Binary Tree: DFS (Recursive) — Coding Interview Notes (Light Theme)

General Pattern Template

```
def dfs(root):
    if not root:
        return

ans = 0
# do logic
    dfs(root.left)
    dfs(root.right)
    return ans
```

Concept:

The **Depth-First Search (DFS)** recursive pattern is the most common way to traverse or process nodes in a binary tree. It explores as far as possible along each branch before backtracking. DFS can be used for *preorder*, *inorder*, and *postorder* traversals, and for solving problems involving recursion on subtrees.

Time Complexity: O(n) Space Complexity: O(h), where h is tree height (stack depth).

Key Ideas

- 1 Recursive DFS processes each node once (O(n)).
- 2 The order of recursive calls determines traversal type (pre/in/post).
- 3 State can be accumulated (return value) or modified via outer scope (global/closure).
- 4 Use recursion for clarity and when the tree depth is not excessive.

Example 1: Preorder Traversal

```
Goal: Visit nodes in the order: Root \rightarrow Left \rightarrow Right. 
Approach: Process the current node before visiting its children.
```

```
def preorder(root):
    if not root:
        return []
    return [root.val] + preorder(root.left) + preorder(root.right)
```

Example 2: Inorder Traversal

Goal: Visit nodes in the order: Left \rightarrow Root \rightarrow Right.

Approach: Useful for retrieving sorted values from a Binary Search Tree.

```
def inorder(root):
    if not root:
        return []
    return inorder(root.left) + [root.val] + inorder(root.right)
```

Example 3: Postorder Traversal

Goal: Visit nodes in the order: Left \rightarrow Right \rightarrow Root.

Approach: Often used for deletion, height computation, or evaluating expressions in trees.

```
def postorder(root):
    if not root:
        return []
    return postorder(root.left) + postorder(root.right) + [root.val]
```

Example 4: Compute Sum of All Node Values

Goal: Return the sum of all values in a binary tree.

Approach: Use DFS recursion to accumulate sums from left and right subtrees.

```
def tree_sum(root):
    if not root:
        return 0
    return root.val + tree_sum(root.left) + tree_sum(root.right)
```

Summary Table

Traversal TypeOrderUse Case PreorderRoot \rightarrow Left \rightarrow RightClone tree, expression prefix InorderLeft \rightarrow Root \rightarrow RightRetrieve sorted order (BST) PostorderLeft \rightarrow Right \rightarrow RootDelete tree, compute height Custom DFSFlexible logic placementSum, path, diameter, etc.