LECTURE 8: VARIABLE NAMES (K&R § 2.1)

VARIABLE NAMES 1. Made up of letters and digits. Underscore (_) counts as a letter. This is useful for improving readability of long names. Note: Do not begin a variable name with underscore. names are reserved for library routines. Variable names are case-sensitive (uppercase and lowercase letters are different) 4. The first character in the name must be a letter.

	reserved by	C language	
C keywords	cannot be us	sed as variable	names
	must be in l	owercase	
auto	double	int	struct
break	else	long	switch
case	enum	register	typedef
char	extern	return	union
continue	for	signed	void
do	if	static	while
default	goto	sizeof	volatile
const	float	short	unsigned

	significant characters
external	function names / global variables
variables	<pre>(variables defined outside of { })</pre>
internal variables	variables defined within { }
	of our text's publication, the C standard first 31 characters of an internal variable are .
internal	first 31 characters are significant meaning that the compiler was only guaranteed to treat two variable names as different if they were distinct in the first 31 characters
external	first 6 monocase characters are significant these variables are handled by the linker and were more limited: abcdefg and Abcdef5 would be treated as the same variable.
The current	C standard guarantees more.

LECTURE 8: DATA TYPES AND SIZES (K&R § 2.2)

(see C11, § 5.2.4.1)

char (character)										
A single byte (8 bits).										
Capable of holding 1 character in the local character set.										
	0	≤	char	≤	28 - 1					
unsigned	00000000	≤	char	≤	11111111					
unsigned	overflow	255	(255 +	1 = 0)						
	underflow	0	(0 - 1	= 255)						
	-27	≤	char	≤	27 - 1					
signed (if	10000000	≤	char	≤	01111111					
supported)	overflow	127	(127 +	1 = -12	8)					
Supported)	underflow	-128	(-128	-1 = 12	7)					

int (integer	•)								
Size is implementation-dependent.									
On our machines: 32 bits (stored in 4 sequential bytes)									
An integer is a number that can be written without a fractional component (i.e., 0 and matural numbers, or whole numbers).									
	0	≤	int	≤	$2^{32} - 1$				
unsigned					0xffffffff				
ansignea	overflow	429496	57295	(4294967	295 + 1 = 0)				
	underflow	0			4294967295)				
	-2 ³¹	≤	int	≤	$2^{31} - 1$				
	0x8000000	0 ≤	int	≤	0x7ffffffff				
signed	overflow	2147483647							
Signed	overliow	(2147483647 + 1 = -2147483648)							
	underflow		-2	21474836	48				
	underliow	(-214	748364	8 - 1 =	2147483647)				

short (qual	short (qualifier for ints, means short integer)								
On our mac	On our machines: 16 bits (stored in 2 sequential bytes)								
On any mac	must	be at l	east 16 b	its					
On any mac	cann	ot be lo	nger thar	an in	t				
Used for smaller integers.									
	0	≤	short	≤	$2^{16} - 1$				
unsigned	0x0000				0xffff				
unsigned	overflow	655	65535 (65535 + 1 = 0)		1 = 0)				
	underflow	0	(0	- 1 =	65535)				
	-215	≤	short	≤	2 ¹⁵ - 1				
a t an a d	0x8000	≤	short	≤	0x7fff				
signed	overflow	3276	57 (.	(32767 + 1 = -3276)					
	underflow	-327	68 (-32768	-1 = 32767)				

lor	ıg (qı	ualifier for i	nts, means long integer)
On	our	machines:	32 bits (same as int)
On	221	machine :	must be at least 32 bits
OII	any	machine .	must be at least as long as an int

float (fl	float (floating point number)									
Represe	Represent numbers with fractional parts.									
Size is	is implementation-dependent.									
On our	On our machines: 32 bits (stored in 4 sequential bytes)									
1 bit	8 bits	23 bits								
sign exponent coefficient										

Based on the IEEE 754 floating point standard.
Each finite number (may be binary or decimal) is described

1. s a sign (zero or one) 2. c a significand (coefficient) 3. q an exponent The numerical value of a finite number = (-1) ^s * c * b ^g where b is the base (2 or 10)	three integers:									
3. q an exponent The numerical value of a finite number = $(-1)^s * c * b^q$	s a sign (zero or one)									
The numerical value of a finite number = $(-1)^s * c * b^q$										
example:										
base = 10, sign = 1, significand = 12345, exponent = -3 : $-1^1 * 12345 * 10^{-3} = -1 * 12345 * .001 = -12.345$										

1	bit	8 bits	23 bits
	1	10000010	10001011000010100011111
		3	12345

double (double-precision floating point number)

A float with more precision. On our machines: 64 bits (stored in 8 sequential bytes)

signed / uns	signed / unsigned						
May be appl	May be applied to any char or integer.						
always positive or 0							
	obey	the laws of arithmeti	c modulo 2 ⁿ				
unsigned	where n is the number of bits in the type						
	(see overflow/underflow)						
	use	the most significant b	oit				
signed	have	have negative values and positive values					
Signed	trea	eat MSB as bit flag for +/- sign.					
		number is positive	number is negative				
sign bit is	:	0	1				

LECTURE 8: MORE ON CONSTANTS, NUMBERING SYSTEMS (K&R § 2.3)

CONSTANTS

an identifier with an associated value that cannot be					
altered by the program during	normal execution, e.g.,				
integer constant	12345				
long constant	1234567891 or 123456789L				
unsigned long int constant	12345UL				
double constant	12345. (b/c of decimal point)				
double constant	1.2345e2 (b/c of exponent)				
float constant	1234.5F (b/c of suffix)				

BINARY

Base 2.	Binary	place v	alues:				
N ⁷	N ⁶	N ⁵	N^4	N^3	N^2	N^1	N^0
128	64	32	16	8	4	2	1

C does not have a way to specify binary literals.

OCTAL

Base 8.	. Octal place values:				
N^7	2,097,152				
N ⁶	262,144	Specify the value of an integer in octal with a			
N^5	32 , 768				
N^4	4,096	leading 0:			
N^3	512				
N^2	64	037 = 31 in decimal			
N^1	8	(7 * 1) + (3 * 8) = 31			
N^0	1				
Cauti	on• I	decimal number with a be interpreted as octal.			

HEXADECIMAL (HEX)															
Base 16. Uses letters for digits > 9:															
0	1	2	3	4	5	6	7	8	9	а	b	С	d	е	f
										10	11	12	13	14	15
Неха	adec	cimal	. pla	ace '	valu	es:									
N	7	268,435,456													
N	6	16,777,216 Specify the value													
N	5	1,048,576				integer in hexadecimal with a					in a				
N	4	65 , 536				leading 0x or 0X:									
N	3	4,096					0 57 1	ı	21	in	logi,	m n 1			
N.	2	256				0x1f = 31 in decimal $0X1F = 31$ in decimal									
N	1	16					1				(1 *			3.1	
	^							1	(+)	/		\ +	± 0)		<i>)</i> _

USEFUL CONVERSIONS TO KNOW

USEFUL CONVERSIONS TO KNOW							
decimal	binary	hexadecimal	octal				
0	0000	0X0	00				
1	0001	0X1	01				
2	0010	0X2	02				
3	0011	0X3	03				
4	0100	0X4	04				
5	0101	0X5	05				
6	0110	0X6	06				
7	0111	0X7	07				
8	1000	0X8	010				
9	1001	0X9	011				
10	1010	0XA	012				
11	1011	0XB	013				
12	1100	0XC	014				
13	1101	0XD	015				
14	1110	0XE	016				
15	1111	0XF	017				

CHARACTER CONSTANT

An integer, written as one character within single quotes. The value of a character constant is the numeric value of

the cha	racter in the machine's character set.
'a'	integer value in ASCII code for letter a
'0'	integer value in ASCII code for number 0
'\b'	integer value in ASCII code for backspace
'\000'	octal value 000 - 377 (0 - 255 decimal)
'\xhh'	hex value 0x00 - 0xff (0 - 255 decimal)

STRING CONSTANT

Remember distinction between character constant and string constant. 'x' # "x"

' X '	"X"
An integer used to produce	An array of characters that
the numeric value of the	contains one character (the
letter x in the machine's	letter x) and a $'\0'$ (the
character set.	null terminator).

ENUMERATION CONSTANT

_			
	a list of constant integer values		
enumeration	e.g., enum boolean {NO, YES};		
	The names have values 0, 1, and so on.		
Explicit values can also be specified, e.g.:			
enum escapes = {BELL = '\a', [], RETURN = '\r'};			