after each operation.
- b) How many processes were blocked at any time?

**Answer:**

Semaphore starts with 2 keys.

1. Process 1 wait(): takes 1 key, semaphore = 1, enters.
  2. Process 2 wait(): takes 1 key, semaphore = 0, enters.
  3. Process 3 wait(): no keys, blocked, semaphore = -1.
  4. signal(): key returned, Process 3 wakes up, semaphore = 0.
  5. signal(): no one waiting, semaphore = 1.
  6. Process 4 wait(): takes 1 key, semaphore = 0, enters.
- a) Semaphore values after each step: 2 → 1 → 0 → -1 → 0 → 1 → 0  
b) Processes blocked: 1 (Process 3)

**Question:**

11. A semaphore is initialized to 0. Three processes execute wait() before any signal(). Later, 5 signal() operations are executed.  
a) How many processes wake up?  
b) What is the final semaphore value?

**Answer:**

Semaphore starts with 0 keys, so no process can enter.

- 3 wait() calls:
    - Process 1 blocked, S = -1
    - Process 2 blocked, S = -2
    - Process 3 blocked, S = -3
  - 5 signal() calls:
    1. Signal 1 wakes Process 1, S = -2
    2. Signal 2 wakes Process 2, S = -1
    3. Signal 3 wakes Process 3, S = 0
    4. Signal 4, S = 1
    5. Signal 5, S = 2
- a) Processes that wake up: 3 (all initially blocked)  
b) Final semaphore value: 2 (2 keys available)

## Part 2: Semaphore Coding

Consider the Producer–Consumer problem using semaphores as implemented in Lab-10 (Lab-plan attached). Rewrite the program in your own coding style, compile and execute it successfully, and explain the working of the code in your own words.

Submission Requirements:

- Your rewritten source code
- A brief description of how the code works
- Screenshots of the program output showing successful execution

**Code:**

```
● ○ ●
1 #include <stdio.h>
2 #include <stdlib.h>
3 #include <pthread.h>
4 #include <semaphore.h>
5 #include <unistd.h>
6
7 #define BUFFER_SIZE 5
8
9 int buffer[BUFFER_SIZE];
10 int in = 0, out = 0;
11
12 sem_t empty, full;
13 pthread_mutex_t mutex;
14
15 void* producer(void* arg) {
16     for (int i = 1; i <= 10; i++) {
17         sem_wait(&empty);
18         pthread_mutex_lock(&mutex);
19
20         buffer[in] = i;
21         printf("Producer produced: %d\n", i);
22         in = (in + 1) % BUFFER_SIZE;
23
24         pthread_mutex_unlock(&mutex);
25         sem_post(&full);
26
27         sleep(1);
28     }
29     return NULL;
30 }
31
32 void* consumer(void* arg) {
33     for (int i = 1; i <= 10; i++) {
34         sem_wait(&full);
35         pthread_mutex_lock(&mutex);
36
37         int item = buffer[out];
38         printf("Consumer consumed: %d\n", item);
39         out = (out + 1) % BUFFER_SIZE;
40
41         pthread_mutex_unlock(&mutex);
42         sem_post(&empty);
43
44         sleep(2);
45     }
46     return NULL;
47 }
48
49 int main() {
50     pthread_t prod, cons;
51
52     sem_init(&empty, 0, BUFFER_SIZE);
53     sem_init(&full, 0, 0);
54     pthread_mutex_init(&mutex, NULL);
55
56     pthread_create(&prod, NULL, producer, NULL);
57     pthread_create(&cons, NULL, consumer, NULL);
58
59     pthread_join(prod, NULL);
60     pthread_join(cons, NULL);
61
62     sem_destroy(&empty);
63     sem_destroy(&full);
64     pthread_mutex_destroy(&mutex);
65
66     return 0;
67 }
68 }
```

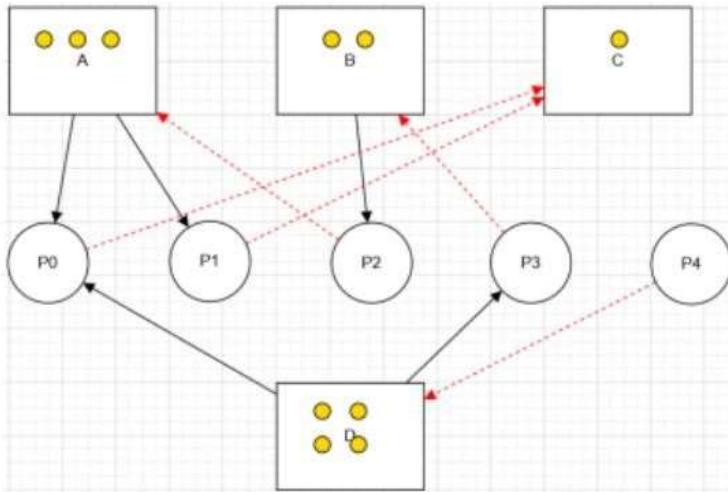
## Output:

## Description:

1. A buffer of size 5 is created to store items.
  2. Two indexes are used:
    - in → position where producer puts an item
    - out → position where consumer takes an item
  3. Two semaphores are used:
    - empty : keeps track of empty spaces in the buffer
    - full : keeps track of filled spaces in the buffer
  4. A mutex is used to ensure that only one thread accesses the buffer at a time.
  5. Two producer threads are created.
  6. Two consumer threads are created.
  7. Each producer produces 3 items and puts them into the buffer.
  8. Each consumer consumes 3 items from the buffer.
  9. Producers wait if the buffer is full.
  10. Consumers wait if the buffer is empty.
  11. The buffer works like a circular queue using modulo operation.
  12. Producers are faster (`sleep(1)`), and consumers are slower (`sleep(2)`).

## Part 3: RAG (Recourse Allocation Graph)

- Convert the following graph into matrix table ,



**Answer:**

### A. Allocation Matrix (Who HAS what)

Count the solid black arrows coming *out* of a resource box *into* a process circle.

Process	A	B	C	D
P0	1	0	0	1
P1	1	0	0	0
P2	0	1	0	0
P3	0	0	0	1
P4	0	0	0	0

Process	A	B	C	D
Total Allocated	2	1	0	2

### B. Request Matrix (Who WANTS what)

Count the red arrows coming *out* of a process circle *into* a resource box.

Process	A	B	C	D
P0	0	0	1	0
P1	0	1	1	0
P2	1	0	1	0
P3	0	1	0	0
P4	0	0	0	1

### C. Available Resources Vector:

A: 3 instances total - 2 allocated = 1 available

B: 2 instances total - 1 allocated = 1 available

C: 1 instance total - 0 allocated = 1 available

D: 4 instances total - 2 allocated = 2 available

Resource	A	B	C	D
Available	1	1	1	2

## Part 4: Banker's Algorithm:

### System Description:

- The system comprises five processes (P0–P3) and four resources (A,B,C,D).
- Total Existing Resources:

Total			
A	B	C	D
6	4	4	2

- Snapshot at the initial time stage:

	Allocation				Max				Need			
	A	B	C	D	A	B	C	D	A	B	C	D
P0	2	0	1	1	3	2	1	1				
P1	1	1	0	0	1	2	0	2				
P2	1	0	1	0	3	2	1	0				
P3	0	1	0	1	2	1	0	1				

### Questions:

#### 1. Compute the Available Vector:

- Calculate the available resources for each type of resource.

### Answer:

Total resources:

A=0, B=4 ,C=4, D=2

Available matrix Total allocated:

A:  $2 + 1 + 1 + 0 = 4$

B:  $0 + 1 + 0 + 1 = 2$

C:  $1 + 0 + 1 + 0 = 2$

D:  $1 + 0 + 0 + 1 = 2$

Total - total allocated

A:  $6 - 4 = 2$

B:  $4 - 2 = 2$

C:  $4 - 2 = 2$

D:  $2 - 2 = 0$

Available Vector: [2,2,2,0]

### Question:

#### 2. Compute the Need Matrix:

- Determine the need matrix by subtracting the allocation matrix from the maximum matrix.

### Answer:

The **Need Matrix** is calculated using the formula: Need = Max - Allocation.

Process	Max (A B C D)	Allocation (A B C D)	Need (A B C D)
P0	3 2 1 1	2 0 1 1	1 2 0 0
P1	1 2 0 2	1 1 0 0	0 1 0 2

<b>P2</b>	3 2 1 0	1 0 1 0	<b>2 2 0 0</b>
<b>P3</b>	2 1 0 1	0 1 0 1	<b>2 0 0 0</b>

### Question:

#### 3. Safety Check:

- Determine if the current allocation state is safe. If so, provide a safe sequence of the processes.
- Show how the Available (working array) changes as each process terminates.

### Answer:

To determine if the state is safe, we find a sequence where each process's need available. Once a process finishes, it releases its Allocation back to the Available pool.

Step	Process	Need	Available (Work)	Can it run	New Available (Work + Allocation)
1	<b>P0</b>	[1, 2, 0, 0]	[2, 2, 2, 0]	<b>Yes</b>	[2,2,2,0] + [2,0,1,1] = {[4, 2, 3, 1]}
2	<b>P2</b>	[2, 2, 0, 0]	[4, 2, 3, 1]	<b>Yes</b>	[4,2,3,1] + [1,0,1,0] = {[5, 2, 4, 1]}
3	<b>P3</b>	[2, 0, 0, 0]	[5, 2, 4, 1]	<b>Yes</b>	[5,2,4,1] + [0,1,0,1] = {[5, 3, 4, 2]}
4	<b>P1</b>	[0, 1, 0, 2]	[5, 3, 4, 2]	<b>Yes</b>	[5,3,4,2] + [1,1,0,0] = {[6, 4, 4, 2]}

Yes. Safe Sequence: {P0, P2, P3, P1}