23/05/2019 R - Walk

R - Walk

Time Limit: 2 sec / Memory Limit: 1024 MB

Score: 100 points

Problem Statement

There is a simple directed graph G with N vertices, numbered $1, 2, \ldots, N$.

For each i and j ($1 \le i, j \le N$), you are given an integer $a_{i,j}$ that represents whether there is a directed edge from Vertex i to j. If $a_{i,j} = 1$, there is a directed edge from Vertex i to j; if $a_{i,j} = 0$, there is not.

Find the number of different directed paths of length K in G, modulo 10^9 + 7. We will also count a path that traverses the same edge multiple times.

Constraints

- All values in input are integers.
- $1 \le N \le 50$
- $1 \le K \le 10^{18}$
- $a_{i,j}$ is 0 or 1.
- $a_{i,i} = 0$

Input

Input is given from Standard Input in the following format:

```
egin{aligned} N & K \ a_{1,1} & \dots & a_{1,N} \ \vdots \ a_{N,1} & \dots & a_{N,N} \ \end{aligned}
```

Output

Print the number of different directed paths of length K in G, modulo $10^9 + 7$.

Sample Input 1 Copy

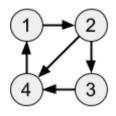
Copy

```
4 2
0 1 0 0
0 0 1 1
0 0 0 1
1 0 0 0
```

Sample Output 1 Copy

6

G is drawn in the figure below:



There are six directed paths of length 2:

- $1 \rightarrow 2 \rightarrow 3$
- $1 \rightarrow 2 \rightarrow 4$
- $2 \rightarrow 3 \rightarrow 4$
- $2 \rightarrow 4 \rightarrow 1$
- $3 \rightarrow 4 \rightarrow 1$
- $4 \rightarrow 1 \rightarrow 2$

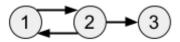
Sample Input 2 Copy

3 3 0 1 0 1 0 1 0 0 0

Sample Output 2 Copy

Сору

G is drawn in the figure below:



There are three directed paths of length 3:

R - Walk

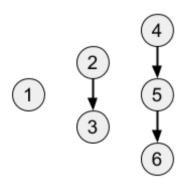
- $1 \rightarrow 2 \rightarrow 1 \rightarrow 2$
- $2 \rightarrow 1 \rightarrow 2 \rightarrow 1$
- $2 \rightarrow 1 \rightarrow 2 \rightarrow 3$

Sample Input 3 Copy

Sample Output 3 Copy

Сору

G is drawn in the figure below:



There is one directed path of length 2:

• $4 \rightarrow 5 \rightarrow 6$

Sample Input 4 Copy

1 1 0 Copy

Sample Output 4 Copy

Сору

23/05/2019 R - Walk

Sample Input 5 Copy

Sample Output 5 Copy



Be sure to print the count modulo $10^9 + 7$.