Discontinuous Data-Oriented Parsing:

A mildly context-sensitive all-fragments grammar

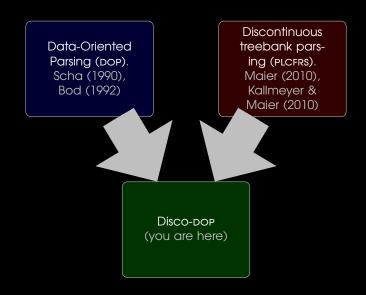
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Overview



Example

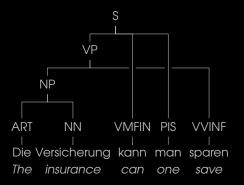


Figure: A discontinuous tree from the Negra corpus. Translation: As for the insurance, one can save it.

Discontinuity

- Cross-serial dependencies
- Extraposition: topicalization, wh-extraction
- Word-order freedom: scrambling

German Negra & Tiger treebanks have discontinuous annotations.

About 30% of sentences contain discontinuity.

Context-Free grammar

CFG: rewrites strings

Productions as deduction schemata:

$$S(ab) \rightarrow NP(a) VP(b)$$

where ab is the concatenation of a and b

⇒ cubic time complexity of CKY:

$$\mathcal{O}(|w|^{3\cdot 1})$$

- where w is the input string,
- 3 is number of non-terminals in a production,
- 1 is number of arguments of each non-terminal

Linear Context-Free Rewriting Systems

LCFRS are a generalization of CFG:

 \Rightarrow rewrite tuples, trees or graphs!

LCFRS allow any number of arguments (fan-out):

$$S(abc) \rightarrow NP(b) VP(a,c)$$

where abc is the concatenation of a, b, and c

linear: each variable on the left occurs once on the right & vice versa

Linear Context-Free Rewriting Systems

A binarized LCFRS has complexity

$$\mathcal{O}(|w|^{3\varphi})$$

where φ is the maximum fan-out in a production of the grammar.

Both CFG & LCFRS ∈ LOGCFL

Rules can be read off from treebank, frequencies form MLE ⇒ PLCFRS

Treebank grammars

Treebank grammar

trees ⇒ productions (+frequencies)

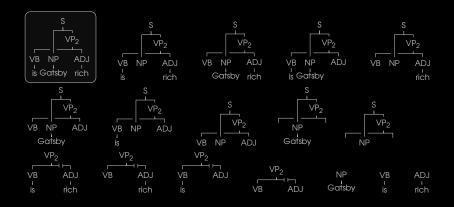
- Why? Straightforward, efficient
- Why not? Arbitrary, coarse grained
 - ⇒ strong independence assumptions

Data-Oriented Parsing

Alternative: Data-Oriented Parsing trees ⇒ fragments (+frequencies)

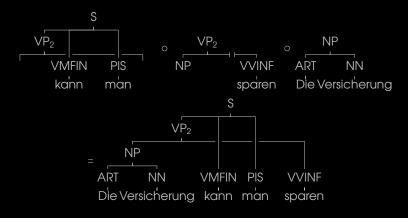
A fragment is a connected subset of a tree in which each node either has all children in common with the original tree, or none (substitution site)

DOP fragments



$$P(f) = \frac{\text{count}(f)}{\sum_{f' \in F} \text{count}(f')} \text{ where } F = \{ f' \mid root(f') = root(f) \}$$

DOP derivation



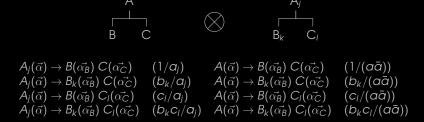
$$P(t) = P(d_1) + \dots + P(d_n) = \sum_{i=1}^{n} \prod_{i=1}^{n} p(t_i)$$

 $d \in D(t) f \in d$

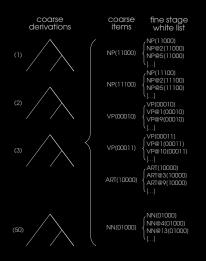
 $P(d) = P(f_1 \circ \cdots \circ f_n) = \prod p(f)$

DOP Reduction

- Treebank refinement: take non-terminal and split according to contexts
- In the limit: each non-terminal becomes a particular occurrence in a tree



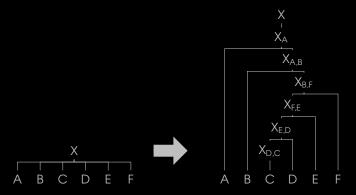
Coarse-to-fine



k-best PLCFRS derivations help prune DOP derivations.

Binarization

- mark heads
- head-outward binarization
- ▶ no parent annotation: v = 1
- ▶ horizontal Markovization: $h \in \{1, 2, \infty\}$



Evaluation

| NEGRA | words | F ₁ | EX | COV. |
|--|-------|----------------|-------|-------|
| DPSG Pla2004* PLCFRS KaMa2010 [†] Disco-dop V=1, h=1 | ≤ 15 | 73.16 | 39.0 | 96.04 |
| | ≤ 15 | 81.27 | - | - |
| | ≤ 15 | 84.56 | 54.68 | 99.90 |
| PLCFRS KaMa2010 [†] PLCFRS v=1, h=2 Disco-dop v=1, h=2 | ≤ 25 | 73.25 | - | 99.45 |
| | ≤ 25 | 75.98 | 36.79 | 98.90 |
| | ≤ 25 | 78.81 | 39.60 | 98.90 |
| PLCFRS Mai2010 [‡] PLCFRS $V=1$, $h=\infty$ Disco-dop $V=1$, $h=\infty$ | ≤ 30 | 71.52 | - | 97.00 |
| | ≤ 30 | 72.34 | 31.27 | 96.59 |
| | ≤ 30 | 73.98 | 34.96 | 96.59 |

Table: Discontinuous parsing on the Negra corpus. Function tags discarded; Gold POS tags given to parser.

All code available from:

http://github.com/andreasvc/disco-dop

*Plaehn (2004). †Kallmeyer & Maier (2010). ‡Maier (2010).

