DATA SCIENCE WITH R



HYPOTHESIS TESTING

Introduction to Hypothesis Testing

Basic Framework of a Hypothesis Test

Distance Measures



Central Limit Theorem

Types of Hypothesis Tests



Applied in hypothesis testing to aid in calculating probability or chance



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- 2. What will be the mean income of the different samples?



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- 1. How many samples are possible?
- 2. What will be the mean income of the different samples?
- 3. What if we plot a frequency distribution of the sample means in Excel?



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Implications

If sample size is sufficiently large (<30), you can always use a normal distribution as your test distribution without worrying about true population distribution

Recap

> Central Limit Theorem

THANK YOU