1a Onucare na Let $XUY = Z \setminus (u \setminus v)$

15. Opercamer na Lar

Jenye re bilbur 3x nobreix Kbagpamib.

2. Mpublicann go expledible koi properen:

 $\forall x (\forall y P(x,y) \rightarrow \exists z (Q(x,z) & R(z))) \rightarrow \forall x (R(x) \rightarrow \exists y R(y))$

3. Mepelipunu, ru & bulegenne l'ceklinus.

(JxR(x)-> JxQ(x)) &7Q(a)->Hx7R(x)

4. Popularizybanu ma repebipeeru:

5. Shawmu weige b apugu iepapxii

$$M = \{x \mid x \in \mathcal{D}_x \setminus E_x \} \in \Sigma_x^M (\Pi_x^M, \Delta_x^M)$$
 $x \in \mathcal{D}_x \setminus E_x \in \mathcal{D}_x \setminus \mathbb{R} \ (\Pi_x^M, \Delta_x^M)$
 $x \in \mathcal{D}_x \setminus E_x = \mathcal{D}_x \setminus \mathbb{R} \ (x \in E_x) \in \mathbb{R}$
 $(\mathcal{P}_x(x)I) \setminus \mathbb{R} \ (\mathcal{P}_x(a)I = x)) \in \mathbb{R}$
 $(\mathcal{P}_x(x)I) \setminus \mathbb{R} \ (\mathcal{P}_x(a)I = x \text{ ha kpoyi } m) \in \mathbb{R}$
 $(\mathcal{P}_x(x)I) \setminus \mathbb{R} \ (\mathcal{P}_x(a)I = x \text{ ha kpoyi } m) \in \mathbb{R}$
 $(\mathcal{P}_x(x)I) \setminus \mathbb{R} \ (\mathcal{P}_x(x)I) \setminus \mathbb{R} \ (\mathcal{P}_x(a)I = x \text{ ha kp. } m)$
 $(\mathcal{P}_x(x)I) \setminus \mathbb{R} \ (\mathcal{P}_x(x)I) \setminus \mathbb{R} \ (\mathcal{P}_x(a)I = x \text{ ha kp. } m)$

Vx (Vy P(x,y) -> 32(Q(x,2)&R(2)))

 $\forall x (R(x) \rightarrow \exists y P(x,y) \rightarrow$