

000
001
002
003
004
005
006
007
008
009
010
011054
055
056
057
058
059
060
061
062
063
064
065012
013
014
015
016
017
018
019
020
021
022
023
024
025
026
027
028
029
030
031
032
033
034
035
036
037
038
039
040
041
042
043
044
045
046
047
048
049
050
051
052
053066
067
068
069
070
071
072
073
074
075
076
077
078079
080
081
082
083
084
085
086
087
088
089
090
091
092
093
094
095
096
097
098
099
100
101
102
103
104
105
106
107

A Sparse Linear Model for Saliency-Guided Decolorization

Anonymous CVPR submission

Paper ID ****

Abstract

Unlike most of the existing decolorization techniques that emphasize preserving image features revealed in the input color space, our proposed method focuses on exploring those in a higher dimensional feature space. The shift of paradigm is motivated by that decolorization is often sensitive to adopting the various color systems. The results of converting the same color image expressed in different color spaces could vary significantly. We instead consider constructing an image-dependent feature space by learning a representative dictionary, and carry out decolorizing an image by retaining the structures there. To this end, for a given image, the atoms of the dictionary are systematically collected to reflect the visually important/salient contents, and also to concisely reduce chromatic redundancy. A sparse linear model with respect to the learned dictionary is then assumed. Finally, a linear projection from the feature space of higher dimension to grayscale can be optimized to accomplish the conversion. Experimental results and comparisons with the state-of-the-art are provided to illustrate the various advantages of the proposed framework to decolorization.

1. Introduction

Monochrome imaging is important for not only artistic issues but also practical applications. Despite limited by a less accurate representation of optical record on sensors, it is expected to retain important and meaningful visual features and impressions. This is especially crucial in vision research, as quite a number of techniques in this field work on one single color channel in addressing tasks ranging from feature extraction to object recognition. In this work, we particularly focus on the study of converting color images into their grayscale, and restrict our discussions to this intriguing category.

From a mathematical viewpoint, decolorizing a color image into its grayscale counterpart is not a well-posed problem. While it is easy to accomplish the task, it is also hard to come up with a general and effective solution. Among

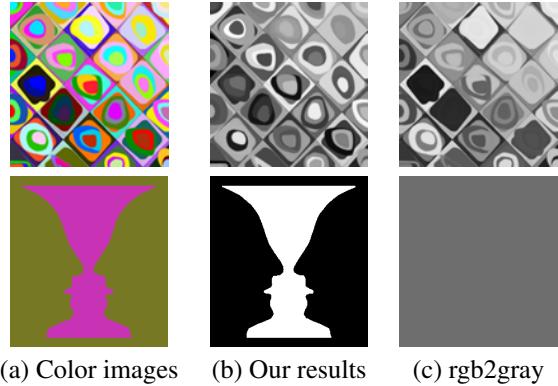


Figure 1. Visual cues such as edge and objectness may vanish if a decolorization method cannot handle isoluminance. (The results of `rgb2gray` are obtained using Matlab.)

the various approaches, *e.g.*, [?, ?, ?], those that can reasonably preserve meaningful visual cues such as edge, saliency and objectness are deemed to be most useful for computer vision. While such a goal is explicit, the unavoidable information loss due to an underlying projection into the 1-D space of grayscale values has preventing the majority of existing techniques from satisfactorily performing decolorization. The main goal of our research is to propose a new and efficient decoloration framework by learning an image-dependent dictionary adapted to best characterize color as well as important/salient feature distributions, and to implicitly induce a discriminative feature space of higher dimensions to more appropriately account their subtleties.

In Figure 1, we illustrate examples of losing important information after performing decolorization. There the two color images both contain strong visual cues related to edge, objectness, and saliency. However, using the standard `rgb2gray` procedure provided in Matlab, these meaningful features either diminish partially or disappear completely, as shown in the rightmost column. The phenomenon is caused by that the chromatic features of isoluminance cannot be retained by `rgb2gray`. While this may seem to be inevitable for any legitimate linear projection to the grayscale, we argue that by transforming to a proper feature space, the

108 meaningful chromatic and the luminance structures can be
 109 better revealed. In addition, the chance of failing to distin-
 110 guish different chromatic cues of isoluminance would also
 111 decrease, as the resulting projection is derived based on a
 112 new representation designed to distinguish the image con-
 113 tents.
 114

2. Related Work

Decolorization can be view as a subset of dimensionality reduction problem. Several algorithms have been proposed for compressing different types of data in general. Principal Component Analysis (PCA) is a classic technique of linear dimensionality reduction. PCA function as decolorization by computing an ellipsoid to fit data in color space and projecting points into the major axis of the ellipsoid. In addition to linear methods, non-linear dimensionality reduction also served this task by fitting a more complex model in the color space. Both linear and non-linear model is sensitive to color space. For example, RGB and CIEL*a*b lead totally different grayscale images in practice. Despite of the complexity of the model using in this scenario, the main concern is that weather the color space reveal helpful hints for them to explain data and perform mapping on it. However, limited papers apply dimensionality reduction into their framework, and even less of them discuss about the property of color space for this scheme. In a result that these methods were reported unstable for decolorziation [?].

In recent years, several methods of decolorization have been proposed, and they can be categorized in Local operators aware of their neighborhood, they perform color mapping based on the spatial relationship. In the other hand, global operators seek the same mapping to all pixels in the image without losing significant contrast by careful design.

Bala and Eschbach [?] combined luminance and chromatics through high-pass filter which preserved edge information. Although the filter-based operators is efficient, it can only handles the color differences within a pixel width. Gooch *et al.* [?] proposed the technique that optimizes grayscale images which satisfied the offsets of pixel-level chromatic differences. Their study presented cheerful results on small scale image, but it is unable to scale up by the limitation of a quartic order algorithm. Smith *et al.* [?] used a two-step algorithm which globally mapped apparent lighting and then locally enhance the contrast by using a pyramid-based decomposition of images. In general, preserving information in neighborhood may help to enhance the contrast locally, but they also might be suffer from distorting the order of illuminance in a wider view. Moreover, they are computationally expensive as our reported in Table ??.

On the other hand, Rasche *et al.* [?] applied nonlinearly constraint optimization to seek a global contrasts between all colors in the image instead of pixels. They further refine

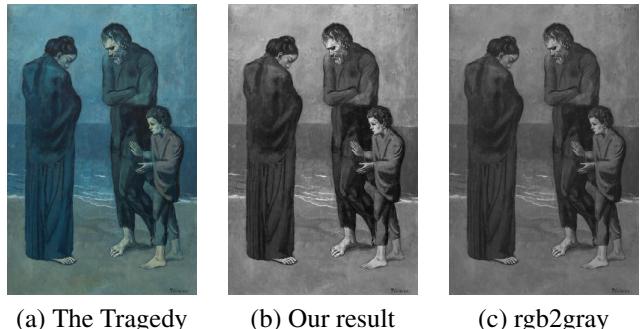


Figure 2. Emotional impression depicted in various blues is lost after decolorization.

their method by eliminating the computation [?]. Grundland and Dodgson [?] performed global color mapping with predominant component analysis. The straightforward operator is efficient by Gaussian pairing sampling which reduce the amount of comparing color differences. By considering those comparison of color differences should not be handled in pixel level, Lau *et al.* [?] proposed a cluster-based algorithm which manipulate the operator on graphical model. Rather than seeking a perfect optical match, Ancuti *et al.* [?] argued the decolorization operator should focus on the salient regions in the picture.

Inspired by these methods, considering the advantages: (1) efficiency by computing on upper pixel level (2) saliency by focusing on important region in the image, we propose a global color mapping which preserves these features by learning a linear projection through a sparse space with higher dimensionality. We argue that the power of linear operator has been underestimated. With a suitable feature transform, we preserve contrast and saliency without suffering from potential isoluminants color in the input image. As a global method, our algorithm avoid to create artifacts such as halos or broken segments in local methods. In contrast with other global methods, we straightly preserve the most salient region in the images to exploit the power of linear operator as demonstrated in Figure 5. Different from Ancuti *et al.* [?], our method default do not enhancing the indistinct pattern as showed in Figure 6.

3. Method

As we have discussed in the previous section, most of the existing techniques to convert a color image into grayscale do attempt to address preserving not only the luminance but also the chromatic information. However, their formulation often investigates the related features either in the original color space or in yet another color space of the same dimension. In our method, we instead transform the 3-D color space into a new feature space of higher-dimensions. We achieve this effect by learning an image-dependent dictio-

162
 163
 164
 165
 166
 167
 168
 169
 170
 171
 172
 173
 174
 175
 176
 177
 178
 179
 180
 181
 182
 183
 184
 185
 186
 187
 188
 189
 190
 191
 192
 193
 194
 195
 196
 197
 198
 199
 200
 201
 202
 203
 204
 205
 206
 207
 208
 209
 210
 211
 212
 213
 214
 215

216
217
218
219
220
221
222
223
224
225
226
227
228
229
230
231
232
233
234
235
236
237
238
239
240
241
242
243
244
245
246
247
248
249
250
251
252
253
254
255
256
257
258
259
260
261
262
263
264
265
266
267
268
269
nary D to account for the important features such as color and saliency distributions. To go from the original color space to this new space, denoted as $F^{|D|} \subseteq \mathbb{R}^{|D|}$, without significantly increasing the computational complexity, we consider a sparse linear model [?] over D , and more significantly, we show that the underlying relations among the luminance and chromatic features can be better revealed in $F^{|D|}$. Hence, designing a transformation to carry out color conversion by preserving the relations there would generally lead to a more effective scheme.

3.1. Overall framework

The main challenge of decolorization is the loss of visually meaningful chromatic information, which in certain cases is extremely hard to maintain after converting to a grayscale image. Take, for example, the famous painting “The Tragedy” by Pablo Picasso shown in Figure 2. Without relying parameter hand-tuning, most of the state-of-the-art techniques or softwares for decolorization would not be able to capture the emotional impression depicting by the various blues. One main reason for the difficulty is that visually meaningful contents inspired by chromatic stimuli cannot be appropriately represented in a 3-D color space. And it causes most of the related techniques to fail. Nevertheless, as we will describe later, chromatic information of less subtlety can be more satisfactorily retained in a systematic framework over $F^{|D|}$.

Motivated by the recent success in adopting the sparse linear model to tackle various vision applications, we propose a decolorization method that the formulation is established based on the assumption: *The luminance and the chromatic features of an image are better described in $F^{|D|}$ than in the original color space.* This is in general true since, contrary to a universal color space, $F^{|D|}$ is specifically constructed for each image. A sparse linear model can be expressed by

$$\mathbf{x} = D\mathbf{c} + \epsilon \quad (1)$$

where ϵ is a Gaussian noise, and the coefficients in \mathbf{c} are assumed to be i.i.d. drawn from a Laplace distribution. To perform decolorization, we begin by adaptively learning a dictionary from a given color image. The resulting dictionary would reasonably encode the *principal* luminance and chromatic information. We further consider the *lasso* model [?] of sparse coding to conveniently locate the mapping from the color space to the feature space induced by the dictionary. Finally, a closed-form solution to perform dimensionality reduction from the new space to the grayscale space is then applied to complete the color conversion. In Figure ??, we illustrate the whole procedure of our approach.

3.2. Dictionary learning

Given a color image $I = \{\mathbf{x}_i = (r_i, g_i, b_i)^T\}_{i=1}^n$ of n pixels, we apply the image segmentation algorithm by Felzenszwalb and Huttenlocher [?] to derive a collection of superpixels, and calculate the mean color vector $\mathbf{m}_j = (r_j, g_j, b_j)^T$ of each segment j . To emphasize those that are visually significant, we also compute a saliency map using the method presented in [?]. The sum of the saliency values for pixels in segment j is denoted as s_j . We further assume that $\{\mathbf{m}_j\}$ is arranged as a sorted list in a descending order of s_j .

To construct a dictionary D for decolorizing I , we need a pool Ω of possible atoms, which are collected by sequentially adding \mathbf{m}_j to the pool, if it is sufficiently *dissimilar* to those already in Ω , *i.e.*,

$$\text{dist}(\mathbf{m}_j, \Omega) = \min_{\mathbf{m}_k \in \Omega} \text{dist}(\mathbf{m}_j, \mathbf{m}_k) < \delta \quad (2)$$

where δ is a parameter, and set to 0.3 in all our experiments. Apparently, Ω is still a sorted list, and indeed a refined set of $\{\mathbf{m}_j\}$. Our criterion for an ideal D is that it should include atoms with large s_j , and meanwhile each of them should play a significant role in the sparse coding. More precisely, suppose we have chosen a subset of atoms from Ω to yield D . It is thus preferable that the atoms are from the front end of Ω . To check whether D is a proper dictionary for sparse coding with respect to I , we solve the following lasso problems:

$$\min_{\mathbf{c}_i} \frac{1}{\alpha^2} \|\mathbf{x}_i - D\mathbf{c}_i\|_2^2 + \frac{1}{\beta} \|\mathbf{c}_i\|_1 \quad (3)$$

for all $\mathbf{x}_i \in I$, where the two parameters in (3) are related by $\alpha^2/\beta = 0.05$ as suggested in [?]. The scatter matrix of I under the mapping $\mathbf{x}_i \mapsto \mathbf{c}_i$ is given by

$$M = \sum_i (\mathbf{c}_i - \bar{\mathbf{c}})(\mathbf{c}_i - \bar{\mathbf{c}})^T \quad (4)$$

where $\bar{\mathbf{c}}$ is the mean of $\{\mathbf{c}_i\}$. When M is not full-rank, it implies that there exist *non-informative* atoms in D , and they are not used (or rarely used) in performing sparse coding for I . For a color image of a large size, solving (3) for all pixels is time-consuming. In that case, a downsample version of I will instead be considered. We describe a practical implementation for learning D in Algorithm 1 that can avoid a naive and time-consuming way of sequentially adding the atoms to construct D until the condition of full rank is violated.

It is insightful to discuss the properties of D in more detail. First, observe that the resulting dictionary is established by including as many atoms as possible, providing it would not break the full-rank condition on the scatter matrix of the sparse coefficient vectors. By enforcing this constraint, our method does not introduce extra and unneces-

324
325
326
327
328
329
330**Algorithm 1:** Learning D for decolorization.

Input : An image $I = \{\mathbf{x}_i\}$ of total saliency value s , a sorted list $P = \{\mathbf{m}_j\}$ with its corresponding $\{s_j\}$, and a parameter $r \in (0.5, 1]$.

Output: D .

1. $r \leftarrow \min\{r, \sum_j s_j / s\};$
2. Initialize D by selecting the least k atoms from P such that $\sum_{j=1}^k s_j / s \geq r$;
3. $J \leftarrow \text{downsample}(I)$;
4. Solve the lasso problem (3) for all $\mathbf{x}_i \in J$;
5. Compute the scatter matrix M as in (4);
6. **if** M is not full-rank **then**
 - Remove the last $k - \text{rank}(M)$ atoms from D ;
 - $k \leftarrow |D|$;
 - Repeat steps 4, 5, and 6.;

return D

341
342
343

sary feature dimensions in transforming the color space to the $F^{|D|}$. As we will see in the next section, this nice property of D is also useful in finding the exact form of the linear projection to the grayscale space. Second, the atoms of D are *representative* as they are considered in a descending order of the sum over the saliency values of their respective pixels so that each atom corresponds to the mean color vector of either a large or a salient segment. We also require them to significantly account for the saliency distribution of I . (See Algorithm 1).

344
345
346
347
348
349
350
351
352
353**3.3. Grayscale conversion**354
355
356
357
358
359
360
361

We are now ready to discuss how to carry out the linear projection to convert a color image into grayscale. Since we are to preserve the feature relations in $F^{|D|}$ after performing linear projection, we consider solving the following optimization problem:

362
363

$$\min_P \sum_i \sum_j (\mathbf{c}_i - \mathbf{c}_j)^T (P\mathbf{x}_i - P\mathbf{x}_j) \quad (5)$$

364
365
366
367
368
369
370
371
372

where P is a 1-D linear projection (*i.e.*, a 1×3 matrix) from the input color space to the grayscale space. In solving (5), we first need to solve the lasso problem defined in (3) for all pixels in I , which would be impractical for images of large sizes. However, owing to the lasso model (3) in linking $\mathbf{x}_i \in I$ and its sparse code \mathbf{c}_i , a closed-form solution of (5) derived by Gkioulekas and Zickler [?] can be directly applied. It follows that

373
374

$$P = LR = \text{diag}(f(\lambda))\mathbf{V}^T R \quad (6)$$

375
376
377

where

$$f(\lambda) = \left(\frac{4\beta^4 \lambda}{\alpha^4 + 4\beta^2 \alpha^2 \lambda + 4\beta^4 \lambda^2} \right)^{1/2} \quad (7)$$

and λ is the largest eigenvalue of the matrix $D^T D$, \mathbf{V} is the corresponding eigenvector, α and β are the parameters in (3), and R is a 3×3 rotation matrix to be decided. Recall that the dictionary D is derived by adding the mean vector \mathbf{m}_j according to a descending order of saliency values, while respecting the full-rank constraint. The criterion can help not only avoid introducing unnecessary feature dimensions but also measure the *goodness* of a rotation matrix. To that end, we consider solving

$$\max_R \sum_{j=1}^{|D|} \sum_{k=1}^{|D|} s_j (P\mathbf{m}_j - P\mathbf{m}_k)^2 = \sum_{j=1}^{|D|} \sum_{k=1}^{|D|} s_j (LR\mathbf{m}_j - LR\mathbf{m}_k)^2. \quad (8)$$

The optimization problem (8) is to seek for an optimal rotation matrix R such that the saliency features can be preserved after the dimensionality reduction. Solving (8) is nontrivial, and the quality of a local-minimal “solution” heavily depends on the initial guess of R . We instead “solve” (8) by uniformly sampling a large number of 3-D rotation matrices, and adopt the one with the maximal objective value for our use. In all our experiments, we generate 100,000 such matrices, and the technique empirically achieves better performance than optimizing (8) using the identity matrix as a starting point.

4. Experiments

We discuss the benefits and drawbacks of our framework in this section. In the first place, parameters choosing and tuning are important issues in decolorization. Experienced users can use proprietary programs such as Adobe Photoshop to create their desired grayscale images. However, such editing is not familiar to amateurs, so an automatic algorithm seeking a solution to facilitate this process without users’ interference is necessary. On the other hand, performance is also an important issue. Users expect outputs immediately because the baseline algorithm, eg. `rgb2gray`, is really fast to perform the color conversion. A competitive algorithm should not far from this performance unless it deals with particular details and makes tremendous different results. Our algorithm has benefits on tuning parameters and compatible performance. Moreover, our algorithm maintain the visual appearance in general unless the limited cases which would be discussed in the end of this section.

4.1. Parameters

The main problem of decolorization is complicated parameter setting. Most of the algorithms need to decide lots of parameters because their operators inherently have more complicated function. For instance, the offset angle of color wheel serves the task of preventing saliency lost in [?, ?]. It controls the mapping between chromatic and illuminance

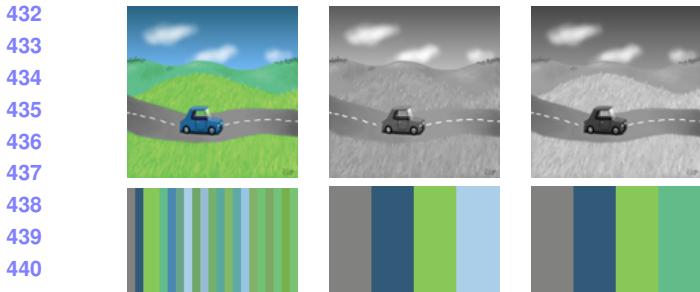


Figure 3. **Effect of the threshold by choosing different atoms.**
 From left to right, up to down with alphabet order: (a) original image, (b) ours with $\delta = 0.3$, (c) ours with $\delta = 0.2$, (d) mean color from the segmentation of original image in saliency descent order, (e) dictionary with $\delta = 0.3$, (f) dictionary with $\delta = 0.2$. Our algorithm picks atoms follow in saliency descent order. In this case, comparing with Olive Drab (the third atom of (d)), Sea Green (the forth atom of (e)) is too similar under the threshold $\delta = 0.3$, so our algorithm choose Sky Blue under this setting. When Sea Green is considered as basis, the difference between two similar colors will be amplified.

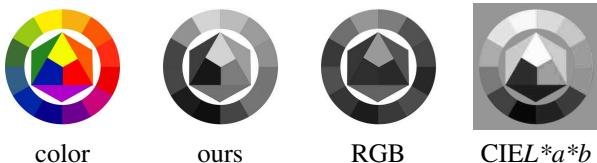


Figure 4. **Dimensionality reduction on difference spaces.** The comparison between our method and PCA directly applying on RGB and CIEL*a*b demonstrates the sensitivity of PCA on different basis. Our method chooses a reasonable basis for individual input images.

differences. By assigning particular angle, the operators could enhance detail for color-deficient observers. While to embedded these kind of parameters in algorithm risk to make unwanted artifact. In contrast with these methods, we avoid to introduce offset angle and utilize some preliminary information to prevent the saliency lost.

Our framework, combining segmentation, saliency map computation, and dimensionality reduction by sparse model, seems complicated at first glance, but these factors can be friendly applied with their default setting for most of cases in our experiments. The main point in our framework is to construct the dictionary D , and the chief parameter behind this procedure is the color threshold δ . Our procedure decides whether a color is suitable for adding in the dictionary by judging if this color exceeds the colors have been collected over the threshold δ . In our experiment, this factor is reliable only if we have special requirement to distinguish similar color in grayscale. Figure 3 illustrates the function of this parameter. Without notification, we use the default parameter $\delta = 0.3$ for all results in this paper.

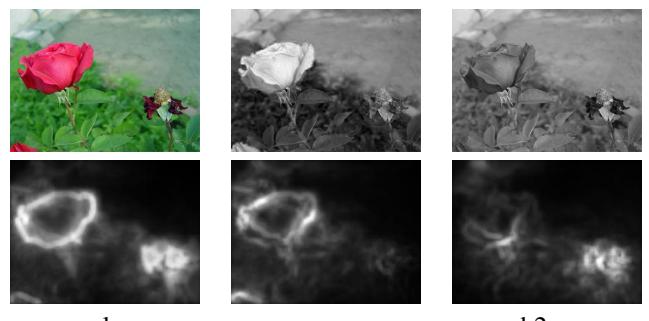


Figure 5. **Saliency preserving decolorization.** The first row shows the original color image and three different grayscale images, and the second row shows the saliency detected by [?] on them. When an unavoidable information loss occurs, our method prior preserves the saliency on significant regions in grayscale. In this case, there are two followers in the image, the left one was chose by purposed algorithm.

4.2. Salient object preserving

Our method can be viewed as performing PCA on higher dimensional space rather than the original color space. While PCA has been studied for decolorization in [?], the space of applying such technique was vague and it is worth to discuss herein. As discussion in [?], PCA is quite sensitive in which computation takes place. Figure 4 shows that performing PCA on color spaces such as RGB and CIEL*a*b have dramatic differences.

The point is our framework effectively chooses specific color codewords, namely basis, to perform PCA, and the data on the basis reveal a good structure for preserving saliency after applying dimensionality reduction. We discuss the property by analyzing the scatter matrix of the data points and applying saliency detection after decolorizing on these two spaces.

To tell the difference between original color space and the hyperspace, we first explore the ratio of the largest eigen value λ_1 over the sum of all eigen value on the scatter matrix of the pixels sample from a space, denote the ratio by $r = \lambda_1 / \sum_i \lambda_i$. Theoretically, data are easier to be represented in single channel by dimensionality reduction with higher r . We computed the ratio over 24 color images in the collection of [?]. The mean of r is equal to 0.8491 and 0.8169 on the hyperspace and the original color space, so the difference is not distinguish at first sight. However, the salient regions in grayscale have obviously different distribution on the two spaces. Figure 5 demonstrate this observation. Our algorithm visually preserves the salient region as the original image. Moreover, we apply saliency detection algorithm on color and grayscale images, and the results make the differences more definite.

486
487
488
489
490
491
492
493
494
495
496
497
498
499
500
501
502
503
504
505
506
507
508
509
510
511
512
513
514
515
516
517
518
519
520
521
522
523
524
525
526
527
528
529
530
531
532
533
534
535
536
537
538
539

540 Table 1. The computation time of a 710×480 input image. 594

Method	Ours	Ancuti11	Kim09	Smith08	Grundland07	Gooch05
Running	1 sec	1 sec	0.5 sec	11 sec	0.1 sec	

541

4.3. Performance

542 The results were generated by a non-optimized MatLab
 543 code on a Personal Computer with four-core Intel CPU and
 544 16 GB RAM. The computational time of our algorithm is
 545 dominated by solving the lasso problem. While this step
 546 only play the rule of checking the dictionary rank, in other
 547 words, we do not need to solve it for total amounts of the
 548 input pixels. We downsample the image for speeding up the
 549 whole procedure. The performance raise ten times from 10
 550 to 1 second on a 710×480 image by reducing the input
 551 image to 71×48 under our implementation. By our exper-
 552 iment, sampling on the thumbnail image with approximate
 553 thousand of pixels is enough to present results in our
 554 paper. Table 1 lists the computation time for reference. To
 555 speed up current implementation, parallel computation on
 556 lasso and random sampling of rotation matrix is available
 557 without modified the framework. Other advance approaches
 558 such as lasso screening [?] are also encouraged to reduce the
 559 computation complexity. Since our method performs on the
 560 dictionary constructed by superpixels, it has very limited
 561 memory requirement comparing with the pixel-based meth-
 562 ods [?]. The typical dictionary size is from 5 to 7, depend
 563 on the color distribution of input image. Because the size
 564 of dictionary is not proportion to image size, our method is
 565 suitable to scale up for high resolution image.

575

5. Results

576 We compare the results between our algorithm and pre-
 577 vious decolorization methods [?, ?, ?, ?, ?, ?] in Figure 6.
 578 With a suitable feature transform, we preserve contrast and
 579 saliency without suffering from isoluminants in the input
 580 image. As a global color mapping, our algorithm avoid to
 581 create artifacts such as halos, noise or broken segments in
 582 pixel-based computation [?, ?, ?]. In contrast with other
 583 global methods, we straightly preserve the most salient re-
 584 gion in the images to exploit the power of linear operator
 585 as the demonstration in Figure 5. Comparing with the most
 586 recent work by Ancuti *et al.* [?], both of our works focusing
 587 on saliency preserving transformation, our method further
 588 avoid to map different chromatics into the same luminance
 589 and boost the contrast more as the demonstration in Fig-
 590 ure 6.

591

5.1. Contrast enhancement imaging

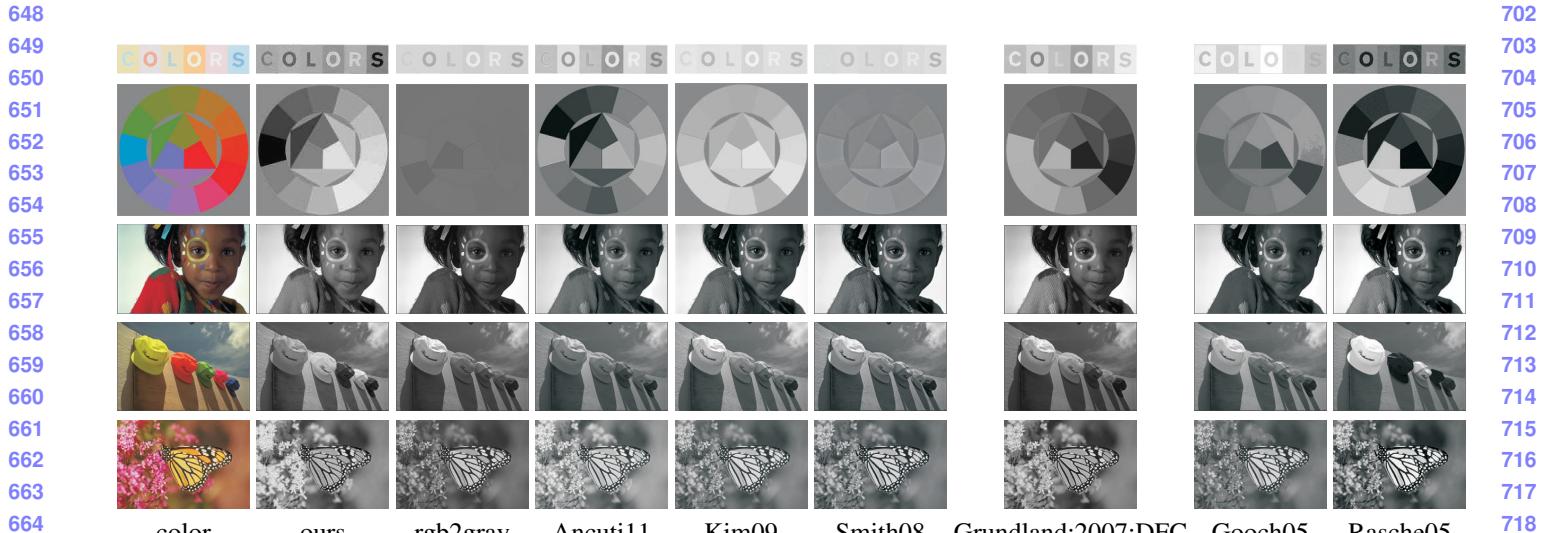
592 To enrich the contrast of the original image, we substi-
 593 tute the L of L^*a^*b by our salient-enhancing monochrome
 594 image. Comparing with Ju *et al.* [?], our method prefers to
 595 map high salient region into bright luminance. Therefore,
 596 the enhancing image not only increase the contrast but also
 597 light up the particular region of interest as showing in Fig-
 598 ure 7.

599 The enhancing contrast image can help to dehaze with
 600 the same strategy. Figure 8 demonstrates the dehazed imag-
 601 ing obtained by our method.

602

References

- [1] A. Alpher. Frobnication. *Journal of Foo*, 12(1):234–778, 2002.
- [2] A. Alpher and J. P. N. Fotheringham-Smythe. Frobnication revisited. *Journal of Foo*, 13(1):234–778, 2003.
- [3] A. Alpher, J. P. N. Fotheringham-Smythe, and G. Gamow. Can a machine frobnicate? *Journal of Foo*, 14(1):234–778, 2004.
- [4] Authors. The frobnicatable foo filter, 2013. Face and Gesture submission ID 324. Supplied as additional material `fg324.pdf`.
- [5] Authors. Frobnication tutorial, 2013. Supplied as additional material `tr.pdf`.



648
649
650
651
652
653
654
655
656
657
658
659
660
661
662
663
664
665
666
667
668
669
670
671
672
673
674
675
676
677
678
679
680
681
682
683
684
685
686
687
688
689
690
691
692
693
694
695
696
697
698
699
700
701
702
703
704
705
706
707
708
709
710
711
712
713
714
715
716
717
718
719
720
721
722
723
724
725
726
727
728
729
730
731
732
733
734
735
736
737
738
739
740
741
742
743
744
745
746
747
748
749
750
751
752
753
754
755

Figure 6. **Comparison with previous methods.** From left to right: original color images, ours with default setting $\delta = 20$ and $vw = 0.1$, standard `rgb2gray` in MatLab, Ancuti *et al.* Ancuti:2011:ESG, Kim *et al.* Kim:2009:RCV, Smith *et al.* Smith:2008:AGA, Grundland and Dodgson Grundland:2007:DFC, Gooch *et al.* Gooch:2005:CSC, and Rasche *et al.* Rasche:2005:RIG. From top to down: Three cases demonstrate that, comparing with previous methods, our algorithm maintain the visual appearance with perceptually preserving the saliency, keeping the order in chromatics, and without over enriching the contrast.



Figure 7. **Salient region enhancement.** From left to right: original color image, `rgb2gray`, our grayscale image, our enhancing image, Lu *et al.*'s image [?]. Our grayscale image with enhancing contrast can use to boost the contrast and relight the region of interest.



Figure 8. **Image detail enhancement.** Our grayscale image makes original image sharpen.