COMP Lab IV)

naivebayes

(i)
$$\theta_{ML}(C_1, Y_1, ..., n)$$
= $\alpha r g m \alpha \times \prod_{m=1}^{k} \hat{P}_{C,Y_1, ..., Y_m}(C_1, Y_1, ..., n; \theta)$

= argmax
$$\begin{cases} S & C^{m} = Span \\ I-S & C^{m} = Nan \end{cases}$$
 $\begin{cases} q_{i}^{y_{i}^{m}} & (I-q_{i})^{I-y_{i}^{m}} & C^{m} = Span \\ P_{i}^{y_{i}^{m}} & (I-P_{i}^{m})^{I-y_{i}^{m}} & C^{m} = Nan \end{cases}$

Logistic Regression classifiles

$$\Phi(\theta; C_{i}, C_{i}, \cdots, C_{i}) = -\sum_{j=1}^{K} \left[1(c_{j} = span) \ln \sigma(\theta_{0} + \sum_{j=1}^{N} \theta_{i}, C_{j}) + u = \theta_{0} + \sum_{i=1}^{N} \theta_{i}, C_{i} + C_{i}$$

$$-\frac{\partial \phi}{\partial \theta_0} = -\sum_{j=1}^{k} \left[1(c^j = span) \frac{\sigma(u) \sigma(-u)}{\sigma(u)} - 1(c^j = nan) \frac{\sigma(u) \sigma(-u)}{1 - \sigma(u)} \right]$$

$$\frac{\partial \phi}{\partial \theta_{i}} = -\sum_{j=1}^{K} y_{i}^{(j)} \left(1(c^{j} = Span) \frac{\sigma(u)\sigma(-u)}{\sigma(u)} - 1(c^{j} = han) \frac{\sigma(u)\sigma(-u)}{(-\sigma(u))} \right)$$

e) The second classifier did 41/49 spam and 47/59 ham.

The first classifier all 47/49 Span and 33/51 ham.

the RS performs better that the Bayeslan.

f) In the new function, we can define "extract_features_word_weight" where the function would account for the weighted frequency of words in tites.

weighted freg = # word; occurres in doc x W_word where Wword = # total occurrer over all docs.

- with this metric

28/49 Span and 46/51 ham

It's not performing as new because it's giving more weight to words that appeared less.

