

1.

1	A	excellent	45
2	B	fair	22
3	C	good	64
4	A	excellent	28

Isolate objects 1 and 3, convert nominal to dummy and encode ordinal to integer variables

fair = 1 good = 2 excellent = 3, letter splits into 3 binary variables. Set to interval such that fair = 0, good = 1/2, excellent = 1 via $\frac{r-1}{R-1}$ where R = 3, r -> {1, 2, 3}

Identifier	A	B	C	test - 2	test - 3
1	1	0	0	3	45
3	0	0	1	2	64

Apply Euclidean Distance Formula

$$d[i_ , j_] = \frac{\sum_{f=1}^p \delta_{ij}^f d_{ij}^f}{\sum_{f=1}^p \delta_{ij}^f}$$

$$In[*]:= d = \frac{1 \times 1 + 1 \times 0 + 1 \times 1 + 1 \left(1 - \frac{1}{2}\right) + 1 \left(\frac{64-45}{64-22}\right)}{1 + 1 + 1 + 1 + 1} // N$$

Out[*]= 0.590476

3.

	Passed	Failed	Total
Attended	25	6	31
Skipped	8	15	23
Total	33	21	54

$$In[*]:= \chi^2 = \sum_{i=1}^n \frac{(x_i - e_i)^2}{e_i}$$

We define the expected value for a cell to be equally distributed based on rows and columns such that cell 1,1 would be $33 \times 31 / 54 = 18.94$

$$In[*]:= \chi = \sqrt{\frac{\left(25 - \left(\frac{33 \times 31}{54}\right)\right)^2}{\left(\frac{33 \times 31}{54}\right)} + \frac{\left(6 - \left(\frac{21 \times 31}{54}\right)\right)^2}{\left(\frac{21 \times 31}{54}\right)} + \frac{\left(8 - \left(\frac{33 \times 23}{54}\right)\right)^2}{\left(\frac{33 \times 23}{54}\right)} + \frac{\left(15 - \left(\frac{21 \times 23}{54}\right)\right)^2}{\left(\frac{21 \times 23}{54}\right)}} // N$$

Out[*]= 3.41848

$$In[*]:= \chi^2$$

$$Out[*]= 11.686$$