ACM模版

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写在前面

基础模版

```
#include <bits/stdc++.h>
using namespace std;
typedef long long ll;
```

```
#define OPFI(x) freopen(#x".in", "r", stdin);\
                freopen(#x".out", "w", stdout)
#define REP(i, a, b) for(int i=(a); i<=(b); ++i)
#define REPd(i, a, b) for(int i=(a); i>=(b); --i)
inline ll rd(){
    ll r=0, k=1; char c;
    while(!isdigit(c=getchar())) if(c=='-') k=-k;
    while(isdigit(c)) r=r*10+c-'0', c=getchar();
    return r*k;
}
int main(){
    return 0;
}
```

vimrc

```
syntax on
set ts=4
set expandtab
set autoindent
set cindent
set shiftwidth=4
set nu
set softtabstop=4
set smartindent
set showmatch
set ruler
set mouse=a
inoremap <F1> <esc>:w<CR>
inoremap <F5> <esc>:below term<CR>
nmap <F1> :w<CR>
nmap <F5> :below term<CR>
colo habamax
set title
set shell=powershell
set wim=list
set backspace=indent,eol,start
set nocompatible
```

数据结构

zkw 线段树

单点修 区间查

```
ll s[N<<2], a[N];
int M;

ll f(ll x, ll y){
    return x+y; // 改这
}

void build(){
    for(M=1; M<=n+1; M<<=1);
    REP(i, 1, n) s[i+M]=a[i];
    REPd(i, M-1, 1) s[i]=f(s[2*i], s[2*i+1]);
}

ll qrange(int l, int r, ll init){ // 根据 f 传 init
    ll res=init;
    for(l=l+M-1, r=r+M+1; l^r^1; l>>=1, r>>=1){
        if(~l&1) res=f(res, s[l^1]);
        if(r&1) res=f(res, s[r^1]);
    }
    return res;
}

void edit(int x, ll v){
    for(s[x+=M]=v, x>>=1; x; x>>=1){
        s[x]=f(s[2*x], s[2*x+1]);
    }
}

ll qpoint(int x){
    return s[x+M];
}
```

珂朵莉树

```
struct node{
    int l, r;
    mutable int v;
    bool operator<(const node& rhs) const { return l<rhs.l;
}
};

set<node> odt;
typedef set<node>::iterator iter;

iter split(ll p){
    iter tmp=odt.lower_bound((node){p, 0, 0});
    if(tmp!=odt.end()&&tmp->l==p) return tmp;
    --tmp;
    int tl=tmp->l, tr=tmp->r, tv=tmp->v;
    odt.erase(tmp);
    odt.insert((node){tl, p-1, tv});
    return odt.insert((node){p, tr, tv}).first;
}

// 【修改 & 查询】注意 split 顺序
// iter itr=split(r+1), itl=split(l);
```

FHQ-Treap

以模版文艺平衡树为例

```
int n, m, clk, rt;
struct node{
    int key, val, sz, tag, ls, rs;
}t[N];
int newnode(int k){ return t[++clk]=(node){k, rand(), 1, 0},
clk; }
void down(int o){
    if(t[o].tag){
        t[t[o].ls].tag=1-t[t[o].ls].tag;
        t[t[o].rs].tag=1-t[t[o].rs].tag;
        swap(t[t[o].ls].ls, t[t[o].ls].rs);
        swap(t[t[o].rs].ls, t[t[o].rs].rs);
```

```
        t[o].tag=0;
    }
}
void up(int o){ t[o].sz=t[t[o].ls].sz+t[t[o].rs].sz+1; }
void split(int o, int x, int &L, int &R){
    if(o==0) return L=R=0, void(); down(o);
    if(t[t[o].ls].sz+1>=x) R=o, split(t[o].ls, x, L, t[o].ls);
    else L=o, split(t[o].rs, x-t[t[o].ls].sz-1, t[o].rs, R);
    up(o);
}
int merge(int L, int R){
    if(L==0||R==0) return L+R;
    if(t[L].val>t[R].val) return down(L), t[L].rs=merge(t[L].rs, R), up(L), L;
    else return down(R), t[R].ls=merge(L, t[R].ls), up(R), R;
}
```

数学

快速幂

```
const ll MOD=998244353; // 改模数

ll qpow(ll a, ll x){
    ll res=1;
    a%=MOD;
    while(x){
        if(x&1) res=res*a%MOD;
        a=a*a%MOD, x>>=1;
    }
    return res;
}

ll inv(ll x){ return qpow(x, MOD-2); } // 模数为质数时
```

高斯消元

```
const int N=110;
ll n;
double a[N][N], b[N];
void work(){
    n=rd();
    REP(i, 1, n){
        REP(j, 1, n) a[i][j]=rd();
        b[i]=rd();
    }
    REP(i, 1, n){
        int t=i;
        REP(j, i+1, n) if(abs(a[j][i])>1e-7&&(abs(a[t][i])>abs(a[j][i])||abs(a[t][i])<1e-7)) t=j;
        REP(j, i, n) swap(a[t][j], a[i][j]);
        if(abs(a[i][i])<1e-7){
            puts("No Solution");
            return 0;
        }
        swap(b[t], b[i]);
        double e=a[i][i];
        REP(j, i, n) a[i][j]/=e;
        b[i]/=e;
        REP(j, i+1, n){
            double d=a[j][i];
            REP(k, i, n) a[j][k]-=d*a[i][k];
            b[j]-=d*b[i];
        }
    }
    REPd(i, n, 1) REP(j, 1, i-1) b[j]-=a[j][i]*b[i], a[j][i]=0;
    // REP(i, 1, n) printf("%.2f\n", b[i]);
    // b[1...n] 保存 Ax=b 的解
}
```

图论

倍增

```
void dfs(int x, int fa){
    pa[x][0]=fa; dep[x]=dep[fa]+1;
```

```
    REP(i, 1, SP) pa[x][i]=pa[pa[x][i-1]][i-1];
    for(int& v:g[x]) if(v!=fa){
        dfs(v, x);
    }
}

int lca(int x, int y){
    if (dep[x]<dep[y]) swap(x, y);
    int t=dep[x]-dep[y];
    REP(i, 0, SP) if(t&(1<<i)) x=pa[x][i];
    REPd(i, SP-1, -1){
        int xx=pa[x][i], yy=pa[y][i];
        if (xx!=yy) x=xx, y=yy;
    }
    return x==y?x:pa[x][0];
}
```

网络流

不是我写的，但是看着还好

其中 ll 是我改的，不敢保证有没有漏改，但是过了洛谷模版题

最大流

```
constexpr ll INF = LLONG_MAX / 2;

struct E {
    int to; ll cp;
    E(int to, ll cp): to(to), cp(cp) {}
};

struct Dinic {
    static const int M = 1E5 * 5;
    int m, s, t;
    vector<E> edges;
    vector<int> G[M];
    int d[M];
    int cur[M];
```

```
15
16      void init(int n, int s, int t) {
17          this->s = s; this->t = t;
18          for (int i = 0; i <= n; i++) G[i].clear();
19          edges.clear(); m = 0;
20      }
21
22      void addedge(int u, int v, ll cap) {
23          edges.emplace_back(v, cap);
24          edges.emplace_back(u, 0);
25          G[u].push_back(m++);
26          G[v].push_back(m++);
27      }
28
29      bool BFS() {
30          memset(d, 0, sizeof d);
31          queue<int> Q;
32          Q.push(s); d[s] = 1;
33          while (!Q.empty()) {
34              int x = Q.front(); Q.pop();
35              for (int& i: G[x]) {
36                  E &e = edges[i];
37                  if (!d[e.to] && e.cp > 0) {
38                      d[e.to] = d[x] + 1;
39                      Q.push(e.to);
40                  }
41              }
42          }
43          return d[t];
44      }
45
46      ll DFS(int u, ll cp) {
47          if (u == t || !cp) return cp;
48          ll tmp = cp, f;
49          for (int& i = cur[u]; i < G[u].size(); i++) {
50              E& e = edges[G[u][i]];
51              if (d[u] + 1 == d[e.to]) {
52                  f = DFS(e.to, min(cp, e.cp));
53                  e.cp -= f;
54                  edges[G[u][i] ^ 1].cp += f;
55                  cp -= f;
```

```
                if (!cp) break;
            }
        }
        return tmp - cp;
    }

    ll go() {
        ll flow = 0;
        while (BFS()) {
            memset(cur, 0, sizeof cur);
            flow += DFS(s, INF);
        }
        return flow;
    }
} DC;
```

费用流

```
constexpr ll INF = LLONG_MAX / 2;

struct E {
    int from, to; ll cp, v;
    E() {}
    E(int f, int t, ll cp, ll v) : from(f), to(t), cp(cp), v(v) {}
};

struct MCMF {
    static const int M = 1E5 * 5;
    int n, m, s, t;
    vector<E> edges;
    vector<int> G[M];
    bool inq[M];
    ll d[M], a[M];
    int p[M];

    void init(int _n, int _s, int _t) {
        n = _n; s = _s; t = _t;
        REP (i, 0, n + 1) G[i].clear();
        edges.clear(); m = 0;
```

```
    }

    void addedge(int from, int to, ll cap, ll cost) {
        edges.emplace_back(from, to, cap, cost);
        edges.emplace_back(to, from, 0, -cost);
        G[from].push_back(m++);
        G[to].push_back(m++);
    }

    bool BellmanFord(ll &flow, ll &cost) {
        REP (i, 0, n + 1) d[i] = INF;
        memset(inq, 0, sizeof inq);
        d[s] = 0, a[s] = INF, inq[s] = true;
        queue<int> Q; Q.push(s);
        while (!Q.empty()) {
            int u = Q.front(); Q.pop();
            inq[u] = false;
            for (int& idx: G[u]) {
                E &e = edges[idx];
                if (e.cp && d[e.to] > d[u] + e.v) {
                    d[e.to] = d[u] + e.v;
                    p[e.to] = idx;
                    a[e.to] = min(a[u], e.cp);
                    if (!inq[e.to]) {
                        Q.push(e.to);
                        inq[e.to] = true;
                    }
                }
            }
        }
        if (d[t] == INF) return false;
        flow += a[t];
        cost += a[t] * d[t];
        int u = t;
        while (u != s) {
            edges[p[u]].cp -= a[t];
            edges[p[u] ^ 1].cp += a[t];
            u = edges[p[u]].from;
        }
        return true;
    }
```

```
63
64      pair<ll, ll> go() {
65          ll flow = 0, cost = 0;
66          while (BellmanFord(flow, cost));
67          return make_pair(flow, cost);
68      }
69  } MM;
```

二分图最大匹配

ps. 建单向图（即只有左部指向右部的边）

```
1   struct MaxMatch {
2       int n;
3       vector<int> G[N];
4       int vis[N], left[N], clk;
5
6       void init(int n) {
7           this->n = n;
8           REP (i, 0, n + 1) G[i].clear();
9           memset(left, -1, sizeof left);
10          memset(vis, -1, sizeof vis);
11      }
12
13      bool dfs(int u) {
14          for (int v: G[u])
15              if (vis[v] != clk) {
16                  vis[v] = clk;
17                  if (left[v] == -1 || dfs(left[v])) {
18                      left[v] = u;
19                      return true;
20                  }
21              }
22          return false;
23      }
24
25      int match() {
26          int ret = 0;
27          for (clk = 0; clk <= n; ++clk)
```

```
28              if (dfs(clk)) ++ret;
29          return ret;
30      }
31  } MM;
```

Tarjan 强连通分量缩点

```
1   int low[N], dfn[N], clk, B, bl[N];
2   vector<int> bcc[N];
3   void init() { B = clk = 0; memset(dfn, 0, sizeof dfn); }
4   void tarjan(int u) {
5       static int st[N], p;
6       static bool in[N];
7       dfn[u] = low[u] = ++clk;
8       st[p++] = u; in[u] = true;
9       for (int& v: G[u]) {
10          if (!dfn[v]) {
11              tarjan(v);
12              low[u] = min(low[u], low[v]);
13          } else if (in[v]) low[u] = min(low[u], dfn[v]);
14      }
15      if (dfn[u] == low[u]) {
16          ++B;
17          while (1) {
18              int x = st[--p]; in[x] = false;
19              bl[x] = B; bcc[B].push_back(x);
20              if (x == u) break;
21          }
22      }
23  }
```