

# **ECONOMIC LOAD DISPATCH**

# Objectives

---

- ❑ Develop a generalized program for solving economic load dispatch problem with the following conditions:
    - Transmission line losses are neglected
    - Generator limits are not considered
-

# Simulation Tool

---

- ❑ Scripting languages like Python, Octave, MATLAB
-

# Mathematical Model

---

□ Solve  $P_{Gi}$  using the following equations:

▪ Co-ordination equation:

- $\frac{\partial C_i}{\partial P_{Gi}} = \lambda$

▪ Constraints:

- $\sum_{i=1}^N P_{Gi} = P_D$
  - All loads should be served
-

# Inputs

---

- ❑ Cost function matrix of the generation system of the form:

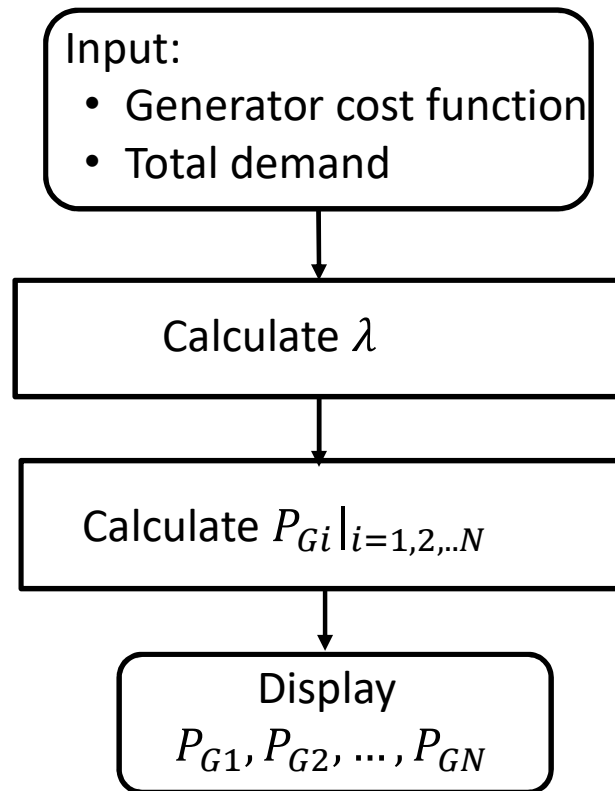
- $$C = \begin{bmatrix} a_1 & b_1 & c_1 \\ a_2 & b_2 & c_2 \\ - & - & - \\ a_N & b_N & c_N \end{bmatrix}$$

- Where cost of each generator is of the form:  $C_i = a_i + b_i P_{Gi} + c_i P_{Gi}^2$
- $N$  is the total number of generators

- ❑ Total demand  $P_D$
-

# Flow chart

---



## Calculation of $\lambda$ and $P_{Gi}$

---

□  $\frac{\partial C_i}{\partial P_{Gi}} = \lambda$  where  $C_i = a_i + b_i P_{Gi} + c_i P_{Gi}^2$

▪  $\frac{\partial C_i}{\partial P_{Gi}} = b_i + 2c_i P_{Gi} = \lambda$

▪  $P_{Gi} = \frac{\lambda - b_i}{2c_i}$

□ But  $\sum P_{Gi} = P_D$

▪  $P_D = \sum \frac{\lambda - b_i}{2c_i} = \lambda \sum \frac{1}{2c_i} - \sum \frac{b_i}{2c_i}$

▪  $\lambda = \frac{P_D + \sum \frac{b_i}{2c_i}}{\sum \frac{1}{2c_i}}$

---

# Sample inputs and outputs

---

## □ Inputs:

- $C = \begin{bmatrix} 150 & 25 & 0.100 \\ 180 & 30 & 0.150 \\ 200 & 20 & 0.125 \end{bmatrix}$

- $P_D = 100$

## □ Outputs:

- $\lambda = 32.8378$

- $P_G = [39.1892 \quad 9.4595 \quad 51.3514]$

---