

Supernet Addressing

- Supernet Addressing allows the addresses assigned to a single organization to span multiple classed address blocks
 - Classless Addressing
- Why was classless addressing adopted?
 - Class B is too large for most organizations
 - At the rate Class B numbers were being assigned, Class B prefixes would be exhausted quickly
 - Class C is too small
 - Supernet Addressing is short-term solution
 - ▶ Long-term solution: IPv6 with much bigger address space

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Supernet Example

- Example:
 - A supernet contains 16 Class C blocks:

• From 11001101 01100100 00000000 00000000

(205.100.0.0)

• Up to 11001101 01100100 00001111 00000000

(205.100.15.0)

The common network prefix is

11001101 01100100 0000

▶ supernet address = 11001101 01100100 00000000 00000000

• network mask = 11111111 1111111 11110000 000000000

supernet address = IP address AND network mask

Slash notation for this supernet is 205.100.0.0/20

Effect of Supernet Addressing on Routing

- With supernet addressing, routing is according to the supernet address (or, the network prefix) of an IP address, not its class
 - This is known as CIDR (Classless Inter-Domain Routing)
 - CIDR collapses a block of contiguous Class C address blocks into a single entry in the routing table
 - **Example:** 205.100.0.0/20
 - Pre-CIDR: destination network with 16 contiguous Class C address blocks requires 16 entries in the routing table
 - Post-CIDR: destination network with 16 contiguous Class C address blocks only requires 1 entry in the routing table

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Longest Prefix Match

- With CIDR, multiple routing table entries may match a given IP destination address
- Example: routing table may contain
 - ⇒ 205.100.0.0/20 corresponds to a given supernet
 - → 205.100.0.0/22 corresponds to another supernet resulted from aggregation of a smaller number of addresses
 - Longest Prefix Match
 - Packet must be routed using the most specific route
 - → routing table entry corresponding to the smallest supernet
 - → longest prefix match
 - Several fast longest-prefix matching algorithms are available

Routing Scheme

Goal: find the best route between two under in the network

| The state of the network | Fastest route | least expensive | The state of the state

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Shortest Path Routing Scheme

- O Routing Protocol

 ** to distribute routing related info between nodes

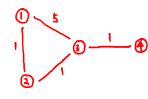
 what info?

 how to?
- Routing Algorithm
 - * Executed at each node (router)
 - * How to use routing related info to compute shortest path and update routing table if needed

- Each node maintains three lists:
 - 1. A list of next hops to each destination node along the shortest path
 - · routing table node index Hij
 - 2. A list of distances to each destination node (shortest distance)
 - distance vector path
 - 3. A list of link costs to each neighbor node
 - ∞ link cost to each non-neighbor node

Cij

F.g.



At no	de 1:					
dest j	Hij	Dij	Cij			
1	1	0	O			
2	2	1	1			
3	2	2	5			
4	Z Z	3	00	> Link State	(local	info)
rout	ing tal	ole —>	Distant Vector	e (global in	(°)	

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Only distance vectors are exchanged between neighbor nodes

• Each node will update its lists upon receiving new distance vectors from neighbor nodes

Bellman-Ford Algorithm

Initialization Step

H, D, C



Ford

Send Step

Each node sends its distance vector to its immediate neighbors across the local links (DV report)

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Bellman-Ford Algorithm

Looping

- ▶ If node i receives a distance vector from neighbor k or sees a link cost change to neighbor k, it re-calculates the shortest path to each destination j:
 - $\underline{D}_{ij} = \min_{k} \{ C_{ik} + D_{kj} \}$ \boldsymbol{v}
 - $\overline{H}_{ij} = \underset{k}{\operatorname{arg min}}_{k} \{ C_{ik} + D_{kj} \} : k \text{ such that } (C_{ik} + D_{kj}) \text{ is the minimal one}$
- ➡ If a new D_{ii} or H_{ii} is found, go to Send Step (this is called triggered update)
- Otherwise, periodic broadcast

E.g.



$$\begin{array}{c} D_{kl,j} \\ Kl \\ D_{k3,j} \\ Kl \\ D_{k3,j} \\ Kl \\ D_{k3,j} \\ D_{k3,j} \\ \end{array}$$

$$\begin{array}{c} C_{i,k_1} + D_{kl,j} \\ C_{i,k_2} + D_{k_3,j} \\ C_{i,k_3} + D_{k_3,j} \\ \end{array}$$

$$\begin{array}{c} P_{i,k_3} \\ F_{i,k_3} \\ F_{i,k_3} \\ \end{array}$$

$$\begin{array}{c} P_{i,k_4} \\ F_{i,k_3} \\ F_{i,k_3} \\ \end{array}$$

$$\begin{array}{c} P_{i,k_4} \\ F_{i,k_3} \\ F_{i,k_3} \\ \end{array}$$

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$$\begin{array}{c} P_{i,k_5} \\ F_{i,k_5} \\ F_{i,k_5} \\ \end{array}$$