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CS 4235: Intro to Information Security, Fall 2018
Project 3: Crypto – Have fun with RSA

2. Computing d involves getting the modular inverse of $e \bmod \phi(n)$. This was done by multiplying $\phi(n)$ by a constant, incrementing by 1, and dividing the result by e while increasing the constant in a while loop.
3. If moduli share a prime factor, the corresponding public keys can be computed using GCD. This results in keys that appear strong but are actually weak. Regarding the code, we run `gcd` and, using p , we compute $\phi(n)$. Then, we perform the same operation in task 2, using $\phi(n)$ and e to compute d .
4. The same message is sent to three people using the same the same exponent results in a situation where someone may intercept the messages and use Chinese Remainder theorem to get the original message. I recovered the message by using Chinese remainder theorem. We can use CRT to find a value such that $c_1 \bmod N_1$ is equivalent to $c_2 \bmod N_2$ is equivalent to $c_3 \bmod N_3$. This value, which we will label C , is equal to $m^3 \bmod N_1 * N_2 * N_3$. Since $m^3 < N_1 * N_2 * N_3$, $C = m^3$. From this, we can easily find m .