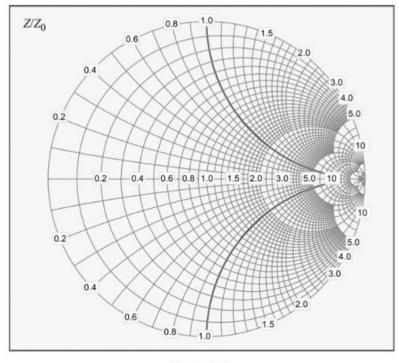
ECE 490-ST Wireless Computing

Lesson 6 :: Impedance Transforming



Eyeballing impedance shifts



Eyeballing Impedance Shifts

If Gamma moves .25 around the Smith chart —

$$X = -j / (w C)$$

 $X = -1 / (w C)$

$$- L = (X * Z0) / w$$

$$C = -1 / (Z0 * X * w)$$

$$L = \frac{0.25 * 50}{2\pi (915e6)}$$
$$= 1.4 nH$$

- EX: We move from 0 -> 1.1. At 915 MHz:
 - L = (1.1 * 50) / (2* π *915e6)
 - L = 9.566 nH

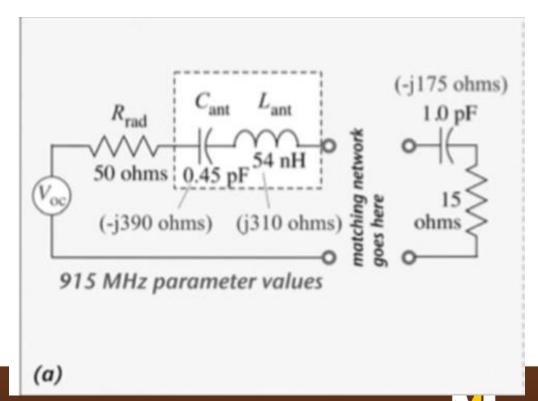


VNA DEMO

What is my hand acting like? What is the value of my hand?



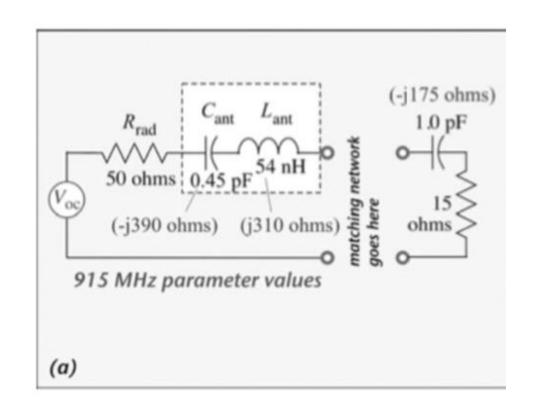
I want the load to appear as the conjugate of source





IMPEDANCE TRANSFORMING

- What is Gamma when looking into the source?
- What is the conjugate of the input Gamma?
- What is Gamma when looking into the load?
- Which way do we need to rotate?
- Can we get there with 1 element?
- What other element do we need?





Transforming impedances

- For impedance transformation networks, we will only use L and C
- These elements do not absorb energy.
- However, the job of a RESISTOR is to convert current into heat.
- We do not want that
- We don't want to lose power.
- So, NO RESISTORS in impedance transformation circuits





For homework¹

- Be ready to find networks (circuits) that can transform impedances.
- By inspection and small calculations
- Verify with numerical tool (MATLAB) and plotting tools (Your handy dandy Smith chart)

Introducing Q

• ¿Qué?





Introducing Q

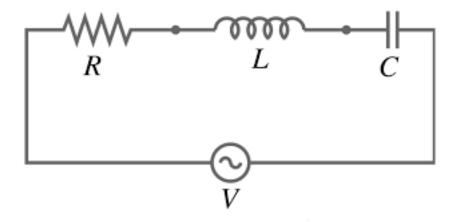


Q let's us quantify the bandwidth of a network



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Q let's us quantify the bandwidth of a network



• Take an RLC circuit

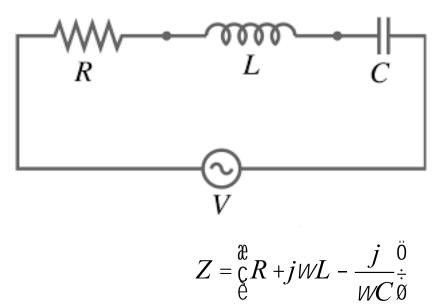
$$Z = \mathop{\mathcal{C}}_{\stackrel{\circ}{e}}^{\Re} R + j \mathcal{W} L - \frac{j}{\mathcal{W} C} \mathop{\circ}_{\stackrel{\circ}{g}}^{\mathring{o}}$$



Q let's us quantify the bandwidth of a network

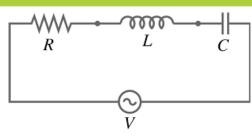
$$W_{res}L = \frac{1}{W_{res}C}$$

$$\triangleright W_{res} = \sqrt{\frac{1}{LC}}$$





- Q let's us quantify the bandwidth of a network
- The ratio of reactance to resistance is Q.
- The lower the resistance, the less energy loss
- Q is inversely proportional to Bandwidth
- High Q means a narrower bandwidth
- For you, it just means you can calculate resistance



$$Z = \mathop{\rm e}_{\dot{e}}^{\mathcal{R}} R + j \mathcal{W} L - \frac{j}{\mathcal{W} C} \stackrel{\ddot{0}}{\otimes}$$

$$W_{res}L = \frac{1}{W_{res}C}$$

$$PW_{res} = \sqrt{\frac{1}{LC}}$$



• For you, it just means you can calculate resistance

$$Q = \frac{\omega_{\rm res} L}{R}$$
$$= \frac{1}{\omega_{\rm res} CR}$$

$$W_{res}L = \frac{1}{W_{res}C}$$

$$PW_{res} = \sqrt{\frac{1}{LC}}$$

For you, it just means you can calculate resistance

$$Q = \frac{\omega_{\rm res} L}{R}$$
$$= \frac{1}{\omega_{\rm res} CR}$$

• For a capacitor:
$$R=rac{1}{2\pi fCQ}$$

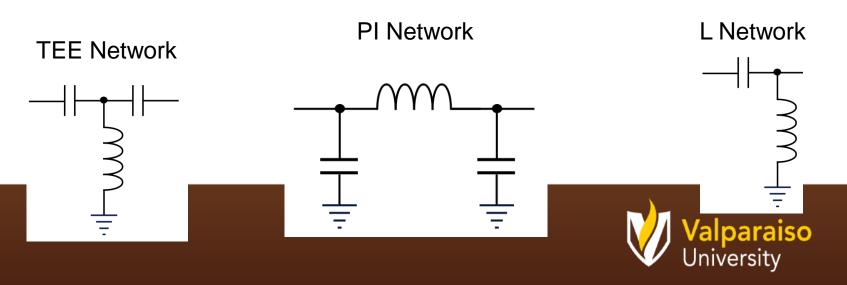
Find R, then add back into circuit in series with the capacitor

$$W_{res}L = \frac{1}{W_{res}C}$$

$$PW_{res} = \sqrt{\frac{1}{LC}}$$

Designing Transformation Networks

- Most inductors or capacitors will specify a Q value.
- You do not have access to every possible L and C value
- Need to get as close as possible.
- Common Networks are



Useful equations to know

$$\Gamma = \frac{Z_L - Z_0}{Z_L + Z_0}$$

Given load impedance, Find reflection coefficient

$$Z_L = Z_0 \frac{1+\Gamma}{1-\Gamma}$$

Given reflection coefficient, Find load impedance

$$Q = \frac{\omega L}{R}$$
$$= \frac{1}{\omega CR}$$

Given Q & frequency, solve to find series R



For Homework (the 2nd part)

- Design a network to transform the load impedance to 50 Ohms (at 915 MHz)
 - You are limited to L and C only, and only a small set of values
 - Find the network that you think works best and justify this (i.e., compare to other networks)
 - Once you've designed your network, implement the network and use
 MATLAB to apply it to the measured data to predict how it will perform.

