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Title: BFS, DFS, and Shortest Path Finding using BFS

Objective: To understand and implement Breadth-First Search (BFS) and Depth-First Search (DFS) algorithms and utilize BFS to find the shortest path in an unweighted graph.

Theory:

1. Breadth-First Search (BFS):

- Explores all neighbors of a node before moving to the next level.
- Uses a queue (FIFO) for traversal.
- Efficient for finding the shortest path in an unweighted graph.

2. Depth-First Search (DFS):

- Explores as far as possible along a branch before backtracking.
- Uses a stack (LIFO) or recursion.
- Useful for topological sorting and cycle detection.

3. Shortest Path using BFS:

- BFS ensures the shortest path in an unweighted graph by visiting nodes in increasing order of distance.
- Stores parent nodes to reconstruct the path.

Implementation:

- Implement BFS from a given graph.
- Implement DFS from a given graph.
- BFS is used to find the shortest path from a source to a destination.

Code of BFS:

```
from queue import Queue
```

```
def bfs(graph, start_node):
```

```
    visited = set()
```

```
    q = Queue()
```

```
    q.put(start_node)
```

```
    visited.add(start_node)
```

```
    while not q.empty():
```

```
        node = q.get()
```

```
        print(node, end=" ")
```

```
graph = {  
    'A': ['B','C','D'],  
    'B': ['A','E','F'],  
    'C': ['A','G'],  
    'D': ['A','H'],  
    'E': ['B'],  
    'F': ['B'],  
    'G': ['C'],  
    'H': ['D']  
}
```

```
print("BFS Traversal Order:")
```

```
bfs(graph, 'A')
```

<pre>for neighbor in graph.get(node, []): if neighbor not in visited: visited.add(neighbor) q.put(neighbor)</pre>	
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Output:

```
print("BFS Traversal Order:")
bfs(graph, 'A')
```

BFS Traversal Order:
A B C D E F G H

Code of DFS:

<pre>from collections import deque def dfs(graph, start): stack = deque([start]) # Using deque as a stack (LIFO) visited = set() while stack: node = stack.pop() # Pop from the right (LIFO) if node not in visited: print(node, end=" ") visited.add(node) stack.extend(reversed(graph[node]))</pre>	<pre># Example graph graph = { 'A': ['B','C','D'], 'B': ['A','E','F'], 'C': ['A','G'], 'D': ['A','H'], 'E': ['B'], 'F': ['B'], 'G': ['C'], 'H': ['D'] } dfs(graph, 'A')</pre>
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Output:

```
dfs(graph, 'A')
```

A B E F C G D H

+ Code

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Code of Shortest path finding using BFS:

<pre>from collections import deque def bfs_shortest_path(graph, start, goal): queue = deque([[start]]) visited = set() while queue: path = queue.popleft() node = path[-1] if node == goal: return path if node not in visited: visited.add(node) for neighbor in graph[node]: new_path = path + [neighbor] queue.append(new_path) return None</pre>	<pre>graph = { 'A': {'B', 'C', 'D'}, 'B': {'E', 'F'}, 'C': {'G'}, 'D': {'H'}, 'E': {'B'}, 'F': {'B'}, 'G': {'C'}, 'H': {'D'} } shortest_path = bfs_shortest_path(graph, 'A', 'F') print("Shortest Path:", shortest_path)</pre>
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Output:

Shortest Path: ['A', 'B', 'F']

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Conclusion:

BFS explores level-wise, ensuring the shortest path in an unweighted graph. DFS explores deeper first, useful for other applications like cycle detection. BFS-based shortest path finding is efficient and easy to implement in such graphs.