## **Biophysics final exam**

- **1. Statistical thermodynamics and chemical kinetics.** Consider a chemical system made of particles that can be in three energy levels: 0 kJ/mol, 1.2 kJ/mol and 2.4 kJ/mol.
  - Calculate the population (probability) of particles corresponding to these energy levels at T= 25°C. (1 point)

• At what temperature will the population of the three states be the same? (0.5 points)

- **2. Protein folding and mutations.** We want to predict qualitatively the effect of a mutation in a globular protein. This protein has the residues  $\underline{\mathbf{E}}$  (glutamate) and  $\underline{\mathbf{K}}$  (lysine) next to each other in the surface of the protein. We want to predict the effect of a mutation changing  $\underline{\mathbf{E}}$  (glutamate) by an  $\underline{\mathbf{I}}$  (isoleucine).
  - Fill the next table regarding the effect of the mutation in the **unfolded protein**. Use + to indicate contributions that increase the  $\Delta G$  of the system and to indicate contributions that decrease the  $\Delta G$  of the system. Also, provide explanations for the results you include in the table. **(0.5 points)**

Unfolded protein	Wild type	Mutant	Overall ΔG
Polar			
interactions			
Electrostatics			
Van Der Waals int.			
Solvation			
Total			

• Fill the next table regarding the effect of the mutation in the **folded protein**. Use + to indicate contributions that increase the  $\Delta G$  of the system and - to indicate contributions that decrease the  $\Delta G$  of the system. Also, provide explanations for the results you include in the table. **(0.5 points)** 

Folded protein	Wild type	Mutant	Overall ΔG
Polar interactions			
Electrostatics			
Van Der Waals int.			
Solvation			
Total			

Use the results you obtained in the two tables you just filled to predict
the effect of the mutation in the folding of the protein. Will it increase
or decrease the stability of the protein? (0.5 points)

**3. Protein-protein interactions.** We perform an alanine scanning across the interface of a protein-protein interaction and obtain the following results:

Mutation	ΔΔG interaction	ΔΔG solvation
	(Kcal/mol)	(Kcal/mol)
Lys244Ala	11.2	4.3
Val354Ala	0.2	0.3
Tyr278Ala	4.5	4.2

 What is the effect of each of these mutations in the stability of the interaction? What mutations are having a larger impact in this stability? (0.5 points)

• Say if the following statements are true or false and explain why. Take into account the properties of the amino acids and how they can be involved in interactions and solvation. **(0.5 points)** 

Lys244 is involved in an electrostatic interaction:

Val354 interacts with the other protein by a hydrogen bond:

Tyr278 is very unlikely that interacts with water molecules:

• Knowing that the experimental dissociation constant for the unmutated complex is 10.4 nM, calculate the dissociation constants for the mutants. Assume a temperature of 25 °C. (0.5 points)

**4. Enzyme kinetics.** We obtain the following results of reaction speeds for different concentrations of substrate. The concentration of enzyme is the same in all conditions.

	Reaction speed (µmol/s)	Substrate concentration (mM)
Experiment 1	3.8	0.1
Experiment 2	11.09	0.5
Experiment 3	14.6	1

Find the value of the maximum reaction speed. (0.5 points)

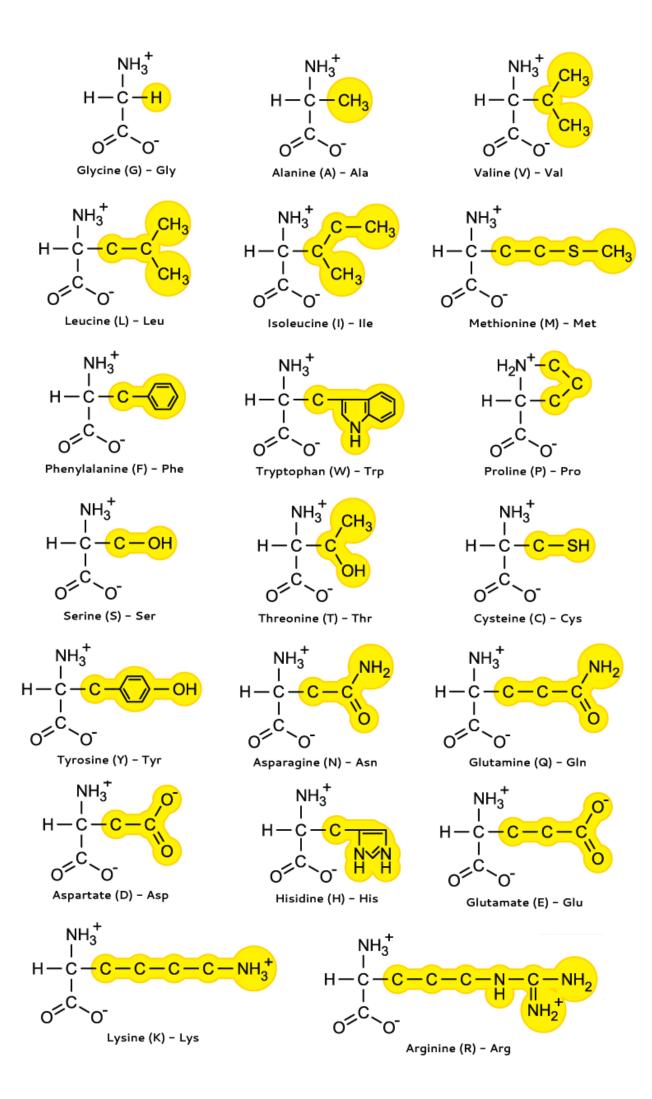
Find the value of the Michaelis constant. (0.5 points)

Compare the enzyme in this exercise to another enzyme whose Michaelis constant is 44  $\mu$ M. Which of the two enzymes has more affinity for its substrate? If you couldn't calculate the Michaelis constant in the previous exercise, you can assume a Michaelis constant of 0.2 mM. **(0.5 points)** 

5)	(2	<b>points)</b> Justify briefly the following sentences (all of them are true)
	a.	Protein stability can be evaluated experimentally by following changes in the heat capacity using differential calorimetry
	b.	Replacement of ionic residues located at the protein surface by neutral polar residues is acceptable
	C.	Following the chemical mechanism of enzyme catalysed transformations requires the use of quantum mechanics methods
	d.	Macromolecules' stable conformations are thermodynamic energy minima
	e.	Increasing the yield of protein folding "in vivo" requires stabilizing unfolded structures.

	f.	Statistic potentials are the best choice to evaluate whether a protein fold is correct
	g.	Molecular mechanics is the initial step on most simulation procedures
	h.	NPT and explicit solvent are the recommended ensemble in Molecular Dynamics simulations
	i.	A hyperbolic shape in the plot of binding degree against ligand concentration indicates the participation of a protein in the process
	j.	During a MD simulation the structure visits more often conformations that correspond to lower energies.
6)	en	<b>point)</b> Regarding macromolecular energies Classify the following ergy terms according to their influence in macromolecule stability vourable (F) / unfavourable (U) / indifferent (I))

ii Stacking intera	nteraction between residues inside proteins
7) (1 point) Regarding transport are related  A) Fick's law B) ATP hydrolysis C) Concentration Gradient D) Membrane potential E) Hyperbolic saturation curve	a) Primary active transport b) Secondary active transport c) Free diffusion d) Protein mediated transport e) Ionic concentration gradient



## Formulas:

 $\Delta G = \Delta H - T \cdot \Delta S$ 

$$W = \frac{N!}{N_0! N_1! N_2! N_i!}$$

 $S = K_B \cdot ln(W)$ 

$$\frac{N_i}{N} = \frac{e^{-E_i/kT}}{\sum_{n} e^{-E_n/kT}}$$

Order	Differential form	Integrated form	Half live	Units of k
0	$-\frac{d[A]}{dt} = k$	$[A] = [A]_o - k_A t$	[A] <sub>0</sub> 2k	M s <sup>-1</sup>
1	$-\frac{d[A]}{dt} = k[A]$	$[A] = [A]_o e^{-k_A t}$	$\frac{\ln 2}{k}$	s <sup>-1</sup>
2	$-\frac{d[A]}{dt} = k[A]^2$	$\frac{1}{A} = \frac{1}{A_o} + kt$	$\frac{1}{[A]_0k}$	M <sup>-1</sup> s <sup>-</sup>
2'	$-\frac{d[A]}{dt} = k[A][B]$	$\frac{1}{[A]_0 - [B]_0}  \ln \frac{[B]_0 [A]}{[A]_0 [B]} = kt$		M <sup>-1</sup> s <sup>-</sup>

$$k = Ae^{-E_a/RT}$$

$$\Delta\Delta G_{A\to B} = \Delta\Delta G_{A\to B(F)}^{interP,AB} + \Delta\Delta G_{A\to B(F)}^{solvationAB} - \Delta\Delta G_{A\to B(U)}^{interP,AB} - \Delta\Delta G_{A\to B(U)}^{solvationAB}$$

$$\mathbf{K}_{\text{(equilibrium constant)}} = \frac{[AB]^{ab}}{[A]^{A} \cdot [B]^{B}}$$

$$\mathbf{K}_{ extsf{D(dissociation constant)}} = rac{[A][B]}{[AB]}$$

$$\mathbf{K}_{\text{i(Inhibition constant)}} = \frac{[R][L]}{[RL]}$$

$$\Delta G = R \cdot T \cdot ln(K_D)$$

$$\Delta\Delta G = R \cdot T \cdot ln(K_D^{mut}) - R \cdot T \cdot ln(K_D^{wt})$$

$$\Delta G = \Delta G_{electrostatics} + \Delta G_{VanDerWaals} + \Delta G_{Solvation}$$

$$\mathbf{Y}_{\text{(saturation degree)}} = \frac{L}{Kd + L}$$

$$V_{\text{(reaction speed)}} = k_2 \cdot [ES]$$

$$\mathbf{K}_{\mathsf{M}(\mathsf{Michaelis\ constant)}} = \frac{[E] \cdot [S]}{[ES]}$$

$$\mathbf{V}_{\text{(reaction speed)}} = \mathbf{k_2} \cdot [E] total \cdot \frac{[S]}{[S] + KM}$$

$$V_{max} = k_2 \cdot [E] total$$

## **Constants:**

$$N_A = 6.022 \cdot 10^{23}$$

$$k_B = 1.38 \times 10^{-23} \text{ J} \cdot \text{K}^{-1}$$

$$R = 8.314 \text{ J} \cdot \text{K}^{-1} \cdot \text{mol}^{-1}$$

$$1 \text{ cal} = 4.184 \text{ J}$$