

For problem 1 and 2, please submit an electronic solution via portal. Printed copies will not be accepted. Comment all of your programs in details. Problem 3 and 4 will be posted on portal, and the submission of solutions will be through portal directly. Note: residual plots will be explained in lectures on Monday, Sept 25

**Problem 1** To make results reproducible, use the following code to generate data.

```
set.seed(42)
n = 100
x = runif(n,-1,1)
eps = rnorm(n,mean = 0, sd = .25)

xtest = - 1 + (1:1000)/500
epstest = rnorm(n,mean = 0, sd = .25)

y1 = x + eps
y2 = 2 - (x+1)^2 + eps
y3 = 1 + sin(4*x) + eps
```

Assignment Project Exam Help

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1.  $y_1, \dots, y_3$  correspond to responses in a regression model. In each case, what is the true regression function  $f$ , what is the sample size, and what is the distribution of the error  $\varepsilon$  in that model?
2. For each of the response vectors  $y_1, \dots, y_3$ , run a simple linear regression with  $x$  as predictor (in each case, include an intercept). Provide the corresponding values for  $R^2$  and the estimated regression coefficients. Make residual plots.
3. On each of the data sets, run K-nn regression with  $K = 5, 10, 20$ . For each of the 3 data sets provide plots showing the data points as well as 3 lines corresponding to the estimated K-nn regression functions with  $K = 5, 10, 20$ .
4. Use `xtest` and `epstest` to create 1000 test samples for each of the models given above. Use these test samples to compute the test error for the regression functions that you estimated in part 2 and 3. Comment on the results.

**Problem 2** Solve Problem 12 on page 172 in the textbook Introduction to Statistical Learning.

**Problem 3 and 4** will be posted on portal later this week. Those problems will allow you you to directly input your solutions to portal, no hand-in will be required.