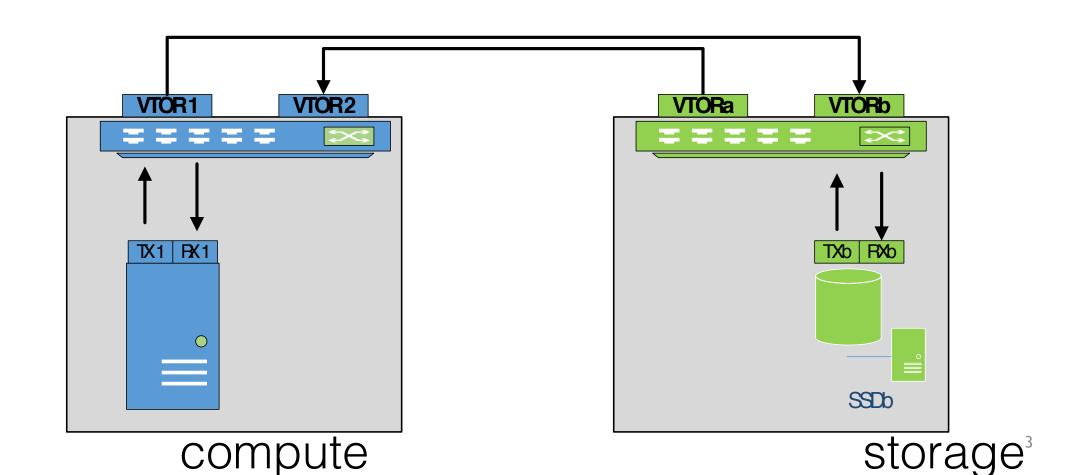
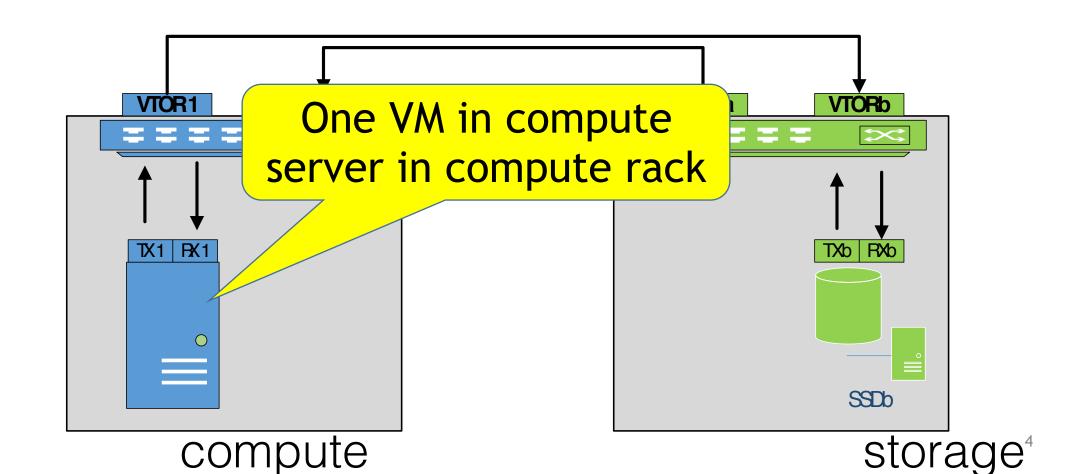
DC-DRF: Adaptive Multi-Resource Sharing at Public Cloud Scale

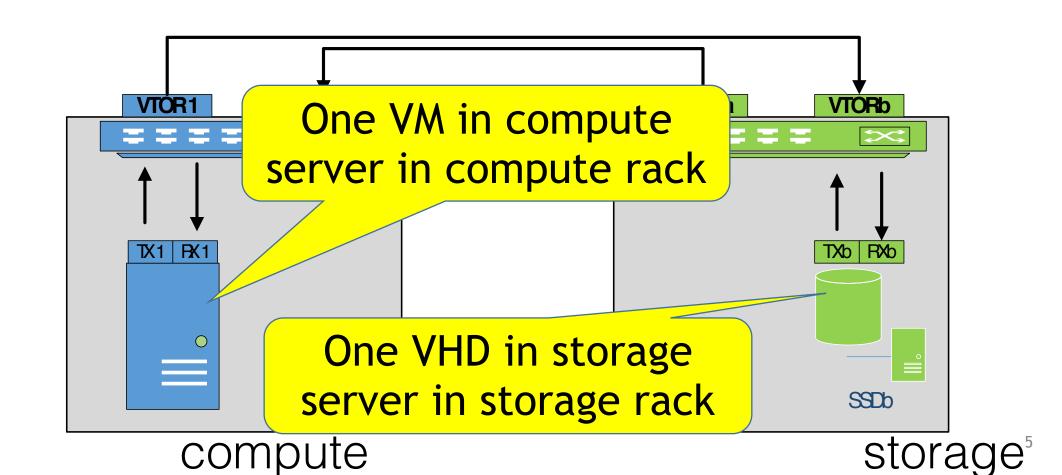
ACM Symposium on Cloud Computing 2018 Ian A Kash, Greg O'Shea, Stavros Volos

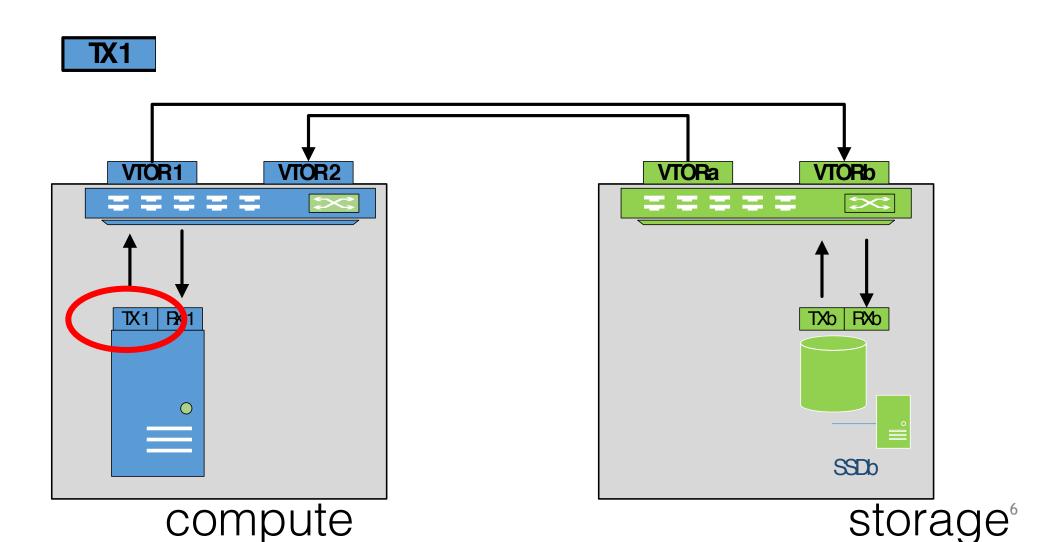
Public Cloud DC hosting enterprise customers O(100K) servers, mostly small tenants

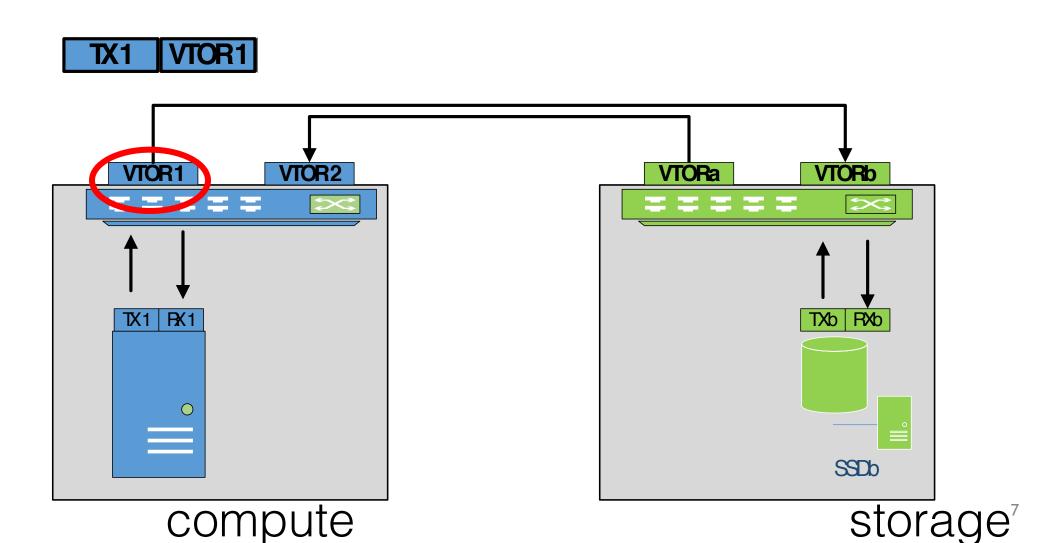


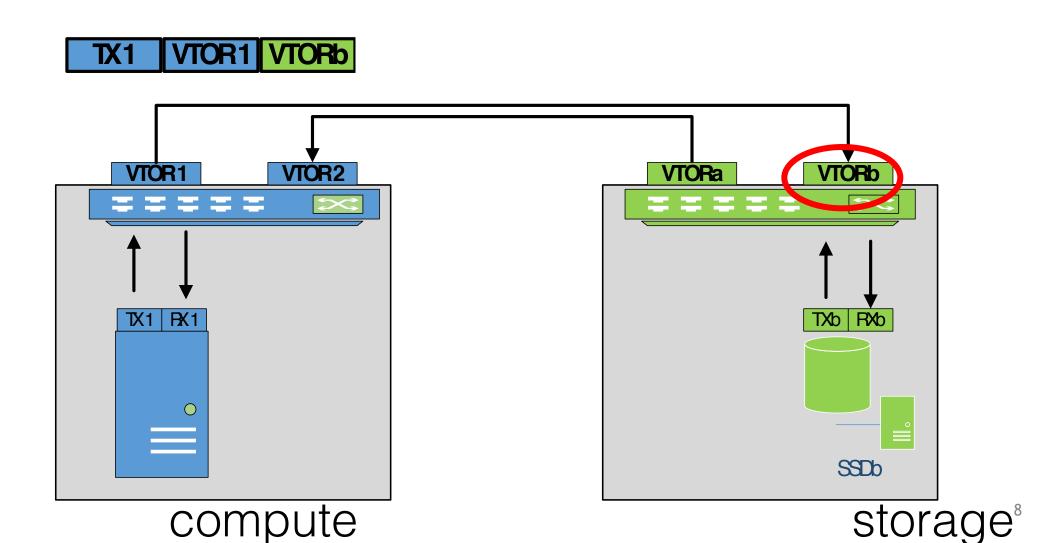


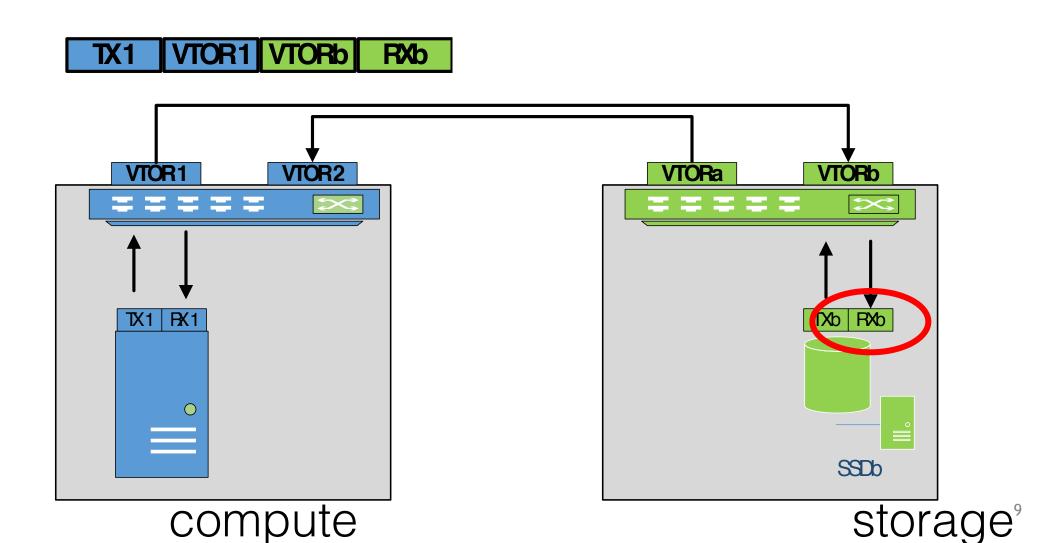


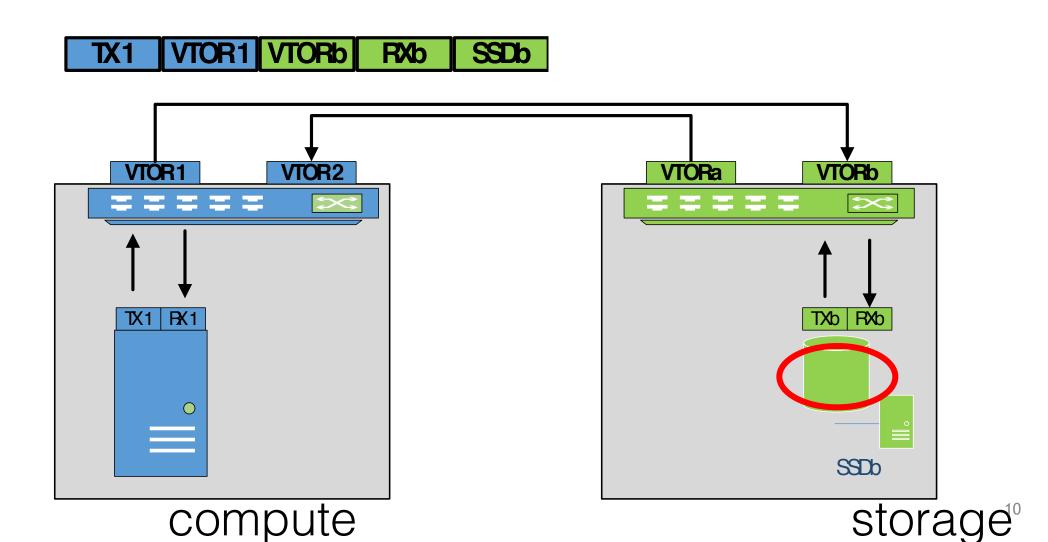


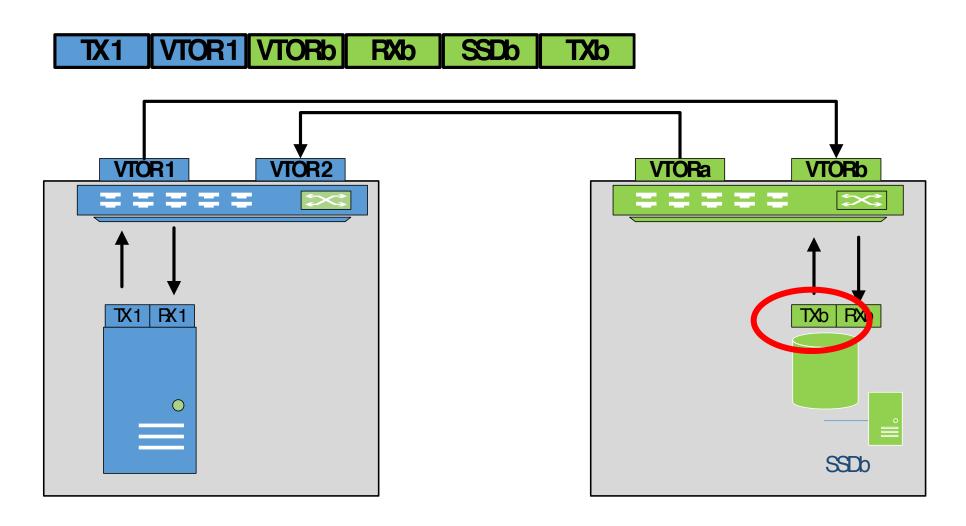


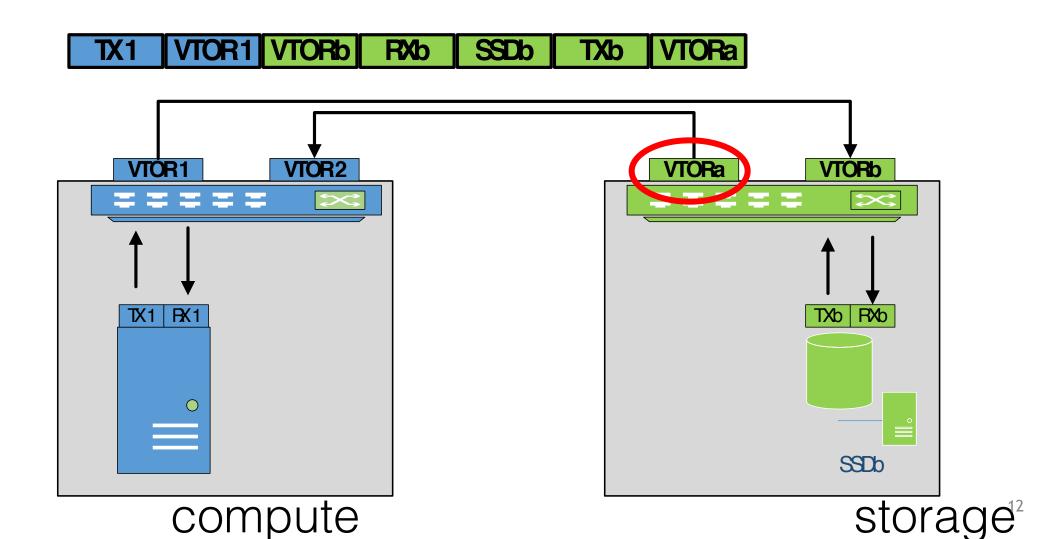


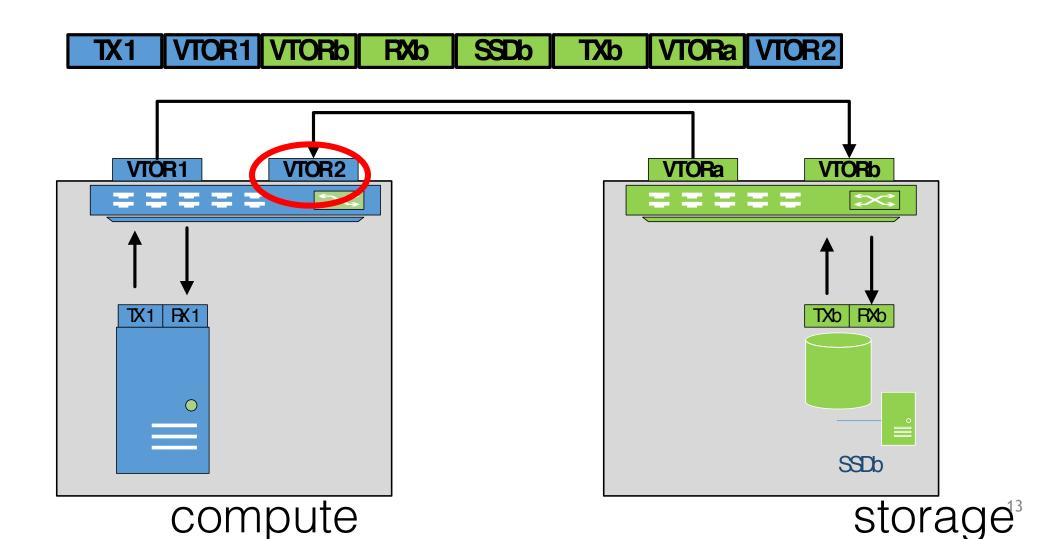




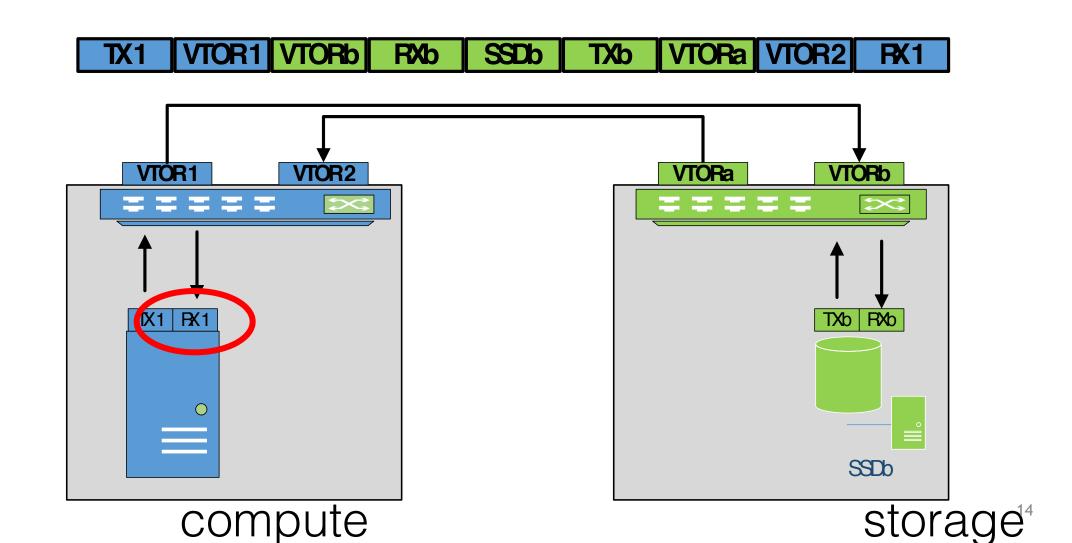




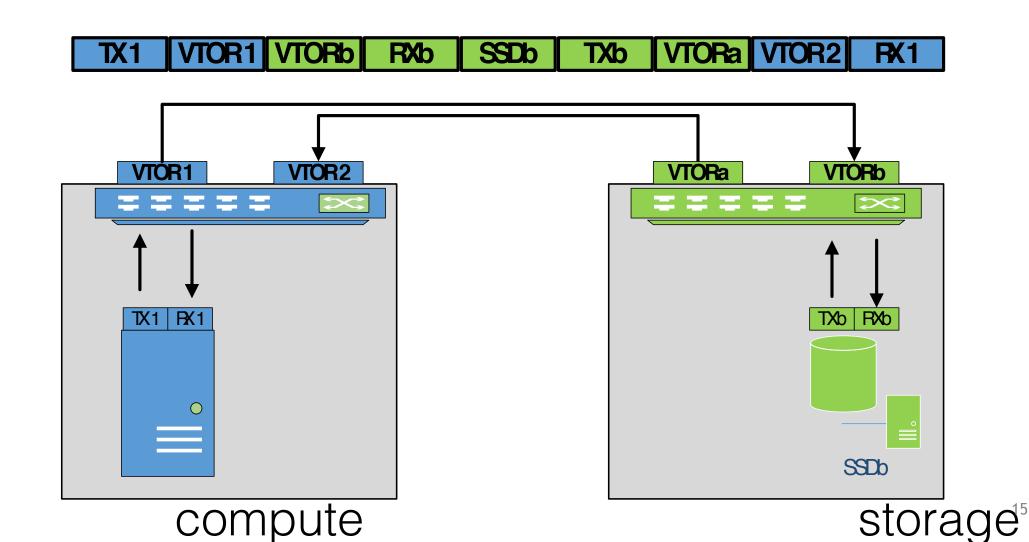




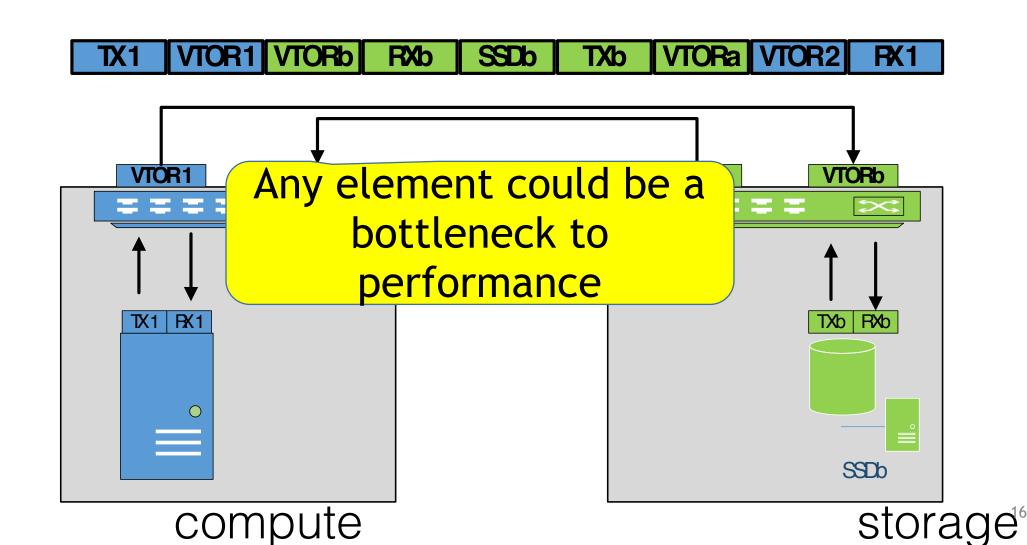
Result: a multi-resource "demand vector"



Encodes resource id and proportions



Encodes resource id and proportions



Demand vectors form a sparse demand matrix

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	r_9
n_0	-	-	-	-	-	-	-	-	-	-
n_1	-	-	-	-	-	-	-	-	-	-
n_2	_	-	_	-	-	-	•	-	-	-
n_3	-	-	_	-	-	-	-	-	-	-
n_4	_	-	-	-	-	-	-		-	-
n_5	_	-	-	-	-	•	1	1	-	-
n_6	_	-	-	-	ı	ı	ı	1	-	-
n_7	_	-	-	-	-	-	-	-	-	-
n_8	-	-	-	-	-	-	-	-	-	-
n_9	_	-	_	-	-	-	-	-	_	_

Columns are shared physical resources

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	ra	r_9
n_0	-	-	-	-	-	-	-	-	-	-
n_1	-	-	-	-	-	-	-	-	-	-
n_2	-	-	-	-	-	-	-	-	-	-
n_3	-	-	-	-	-	-	-	-	-	-
n_4	-	-	_	-	-	-	-	-	-	-
n_5	-	-	-	-	-	-	-	-	-	-
n_6	-	-	-	-	-	-	-	-	-	-
n_7	-	-	-	-	-	-	-	-	-	-
n_8	-	-	-	-	-	-	-	-	-	-
n_9	_	-	_	_	-	_	_	-	-	_

Rows are tenants' demand vectors

	r_0	r_1	r_2	r_3	r ₄	r ₅	r ₆	r ₇	r ₈	r ₉
n_0	_	-	-	-	-	1	1	-	-	-
n_1	-	-	-	-	-	-	1	-	-	-
n_2	-	-	-	-	-	-	-	-	-	-
n_3	-	-	-	-	-	-	-	-	-	-
n_4	-	-	-	-	-	-	-	-	-	-
n_5	-	-	-	-	-	-	-	-	-	-
n_6	-	-	_	-	-	-	-	-	-	-
n_7	-	-	-	-	-	-	•	-	-	-
n_8	-	-	-	-	-	-	-	-	-	-
n_9	-	-	_	-	-	-	-	-	-	-

Shown as fractions of a resource

	r_0	r_1	r_2	r_3	r ₄	r ₅	r ₆	r_7	r ₈	r_9
n_0	-	-	1.0	-	-	-	-	-	-	.92
n_1	-	-	-	-	-	-	-	-	-	-
n_2	-	-	-	-	-	-	-	-	-	-
n_3	-	-	-	-	-	-	-	-	-	-
n_4	-	-	_	-	-	-	•	•	-	-
n_5	-	-	-	-	-	-	•	1	1	-
n_6	-	-	-	-	-	-	-	-	-	-
n_7	-	-	-	-	-	-	-	1	-	-
n_8	-	-	-	-	-	-	-	-	-	-
n_9	_	-	-	-	-	-	-	-	-	-

Large and very sparse matrix

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	r_9
n_0	-	-	1.0	-	-	-	-	-	-	.92
n_1	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	I	.56	.31
n_3	_	D	2 m	atr	iv 1	١٨٨	K h	1	\bigcap	13
n_4	-			ws						31
n_5	_			VV 3		stry		прс	У	13
n_6	.32	-	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	•	ı	ı	1.0	ı	I	.57
n_8	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56

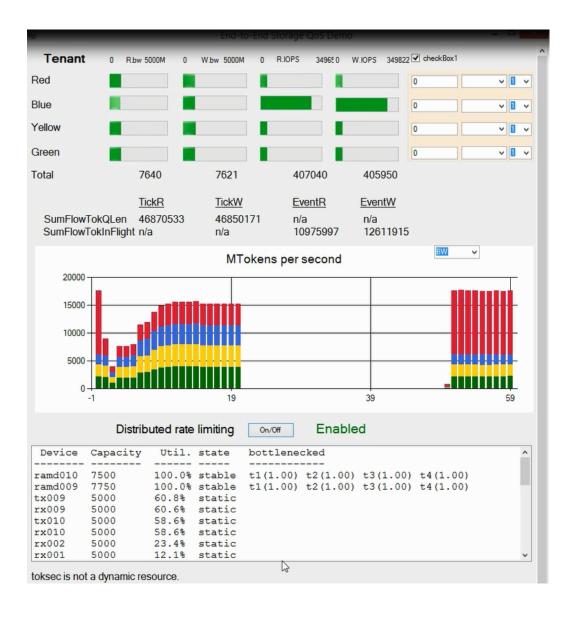
Provider has multi-resource allocation problem

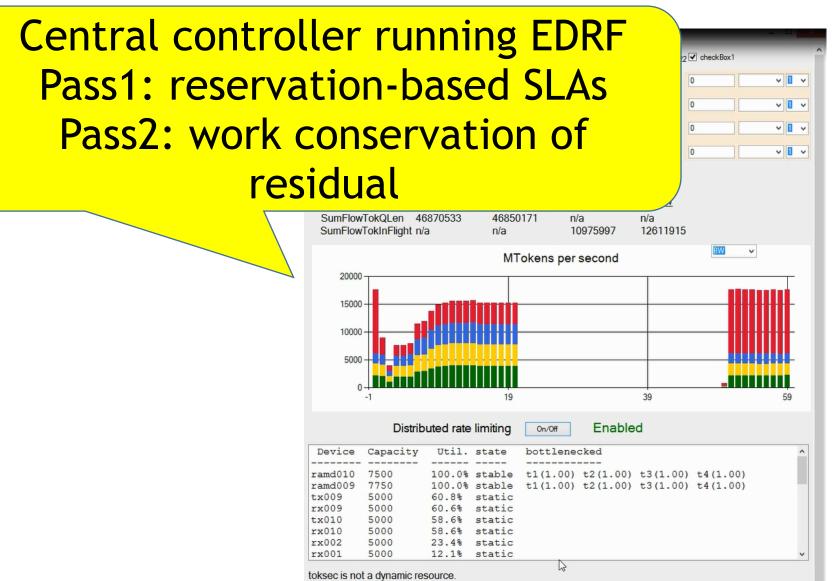
- Goal: maintain acceptable service level for all tenants
 - Acceptable means always "willing to pay"
 - Avoid abrupt performance collapse for any tenant
 - Assuming aggressive (noisy) neighbors and oversubscription
- DC-DRF builds on existing multi-resource algorithms
 - DRF [Ghodsi et al, NSDI'11]
 - EDRF [Parkes et al., EC2012]
- Challenging at DC scale: EDRF iterates and is

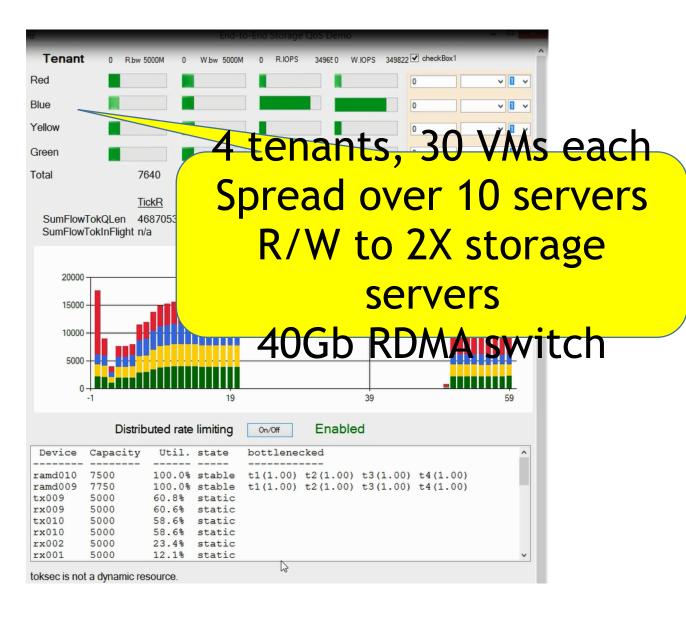
Systems aspects

Systems challenges

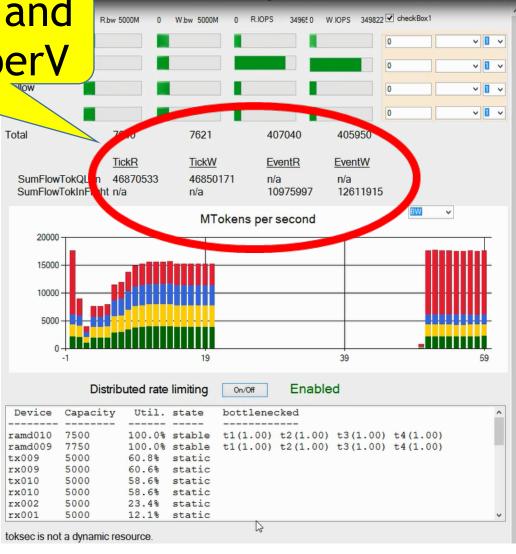
- How to capture multi-resource demand vectors?
- How to enforce multi-resource allocations?
- DRF implies central SDN-like controller good or bad?
 - Good: Simpler algorithm and global view
 - Bad: EDRF at Public Cloud DC scale





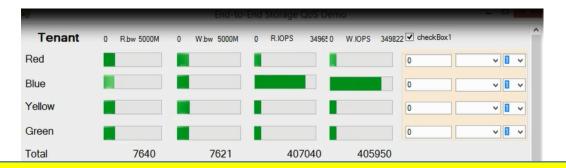


Demand estimation and enforcement in HyperV

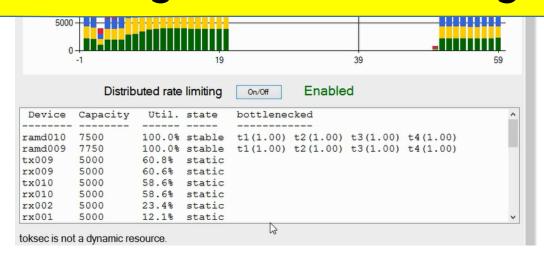




video



What did we learn from prototype?
Potentially very powerful.
But EDRF algorithm not scaling well.



The algorithms

- to understand DC-DRF first understand EDRF
- to understand DRF first understand max-min

Max-Min fairness: mice before elephants

- Maximize the minimum allocation across competing tenants
- Allocate fractions of a single shared resource based on demand
 - No tenant gets a larger fraction than its demand

Tenant

• Tenants with unsatisfiable demand obtain equal stressource = 01.70 Tenants remaining = 24 Current share = 0.0/2 $x_t = 0.35$ 0.35 B 0.2 A 0.1 A B C D Allocated

How to handle multiple resources?

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	r_9
n_0	-	_	1.0	-	-	-	-	-	-	.92
n_1	.95	_	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	I	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	ı	.30	I	.23	.55	I	ı	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	-	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	I	ı	ı	I	I	1.0	I	ı	.57
n_8	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56

Dominant Resource Fairness (DRF)

- For each tenant identifies its Dominant Resource
 - The resource of which it demands the largest fraction
- Apply max-min fairness across dominant shares
 - Maximize smallest dominant share in system
 - Then second smallest, and so on...
 - Think: find the smallest mouse across all columns

Demand vectors normalized by Dominant Resource

	r_0	r_1	r_2	r_3	r_4	r_5	r ₆	r_7	r ₈	r_9
n_0	-	-	1.0	-	-	-	-	-	-	.92
n_1	.95	_	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	-	.30	1	.23	.55	1	ı	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	-	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	ı	1	•	1.0	1	ı	.57
n_8	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56

Maximize (max-min) smallest dominant share

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	r_9
n_0	-	-	1.0	-	-	-	-	-	-	.92
n_1	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	_	1.0	-	.30	-	.23	.55	-	-	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	_	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	-	-	-	1.0	•	-	.57
n_8	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56
$\chi_{t\nu} =$.37	33	.35	.45	35	40	33	63	246	30

Find residual resource with smallest x_{tr}

	r_0	r ₁	r_2	r_3	r_4	r_5	r_6	r_7	Pa	r_9
n_0	-	-	1.0	-	-	-	-	-	/ - \	.92
n_1	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	_	.30	_	.23	.55	-	-	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	_	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	_	_	-	_	-	1.0	-	-	.57
n_8	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56
$\chi_{t\nu} =$.37	.33	.35	.45	.35	.40	.33	.63	246	.30

Use x_{r8} to allocate at every resource

	r_0	r ₁	r_2	r_3	r_4	r_5	r_6	r_7	Pa	r_9
n_0	-	-	1.0	-	-	-	-	-	/ - \	.92
n_1	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	-	.30	-	.23	.55	-	-	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	-	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	-	-	-	1.0	-	-	.57
n_8	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56
$\chi_{tr} =$.37	.33	.35	.45	.35	.40	.33	.63	246	.30

Eliminate r₈ if residual capacity hits zero

	r_0	r ₁	r_2	r_3	r_4	r_5	r_6	r_7	Pa	r_9
n_0	-	-	1.0	-	-	-	-	-	/-	.92
n ₁	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	-	.30	-	.23	.55	-	-	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	-	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	-	-	-	1.0	-	-	.57
n_8	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56
$\chi_{tr} =$.37	.33	.35	.45	.35	.40	.33	.63	246	.30

And eliminate tenants demanding r₈

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	ra	r_9
n_0	_	_	1.0	-	-	-	-	-	-	.92
n ₁	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	-	.30	-	.23	.55	-	-	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	_	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	-	-	-	1.0	-	-	.57
n ₈	-	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56
$x_{tr} =$.37	.33	.35	.45	.35	.40	.33	.63	.246	.30

Next round: find new smallest x_{tr} and so on...

	r_0	r ₁	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	M
n_0	-	-	1.0	-	-	-	-	-	-	.92
n ₁	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31
n_3	_	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	_	1.0	-	.30	-	.23	.55	1	-	.31
n_5	_	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	1	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	-	-	-	1.0	-	-	.57
n ₈	_	-	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56

result: allocation matrix

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	r_9
n_0	-	-	.35	-	-	-	-	-	-	.32
n_1	.23	-	.12	-	-	-	-	-	.25	-
n_2	.13	.25	-	.07	.08	.06	.14	-	.14	.08
n_3	-	.10	.05	.03	.03	.02	.06	.25	.06	.03
n_4	-	.35	-	.10	-	.08	.19	ı	-	.11
n_5	-	.10	.02	.03	.25	.16	.06	.05	.03	.03
n_6	.08	-	.02	.03	.25	.16	.06	.05	.03	.03
n_7	-	-	-	-	-	-	.35	ı	-	.20
n_8	-	-	.14	.16	.05	.08	.03	.02	.25	.06
n_9	.22	.07	.11	.16	.05	.08	.03	.02	.25	.14

result: allocation matrix

	r_0	r_1	r_2	r_3	r_4	r_5	r ₆	r_7	r ₈	r_9
n_0	-	_	.35	-	-	-	-	-	-	.32
n_1	.23	-	.12	-	-	-	-	-	.25	-
n_2	.13	.25	-	.07	.08	.06	.14	-	.14	.08

Issue: EDRF is iterative.

Sparsity implies slow elimination of tenants.

n ₆	.08	-	.02	.03	.25	.16	.06	.05	.03	.03
n ₇	1	ı	•	ı	-	•	.35	1	•	.20
n_8										
n_9	.22	.07	.11	.16	.05	.08	.03	.02	.25	.14

DC-DRF algorithm

Goal

- Monitor and adjust shares at 10-30 second intervals
 - Resource demands variation in datacentre traces [Angel et al., OSDI'14]
 - Using demands plausibly realistic of Public Cloud DC

DC-DRF: two tactics to improve scalability

- 1. Algorithmic: extending EDRF
 - Operate to a time deadline chosen by operator ("control interval")
 - Variable degree of approximation: trading resource utilization for time
- 2. HPC: maximize rate of computation
 - Parallel where possible
 - Optimize for thread and NUMA locality
 - SIMD vector instructions

Algorithm: inner and outer loops

```
OuterLoop(time t) // runs one per control interval
Initialize demand matrix for this interval
Set approximation control variable [0, 1]
  timeOut = InnerLoop()
  if elapsed time exceeds t then return true
  Eliminate a resource when 1- full // e.g. =0.01 at 99%
  Resources and tenants eliminated earlier and in fewer rounds
if (timeOut) then increase() else decrease()
```

Tactic #2 : HPC

- Goal: minimize value of required to meet deadline
- Minimize error due to approximation and maximize utilization
- Do this by extracting as much perf as we can from the platform.

Parallelism: resource tiles over large sparse matrix

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	r_9
n_0	-	-	1.0	-	-	-	-	-	-	.92
n_1	.95	-	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	I	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	ı	.30	ı	.23	.55	I	ı	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	ı	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	ı	ı	ı	ı	ı	1.0	I	ı	.57
n_8	-	ı	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56

Alternating with tenant tiles

	r_0	r_1	r_2	r_3	r_4	r_5	r_6	r_7	r ₈	r_9
n_0	-	-	1.0	-	-	-	-	-	-	.92
n_1	.95	_	.47	-	-	-	-	-	1.0	-
n_2	.54	1.0	•	.30	.33	.23	.55	I	.56	.31
n_3	-	.41	.20	.12	.13	.09	.23	1.0	.23	.13
n_4	-	1.0	-	.30	ı	.23	.55	ı	ı	.31
n_5	-	.41	.09	.12	1.0	.64	.23	.20	.13	.13
n_6	.32	-	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	-	ı	ı	1.0	ı	-	.57
n_8	-	I	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56

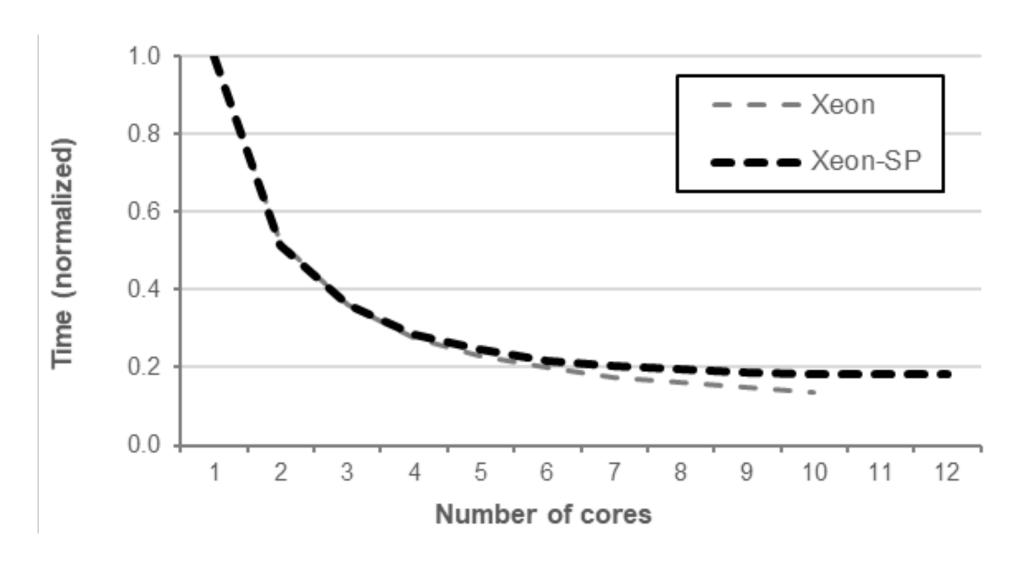
Alternating with tenant tiles

	r_0	r_1	r_2	r_3	r_4	r_5	r ₆	r_7	r ₈	r_9
n_0	-	-	1.0	-	-	-	-	-	-	.92
n_1	.95	-	.47	•	•	•	•	•	1.0	-
n_2	.54	1.0	-	.30	.33	.23	.55	-	.56	.31

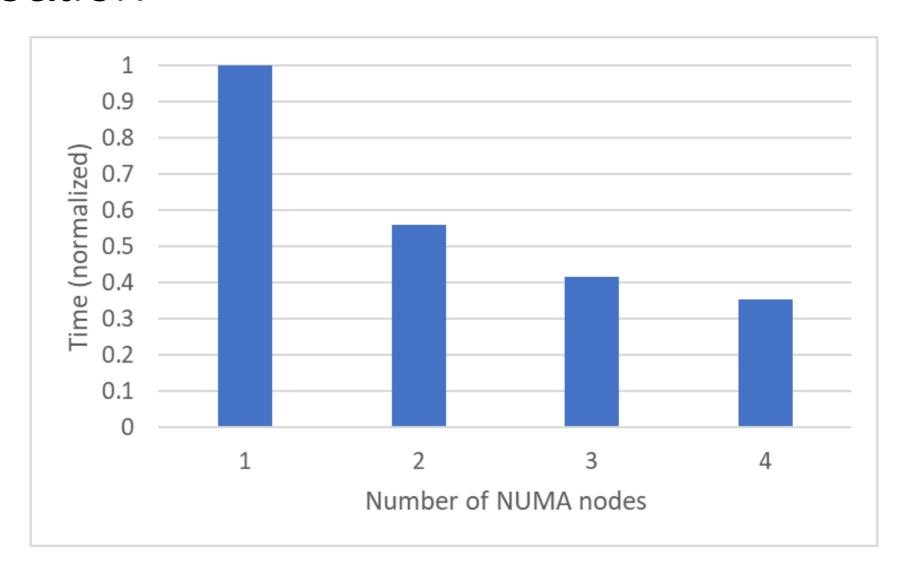
Carefully cache-aligned memory and bespoke mem barriers make this lock-free.

n_6	.32	-	.09	.12	1.0	.64	.23	.20	.13	.13
n_7	-	-	-	-	1	-	1.0	-	-	.57
n ₈	-	1	.56	.64	.20	.32	.13	.09	1.0	.23
n_9	.90	.27	.45	.64	.20	.32	.13	.09	1.0	.56

Single socket parallelisation



NUMA-aware aggregation and mem allocation



```
__mm512_vindex vindex_512 = _MM512_LOAD_VINDEX(*ptr);
__m512r mu_tr = _mm512_i32gather_pr(vindex_512,pScratchR);
mu_tr = _mm512_add_pr(mu_tr, A_irt);
_mm512_mask_i32scatter_pr(pScratchR, m, vindex_512, mu_tr);
```

Identify 16 values in 100K array

```
__mm512_vindex vindex_512 = _MM512_LOAD_VINDEX(*ptr);
__m512r mu_tr = _mm512_i32gather_pr(vindex_512,pScratchR);
mu_tr = _mm512_add_pr(mu_tr, __irt);
_mm512_mask_i32scatter_pr(pScl__thR, m, vindex_512, mu_tr);
```

Pull them all into 512-bit register.

```
__mm512_vindex vindex_512 = _MM512_LOAD_VINDEX(*ptr);

__m512r mu_tr = _mm512_i32gather_pr(vindex_512,pScratchR);

mu_tr = _mm512_add_pr(mu_tr, A_irt);

_mm512_mask_i32sca_ter_pr(pScratchR, m, vindex_512, mu_tr);
```

Perform arithmetic on them all at once.

```
__mm512_vindex vindex_512 = _MM512_LOAD_VINDEX(*ptr);

__m512r mu_tr = _mm512_i32gather_pr(vindex_512,pScratchR);

mu_tr = _mm512_add_pr(mu_tr, A_irt);

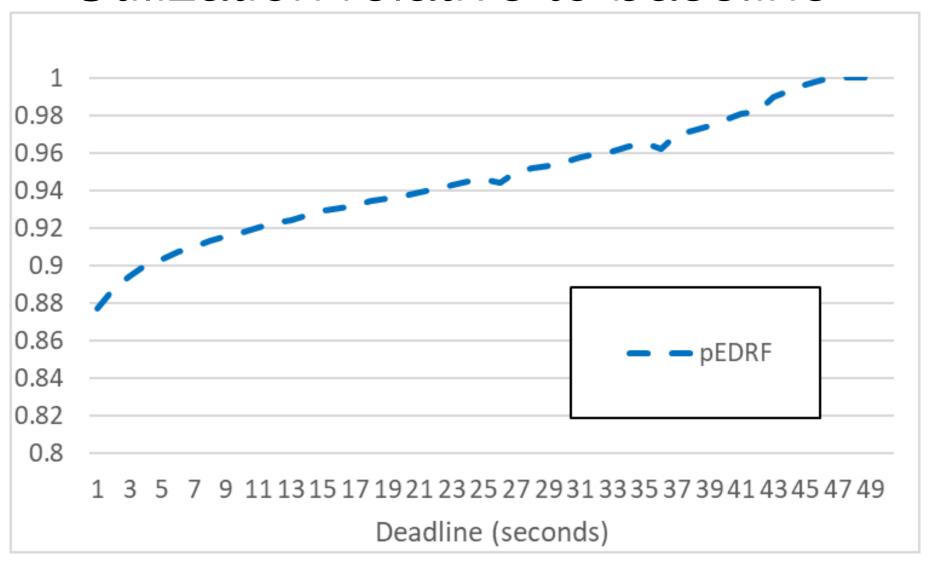
_mm512_mask_i32scatter_pr(pScratchR, m, vindex_512, mu_tr);
```

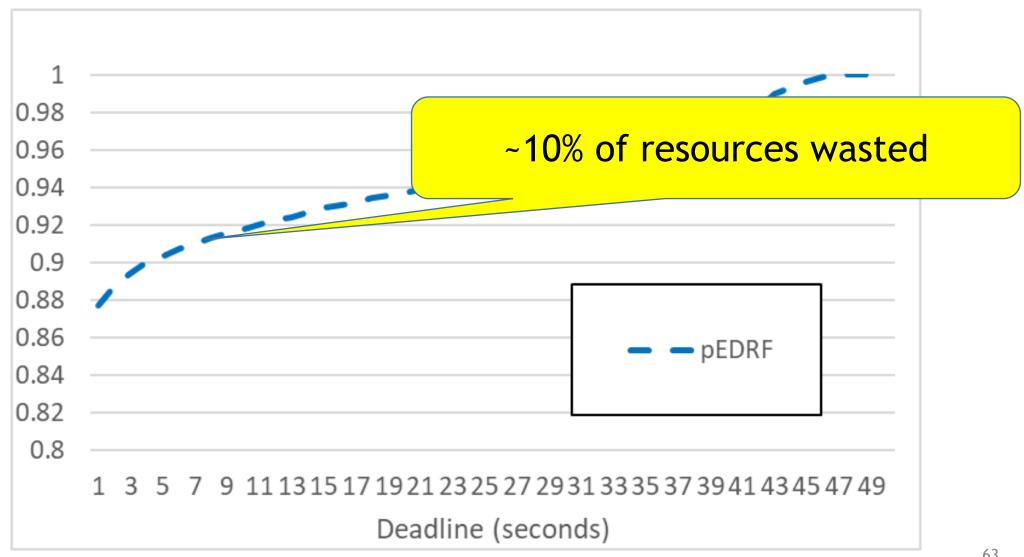
Scatter them back into 100K array

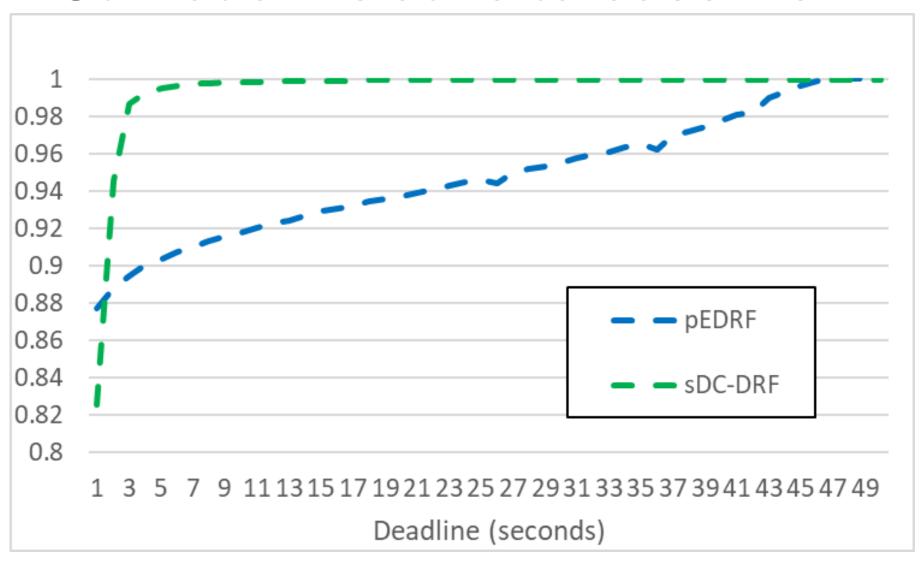
Evaluation

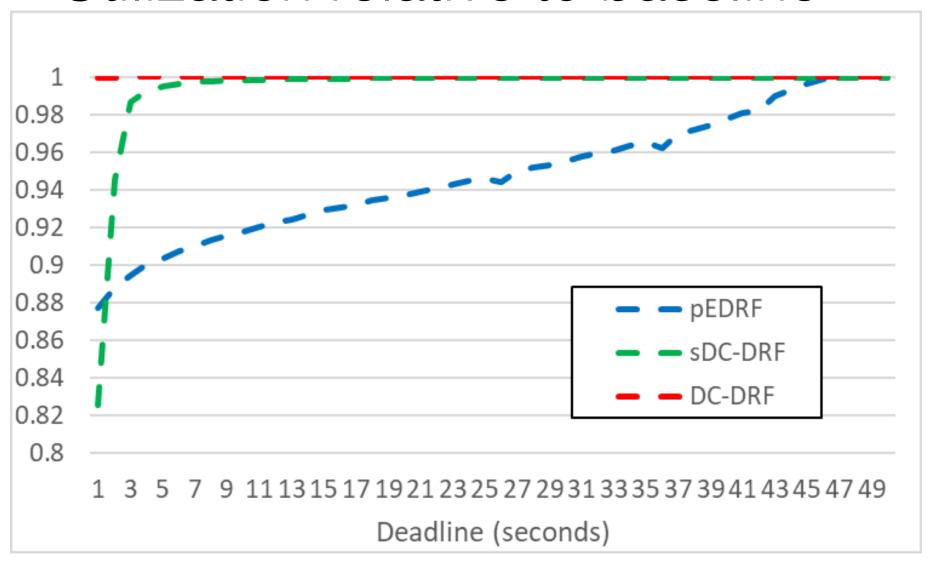
Approach

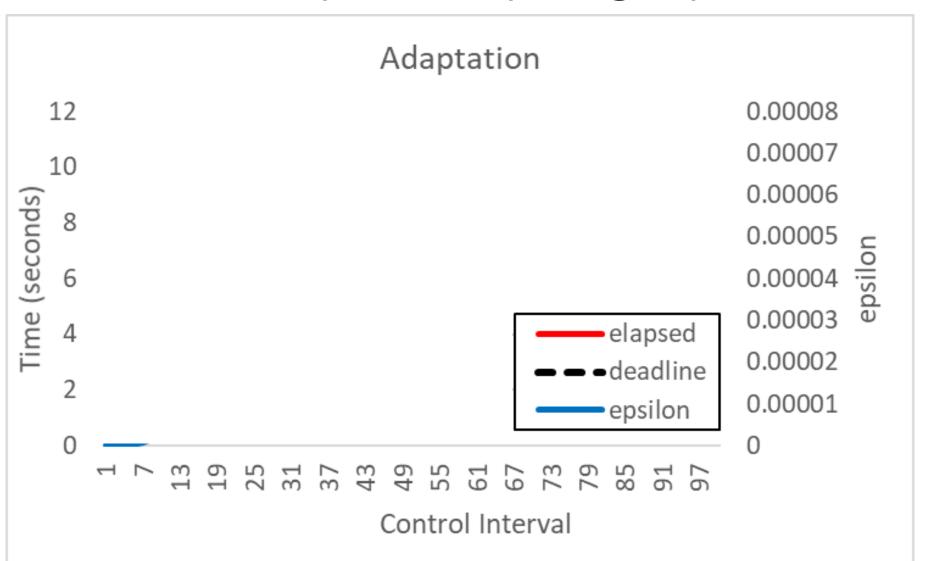
- Method: synthetic demands based on Azure traces [Cortez, SOSP'17]
 - Synthetic demand for 100K resources X 1M tenants
 - Demand vector sizes [2,128] from truncated Gaussian (most tenants small)
- Deadline for DC-DRF: 8 seconds
- Compare to baseline single-threaded EDRF in unbounded time
- Show overall results and breakdown
 - DC-DRF: both approximation and HPC
 - sDC-DRF: approximation only
 - pEDRF: HPC only, finish at deadline

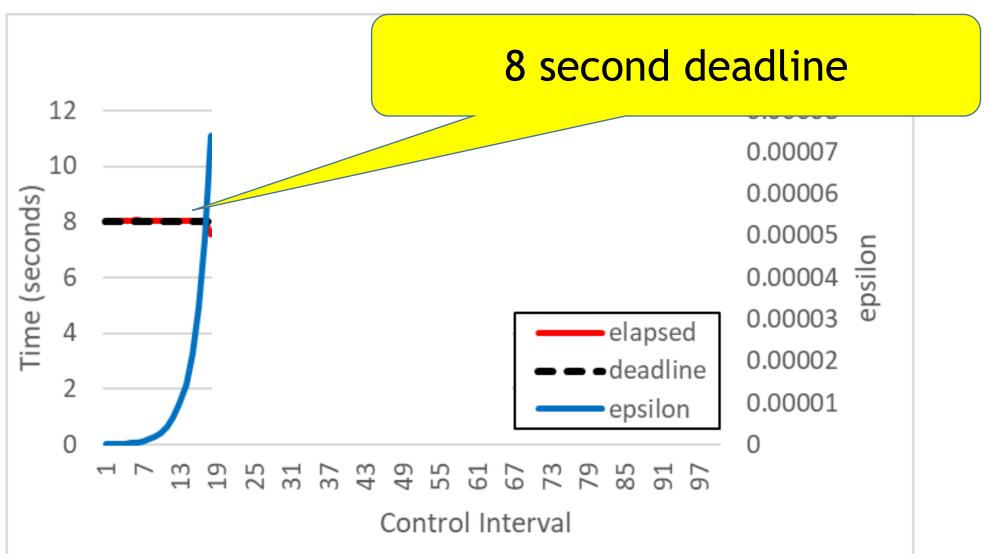


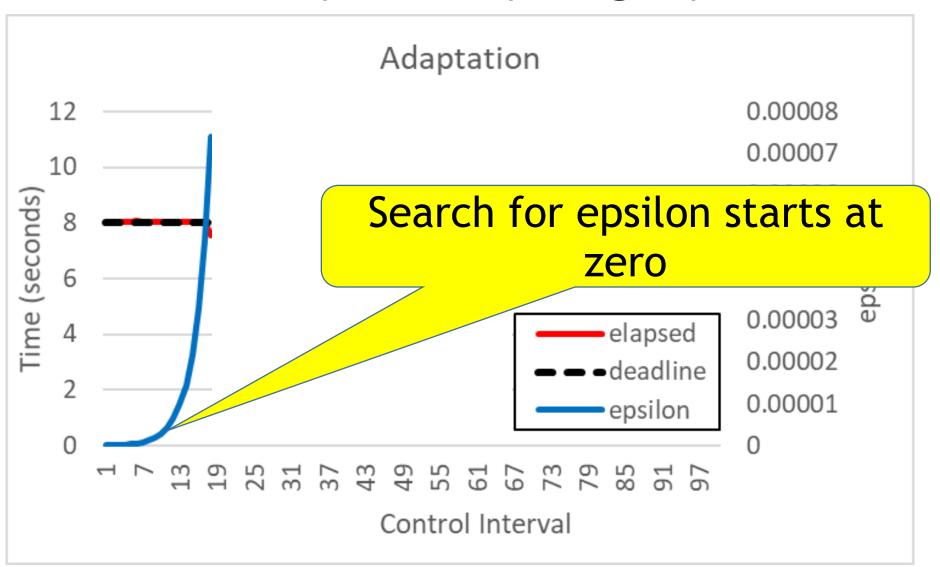


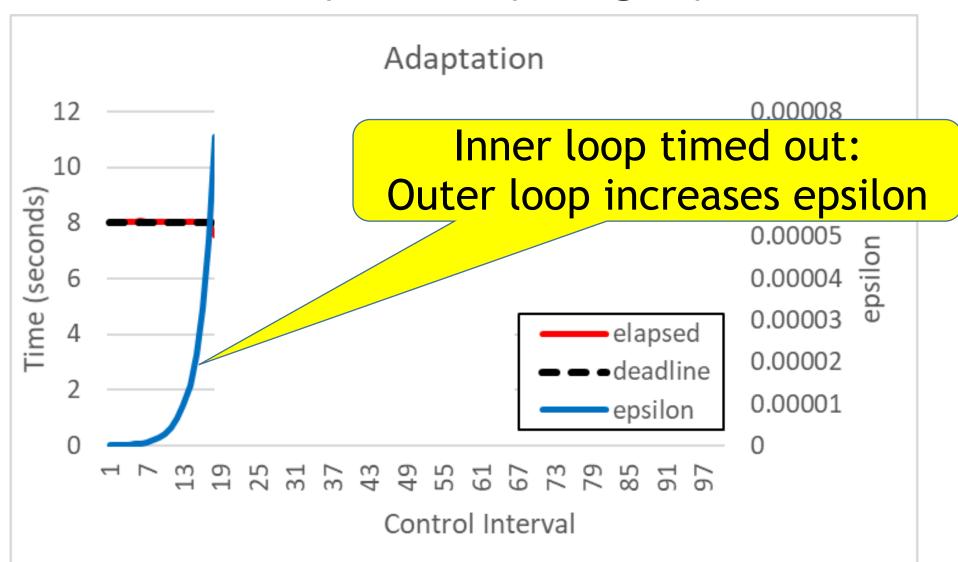


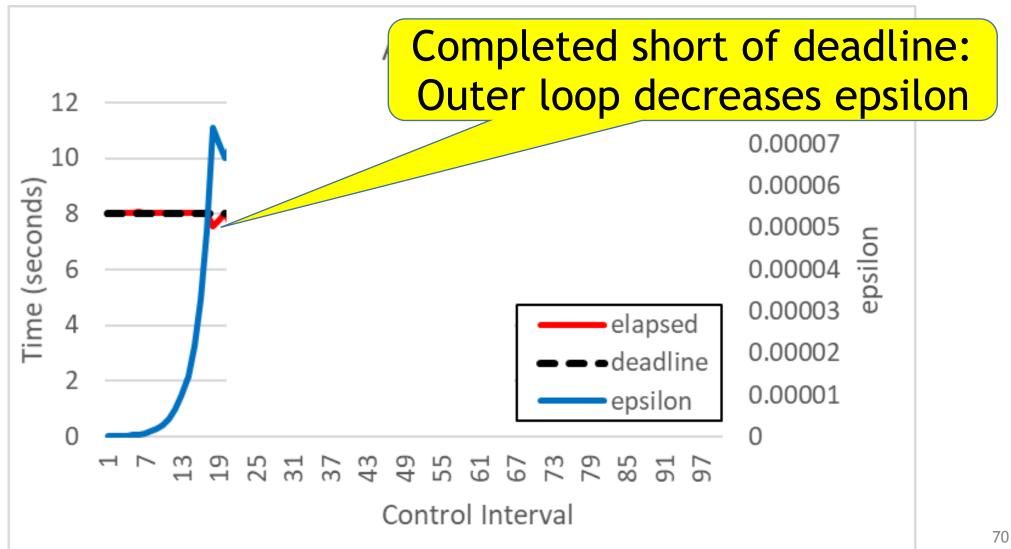


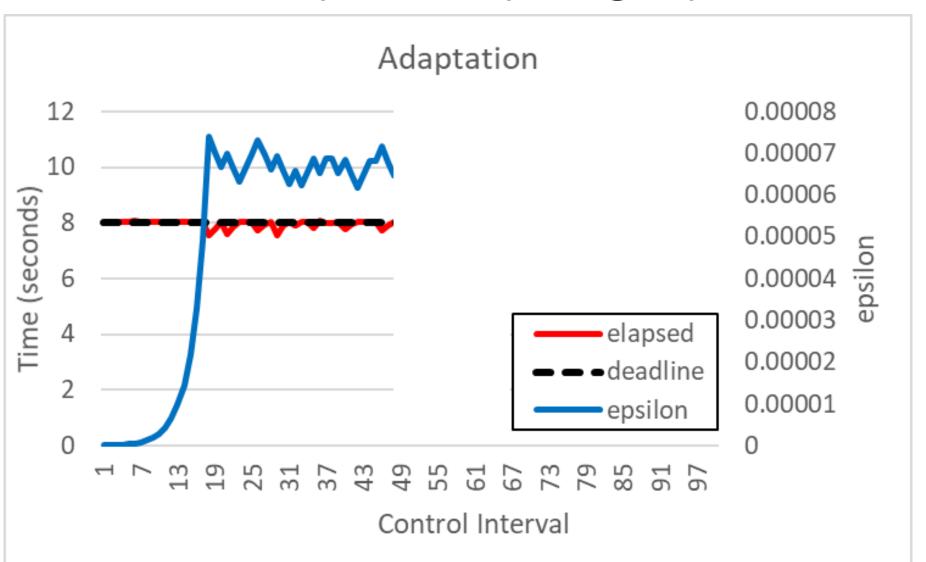


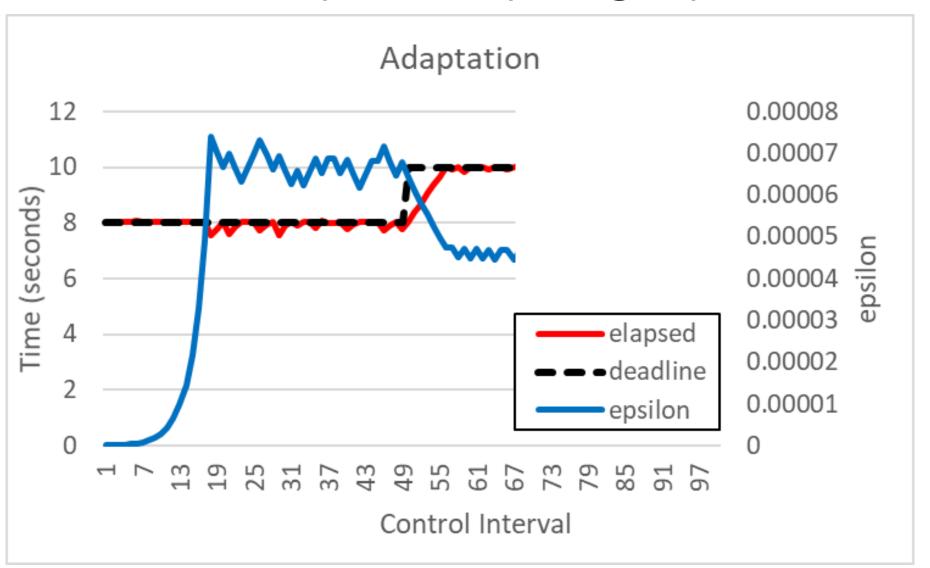




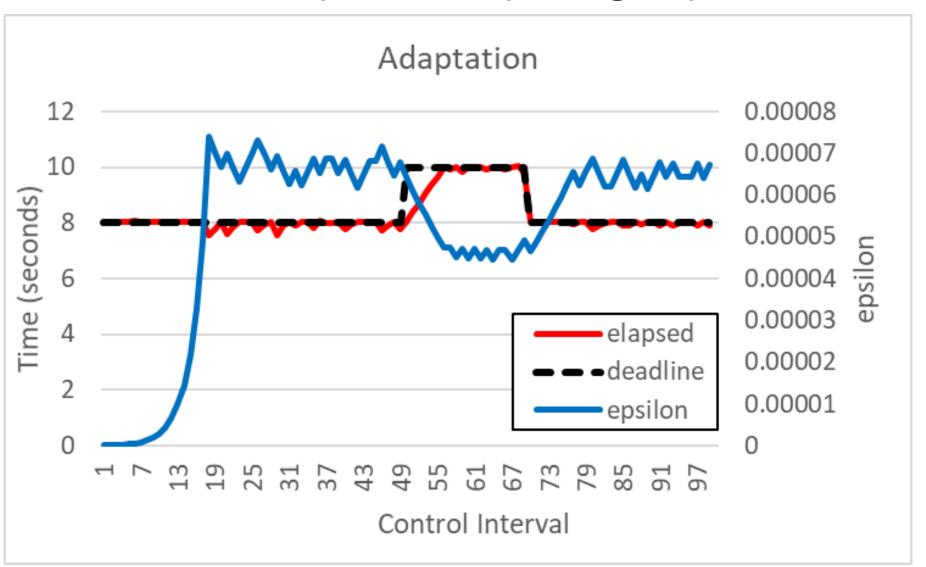








Outer loop: adapting epsilon



Summary

EDRF DC-DRF util. drop/

baseline

1Mx100K: 15 mins 8 secs 0.0065%

Summary

EDRF DC-DRF util. drop/

baseline

1Mx100K: 15 mins 8 secs 0.0065%

1Mx1M: 129 mins 8 secs 0.06%

Conclusion

DC-DRF enables multi-resource allocation to be calculated at Public Cloud scale in bounded time.

Thankyou

Backup video from demo at SIGCOMM'15

- 4 x tenants with 3 VMs each on 10 compute servers
- Accessing 2X RAMD storage servers over RDMA
- Demand estimation and vector rate limiters in Hyper-V drivers
- Central controller using EDRF algorithm in two passes
 - per-tenant aggregate reservation and intra-tenant work conservation
 - Inter-tenant work conservation

Inner loop: approximation of EDRF Outer loop: find to meet deadline while do while true do // ingest latest observed demands...

Iterate until done or timeout

outer toop . The to the

fication

Inner loop: approximation of EDRF

while do

while true do

// ingest latest observed demands...

Ou nner loop: approximation of EDRF Smallest for this round vhile do while true do // ingest latest observed demands...

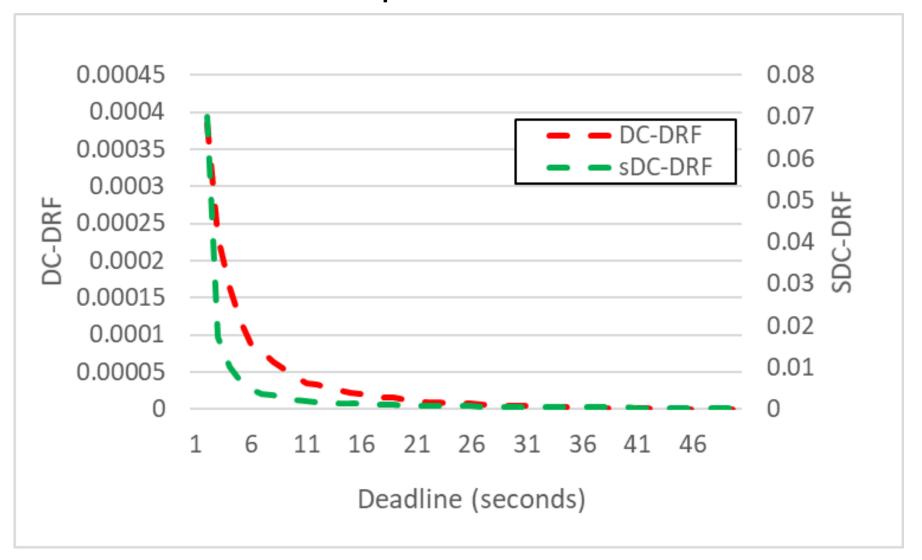
Inner loop: approximation of EDRF Outer loop: find to meet deadline while do while true do trades utilization for speed // ingest latest observed demands...

Inner loop: approximation of EDRF Outer loop: find to meet deadline while do while true do // ingest latest observed demands... Adjust to meet deadline

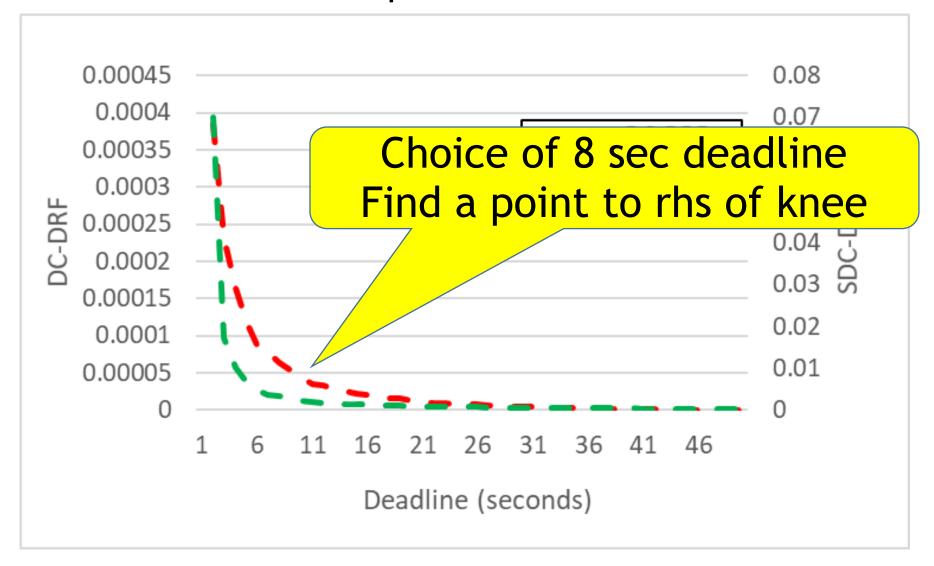
DRF fairness properties

- Formal fairness properties:
 - Sharing incentive: no tenant would prefer a simple resource partitioning
 - Strategy-proof: no benefit from falsified demands
 - Envy-free: no tenant would prefer another tenant's allocation
 - Pareto-fairness: increasing one tenant decreases another

epsilon



epsilon



What worked in our prototypes

- Distribute enforcement mechanisms into edge hypervisors
 - Classification, demand estimation, rate limiters
- Central SDN-like controller calculating shares
 - Simpler algorithm: easier to build confidence
 - Complete information beats partial views (think: B4 and SWAN)
- For detail see
 - IoFlow: single-resource Max-Min [Thereska et al., SOSP'13]
 - Pulsar: multi-resource EDRF [Angel et al., OSDI'14]:
 - Filo: distributed EDRF [Marandi at al., USENIX ATC 16]