

PHP 2500 Introduction to Biostatistics

Problem Set Six Solutions

1/

Chapter 11, #5

a.

The two samples are paired since we are taking repeated observations on the same subject.

b.

$H_0: \mu_{CF} - \mu_{OB} = 0$ versus $H_a: \mu_{CF} - \mu_{OB} \neq 0$

c.

```
ttest cf=ob
```

Paired t test

Variable	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
cf	14	4.443571	.2589319	.9688344	3.884183	5.00296
ob	14	4.080714	.2824898	1.05698	3.470432	4.690997
diff	14	.3628571	.1084984	.4059638	.1284606	.5972537

$H_0: \text{mean(cf - ob)} = \text{mean(diff)} = 0$

Ha: mean(diff) < 0

t = 3.3444

P < t = 0.9974

Ha: mean(diff) ~= 0

t = 3.3444

P > |t| = 0.0053

Ha: mean(diff) > 0

t = 3.3444

P > t = 0.0026

The p-value for the two sided test is .0053.

d.

Therefore, we reject the null hypothesis that the difference in means is 0.

2/

Chapter 11, #7

a.

```
ttest after12=after24, level(90)
```

Paired t test

Variable	Obs	Mean	Std. Err.	Std. Dev.	[90% Conf. Interval]	
after12	7	69.85714	15.95593	42.21543	38.85189	100.8624
after24	7	30.42857	7.981697	21.11758	14.9187	45.93845
diff	7	39.42857	11.86603	31.39457	16.37073	62.48641

$H_0: \text{mean(after12 - after24)} = \text{mean(diff)} = 0$

Ha: mean(diff) < 0

t = 3.3228

P < t = 0.9920

Ha: mean(diff) ~= 0

t = 3.3228

P > |t| = 0.0159

Ha: mean(diff) > 0

t = 3.3228

P > t = 0.0080

Our one sided 95% CI for $\delta = \mu_{12} - \mu_{24}$ is $\delta \geq 16.36$.

b.

Our test of the null hypothesis yields a one-sided p-value of .0080 therefore, we reject the null hypothesis at the 5% level of significance.

3/

Chapter 11, #9

a.

Assuming equal variances,

```
ttesti 23 111 8 24 109 8, level(99)
```

Two-sample t test with equal variances

	Obs	Mean	Std. Err.	Std. Dev.	[99% Conf. Interval]	
x	23	111	1.668115	8	106.298	115.702
y	24	109	1.632993	8	104.4156	113.5844
combined	47	109.9787	1.163542	7.97684	106.8523	113.1052
diff		2	2.334368		-4.278482	8.278482

Degrees of freedom: 45

Ho: mean(x) - mean(y) = diff = 0

Ha: diff < 0	Ha: diff ~= 0	Ha: diff > 0
t = 0.8568	t = 0.8568	t = 0.8568
P > t = 0.8019	P > t = 0.3961	P > t = 0.1981

The two-sided hypothesis test yields a p-value of .3961 therefore we cannot reject the null hypothesis that the two populations of women have the same mean arterial blood pressure.

b. 99% CI is (-4.28, 8.28). This interval contains the value 0 which was to be expected since we did not reject the null hypothesis that the difference in mean arterial bp between the two groups of women was 0.

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Chapter 11, #10

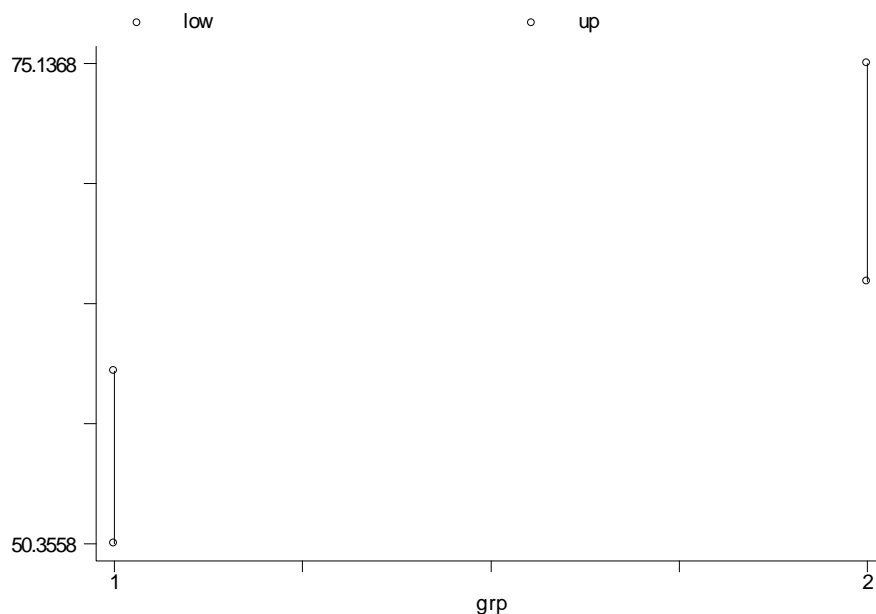
a.

```
ttesti 156 54.8 28.1 148 69.5 34.7
```

Two-sample t test with equal variances

	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
x	156	54.8	2.249801	28.1	50.35577	59.24423
y	148	69.5	2.852322	34.7	63.86315	75.13685
combined	304	61.95658	1.85161	32.28392	58.31294	65.60022
diff		-14.7	3.612929		-21.8097	-7.590298

Degrees of freedom: 302



Since the Confidence interval on the difference does not contain zero, there appears to be evidence that the populations means are different. Note that it is tempting to simply notice that the two confidence intervals do not overlap and the two population means are not likely to be equal, but this is not the correct way to assess if there is a difference or not.

b.

```
ttesti 156 54.8 28.1 148 69.5 34.7
```

Two-sample t test with equal variances

	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
x	156	54.8	2.249801	28.1	50.35577	59.24423
y	148	69.5	2.852322	34.7	63.86315	75.13685
combined	304	61.95658	1.85161	32.28392	58.31294	65.60022
diff		-14.7	3.612929		-21.8097	-7.590298

Degrees of freedom: 302

Ho: mean(x) - mean(y) = diff = 0

Ha: diff < 0
t = -4.0687
P > t = 0.0000

Ha: diff ~= 0
t = -4.0687
P > |t| = 0.0001

Ha: diff > 0
t = -4.0687
P > t = 1.0000

The p-value for the two sided test is .0001, therefore I reject the null hypothesis that the population means are equal.

c.

A 95% CI for the true difference in population means is (-21.8097, -7.59028)

d.

```
. ttesti 156 172.5 68.8 148 185.5 69.0
```

Two-sample t test with equal variances

	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
x	156	172.5	5.508408	68.8	161.6188	183.3812
y	148	185.5	5.671765	69	174.2913	196.7087
combined	304	178.8289	3.962633	69.09087	171.0312	186.6267
diff		-13	7.905814		-28.55746	2.557458

Degrees of freedom: 302

Ho: mean(x) - mean(y) = diff = 0

Ha: diff < 0	Ha: diff ~= 0	Ha: diff > 0
t = -1.6444	t = -1.6444	t = -1.6444
P > t = 0.0506	P > t = 0.1011	P > t = 0.9494

The p-value for this two sided test is .1011, therefore I cannot reject that the two groups of husbands have the same mean carbohydrate intake.

5/ Chapter 11, #13

a.

summ bed80 bed86

Variable	Obs	Mean	Std. Dev.	Min	Max
bed80	51	4.686275	1.009756	3	7
bed86	51	4.235294	1.176235	2	8

b.

ttest bed80= bed86, unpaired

Two-sample t test with equal variances

Variable	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
bed80	51	4.686275	.1413942	1.009756	4.402276	4.970273
bed86	51	4.235294	.1647059	1.176235	3.904473	4.566116
combined	102	4.460784	.1103036	1.114011	4.241972	4.679597
diff		.4509804	.2170722		.0203153	.8816454

Degrees of freedom: 100

Ho: mean(bed80) - mean(bed86) = diff = 0

Ha: diff < 0	Ha: diff ~= 0	Ha: diff > 0
t = 2.0776	t = 2.0776	t = 2.0776
P > t = 0.9798	P > t = 0.0403	P > t = 0.0202

The p-value for the two sided test is .0403, therefore I would reject the null hypothesis that the mean number of beds in the two years was the same.

c.

ttest bed80= bed86

Paired t test

Variable	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
bed80	51	4.686275	.1413942	1.009756	4.402276	4.970273
bed86	51	4.235294	.1647059	1.176235	3.904473	4.566116
diff	51	.4509804	.08075	.5766706	.2887892	.6131716

Ho: mean(bed80 - bed86) = mean(diff) = 0

Ha: mean(diff) < 0	Ha: mean(diff) ~= 0	Ha: mean(diff) > 0
t = 5.5849	t = 5.5849	t = 5.5849
P < t = 1.0000	P > t = 0.0000	P > t = 0.0000

The p-value for the paired test is ~0, therefore I would again reject the null hypothesis that the mean number of beds was the same in each year.

d. The difference between the two tests is that the paired t-test recognizes (and takes in to account) that we have repeated observations on the same "unit". So in a sense we have controlled a great deal of variability. Treating the data as if it came from two independent populations is dangerous in that we ignore the natural pairing in the data. In this case we happen to reach the same conclusion.

e.

```
gen diff=bed80-bed86
```

```
ci diff
```

Variable	Obs	Mean	Std. Err.	[95% Conf. Interval]
diff	51	.4509804	.08075	.2887892 .6131716

95% CI for the true difference is (.289, .613)

6/

Chapter 11, #15

a.

```
ttest pdi, by ( trtment) unequal
```

Two-sample t test with unequal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]
0	73	91.91781	1.929775	16.488	88.07087 95.76474
1	70	97.77143	1.755225	14.68527	94.26985 101.273
combined	143	94.78322	1.325531	15.85104	92.16289 97.40354
diff		-5.85362	2.60861		-11.0109 -.6963371

Satterthwaite's degrees of freedom: 140.247

Ho: mean(0) - mean(1) = diff = 0

Ha: diff < 0	Ha: diff ~= 0	Ha: diff > 0
t = -2.2440	t = -2.2440	t = -2.2440
P < t = 0.0132	P > t = 0.0264	P > t = 0.9868

The p-value for the two sided test is .0264. Therefore, we reject the null hypothesis that the mean pdi score is the same for children's in both treatment groups.

b.

```
. ttest mdi, by ( trtment) unequal
```

Two-sample t test with unequal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]
0	74	103.1622	1.914019	16.46501	99.34753 106.9768
1	70	106.4	1.741754	14.57256	102.9253 109.8747

combined		144	104.7361	1.300364	15.60437	102.1657	107.3065

diff			-3.237838	2.58789		-8.353798	1.878122

Satterthwaite's degrees of freedom: 141.386

Ho: mean(0) - mean(1) = diff = 0

Ha: diff < 0	Ha: diff ~= 0	Ha: diff > 0
t = -1.2511	t = -1.2511	t = -1.2511
P < t = 0.1065	P > t = 0.2129	P > t = 0.8935

The p-value for this two sided test is .2129. Therefore, we cannot reject the null hypothesis that the mean mdi score is the same for children in both treatment groups.

c.
These tests suggest that the type of surgical treatment will impact a child's psychomotor development but not their mental development.

7/ Chapter 13, #7

a.
signtest time1= time2

Sign test

sign	observed	expected
positive	9	7
negative	5	7
zero	0	0
all	14	14

One-sided tests:

Ho: median of time1 - time2 = 0 vs.
Ha: median of time1 - time2 > 0
Pr(#positive >= 9) =
Binomial(n = 14, x >= 9, p = 0.5) = 0.2120

Ho: median of time1 - time2 = 0 vs.
Ha: median of time1 - time2 < 0
Pr(#negative >= 5) =
Binomial(n = 14, x >= 5, p = 0.5) = 0.9102

Two-sided test:

Ho: median of time1 - time2 = 0 vs.
Ha: median of time1 - time2 ~= 0
Pr(#positive >= 9 or #negative >= 9) =
min(1, 2*Binomial(n = 14, x >= 9, p = 0.5)) = 0.4240

The p-value for the two sided test is .4240 therefore, we cannot reject the null hypothesis that the median difference in respiratory rates for the two times is equal to 0.

b.
signrank time1= time2

Wilcoxon signed-rank test

sign	obs	sum ranks	expected
positive	9	80.5	52.5
negative	5	24.5	52.5
zero	0	0	0
all	14	105	105

```

unadjusted variance      253.75
adjustment for ties      -0.12
adjustment for zeros      0.00
-----
adjusted variance        253.63

```

```

Ho: time1 = time2
      z = 1.758
Prob > |z| = 0.0787

```

If we use the Wilcoxon Sign-Rank test we find a two-sided p-value of .0787. Therefore, I would not reject the null hypothesis that the median respiratory rate at the two times is equal.

c.
Using the two-sided test, we do reach the same conclusions.

8/ Chapter 13, #8

a.
signrank air= so2

Wilcoxon signed-rank test

sign	obs	sum ranks	expected
positive	5	43	95
negative	14	147	95
zero	0	0	0
all	19	190	190

```

unadjusted variance      617.50
adjustment for ties      0.00
adjustment for zeros      0.00
-----
adjusted variance        617.50

```

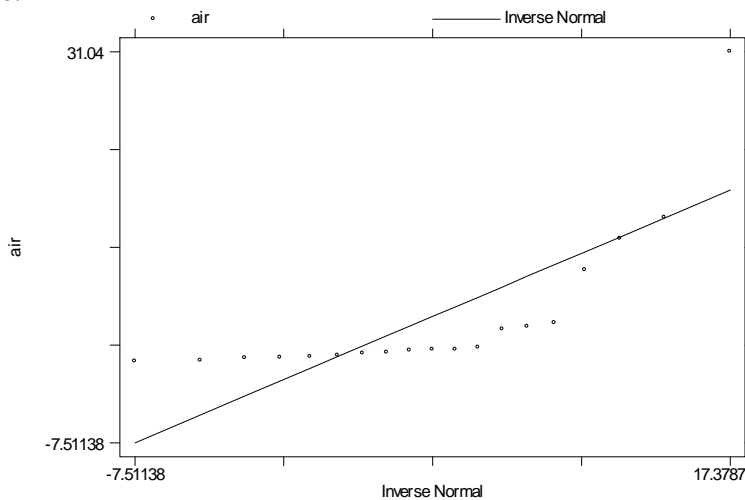
```

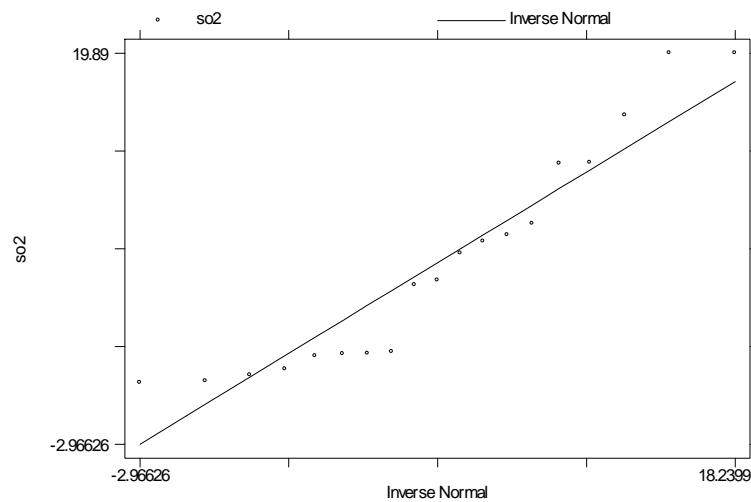
Ho: air = so2
      z = -2.093
Prob > |z| = 0.0364

```

The p-value for the two-sided test is .0364. Therefore, I would reject the null hypothesis that the median difference is equal to zero.

b.





Neither of the variables are normally distributed, therefore a ttest would not have been appropriate.

9/ Chapter 13, #11

a.

```
ranksum age, by(sex)
```

Two-sample Wilcoxon rank-sum (Mann-Whitney) test

sex	obs	rank sum	expected
0	16	221	224
1	11	157	154
combined	27	378	378

```
unadjusted variance      410.67
adjustment for ties      -0.38
-----
adjusted variance        410.29
```

Ho: age(sex==0) = age(sex==1)

z = -0.148

Prob > |z| = **0.8823**

The p-value for the rank sum test is .8823, therefore, I cannot reject the null hypothesis that the median age is the same for males and females.

b.

```
. by sex: centile age, centile(50)
```

```
-> sex = 0
```

Variable	Obs	Percentile	Centile	-- Binom. Interp. -- [95% Conf. Interval]	
age	16	50	82.5	68.31055	123.6895

```
-> sex = 1
```

Variable	Obs	Percentile	Centile	-- Binom. Interp. -- [95% Conf. Interval]	
age	11	50	87	58.85091	141.4691


```
. by sex: summ age
```

```
-> sex = 0
```

Variable	Obs	Mean	Std. Dev.	Min	Max
age	16	97.25	39.4656	46	175

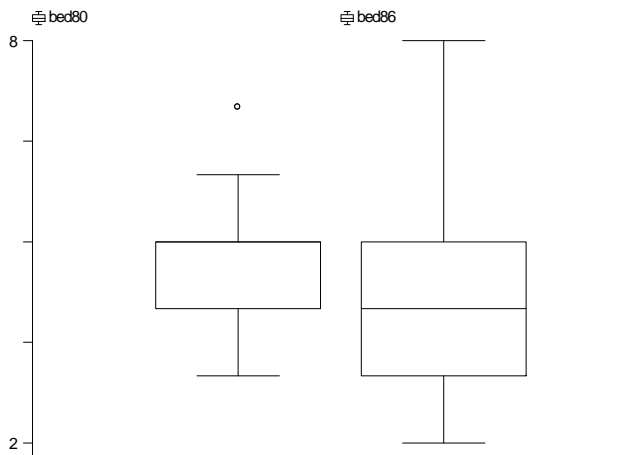
```
-> sex = 1
```

Variable	Obs	Mean	Std. Dev.	Min	Max
age	11	107.6364	66.1321	53	277

Notice that for each sex, the median age \neq mean age which implies the data is not symmetric. Therefore, a ttest would not be appropriate.

10/ Chapter 13, #13

a.



b.

```
signrank bed80= bed86
```

Wilcoxon signed-rank test

sign	obs	sum ranks	expected
positive	25	950	513
negative	2	76	513
zero	24	300	300
all	51	1326	1326

```
unadjusted variance    11381.50
adjustment for ties     -409.50
adjustment for zeros    -1225.00
-----
adjusted variance      9747.00
```

```
Ho: bed80 = bed86
```

```
z = 4.426
Prob > |z| = 0.0000
```

The p-value is ~ 0 and thus I would reject the null hypothesis that the median number of beds is the same in both years.

c.

```
. ranksum bed, by( year)

Two-sample Wilcoxon rank-sum (Mann-Whitney) test
```

year	obs	rank sum	expected
80	51	2963	2626.5
86	51	2290	2626.5
combined	102	5253	5253

```
unadjusted variance    22325.25
adjustment for ties    -1817.57
-----
adjusted variance      20507.68

Ho: bed(year==80) = bed(year==86)
      z =      2.350
Prob > |z| =      0.0188
```

The p-value is .0188. Therefore, I would reject the null hypothesis that the median number of beds is the same in both years.

d.

The sign rank test assumes the data is paired whereas the rank sum test assumes we have two independent populations. In this example, both tests yield the same conclusions. The sign-rank test would be the appropriate choice here since the data is actually paired (repeated measurements on the same state).

e.

Non-parametric tests yielded the same results. This is actually not surprising since from part a we see the data is approximately symmetric (which would imply the mean=median).

11/ Chapter 14, #9

a.

```
. cii 45 4, level(90)
```

Variable	Obs	Mean	Std. Err.	-- Binomial Exact -- [90% Conf. Interval]	
	45	.0888889	.0424232	.0309353	.1919756

Therefore a 90% CI for the true proportion is (.031, .192)

b.

$H_0: p = .22$

$H_a: p \neq .22$

c.

```
bitesti 45 4 .22
```

N	Observed k	Expected k	Assumed p	Observed p
45	4	9.9	0.22000	0.08889

```
Pr(k >= 4) = 0.994273 (one-sided test)
Pr(k <= 4) = 0.018872 (one-sided test)
Pr(k <= 4 or k >= 17) = 0.030768 (two-sided test)
```

d.

The p-value is .03, therefore we would reject the null hypothesis that the true proportion is the same for children in the special ed program as for all 3rd graders.

e.

```
sampsi .22 .1, onsample power(.95) alpha(.05)
```

Estimated sample size for one-sample comparison of proportion
to hypothesized value

Test Ho: $p = 0.2200$, where p is the proportion in the population

Assumptions:

```
alpha = 0.0500 (two-sided)
power = 0.9500
alternative p = 0.1000
```

Estimated required sample size:

n = 119

Therefore, a sample of size 119 would be required.

12/

Chapter 14, #11

a.

For prepaid plan, $p^{\wedge} = 13/311 = .042$

For Medicaid plan, $p^{\wedge} = 22/310 = .071$

b.

```
. prtesti 311 13 310 22, level(90) count
```

Two-sample test of proportion

x: Number of obs = 311
y: Number of obs = 310

Variable	Mean	Std. Err.	z	P> z	[90% Conf. Interval]	
x	.0418006	.0113485	3.68336	0.0002	.023134	.0604673
y	.0709677	.0145836	4.86627	0.0000	.0469798	.0949556
diff	-.0291671	.0184789			-.0595622	.001228
	under Ho:	.0185087	-1.57586	0.1151		

Ho: proportion(x) - proportion(y) = diff = 0

Ha: diff < 0	Ha: diff ~= 0	Ha: diff > 0
z = -1.576	z = -1.576	z = -1.576
P < z = 0.0575	P > z = 0.1151	P > z = 0.9425

c.

The p-value for the two sided test is .1151, therefore, I cannot reject the null hypothesis that the proportions for the two populations are identical (at the 10% significance level).

13/

Chapter 14, #12

a.

$p = 97(.247) + 161(.174) / (97 + 161)$
= .20

b.

```
prtesti 97 .247 161 .174
```

Two-sample test of proportion

x: Number of obs = 97
y: Number of obs = 161

Variable	Mean	Std. Err.	z	P> z	[95% Conf. Interval]	
x	.247	.0437885	5.64075	0.0000	.1611761	.3328239
y	.174	.029878	5.82368	0.0000	.1154402	.2325598
diff	.073	.0530106			-.030899	.176899
	under Ho:	.0515516	1.41606	0.1568		

Ho: proportion(x) - proportion(y) = diff = 0

Ha: diff < 0	Ha: diff ~= 0	Ha: diff > 0
z = 1.416	z = 1.416	z = 1.416
P < z = 0.9216	P > z = 0.1568	P > z = 0.0784

c.

The p-value for the two sided test is .1568. Therefore, I cannot reject the null hypothesis that the proportion of intravenous drug users who have a positive tuberculin skin test result are the same for those who share needles and those who do not.

d.

95% CI for the true difference in proportions is (-0.03, .18).

14/ Chapter 15, #8

a.

```
tabi 1250 991\1387 1666, chi2
```

row	col		Total
	1	2	
1	1250	991	2241
2	1387	1666	3053
Total	2637	2657	5294

Pearson chi2(1) = **55.3553** Pr = 0.000

Therefore, $\chi^2 = 55.35$

b.

The chi-square value we found is significantly different than 1, thus we would conclude that the behavior of college students changes from one year to the next.

c.

```
prtesti 2637 1250 2657 991, count
```

Two-sample test of proportion

x: Number of obs = 2637
y: Number of obs = 2657

Variable	Mean	Std. Err.	z	P> z	[95% Conf. Interval]	
x	.4740235	.0097236	48.7497	0.0000	.4549656	.4930815
y	.372977	.0093818	39.7553	0.0000	.354589	.3913651
diff	.1010465	.0135117			.0745639	.127529
	under Ho:	.0135813	7.44011	0.0000		

```

Ho: proportion(x) - proportion(y) = diff = 0

Ha: diff < 0      Ha: diff ~= 0      Ha: diff > 0
z = 7.440         z = 7.440         z = 7.440
P < z = 1.0000    P > |z| = 0.0000    P > z = 0.0000

```

Again – we would reject the null hypothesis that the proportion of students who drove while drinking is the same in the two years.

d.

95% CI for true difference in proportions is (.0745639, .127529).

15/

Chapter 15, #11

a.

```
tabi 2040 367 327\149 60 48\288 25 70\703 197 252\425 62 88\121 72 79, chi2
```

row	col			Total
	1	2	3	
1	2040	367	327	2734
2	149	60	48	257
3	288	25	70	383
4	703	197	252	1152
5	425	62	88	575
6	121	72	79	272
Total	3726	783	864	5373

```
Pearson chi2(10) = 209.0933 Pr = 0.000
```

Since our chi-square statistic is significantly different than 10, we would conclude that the results are not consistent across studies.

b.

One problem might be that we might report a direction of effect that is the opposite of the true association.

16/

Chapter 15, #13

a.

```
mcci 27 20 12 68
```

Cases	Controls		Total
	Exposed	Unexposed	
Exposed	27	20	47
Unexposed	12	68	80
Total	39	88	127

```
McNemar's chi2(1) = 2.00 Prob > chi2 = 0.1573
Exact McNemar significance probability = 0.2153
```

Proportion with factor

```

Cases      .3700787
Controls   .3070866   [95% Conf. Interval]
-----
difference .0629921   -.0314928   .157477
ratio      1.205128   .9301778   1.561351
rel. diff. .0909091   -.0292189   .211037

odds ratio 1.666667   .7759952   3.739198   (exact)

```

b.

Since McNemar's chi-square statistic is not significantly different than 1, we can not reject the null hypothesis of no association between retirement status and cardiac arrest.

c.

mcci 27 20 12 68

Cases	Controls		Total
	Exposed	Unexposed	
Exposed	27	20	47
Unexposed	12	68	80
Total	39	88	127

McNemar's $\chi^2(1) = 2.00$ Prob > $\chi^2 = 0.1573$
 Exact McNemar significance probability = 0.2153

Proportion with factor

Cases	.3700787		
Controls	.3070866	[95% Conf. Interval]	
difference	.0629921	-.0314928	.157477
ratio	1.205128	.9301778	1.561351
rel. diff.	.0909091	-.0292189	.211037
odds ratio	1.666667	.7759952	3.739198 (exact)

OR= 1.67

d.

95% CI for population OR is (.776, 3.739). Yes this interval contains the value 1 which was to be expected since we did not reject the null hypothesis of no association.

17/

Chapter 15, #15

a.

mcci 2 8 2 33

Cases	Controls		Total
	Exposed	Unexposed	
Exposed	2	8	10
Unexposed	2	33	35
Total	4	41	45

McNemar's $\chi^2(1) = 3.60$ Prob > $\chi^2 = 0.0578$
 Exact McNemar significance probability = 0.1094

Proportion with factor

Cases	.2222222		
Controls	.0888889	[95% Conf. Interval]	
difference	.1333333	-.020997	.2876637
ratio	2.5	.9382946	6.661021
rel. diff.	.1463415	.0066704	.2860125
odds ratio	4	.7982264	38.6707 (exact)

b. We see that McNemar's chi-square statistic takes on the value 3.60 which is not significantly different than 1. Therefore, we cannot reject the null hypothesis of no association (but we must do so with caution. An inference based entirely on p-values could be questionable here).

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Chapter 15, #16

	Exposed	Unexposed	Total	Proportion Exposed
Cases	108	163	271	0.3985
Controls	117	268	385	0.3039
Total	225	431	656	0.3430
	Point estimate		[95% Conf. Interval]	
Odds ratio	1.517697		1.080447	2.130222 (exact)
Attr. frac. ex.	.341107		.0744574	.5305654 (exact)
Attr. frac. pop	.1359393			
	chi2(1) =		6.32	Pr>chi2 = 0.0119

a.
Relative Odds for Smokers vs Non-Smokers = 1.517697

b.
95% CI for population OR:
(1.08, 2.13)

c. Chi-Square Statistic is 6.32 which is significantly different than 1 therefore we reject the null hypothesis of no association.

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Chapter 15, #17

a.

```
.cci 28 251 6 273, level(99)
```

	Exposed	Unexposed	Total	Proportion Exposed
Cases	28	251	279	0.1004
Controls	6	273	279	0.0215
Total	34	524	558	0.0609
	Point estimate		[99% Conf. Interval]	
Odds ratio	5.075697		1.592784	22.07797 (exact)
Attr. frac. ex.	.8029827		.3721686	.954706 (exact)
Attr. frac. pop	.0805861			
	chi2(1) =		15.16	Pr>chi2 = 0.0001

b.
OR = 5.076

c.
99% CI for population OR: (1.59, 22.08)

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Chapter 15, #18

a.

$$\begin{aligned} P(\text{abortion}|\text{0 alcohol}) &= 6793/33164 = .205 \\ P(\text{abortion}|\text{1-2 drinks}) &= 2068/9099 = .227 \\ P(\text{abortion}|\text{3-6 drinks}) &= 776/3069 = .253 \end{aligned}$$

$P(\text{abortion}|\text{7-20 drinks}) = 456/1527 = .299$

$P(\text{abortion}|\text{21+ drinks}) = 98/287 = .341$

b.

```
tabodds case alcohol [fweight=freq],or base(1)
```

alcohol	Odds Ratio	chi2	P>chi2	[95% Conf. Interval]	
1	1.000000
2	1.141822	21.71	0.0000	1.079823	1.207381
3	1.313780	39.20	0.0000	1.205875	1.431340
4	1.652876	77.69	0.0000	1.476384	1.850467
5	2.012933	32.47	0.0000	1.574664	2.573183

```
Test of homogeneity (equal odds): chi2(4) = 118.91
Pr>chi2 = 0.0000

Score test for trend of odds: chi2(1) = 152.17
Pr>chi2 = 0.0000
```

- Note that the relative odds for each alcohol “level” are in the column labeled Odds Ratio.

c.

The 95% CI’s are highlighted in the above table.

d.

None of the 95% OR’s contain the value 1 suggesting that spontaneous abortions and alcohol use are associated. Also, all of the estimated OR’s >1 and increase with increasing alcohol consumption.