

CV 804: 3D RENDERING & GEOMETRY PROCESSING

WEEK 12 / EXERCISE 6: Implicit Surface Reconstruction

HAO LI

Implicit Surface Reconstruction

- Estimate point cloud normals (precomputed)
- Estimate signed distance function (SDF)
- Evaluate the distances on a uniform grid
- Extract mesh via marching cubes

Exercise 6

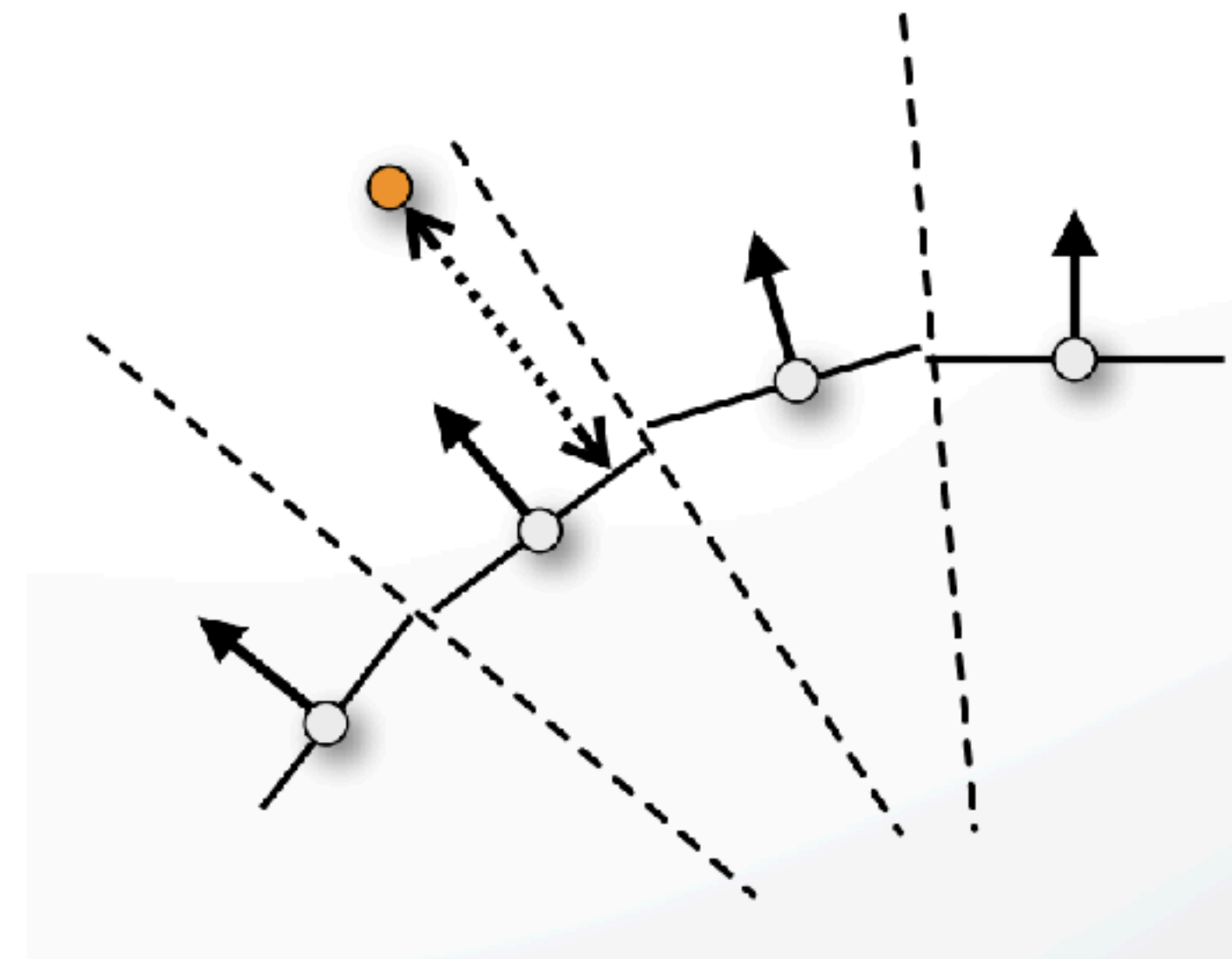
- You will be given 3 sets of point clouds
- Implement two popular methods to estimate signed distance function for implicit surface reconstruction:
 - Hoppe distance from tangent planes [Hoppe 92]
 - Triharmonic Radial Basis Functions (RBFs)

Libraries

- OpenGL, OpenMesh
- Generic Matrix Methods (gmm)
 - used for solving linear equation
- IsoEx: marching cubes

Hoppe Distance

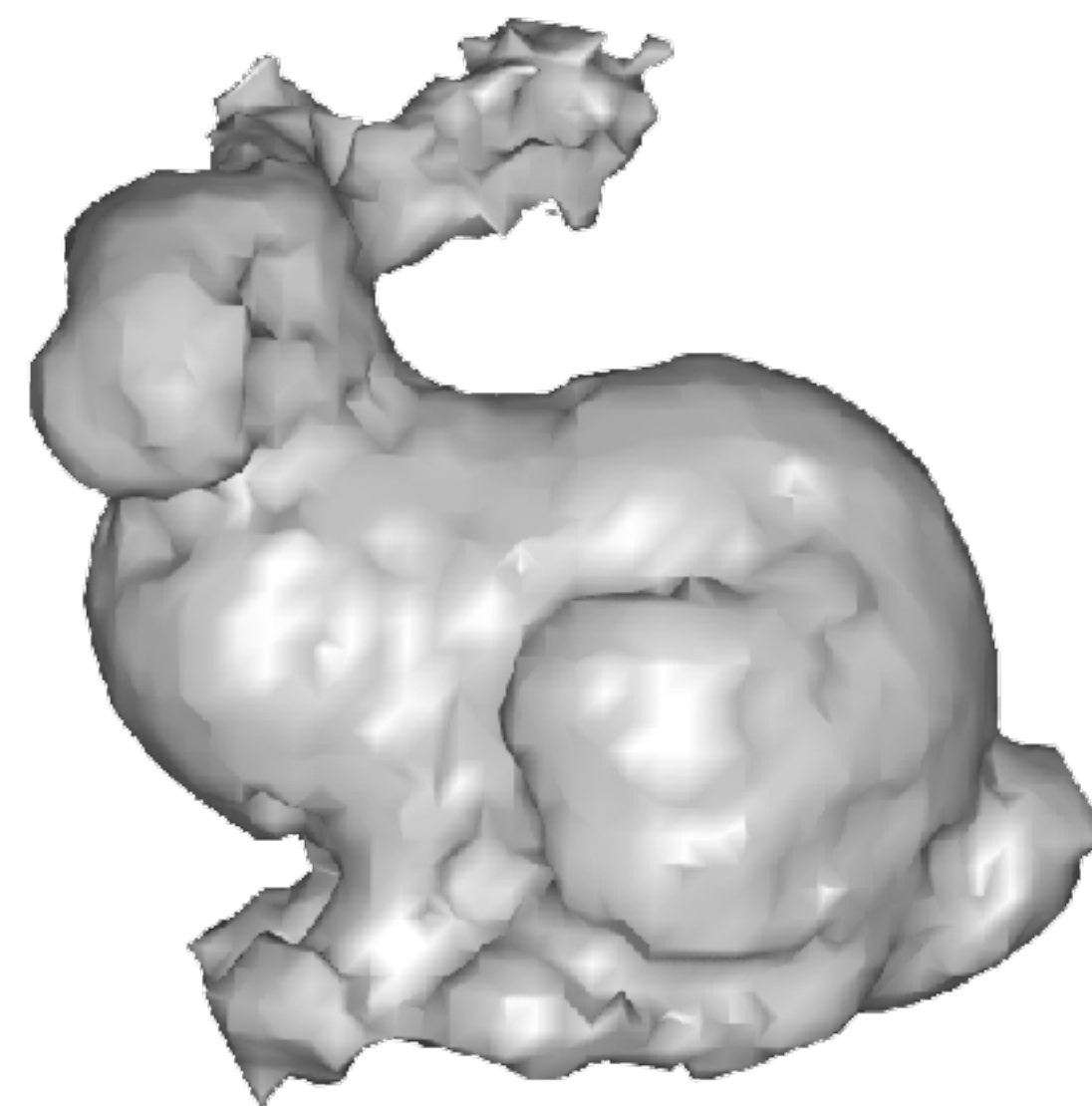
- Distance from tangent plane
 - point & normal forms a local tangent plane
 - use distance from closest point's tangent plane



Hoppe Distance

- Distance from tangent plane
 - point & normal forms a local tangent plane
 - use distance from closest point's tangent plane
- `ImplicitHoppe::operator()` in `ImplicitHoppe.hh`
- Surface reconstruction from unorganized points.
[Hoppe et al. '92]

Results



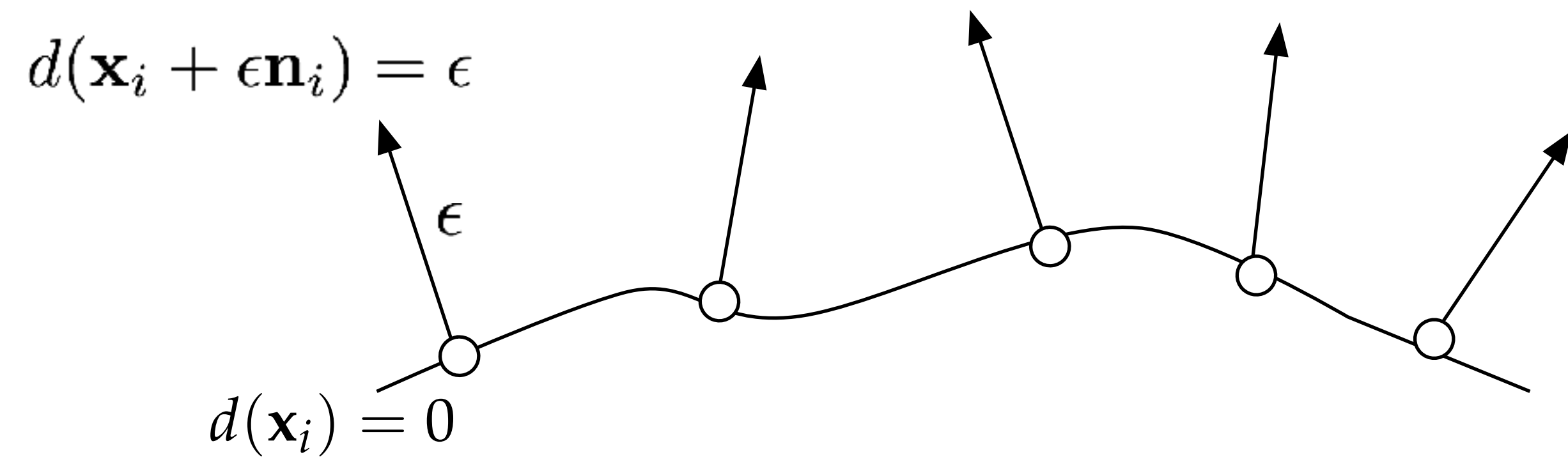
RBF

- Radial Basis Functions (RBFs)
 - Sum of shifted, weighted kernel functions

$$d(\mathbf{x}) = \sum_i w_i \phi(\|\mathbf{x} - \mathbf{c}_i\|)$$

- Triharmonic RBFs: $\phi(x) = x^3$
- Solve for the weights using on- and off-surface constraints and gmm library
- `ImplicitRBF::ImplicitRBF()` in `ImplicitRBF.cc`

On- and Off-Surface Constraints



$$\begin{bmatrix} \phi(\|\mathbf{x}_1 - \mathbf{x}_1\|) & \dots & \phi(\|\mathbf{x}_1 - (\mathbf{x}_n + \epsilon \mathbf{n}_n)\|) \\ \vdots & \ddots & \vdots \\ \phi(\|(\mathbf{x}_n + \epsilon \mathbf{n}_n) - \mathbf{x}_1\|) & \dots & \phi(\|(\mathbf{x}_n + \epsilon \mathbf{n}_n) - (\mathbf{x}_n + \epsilon \mathbf{n}_n)\|) \end{bmatrix} \begin{bmatrix} w_1 \\ \vdots \\ w_{2n} \end{bmatrix} = \begin{bmatrix} d_1 \\ \vdots \\ d_{2n} \end{bmatrix}$$

On- and Off-Surface Constraints

How to choose the epsilon?

- Find the bounding box of object:

$$\text{min_p} = [\text{min_x}, \text{min_y}, \text{min_z}]$$

$$\text{max_p} = [\text{max_x}, \text{max_y}, \text{max_z}]$$

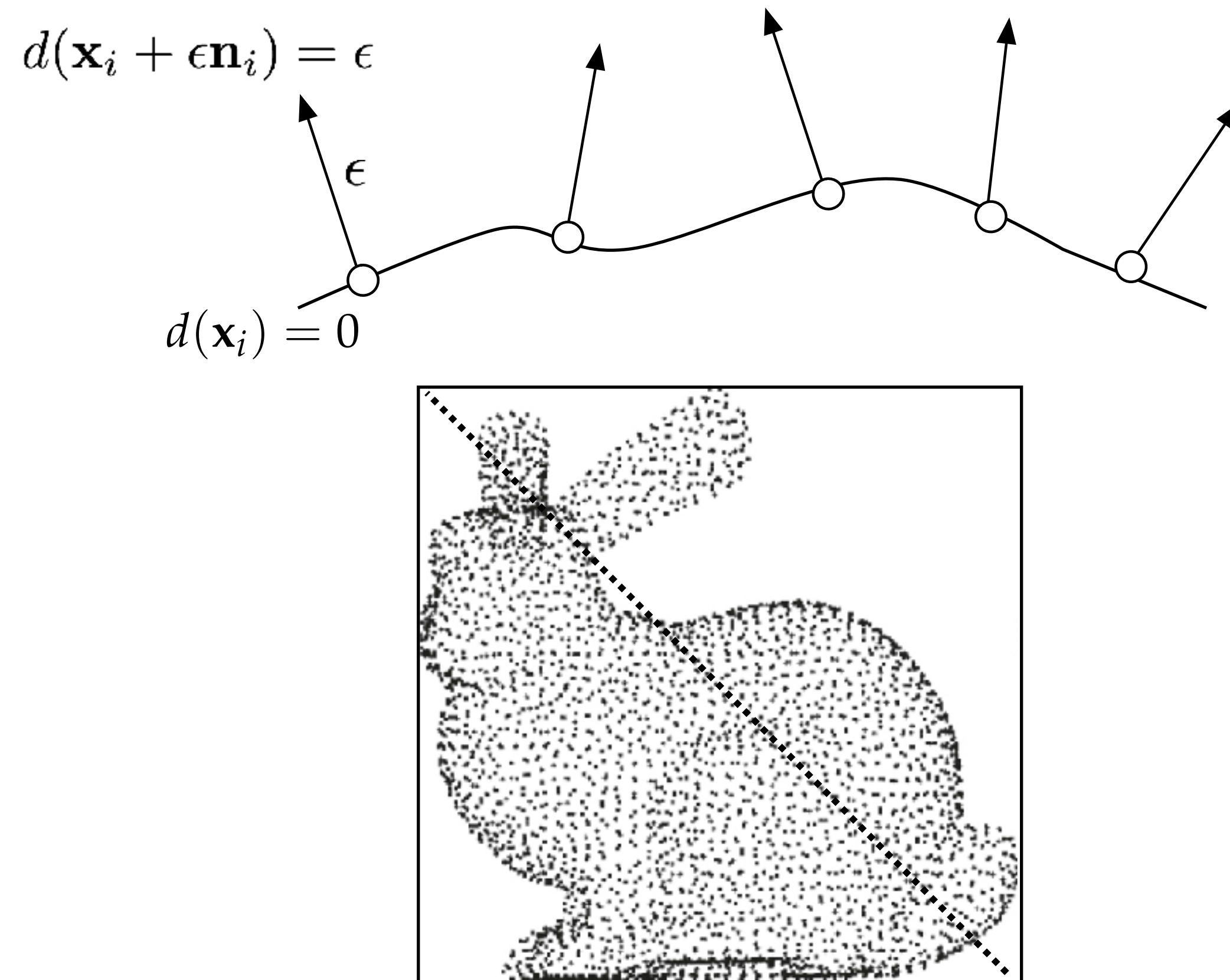
- Calculate the distance:

$$\text{d_box} = \|\text{max_p} - \text{min_p}\|$$

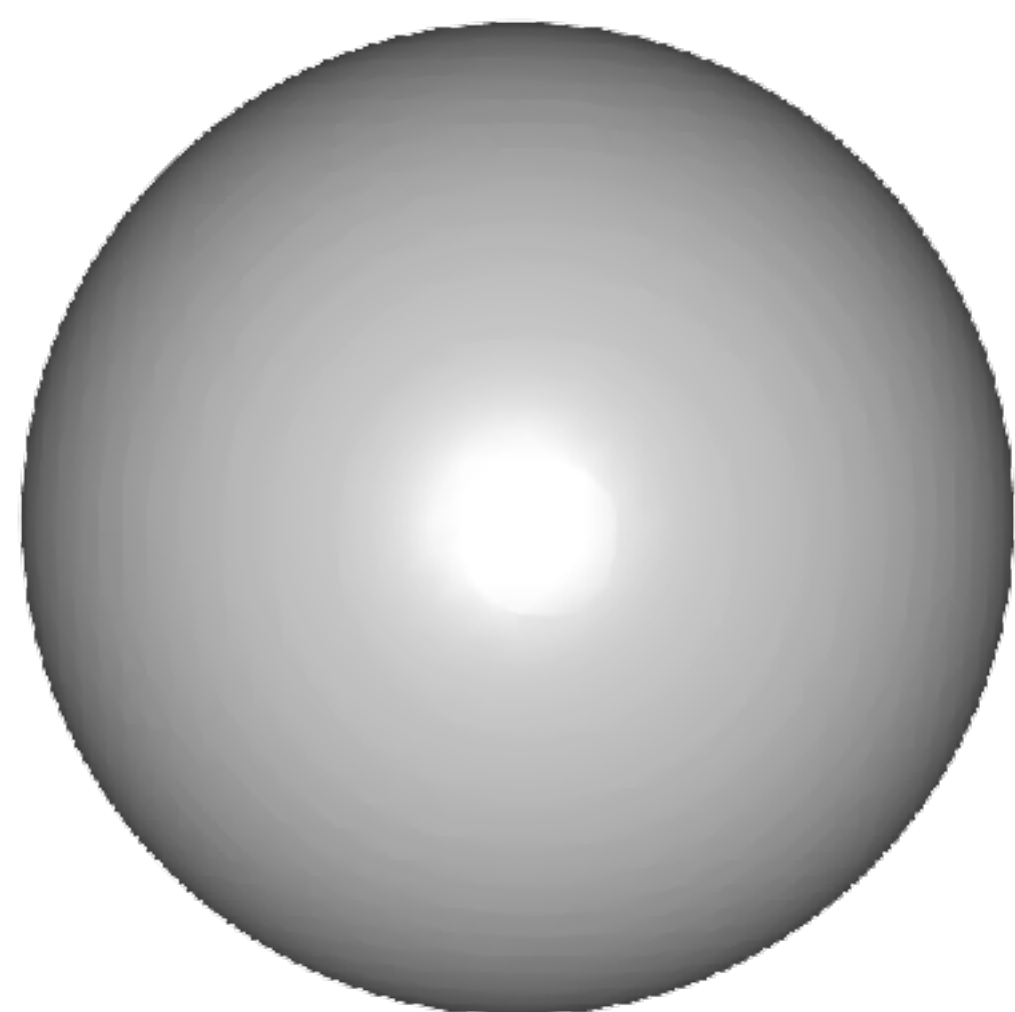
- Calculate epsilon:

$$\text{eps} = \text{scale} * \text{d_box}$$

- The value of scale should be small, you can try different values of scale yourself to see its effect.
- Tip: **scale=0.01** should work well



Results



Submission

- Deadline: **Tuesday 23rd April, 11:59 pm**
- Follow submission instructions on Ex.6 webpage:
 - Upload a .zip compressed file named “Exercise6-YourName.zip” to Moodle
 - Include your code with comments
 - Include a readme file:
 - Describe how you solved each problem
 - Describe problems you encountered
 - Include JPEG frames or a video

Contact

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TEACHING ASSISTANTS

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OFFICE HOURS

- * Office Hours: TBD, will be posted soon
- * Emails (include “CV804” in title)

QUESTIONS?

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THANKS!



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