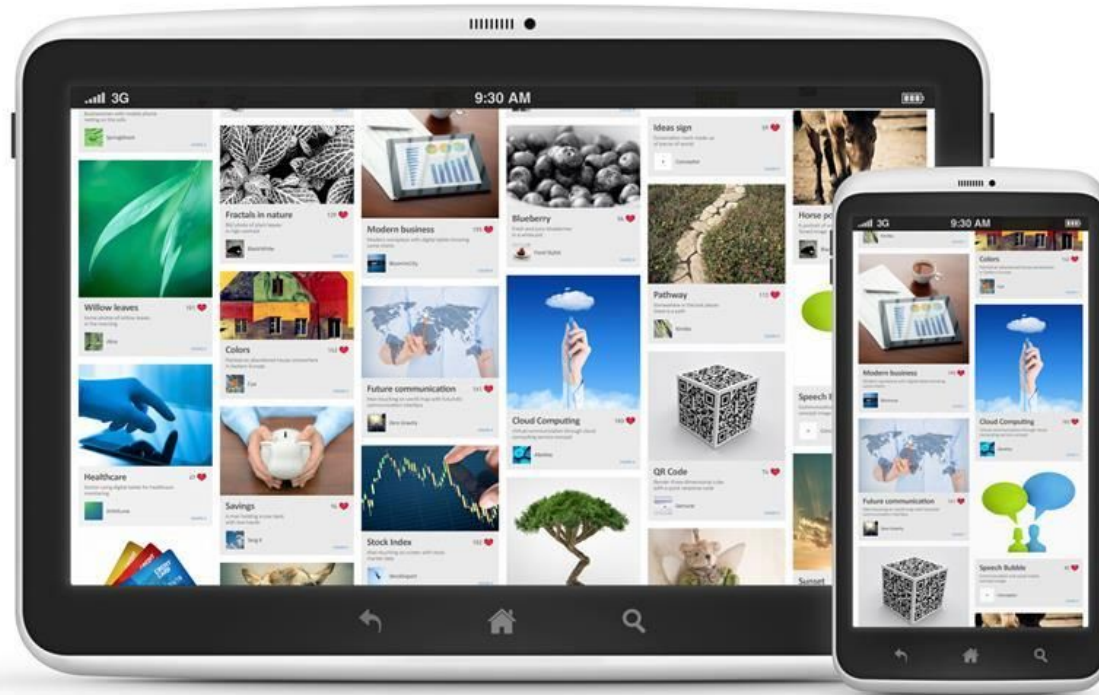


IUT AI Student Chapter



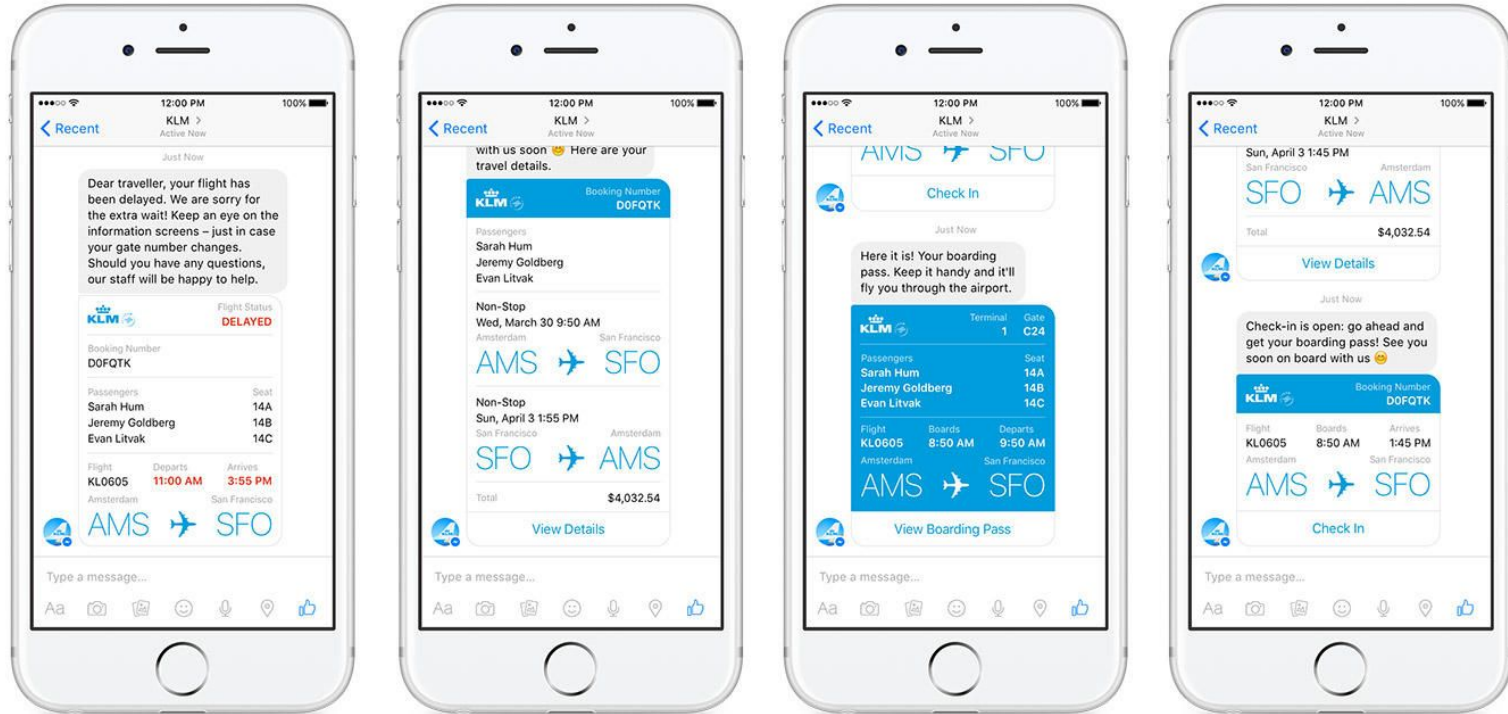
Introduction to Machine Learning

Applications



Pinterest – Improved Content Discovery

Applications (Cont.)



Facebook – Chatbot Army

Applications (Cont.)



Twitter – Curated Timelines



Machine Learning is a subfield of computer science that gives “computers the ability to learn without being explicitly programmed.”



A more modern definition:

A computer program is said to learn from experience E with respect to some class of tasks T and performance measure P , if its performance at tasks in T , as measured by P , improves with experience E .

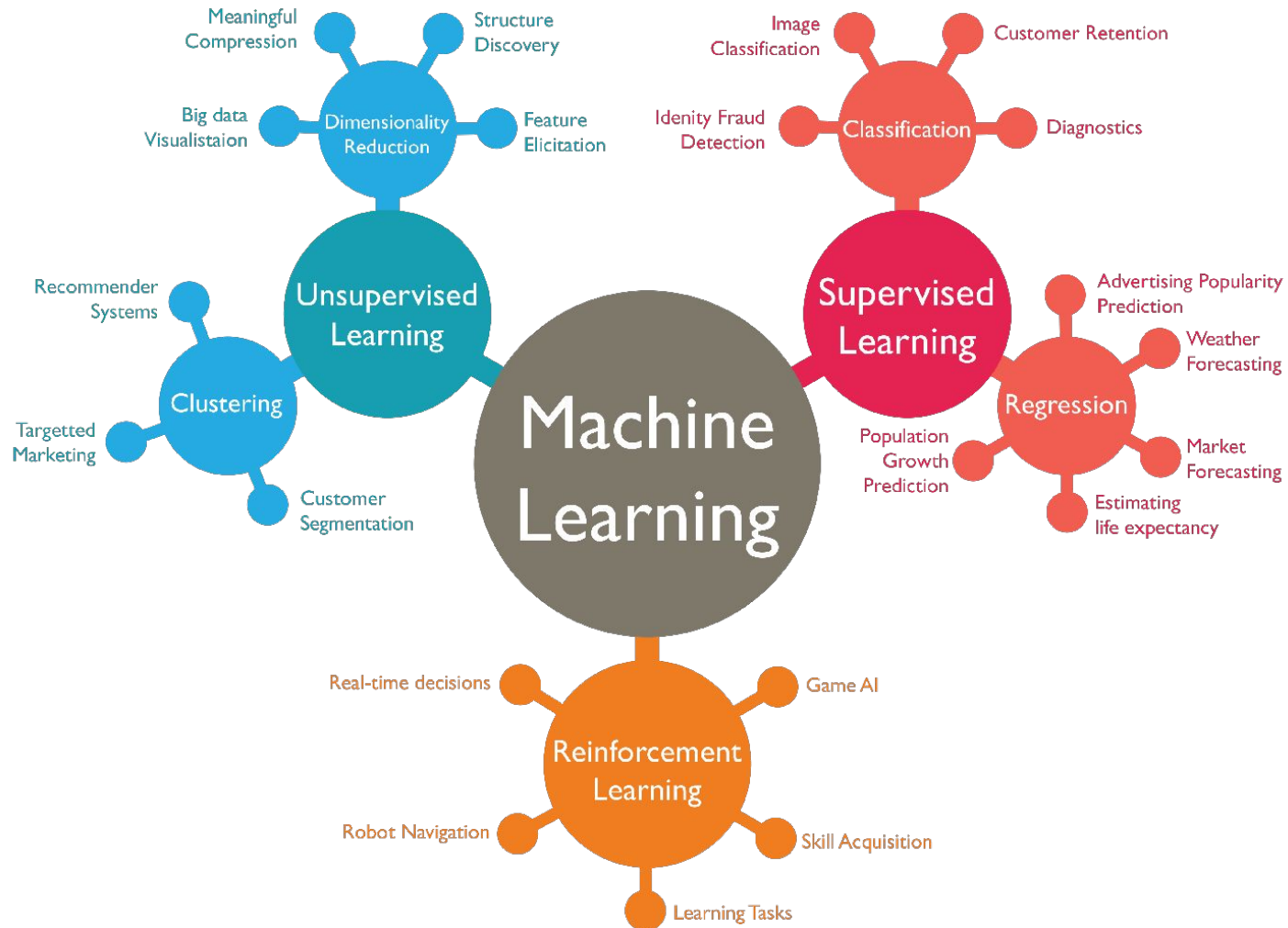
Playing Chess

E = the experience of playing many games of chess

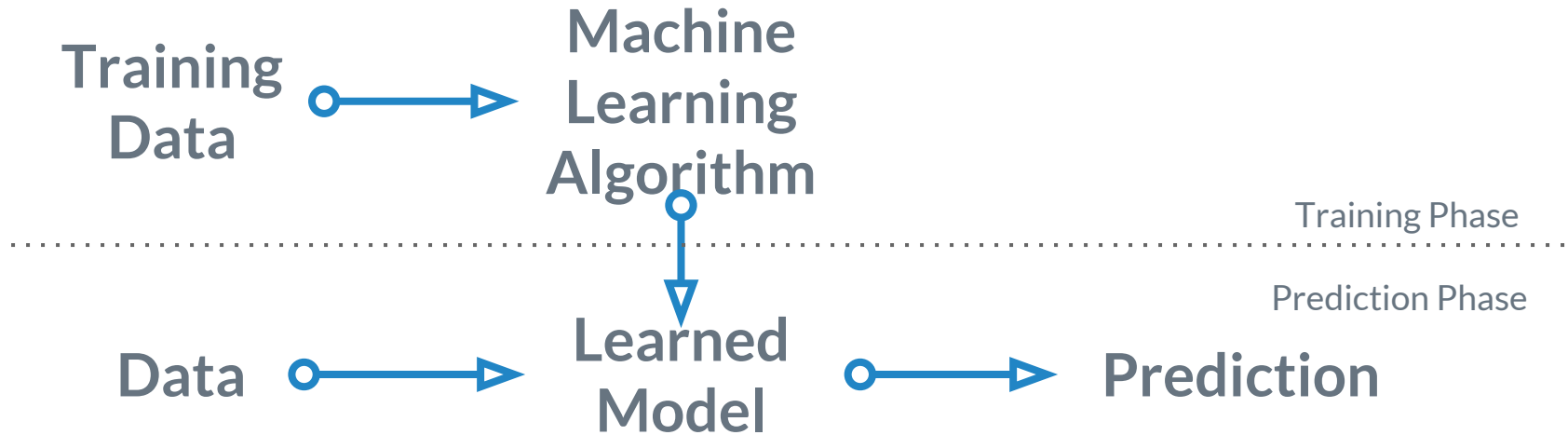
T = the task of playing chess.

P = the probability that the program will win the next game.





Machine Learning



Supervised Learning

Linear Regression

Pricing Houses



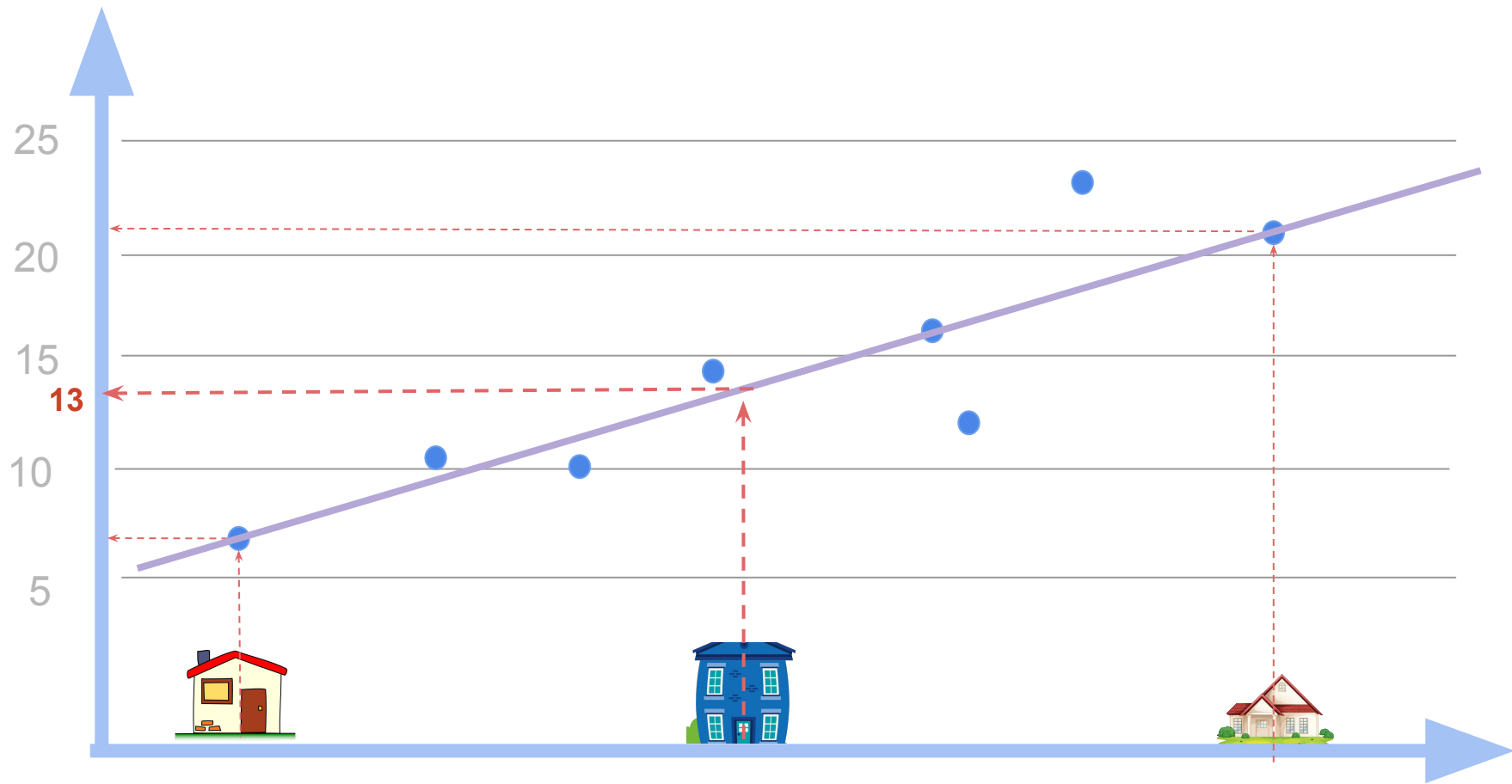
70000 \$



?

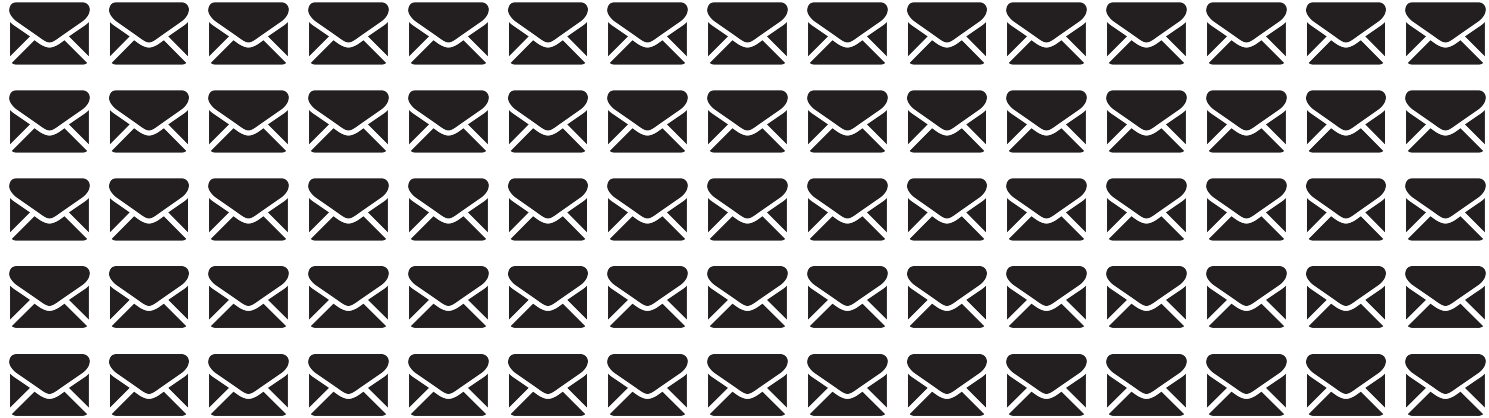


210000 \$

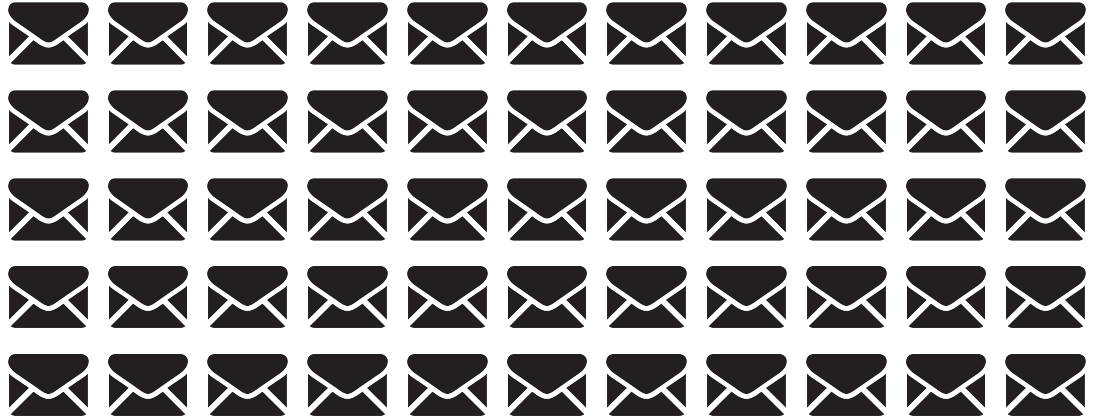
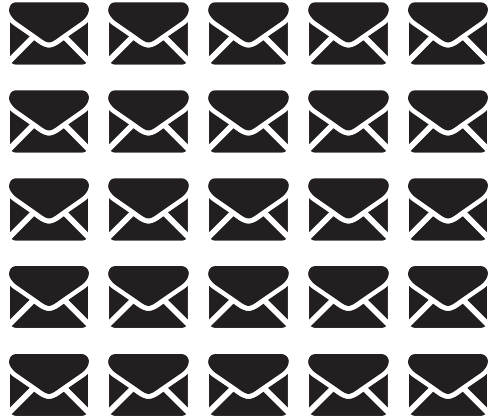


Supervised Learning Classification

Mail Spam/not Spam Example



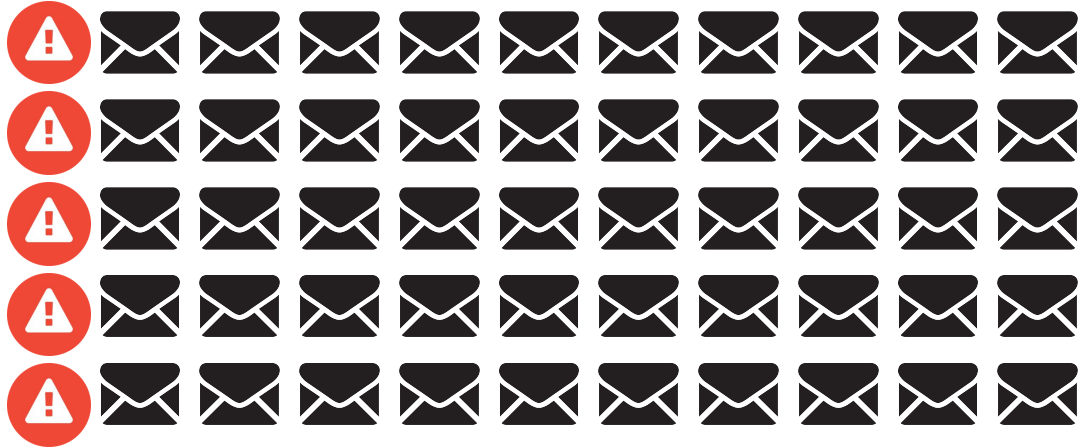
Detecting Spam Email



Detecting Spam Email



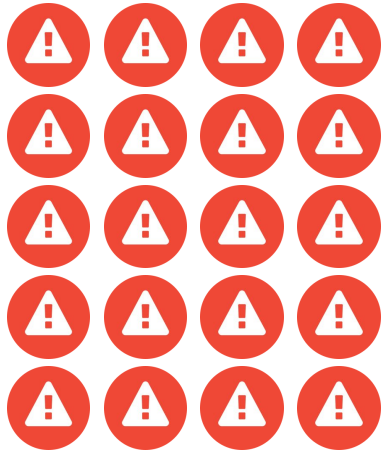
“cheap”



Detecting Spam Email



“cheap”



80
%



20
%

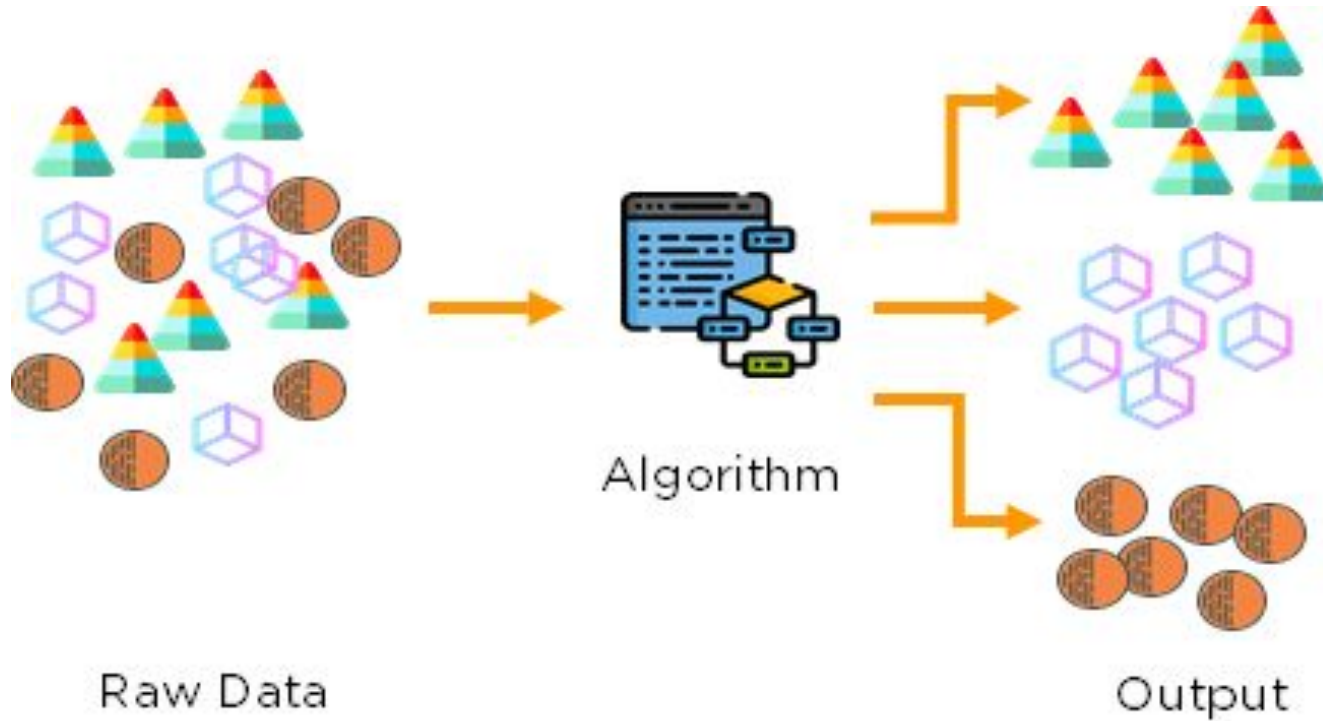
IF an email contain the word “cheap” , what is the probability of it being spam?

conclusion:

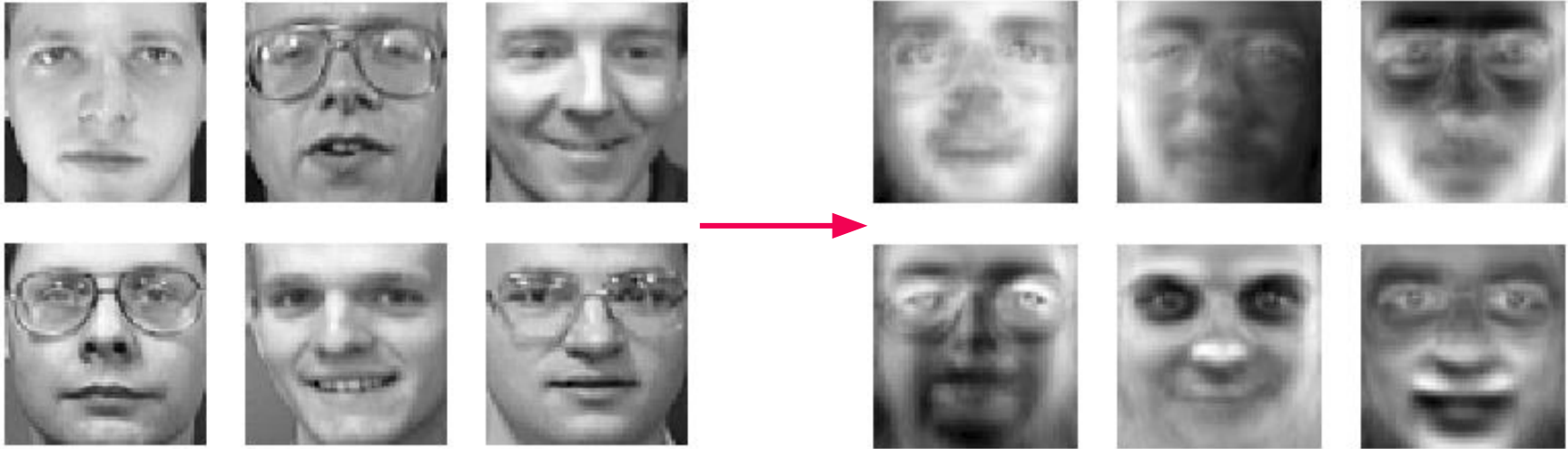
If an email contain the word “cheap” The probability of it being spam is 80 %

Unsupervised Learning

Clustering



Dimensionality Reduction



Reinforcement Learning

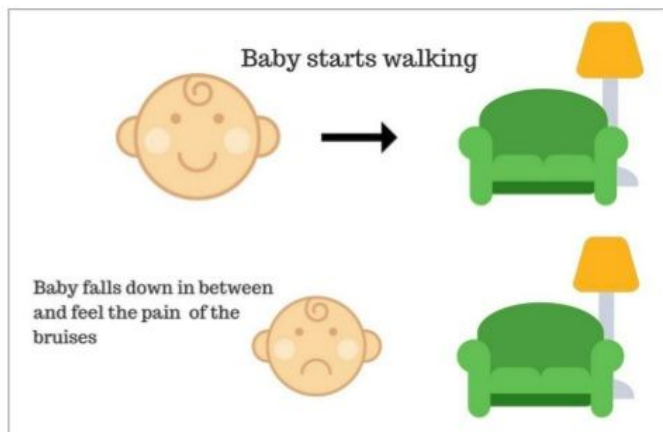
Reinforcement vs Supervised

Supervised learning is “teach by **example**”:

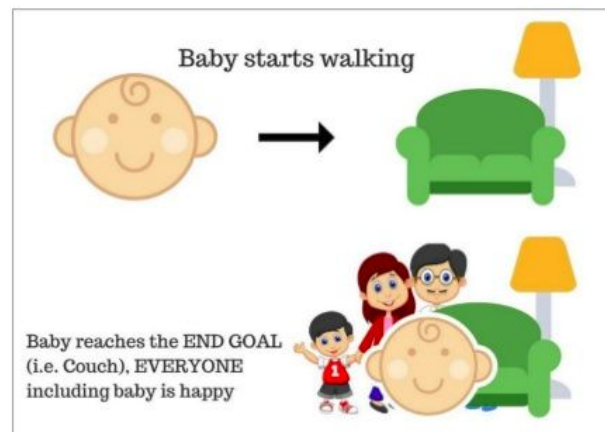
Here's some examples, now learn patterns in these example.

Reinforcement learning is “teach by **experience**”:

Here's a world, now learn patterns by exploring it.



Failure



Success

Now, It's your turn :)

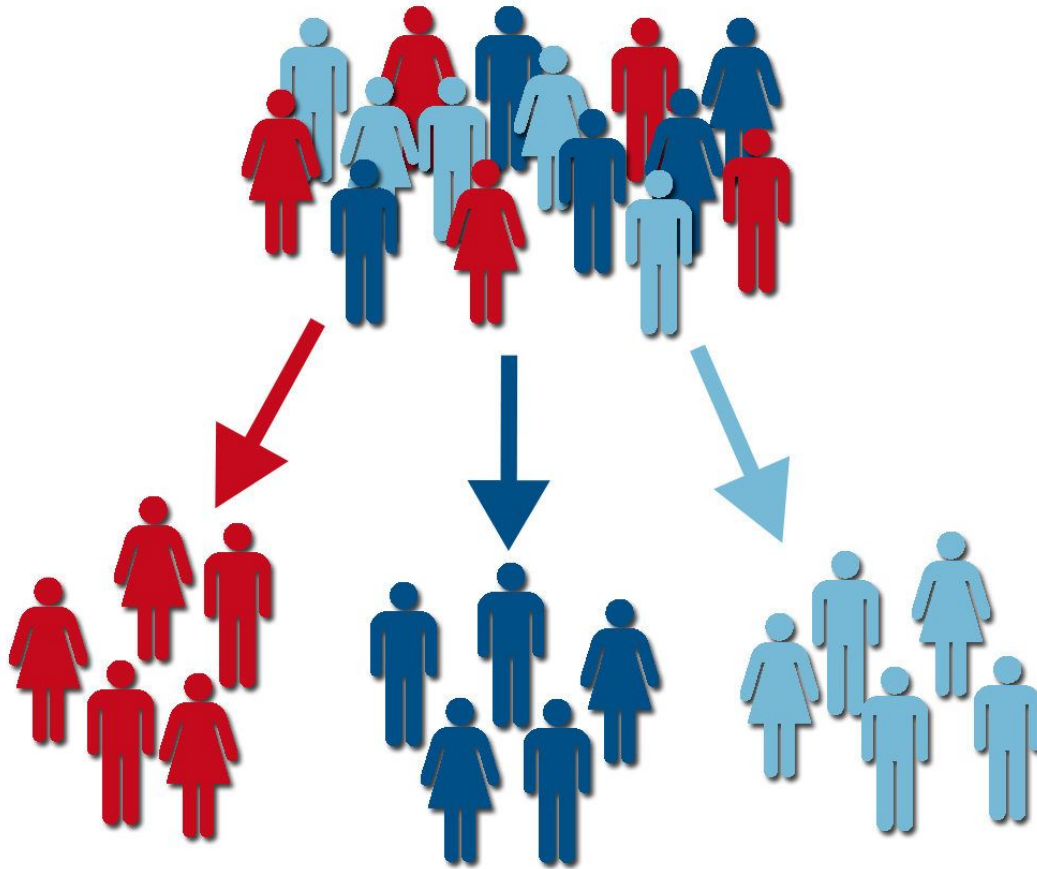
- What types of problems are these?



Weather Prediction



Disease Prediction



Customer Segmentation

IUT AI Student Chapter

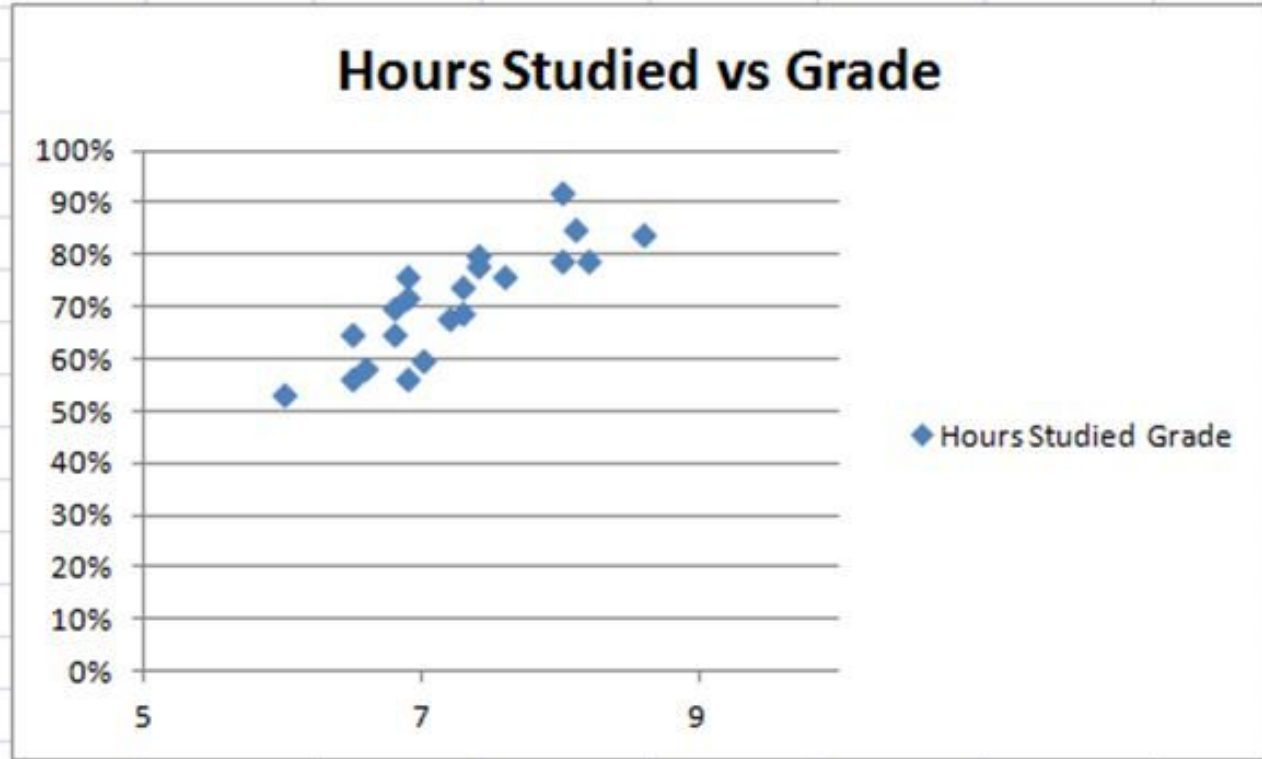


Linear Regression

Regression

- How can we predict the grade of a student?
 - We need to know the features
 - Also the outcome

Grade prediction



Jargon

- IQ, hours studied, ... are *Features*
- Grade is called *Label*
- The dataset is called training set
- Features : 'x'
- Labels : 'y'
- Predictions : ' \hat{y} '

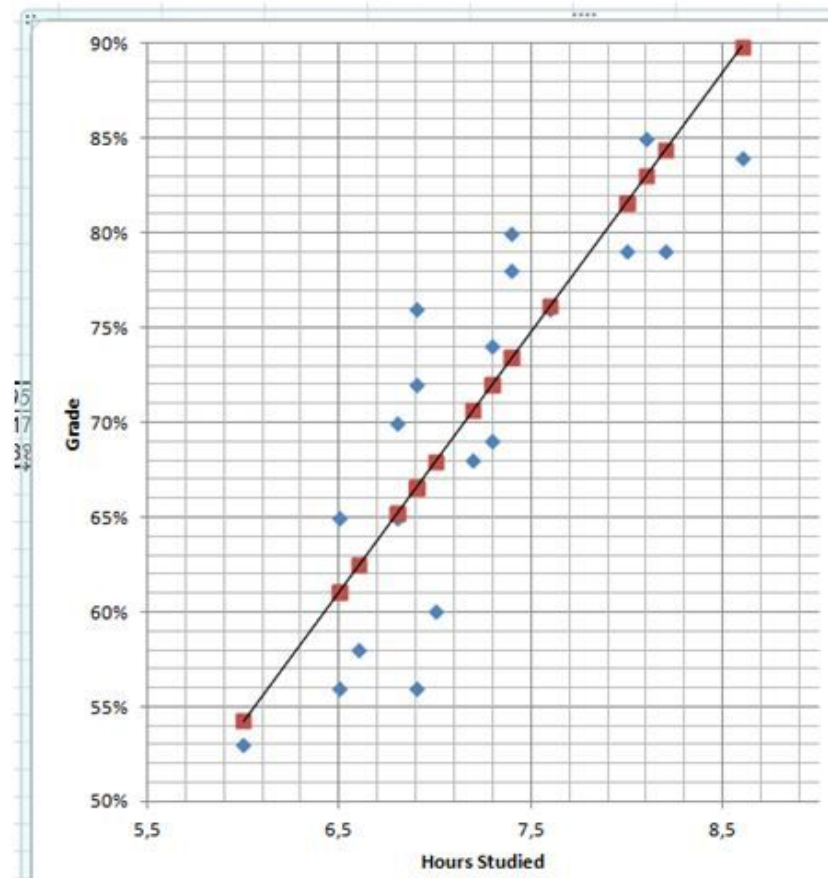
Hypothesis

$$H_{\theta}(X) = \theta_1 + \theta_2 X_i$$

Prediction:

$$\hat{y}_i = \sum_{j=1}^m x_{ij} \theta_j$$

- But how to find the best parameters?



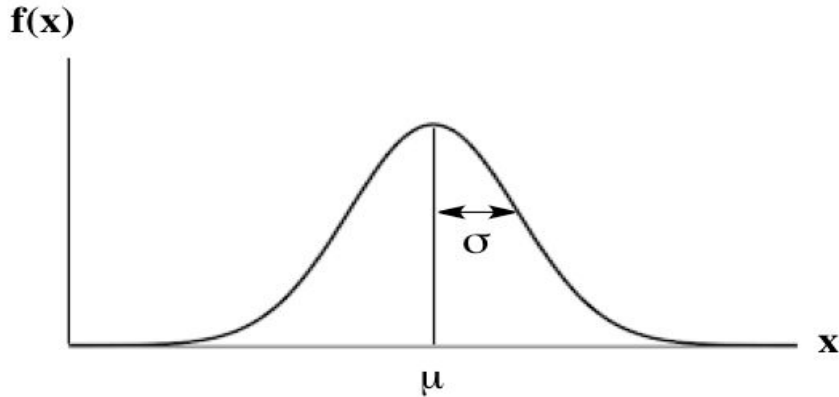
Loss Function

- a.k.a Loss, Objective, Error, Cost, Energy
- Mean squared error

$$J(\theta) = \frac{1}{2m} \sum_{i=1}^m (y_i - \hat{y}_i)^2$$

Where it comes from?

- $P(X=x)$: Probability Distribution
- Let's work with the Gaussian

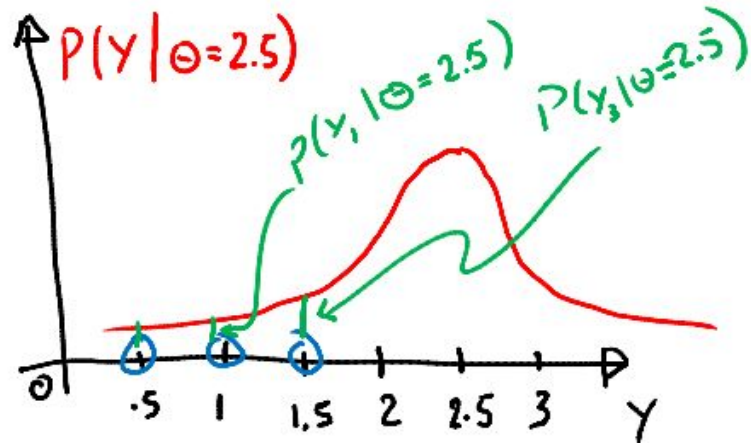
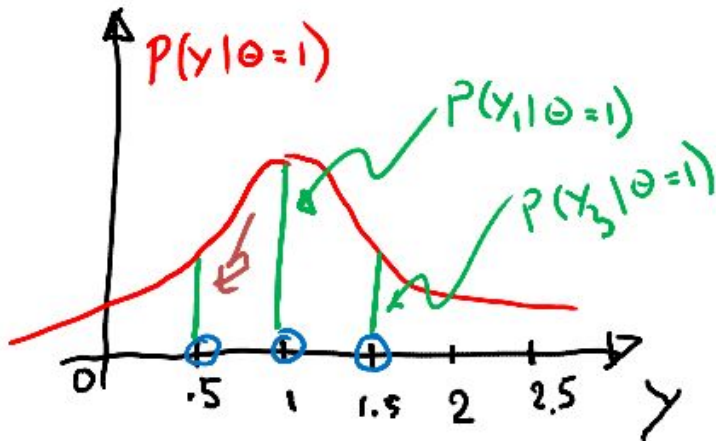


$$p(x) = \frac{1}{\sqrt{2\pi\sigma^2}} e^{-\frac{1}{2\sigma^2}(x-\mu)^2}$$

likelihood

- Consider we have three data points $y = 1, 0.5, 1.5$ and known variance of 1
- Let's guess $\Theta = 1$ or $\Theta = 2.5$?

$$p(y_1, y_2, y_3 | \theta) = p(y_1 | \theta) p(y_2 | \theta) p(y_3 | \theta)$$



likelihood

$$p(y|X, \theta, \sigma) = \prod_{i=1}^n p(y_i|x_i, \theta, \sigma)$$

$$\rightarrow \prod_{i=1}^n (2\pi\sigma^2)^{-1/2} e^{-\frac{1}{2\sigma^2} (y_i - x_i^T \theta)^2}$$

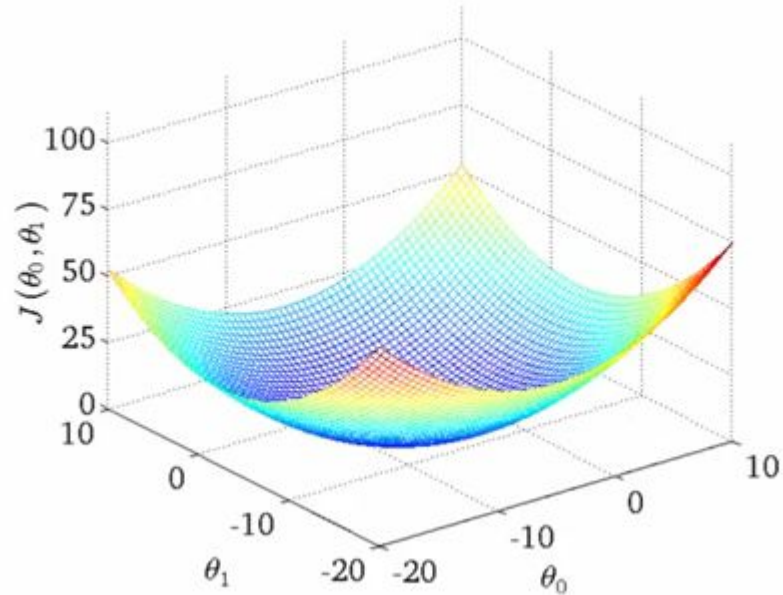
$$\rightarrow (2\pi\sigma^2)^{-n/2} e^{-\frac{1}{2\sigma^2} \sum_{i=1}^n (y_i - x_i^T \theta)^2}$$

- Objective = to maximize the likelihood
- What if we take negative of logarithm?

Optimization

Goal: Minimize $J(\theta)$

Finding the exact answer can be infeasible when number of parameters increase



Gradient Descent

- Start with some initial value for θ
 - Keep changing them to reduce $J(\theta)$
- Take steps proportional to the negative of the gradient

Gradient Descent

$$\begin{aligned}\frac{\partial}{\partial \theta_j} J(\theta) &= \frac{\partial}{\partial \theta_j} \frac{1}{2} (h_\theta(x) - y)^2 \\ &= 2 \cdot \frac{1}{2} (h_\theta(x) - y) \cdot \frac{\partial}{\partial \theta_j} (h_\theta(x) - y) \\ &= (h_\theta(x) - y) \cdot \frac{\partial}{\partial \theta_j} \left(\sum_{i=0}^n \theta_i x_i - y \right) \\ &= (h_\theta(x) - y) x_j\end{aligned}$$

repeat until convergence: {

$$\theta_0 := \theta_0 - \alpha \frac{1}{m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)}) \cdot x_0^{(i)}$$

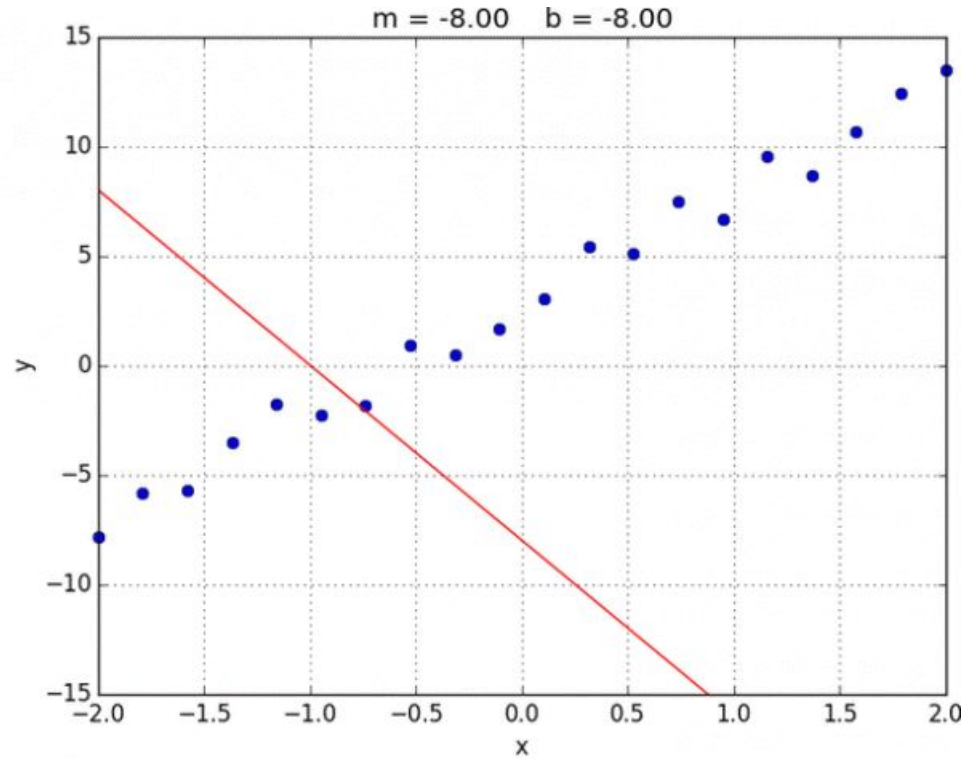
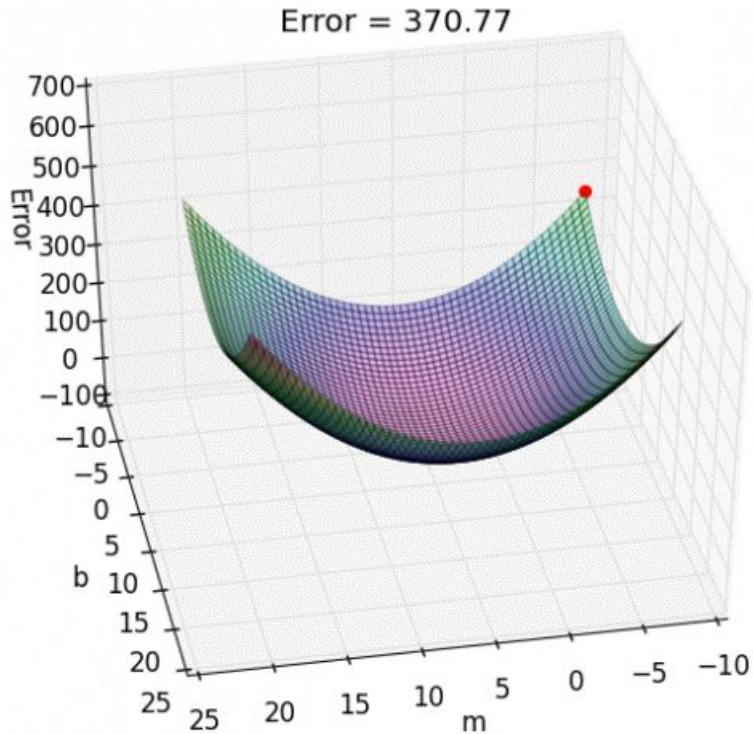
$$\theta_1 := \theta_1 - \alpha \frac{1}{m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)}) \cdot x_1^{(i)}$$

$$\theta_2 := \theta_2 - \alpha \frac{1}{m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)}) \cdot x_2^{(i)}$$

...

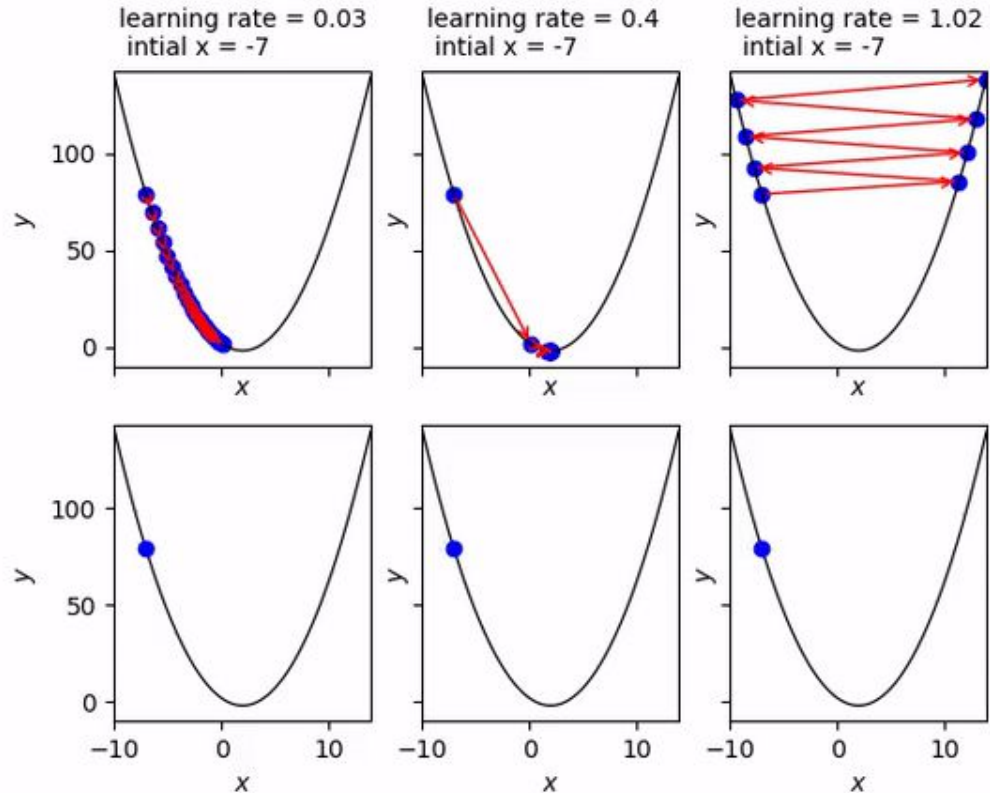
}

GD visualization

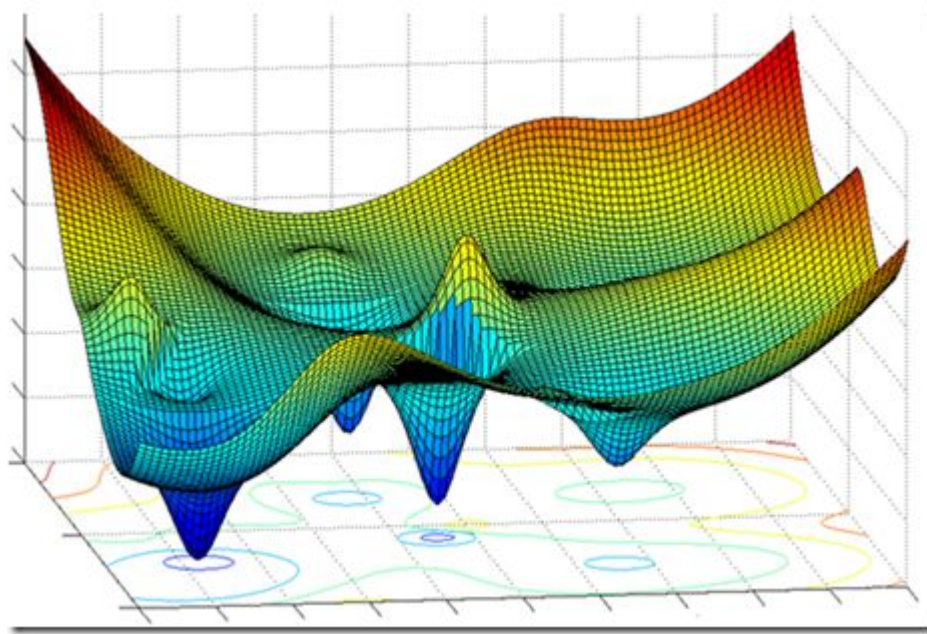


What was α ?

Learning rate :
how big the
steps are.
(changing mind
more quickly!)



When it fails?

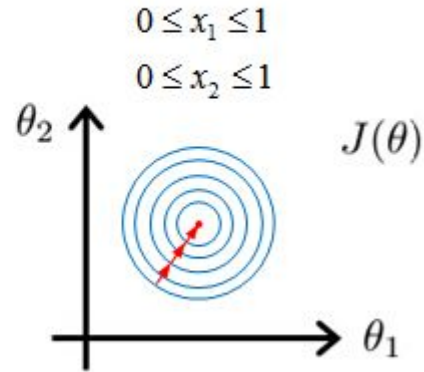
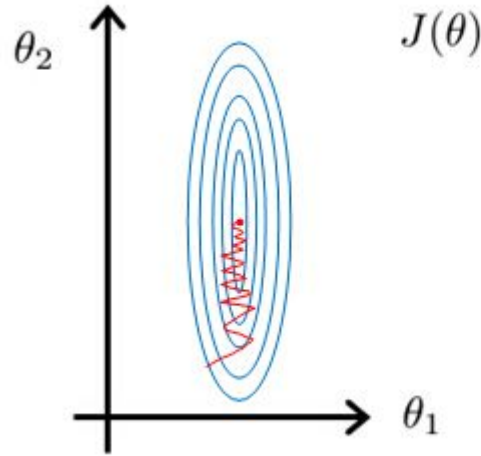


Feature scaling

Consider we have:

$X_1 = \text{Area } [0, 1000]$

$X_2 = \text{\#rooms } [0, 6]$



- Normalization: Divide each feature by max of the feature column.
- Mean Normalization:

$$\frac{x_i - \mu_i}{x_{max}}$$

Vectorization

Recall : $\hat{y}_i = \sum_{j=1}^m x_{ij} \theta_j$

Instead of using loops : $\hat{\mathbf{y}} = \mathbf{X}\Theta$

$$J(\theta) = \frac{1}{2m} (\mathbf{X}\Theta - \mathbf{y})^T (\mathbf{X}\Theta - \mathbf{y})$$

$$\frac{\partial J(\theta)}{\partial \theta} = \frac{1}{m} \mathbf{X}^T (\mathbf{X}\theta - \mathbf{y})$$

Faster, Simpler!