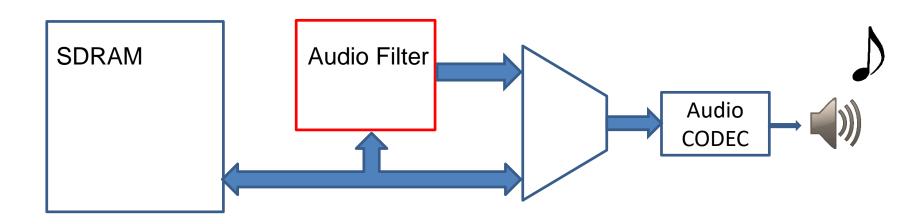
### Lab 8 Guide

### Purpose

 The overall purpose of Lab 8 is to implement a low-pass and a high pass digital filter in VHDL.



### Filter Design

- Open a new .vhd file for each filter
  - It needs to be in its own file for simulation

```
entity low_pass_filter is

port (

clk : in std_logic; -- CLOCK_50

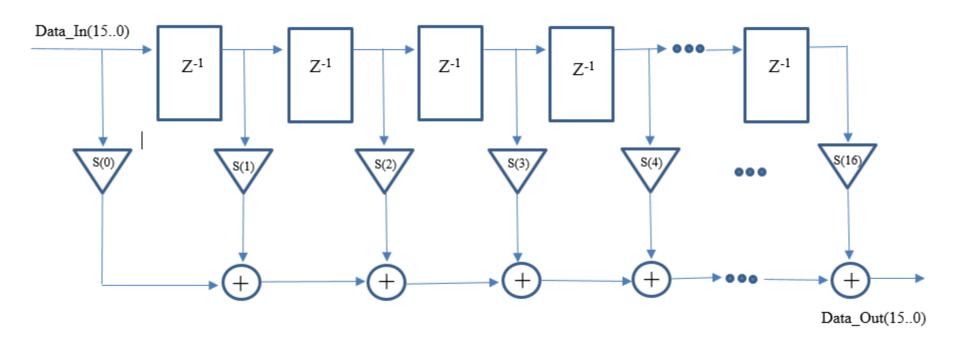
reset_n : in std_logic; -- active low reset

data_in : in signed(15 downto 0); --Audio sample, in 16 bit fixed point format (15 bits of assumed decimal)

filter_en : in std_logic; --This is enables the internal registers and coincides with a new audio sample

data_out : out signed(15 downto 0) - This is the filtered audio signal out, in 16 bit fixed point format
);
end low_pass_filter;
```

# Filter Design



### Filter Design - Multipliers

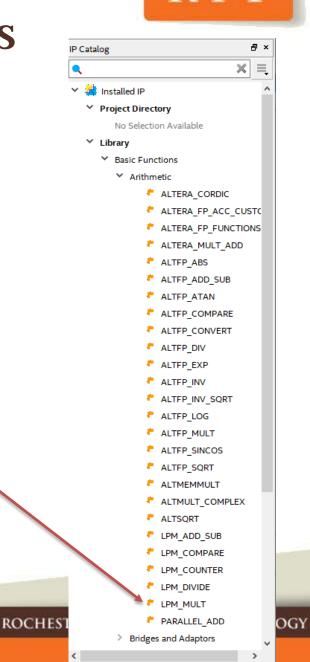
- Each triangle represents a multiplier.
  - The signal coming into the multiplier should be multiplied by the corresponding filter coefficient
  - Make these constants

	Low Pass		High Pass	
Coefficie nt	Value	16-bit fixed point	Value	16-bit fixed point
S(0)	0.0025		0.0019	
S(1)	0.0057		-0.0031	
S(2)	0.0147		-0.0108	
S(3)	0.0315		0.0	
S(4)	0.0555		0.0407	
S(5)	0.0834		0.0445	
S(6)	0.1099		-0.0807	
S(7)	0.1289		-0.2913	
S(8)	0.1358		0.5982	
S(9)	0.1289		-0.2913	
S(10)	0.1099		-0.0807	
S(11)	0.0834		0.0445	
S(12)	0.0555		0.0407	
S(13)	0.0315		0.0	
S(14)	0.0147		-0.0108	
S(15)	0.0057		-0.0031	
S(16)	0.0025		0.0019	

#### $R \cdot I \cdot T$

## Filter Design - Multipliers

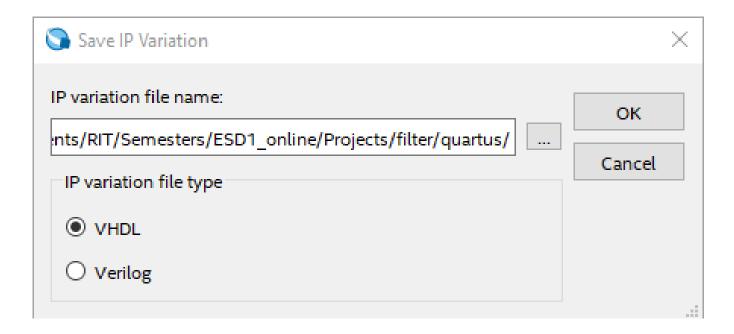
- Create the multiplier using the MegaWizard
- Choose LPM\_MULT





# Filter Design- Multiplier

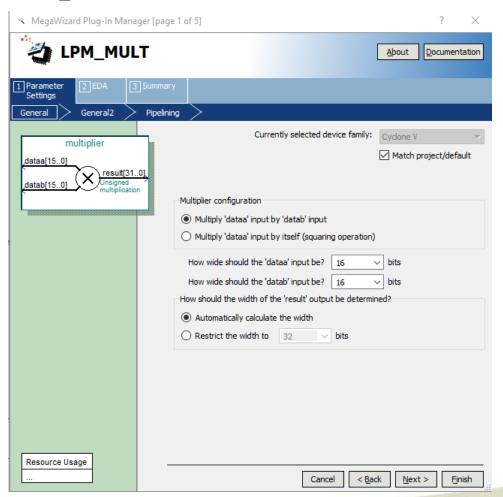
- Choose VHDL
- Give it a name





## Filter Design- Multiplier

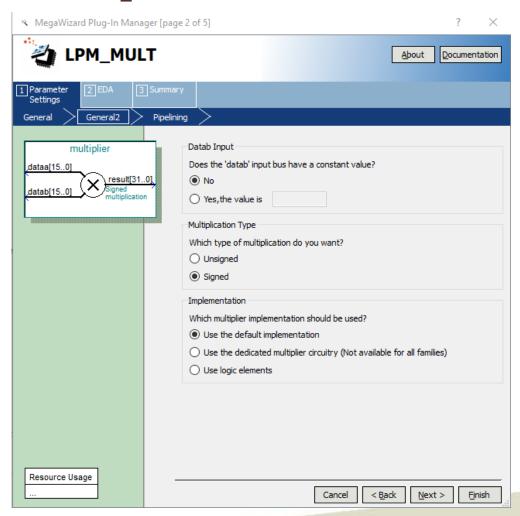
• Set the size to 16 bits





## Filter Design - Multiplier

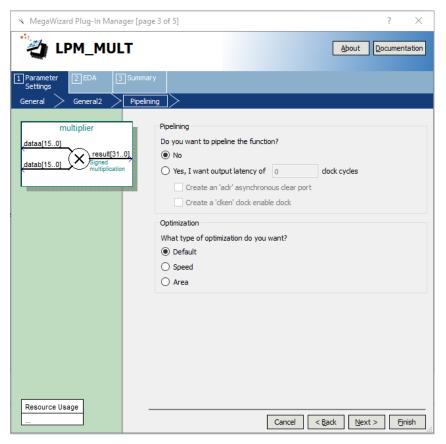
Choose signed

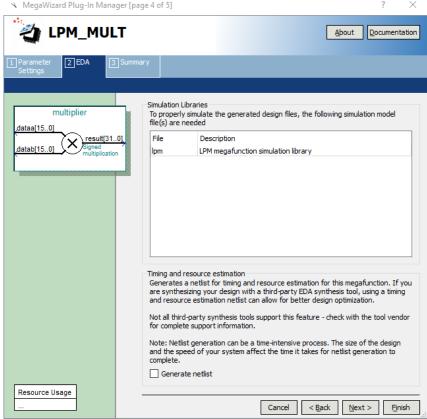




# Filter Design - Multiplier

#### **Accept defaults**

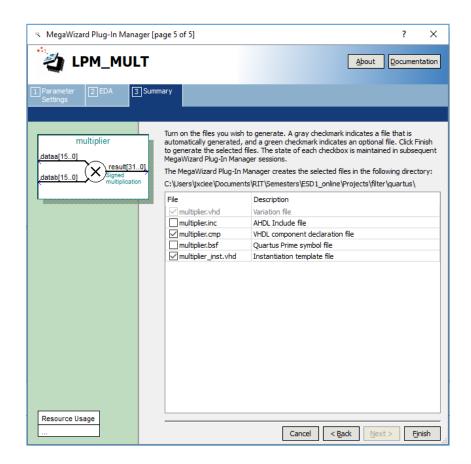






### Filter Design - Multiplier

- Choose to generate the multiplier\_inst.vhd file.
- This contains the port maps
- After finishing, click yes to add the .qip file to your project



## Filter Design - Multipliers

- Create one multiplier
  - Declare it as a component
  - Instantiate 16 multipliers
    - Port map dataa to the signal at the triangle's input
    - Port map datab to the coefficient constants from the table above

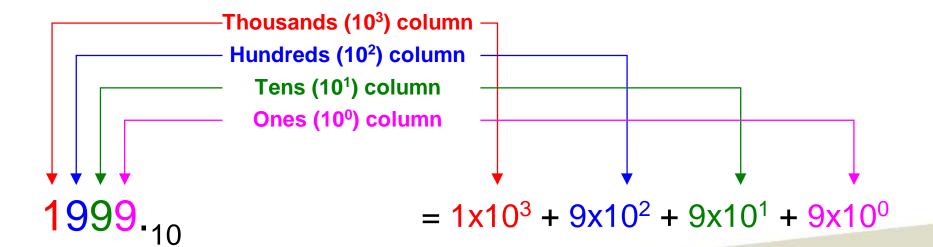
### Filter Design – adders

- Each circle is an adder
  - You can use +
  - Be sure to include signed library
    - use ieee.std\_logic\_signed.all;
  - Because of signed library, sum can be the same length as the numbers being added

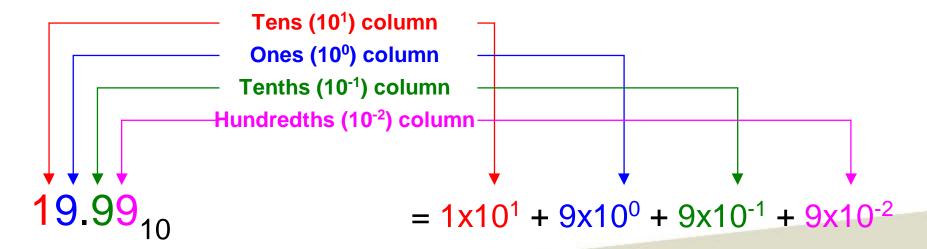
### Filter Design - delays

- Each block with a Z<sup>-1</sup> is a 16 bit register with an enable
- Review DSD notes if you do not remember how to write one!
- The enable signal should be filter\_en
- There are 16 registers
  - A component may make it easier

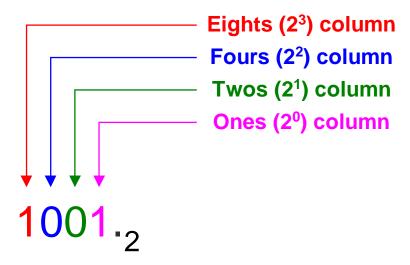
- Base-10 Integer Numbers
  - Signed or unsigned integer
  - Uses numbers 0 to 9
  - Decimal point assumed to the far right
  - Each digit position represents power of 10

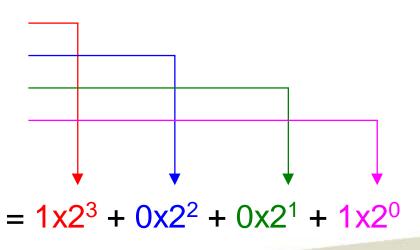


- Base-10 Real Numbers
  - Signed or unsigned integer
  - Uses numbers 0 to 9
  - Decimal point fixed between digits
  - Each digit position still represents power of 10
    - Digits right of the decimal point are negative power

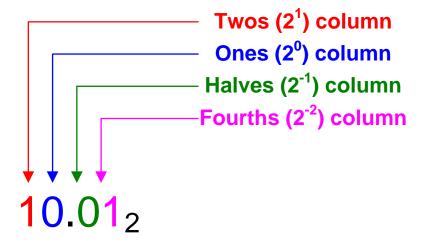


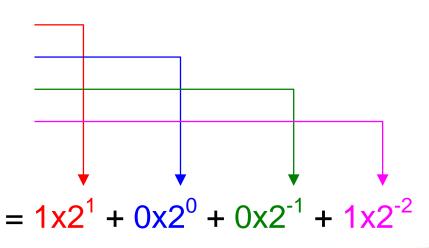
- Binary Integer Numbers
  - Uses numbers 0 and 1
  - Each digit position represents power of 2
  - Decimal point assumed to the far right





- Binary Real Numbers
  - Uses numbers 0 and 1
  - Each digit position represents power of 2
  - Decimal point assumed to the far right





- Arithmetic Example
  - Compare Base-10 addition to Base-2 addition
    - Base-10: Each digit position → power of 10
    - Base-2: Each digit position → power of 2

Both methods come up with the same answer

- Decimal point location
  - Implicitly fixed in the binary number
  - 0's used to pad unused position with fixed point number
  - Ex: 8-bit fixed-point number with 3 bit for fraction
    - $00010.110_2 = 1*2^1 + 1*2^{-1} + 1*2^{-2} = 2 + 0.5 + 0.25$
    - $00010.110_2 = 2.75$
  - Ex: 8-bit fixed-point number with 5 bit for fraction
    - $000.10110_2 = 1^2-1 + 1^2-3 + 1^2-4 = 0.5 + 0.125 + 0.0625$
    - $000.10110_2 = 0.6875$

- Fixed-point numbers
  - Shifting Binary Numbers
    - Divide by 2 occurs with each position shift right
    - Multiply by 2 occurs with each position shift left
  - Represent a shifted version of real number
    - Ex: 53 = 53.0 = 0x35 = 0011\_0101
    - Ex:  $26.5 \Rightarrow 26.5 * 2 = 53.0 = 0x35 = 0011_010.1$
- Conversion process to fixed-point
  - Multiple real number by 2<sup>n</sup>
    - Where n is the number of bit allocated to fraction
  - Ex: Represent 26.565 in fixed-point notation
    - Using 16-bits with 8-bits for fractional part
    - $26.565 * 2^8 = 6800.64 \approx 6800 = 0x1A90$

- Signed fixed-point Example
  - Represent -0.25 in Fixed point notation
  - Using 8-bits for fractional part & 1 bit for sign
  - 8-bits for fraction
    - $0.25 \rightarrow 0.25 * 2^8 = 0 \times 40 = 0_0100_0000$
    - Take 1's complement: 0x1BF = 1\_1011\_1111
    - Add 1 for 1's complement: 0x1C0 = 1\_1100\_0000
- Fixed Point Notation in VHDL
  - Work with them in VDHL as signed type
  - Treat them the same as if they represented whole numbers

### Filter Design – Fixed Pt. Notation

- This filter uses 16-bit signed numbers with 15 bits after implied decimal point Example:
  - S(6) = -0.0807
  - Multiply 0.0807 by 2<sup>15</sup> (because there are 15 bits after decimal point)
    - $0.0807 \times 2^{15} = 2644.3776 \approx 2644$
  - Convert to hex
    - 0x0A54
  - Apply 2's complement
    - 0xF5AB + 1 = 0xF5AC

Note: Use the "Nerd Calc" app on your phone to make conversions to hex and 2's complement easier

### Filter Design – Size Matching

- The multiplier outputs will be 32 bits
- The additions are still 16 bits
- When you multiply two numbers that each have 15 decimal places, the product will have 30 decimal places
  - The 32 bit output from the multiplier will have 2 bits to the left of the decimal point and 30 to the right
  - To maintain the 16-bit fixed pt format:
    - You can remove the least significant 15 bits
    - You can also remove 1 bit from the left of the decimal point because it is just sign extension

MultOut\_n <= MultOutFull\_n(30 downto 15);

#### Simulation

- You will have to write a test bench to simulate your filter
- The testbench will read sample data from a provided Excel input file
- The testbench will write the filtered results to another Excel file
- A template is given in the lab handout

### TEXTIO package — For file I/O

- Include "use ieee.std.textio.all"
- Important functions and procedures:
  - Readline(...)
  - Read(…)
  - Writeline(…)
  - Write(…)
  - Endfile(...)
- Additional types
  - Text
  - line

### Reading From Files

Declaration of the input file

#### FILE stimulus: text open read\_mode is "stim\_in.txt";

- The file\_handle is stimulus
- It is of type text
- It is opened in the read mode
- Obtaining data from the input file

```
For i in 0 to 39 loop //if you know there are 40 samples

Readline(stimulus, L); //read a line and put it in variable L

Read(L, i_int); //read a integer from L

Array(i) <= i_int; //store it in an array

Wait until clk = '1';
```

End loop

## Reading From Files

- Function definitions
  - Readline reads a complete line from the file pointed at by the file\_handle. The line is put in a buffer of type LINE
  - Read reads from the line into a variable. You have to know what type the data in the input file is so that you can read it into the proper variable type.

### Writing to Files

Declaration of the output file

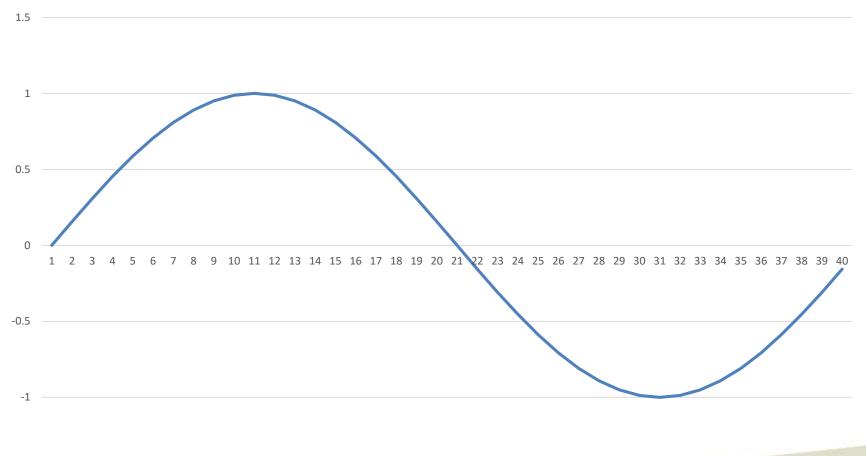
```
FILE O_file: text open write_mode is 
"stim_out.txt";
```

- The file handle is O\_file
- It is of type text
- It is opened in write mode
- Write functions
  - Write(L, o\_int) writes an integer to a buffer L of type LINE
    - Writes data to a line
  - Writeline(O\_file, L) writes a complete line to the output file
    - Writes an entire line to a file



### Input Wave from Excel File

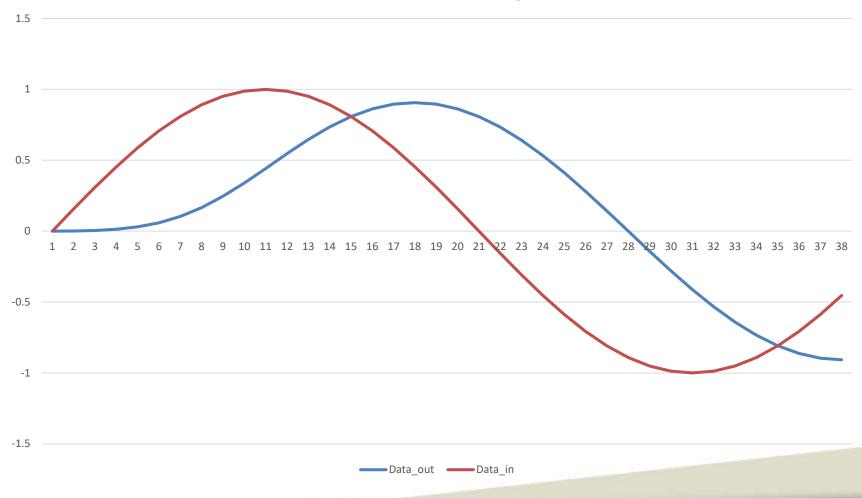






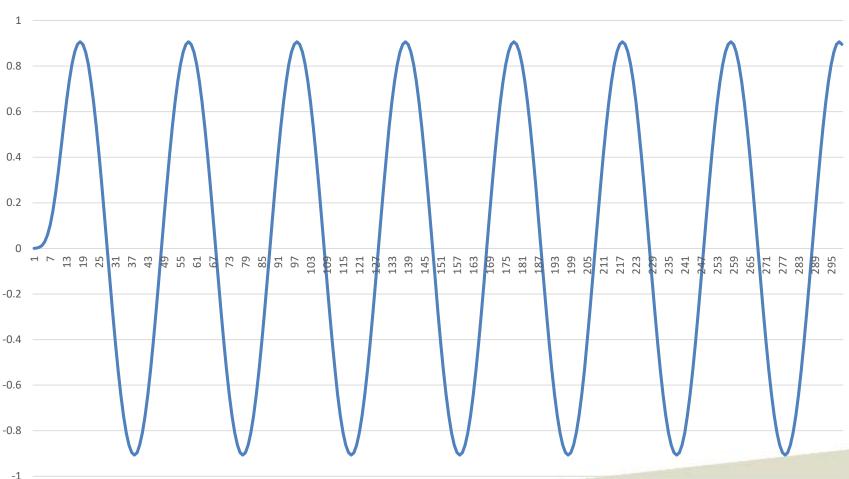
### Low Pass Filtered Data

Low Pass Filtered Data for Samples 0-39



### Low Pass Filtered Data Over Time







### High Pass Filtered Data

High Pass Filtered Data for Samples 0-39



#### $R \cdot I \cdot T$

# High Pass Filtered Data Over Time



