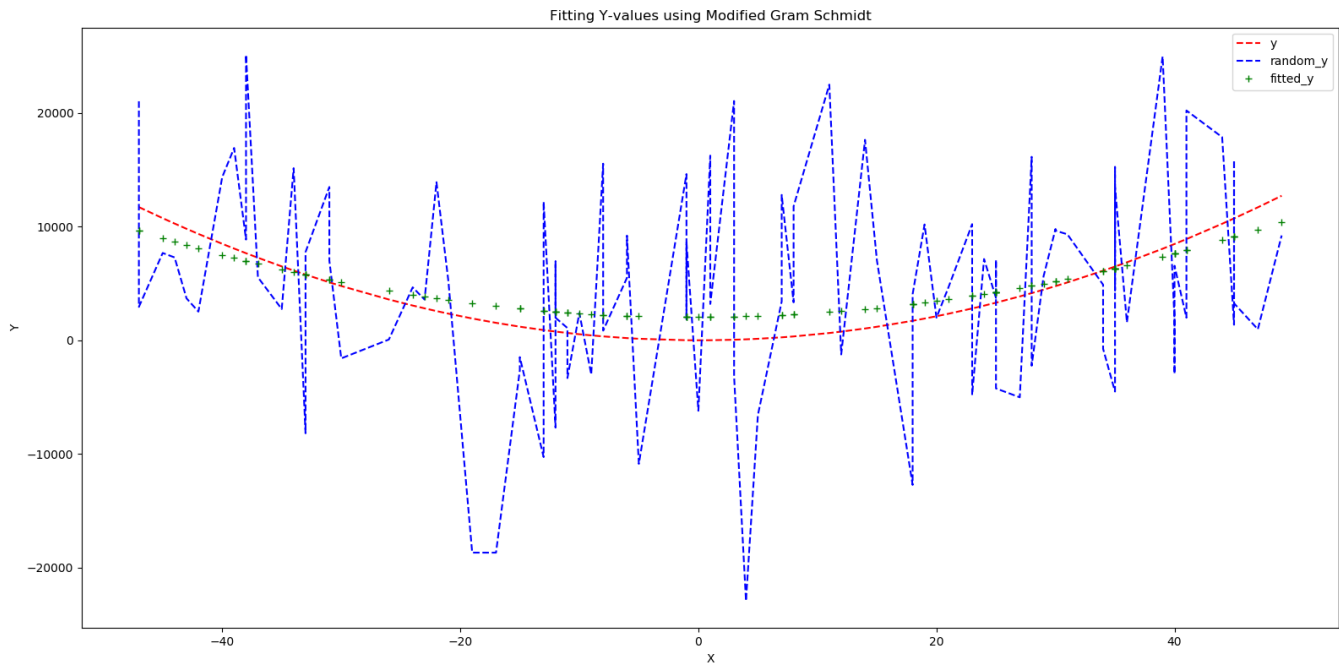


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**HW 4:** Fitting Y-values using various techniques with sigma = 10,000.

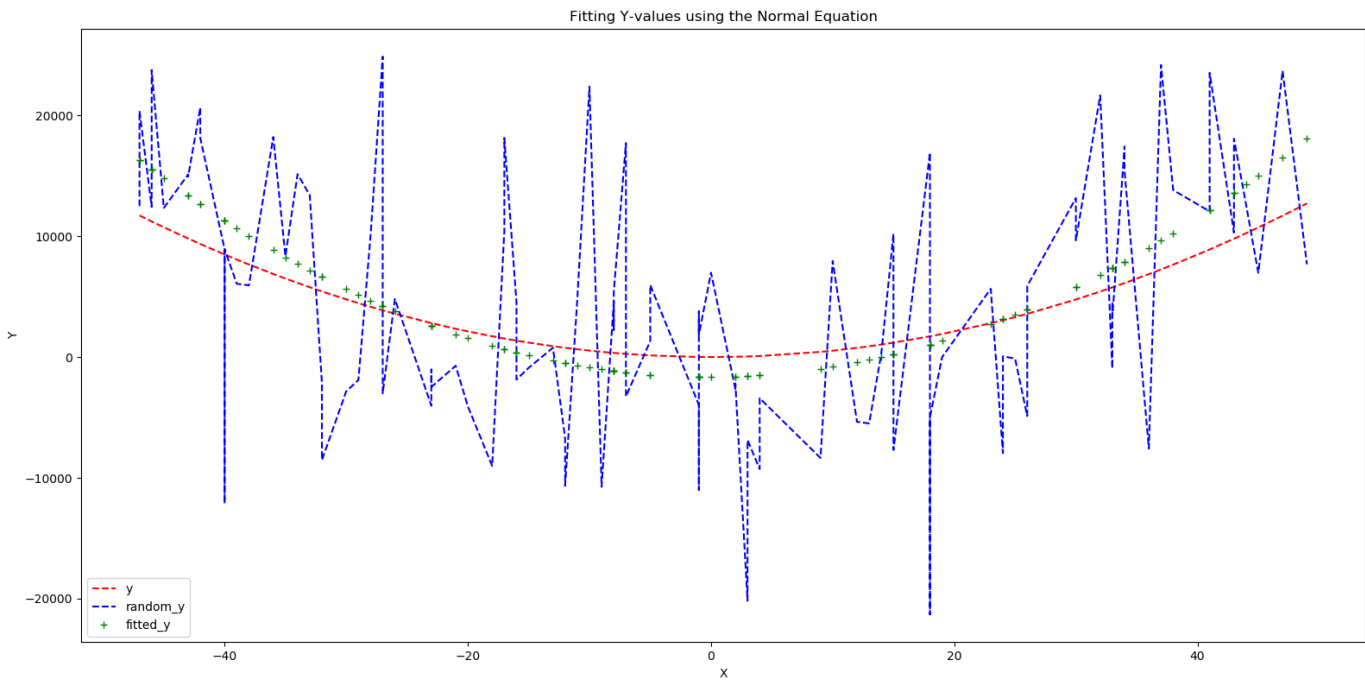
Q1:



Betas:  $\begin{bmatrix} 1075.73347559 \\ -15.85284368 \\ 4.72055966 \end{bmatrix}$

As expected, the random Y-values (random\_y) are very volatile from one observation to the next. Therefore, we generate the fitted Y-values using the Modified Gram Schmidt algorithm which has mitigated the randomness inherent to each observation as to minimize the distance between each observation and the fitted curve.

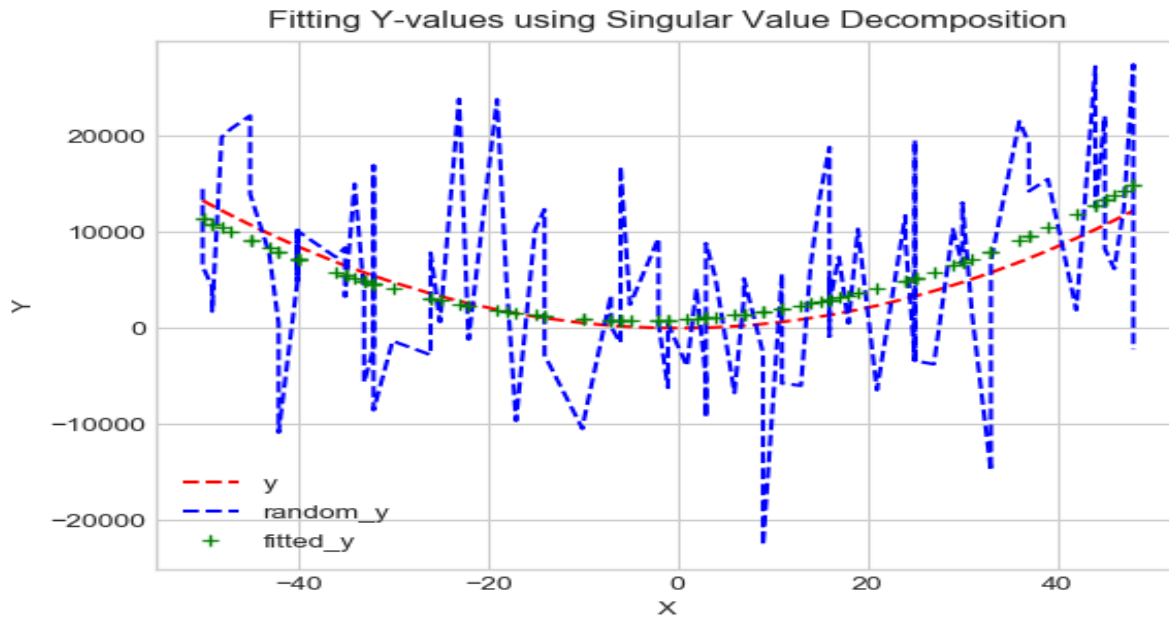
Q2:



Betas:  $\begin{bmatrix} 1362.29 \\ -12.109 \\ 4.318 \end{bmatrix}$

As expected, the random Y-values (random\_y) are very volatile from one observation to the next. Therefore, we generate the fitted Y-values using the Normal Equation which has mitigated the randomness inherent to each observation as to minimize the distance between each observation and the fitted curve.

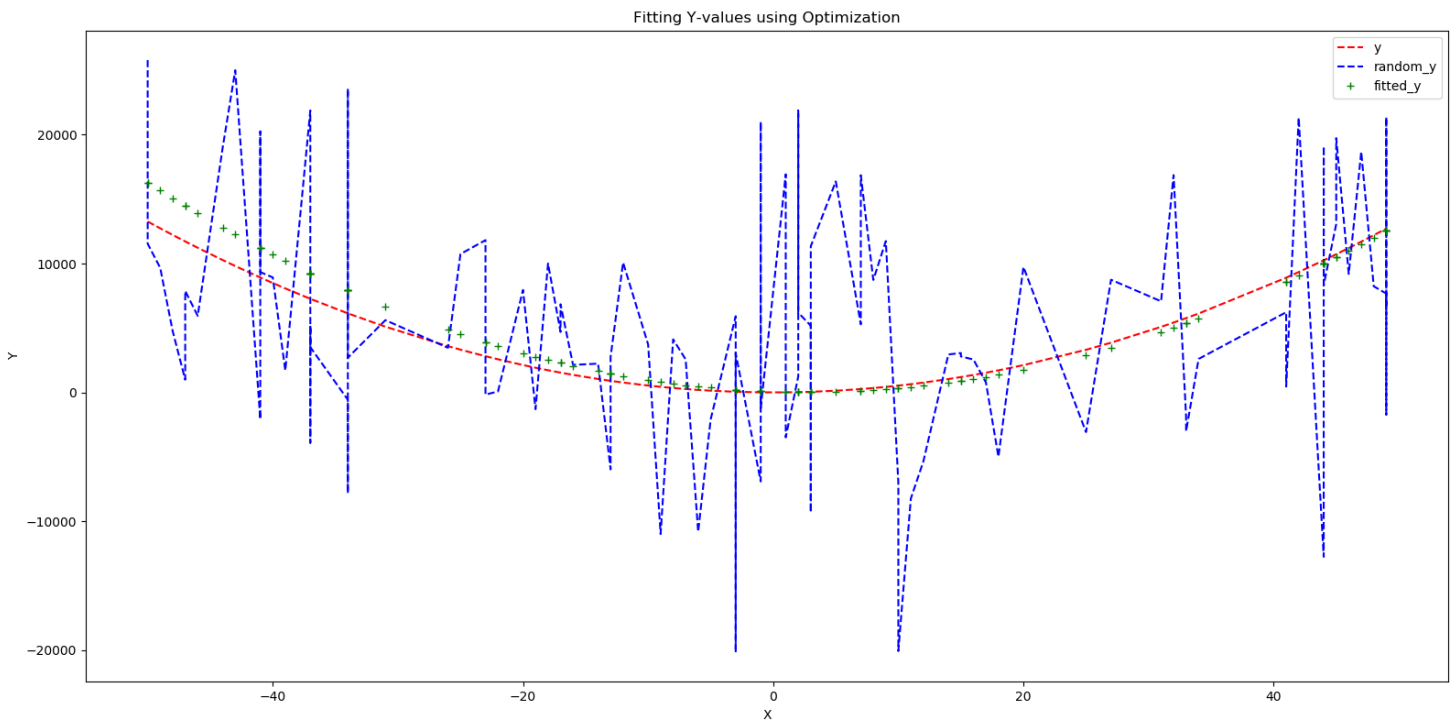
Q3:



Betas:  $\begin{bmatrix} 1613.0448771 \\ 39.77033235 \\ 3.98253248 \end{bmatrix}$

As expected, the random Y-values (random\_y) are very volatile from one observation to the next. Therefore, we generate the fitted Y-values using the Singular Value Decomposition algorithm which has mitigated the randomness inherent to each observation as to minimize the distance between each observation and the fitted curve.

Q4:



Betas:  $\begin{bmatrix} 59.442 \\ -31.889 \\ 5.95 \end{bmatrix}$

As expected, the random Y-values (random\_y) are very volatile from one observation to the next. Therefore, we generate the fitted Y-values using the built-in Optimization algorithm, `scipy.optimize.fmin()`, which has mitigated the randomness inherent to each observation as to minimize the distance between each observation and the fitted curve.