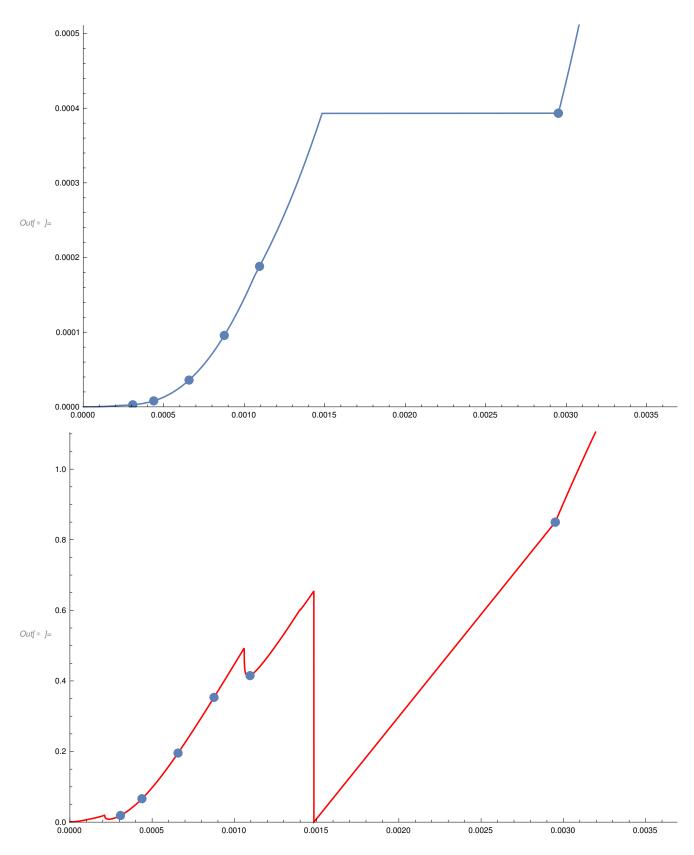
```
ln[ \circ ] := uc = 2.99792458 * 10^(10);
     uG = 6.67428 * 10^{(-8)};
     uMs = 1.9884 * 10^{(33)};
     utime = uG * uMs / uc ^ 3 * 1000;
     ulenght = (uG * uMs / uc^2) / 100 000;
     urho = (uc^6)/(uG^3 * uMs^2);
     uP = (uc^8)/(uG^3 * uMs^2);
     rnse = 10^{(18)} * 1.7827 / 1.3234;
     rnsp = 10^{(39)} * 1.6022 / 1.3234;
     urho/rnse;
     uP/rnsp;
     auc = 2.99792458 * 10 ^ (10);
     auG = 6.67428 * 10^{-8};
     auMs = 1.9884 * 10^{(33)};
     aurho = (auc^6)/(auG^3 * auMs^2);
     normalnuc = 2.705 * 10^{(14)};
     uSIrho = 100^3 / 1000;
     uSIp = 100 / 1000;
     umrechrho = (uc^6)/(uG^3*uMs^2);
     umrechp = (uc^8)/(uG^3 * uMs^2);
     mfmp = 10^6 / 1.3234 * 0.458476;
     mfmrho = 10 ^ 6 / 1.3234 * 0.458476 / 930;
```

```
In[ • ]:= datapath = "/home/hanauske/Master/Kurz/Mathematica/";
     datapathout = "/home/hanauske/Master/Kurz/Mathematica/pizzaout/";
     (*EoS1=ReadList[StringJoin[datapath, "DD2Twinstarpaper/eos_hsdd2_beta_t0.1.tab"],
         Table[Real, {i, 1, 18}]];*)
     EoS1 = ReadList[StringJoin[datapath, "EOSKurz/myeos1.dat"], Table[Real, {i, 1, 5}]];
     E0S1n =
        Table[{EoS1[[i]][[1]], EoS1[[i]][[4]], EoS1[[i]][[1]] * EoS1[[i]][[3]]}, {i, Dimensions[EoS1][[1]]}];
     EOS1na = Table[{EoS1[[i]][[1]], EoS1[[i]][[4]], EoS1[[i]][[1]] * EoS1[[i]][[3]], EoS1[[i]][[6]]},
         {i, Dimensions[EoS1][[1]]}];
     pH = Interpolation[Table[{EOS1n[[i, 3]], EOS1n[[i, 2]]}, {i, Dimensions[EOS1n][[1]]}]];\\
     eH = Interpolation[Table[{EOS1n[[i, 2]], EOS1n[[i, 3]]}, {i, Dimensions[EOS1n][[1]]}]];
     EoS1
     Part: Part 6 of \{4.1256 \times 10^{-7}, 7.54624 \times 10^{-11}, 4.12435 \times 10^{-7}, 0.285019, 0.\} does not exist.
     Part: Part 6 of \{0., 5.79721 \times 10^{-7}, 1.28028 \times 10^{-10}, 5.79505 \times 10^{-7}, 0.349366\} does not exist.
     Part: Part 6 of \{0., 0., 7.74386 \times 10^{-7}, 1.99835 \times 10^{-10}, 7.74045 \times 10^{-7}\} does not exist.
     General: Further output of Part::partw will be suppressed during this calculation.
     Interpolation: The point 0.` in dimension 1 is duplicated.
     ... Interpolation: Data point {EndOfFile, 99.5251} contains abscissa EndOfFile, which is not a real number.
       \{\{4.1256 \times 10^{-7}, 7.54624 \times 10^{-11}, 4.12435 \times 10^{-7}, 0.285019, 0.\},
         \{0., 5.79721 \times 10^{-7}, 1.28028 \times 10^{-10}, 5.79505 \times 10^{-7}, 0.349366\},
        \{0., 0., 7.74386 \times 10^{-7}, 1.99835 \times 10^{-10}, 7.74045 \times 10^{-7}\}, \dots 7919 \dots \}
         {1.5491, 0.317528, 0.00500309, 0.00138728, 0.00375132},
         {313.415, 1.54914, 0.317551, EndOfFile, EndOfFile}}
       large output
                     show less
                                 show more
                                               show all
                                                          set size limit...
Inf * ]= (*DD2fromTwinstarpaper, Einheiten: 1:rho:1/fm^3 , 4:pressure:MeV/fm^3 *)
     rho0Cactus = 0.0004379896294784459;
     Cacrho1 = 0.7 * rho0Cactus;
     Cacrho2 = 1 * rho0Cactus;
     Cacrho3 = 1.5 * rho0Cactus;
     Cacrho4 = 2 * rho0Cactus;
     Cacrho5 = 2.5 * rho0Cactus;
     Cacrho6 = 4 * rho0Cactus;
     Cacrho7 = 6 * rho0Cactus;
     (*SimName="DD2Twinstarpaper/eos_hsdd2_beta_t0.1.tab";*)
     SimName = "EOSKurz/myeos1.dat";
     str = OpenRead[StringJoin["/home/hanauske/Master/Kurz/Mathematica/", SimName]];
     (*Skip[str,String,5];*)
```

```
EOSTable = ReadList[str, Table[Real, {i, 1, 6}]];
NP = Dimensions[EOSTable][[1]]
datapure = Table[\{EOSTable[[n, 1]], EOSTable[[n, 4]]\}, \{n, 1, NP-1\}];
data = Table[\{EOSTable[[n, 1]] / mfmrho, EOSTable[[n, 4]] / mfmp\}, \{n, 1, NP-1\}];
data = Table[{EOSTable[[n, 3]], EOSTable[[n, 2]]}, {n, 1, NP - 1}];
ddata = Table[
   {data[[n, 1]], ((data[[n+1, 2]] - data[[n, 2]]) / (data[[n+1, 1]] - data[[n, 1]]))}, {n, 1, NP - 2}];
data;
n = 1;
While[data[[n, 1]] <= Cacrho1, l = 1; n++];
Cacrho1 = {data[[n, 1]], data[[n, 2]], ddata[[n, 2]], datapure[[n, 2]]};
While[data[[n, 1]] <= Cacrho2, l = 1; n++];
Cacrho2 = {data[[n, 1]], data[[n, 2]], ddata[[n, 2]], datapure[[n, 2]]};
While[data[[n, 1]] <= Cacrho3, l = 1; n++];
Cacrho3 = {data[[n, 1]], data[[n, 2]], ddata[[n, 2]], datapure[[n, 2]]};
While[data[[n, 1]] <= Cacrho4, l = 1; n++];
Cacrho4 = {data[[n, 1]], data[[n, 2]], ddata[[n, 2]], datapure[[n, 2]]};
While[data[[n, 1]] <= Cacrho5, l = 1; n++];
Cacrho5 = {data[[n, 1]], data[[n, 2]], ddata[[n, 2]], datapure[[n, 2]]};
While[data[[n, 1]] <= Cacrho6, l = 1; n++];
Cacrho6 = {data[[n, 1]], data[[n, 2]], ddata[[n, 2]], datapure[[n, 2]]};
While[data[[n, 1]] <= Cacrho7, l = 1; n++];
Cacrho7 = {data[[n, 1]], data[[n, 2]], ddata[[n, 2]], datapure[[n, 2]]};
PRange = \{\{0, 1.3 * Cacrho7[[1]]\}, \{0, 1.3 * Cacrho7[[2]]\}\};
dPRange = {{0, 1.3 * Cacrho7[[1]]}, {0, 1.3 * Cacrho7[[3]]}};
purePRange = {{0, 1.3 * Cacrho7[[1]] * (umrechrho * uSIrho)}, {0, 1.3 * Cacrho7[[4]]}};
PA = ListLinePlot[data, PlotRange → PRange];
PPA = ListPlot[{{Cacrho1[[1]], Cacrho1[[2]]},
     {Cacrho2[[1]], Cacrho2[[2]]}, {Cacrho3[[1]], Cacrho3[[2]]}, {Cacrho4[[1]], Cacrho4[[2]]},
     {Cacrho5[[1]], Cacrho5[[2]]}, {Cacrho6[[1]], Cacrho6[[2]]}, {Cacrho7[[1]], Cacrho7[[2]]}},
    PlotMarkers → {Automatic, Medium}, PlotRange → PRange];
dPA = ListLinePlot[ddata, PlotRange → dPRange, PlotStyle → Red];
dPPA = ListPlot[{{Cacrho1[[1]], Cacrho1[[3]]},
     {Cacrho2[[1]], Cacrho2[[3]]}, {Cacrho3[[1]], Cacrho3[[3]]}, {Cacrho4[[1]], Cacrho4[[3]]},
     {Cacrho5[[1]], Cacrho5[[3]]}, {Cacrho6[[1]], Cacrho6[[3]]}, {Cacrho7[[1]], Cacrho7[[3]]}},
   PlotMarkers → {Automatic, Medium}, PlotRange → PRange];
Show[PA, PPA]
Show[dPA, dPPA]
```



/// setrho1 = Cacrho1[[1]] * (umrechrho * uSIrho); setrho2 = Cacrho2[[1]] * (umrechrho * uSIrho);

```
setrho3 = Cacrho3[[1]] * (umrechrho * uSIrho);
setrho4 = Cacrho4[[1]] * (umrechrho * uSIrho);
setrho5 = Cacrho5[[1]] * (umrechrho * uSIrho);
setrho6 = Cacrho6[[1]] * (umrechrho * uSIrho);
setrho7 = Cacrho7[[1]] * (umrechrho * uSIrho);
data0 = {{}};
n = 1;
While[data[[n, 1]] <= Cacrho1[[1]], data0 = Join[data0, {{data[[n, 1]], data[[n, 2]]}}];</pre>
data0 = Drop[data0, 1];
data0;
n = n - 1;
data1 = \{\{\}\};
While[data[[n, 1]] <= Cacrho2[[1]], data1 = Join[data1, {{data[[n, 1]], data[[n, 2]]}}];
  n++];
data1 = Drop[data1, 1];
data1;
n = n - 1;
data2 = {{}};
While[data[[n, 1]] <= Cacrho3[[1]], data2 = Join[data2, {{data[[n, 1]], data[[n, 2]]}}];
  n++];
data2 = Drop[data2, 1];
data2;
n = n - 1;
data3 = {{}};
While[data[[n, 1]] <= Cacrho4[[1]], data3 = Join[data3, {\{data[[n, 1]], data[[n, 2]]\}\}};
  n++];
data3 = Drop[data3, 1];
data3;
n = n - 1;
data4 = {{}};
While[data[[n, 1]] <= Cacrho5[[1]], data4 = Join[data4, {{data[[n, 1]], data[[n, 2]]}}];
data4 = Drop[data4, 1];
data4;
n = n - 1;
data5 = \{{\}};
While[data[[n, 1]] <= Cacrho6[[1]], data5 = Join[data5, {{data[[n, 1]], data[[n, 2]]}}];
  n++];
data5 = Drop[data5, 1];
data5;
n = n - 1;
data6 = {{}};
```

```
\label{lem:while_data} While [data[[n, 1]] <= Cacrho7[[1]], data6 = Join[data6, {{data[[n, 1]], data[[n, 2]]}}];
       n++];
     data6 = Drop[data6, 1];
     data6;
     n = n - 1;
     data7 = \{\{\}\};
     While [n \le NP - 1, data7 = Join[data7, {\{data[[n, 1]], data[[n, 2]]\}\}]; n++];
     data7 = Drop[data7, 1];
     data7;
In[ • ]:= Fitf = FindFit[data0, K * rho ^ G, {K, G}, rho];
     K0 = Fitf[[1, 2]];
     polyrmd =
        Fitf[[1, 2]]^(1/(1-Fitf[[2, 2]])) * 0.001^((Fitf[[2, 2]]-1)/(1-Fitf[[2, 2]])) * umrechrho;
     Ga0 = \{0, Fitf[[2, 2]]\};
     Fitf1 = FindFit[data1, K0 * Cacrho1[[1]] ^ Ga0[[2]] / (Cacrho1[[1]] ^ G) * rho ^ G, \{G\}, rho];
     Ga1 = {setrho1, Fitf1[[1, 2]]};
     K1 = K0 * Cacrho1[[1]] ^Ga0[[2]] / (Cacrho1[[1]] ^Ga1[[2]]);
     Fitf2 = FindFit[data2, K1 * Cacrho2[[1]] ^ Ga1[[2]] / (Cacrho2[[1]] ^ G) * rho ^ G, {G}, rho];
     Ga2 = {setrho2, Fitf2[[1, 2]]};
     K2 = K1 * Cacrho2[[1]] ^ Ga1[[2]] / (Cacrho2[[1]] ^ Ga2[[2]]);
     Fitf3 = FindFit[data3, K2 * Cacrho3[[1]] ^Ga2[[2]] / (Cacrho3[[1]] ^G) * rho ^G, {G}, rho];
     Ga3 = {setrho3, Fitf3[[1, 2]]};
     K3 = K2 * Cacrho3[[1]] ^ Ga2[[2]] / (Cacrho3[[1]] ^ Ga3[[2]]);
     Fitf4 = FindFit[data4, K3 * Cacrho4[[1]] ^Ga3[[2]] / (Cacrho4[[1]] ^G) * rho ^G, {G}, rho];
     Ga4 = {setrho4, Fitf4[[1, 2]]};
     K4 = K3 * Cacrho4[[1]] ^Ga3[[2]] / (Cacrho4[[1]] ^Ga4[[2]]);
     Fitf5 = FindFit[data5, K4 * Cacrho5[[1]] ^ Ga4[[2]] / (Cacrho5[[1]] ^ G) * rho ^ G, {G}, rho];
     Ga5 = {setrho5, Fitf5[[1, 2]]};
     K5 = K4 * Cacrho5[[1]] ^ Ga4[[2]] / (Cacrho5[[1]] ^ Ga5[[2]]);
     Fitf6 = FindFit[data6, K5 * Cacrho6[[1]] ^ Ga5[[2]] / (Cacrho6[[1]] ^ G) * rho ^ G, {G}, rho];
     Ga6 = {setrho6, Fitf6[[1, 2]]};
     K6 = K5 * Cacrho6[[1]] ^Ga5[[2]] / (Cacrho6[[1]] ^Ga6[[2]]);
     Fitf7 = FindFit[data7, K6 * Cacrho7[[1]] ^ Ga6[[2]] / (Cacrho7[[1]] ^ G) * rho ^ G, {G}, rho];
     Ga7 = {setrho7, Fitf7[[1, 2]]};
     K7 = K6 * Cacrho7[[1]]^Ga6[[2]]/(Cacrho7[[1]]^Ga7[[2]]);
     Print["poly_rmd=", NumberForm[polyrmd, 15], "\n",
      NumberForm[Ga0[[1]], 15], " ", NumberForm[Ga0[[2]], 15], "\n",
      NumberForm[Ga1[[1]], 15], "
                                      ", NumberForm[Ga1[[2]], 15], "\n",
      NumberForm[Ga2[[1]], 15], " ", NumberForm[Ga2[[2]], 15], "\n",
      NumberForm[Ga3[[1]], 15], "
                                      ", NumberForm[Ga3[[2]], 15], "\n",
      NumberForm[Ga4[[1]], 15], "
                                      ", NumberForm[Ga4[[2]], 15], "\n",
      NumberForm[Ga5[[1]], 15], "
                                       ", NumberForm[Ga5[[2]], 15], "\n",
```

```
NumberForm[Ga6[[1]], 15], "
                                  ", NumberForm[Ga6[[2]], 15], "\n",
 NumberForm[Ga7[[1]], 15], " ", NumberForm[Ga7[[2]], 15], "\n"]
(*##################
polyrmd = polyrmd^(-Ga0[[2]]+1)/(0.001^(Ga0[[2]]-1))/(urho^(-Ga0[[2]]+1));
Ga0 = \{0, Ga0[[2]]\};
Ga1 = \{Ga1[[1]] / (urho * 1000), Ga1[[2]]\};
Ga2 = \{Ga2[[1]] / (urho * 1000), Ga2[[2]]\};
Ga3 = \{Ga3[[1]] / (urho * 1000), Ga3[[2]]\};
Ga4 = \{Ga4[[1]] / (urho * 1000), Ga4[[2]]\};
Ga5 = \{Ga5[[1]] / (urho * 1000), Ga5[[2]]\};
Ga6 = \{Ga6[[1]] / (urho * 1000), Ga6[[2]]\};
Ga7 = \{Ga7[[1]] / (urho * 1000), Ga7[[2]]\};
K1 = polyrmd * Ga1[[1]] ^ Ga0[[2]] / (Ga1[[1]] ^ Ga1[[2]]);
K2 = K1 * Ga2[[1]] ^ Ga1[[2]] / (Ga2[[1]] ^ Ga2[[2]]);
K3 = K2 * Ga3[[1]] ^ Ga2[[2]] / (Ga3[[1]] ^ Ga3[[2]]);
K4 = K3 * Ga4[[1]] ^ Ga3[[2]] / (Ga4[[1]] ^ Ga4[[2]]);
K5 = K4 * Ga5[[1]] ^ Ga4[[2]] / (Ga5[[1]] ^ Ga5[[2]]);
K6 = K5 * Ga6[[1]] ^ Ga5[[2]] / (Ga6[[1]] ^ Ga6[[2]]);
K7 = K6 * Ga7[[1]] ^ Ga6[[2]] / (Ga7[[1]] ^ Ga7[[2]]);
e0 = (polyrmd * Ga1[[1]] ^ Ga0[[2]]) / (Ga0[[2]] - 1) + Ga1[[1]];
a1 = e0 / Ga1[[1]] - 1 - K1 * Ga1[[1]]^(Ga1[[2]] - 1) / (Ga1[[2]] - 1);
e1 = (1 + a1) * Ga2[[1]] + K1 * Ga2[[1]] ^ Ga1[[2]] / (Ga1[[2]] - 1);
a2 = e1 / Ga2[[1]] - 1 - K2 * Ga2[[1]]^(Ga2[[2]] - 1) / (Ga2[[2]] - 1);
e2 = (1 + a2) * Ga3[[1]] + K2 * Ga3[[1]] ^ Ga2[[2]] / (Ga2[[2]] - 1);
a3 = e2 / Ga3[[1]] - 1 - K3 * Ga3[[1]]^(Ga3[[2]] - 1) / (Ga3[[2]] - 1);
e3 = (1 + a3) * Ga4[[1]] + K3 * Ga4[[1]] ^ Ga3[[2]] / (Ga3[[2]] - 1);
a4 = e3 / Ga4[[1]] - 1 - K4 * Ga4[[1]] ^ (Ga4[[2]] - 1) / (Ga4[[2]] - 1);
e4 = (1 + a4) * Ga5[[1]] + K4 * Ga5[[1]] ^ Ga4[[2]] / (Ga4[[2]] - 1);
a5 = e4 / Ga5[[1]] - 1 - K5 * Ga5[[1]] ^ (Ga5[[2]] - 1) / (Ga5[[2]] - 1);
e5 = (1 + a5) * Ga6[[1]] + K5 * Ga6[[1]] ^ Ga5[[2]] / (Ga5[[2]] - 1);
a6 = e5 / Ga6[[1]] - 1 - K6 * Ga6[[1]]^(Ga6[[2]] - 1) / (Ga6[[2]] - 1);
e6 = (1 + a6) * Ga7[[1]] + K6 * Ga7[[1]] ^ Ga6[[2]] / (Ga6[[2]] - 1);
a7 = e6 / Ga7[[1]] - 1 - K7 * Ga7[[1]] ^ (Ga7[[2]] - 1) / (Ga7[[2]] - 1);
Prho = Piecewise[{{polyrmd * rho ^ Ga0[[2]], rho < Ga1[[1]]}, {K1 * rho ^ Ga1[[2]], rho < Ga2[[1]]},
     \{K2 * rho ^Ga2[[2]], rho < Ga3[[1]]\}, \{K3 * rho ^Ga3[[2]], rho < Ga4[[1]]\},
     \{K4 * rho ^Ga4[[2]], rho < Ga5[[1]]\}, \{K5 * rho ^Ga5[[2]], rho < Ga6[[1]]\},
     \{K6 * rho ^Ga6[[2]], rho < Ga7[[1]]\}, \{K7 * rho ^Ga7[[2]], rho < 10 * Ga7[[1]]\}\}\};
PB = Plot[Prho, {rho, 0, 1.3 * Ga7[[1]]}, PlotStyle \rightarrow Red];
Show[PB, PA, PPA]
```

 $poly_rmd=5.7817269450468 \times 10^{18}$

0 2.32099340435551

 $1.92115278693784 \times 10^{17}$ 2.92580123560412

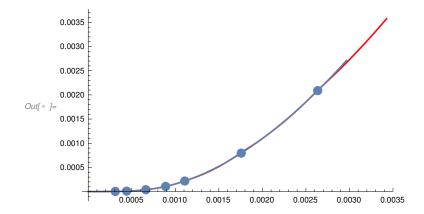
 $2.72621723559 \times 10^{17}$ 3.40131182933083

 $4.08847202980738 \times 10^{17}$ 3.51496833267321

 $6.84794693717803 \times 10^{17}$ 2.83729357418746

 $1.08532747875338 \times 10^{18}$ 2.34924219002929

 $1.62764968869902 \times 10^{18}$ 2.03097219335027



```
In[ • ]:= Prho /. rho → 0.001
     data[[10]]
     datadiff = Table[{data[[n, 1]],
           Sqrt[(data[[n, 2]] - (Prho /. rho \rightarrow data[[n, 1]]))^2] / data[[n, 2]], {n, 1, NP - 1}];
     datadiffR = Table[Sqrt[(data[[n, 2]] - (Prho /. rho \rightarrow data[[n, 1]]))^2] / data[[n, 2]],
         {n, 1, NP-1}];
      PRangediff = \{\{0, 1.7 * Cacrho7[[1]]\}, \{-0.01, 2 * 10^{(-1)}\}\};
     Max[datadiffR]
     Min[datadiffR]
     PPAdiffR = ListPlot[{{Cacrho1[[1]], 0}, {Cacrho2[[1]], 0}, {Cacrho3[[1]], 0},
           {Cacrho4[[1]], 0}, {Cacrho5[[1]], 0}, {Cacrho6[[1]], 0}, {Cacrho7[[1]], 0}},
         PlotMarkers → {Automatic, Medium}, PlotRange → PRange];
      PdiffR = ListLinePlot[datadiff, PlotRange → PRangediff];
      Show[PdiffR, PPAdiffR]
Out[ • ] = 0.000157427
Out[ \circ ]= 1.
Out[ • ]= 0.0000570618
     0.20
     0.15
Out[ \circ ]= 0.10
     0.05
                                           0.003
```

0.004