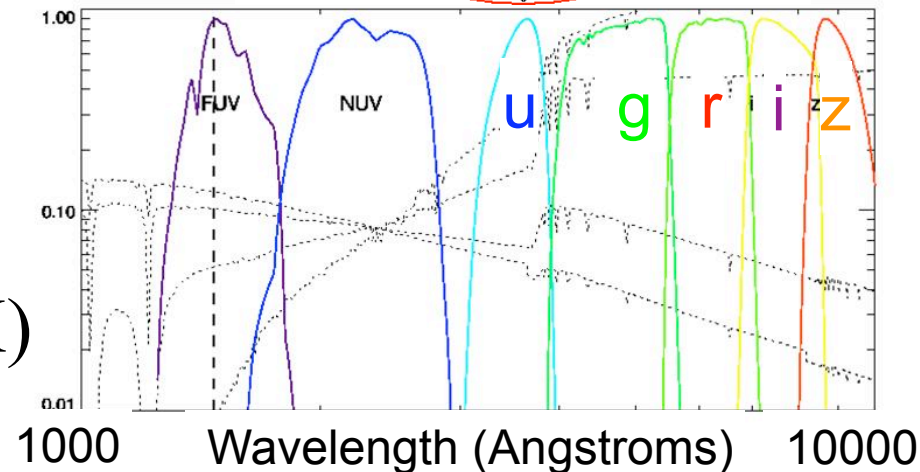
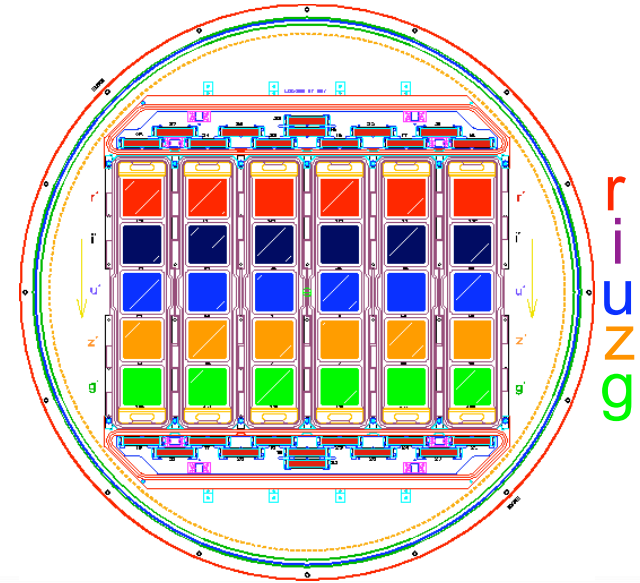


Magnitude Systems

Observing the sky through filters (passbands)

- Objects in the sky have different energy signatures
 - i.e. different fluxes as a function of wavelength
- So, to categorize astronomical sources, we observe the sky through different filters or “passbands”
 - which allow light to pass at different wavelengths
- e.g., the SDSS (and GALEX) passbands to the right

SDSS camera assembly from <http://www.astro.princeton.edu/PBOOK/camera/camera.htm>

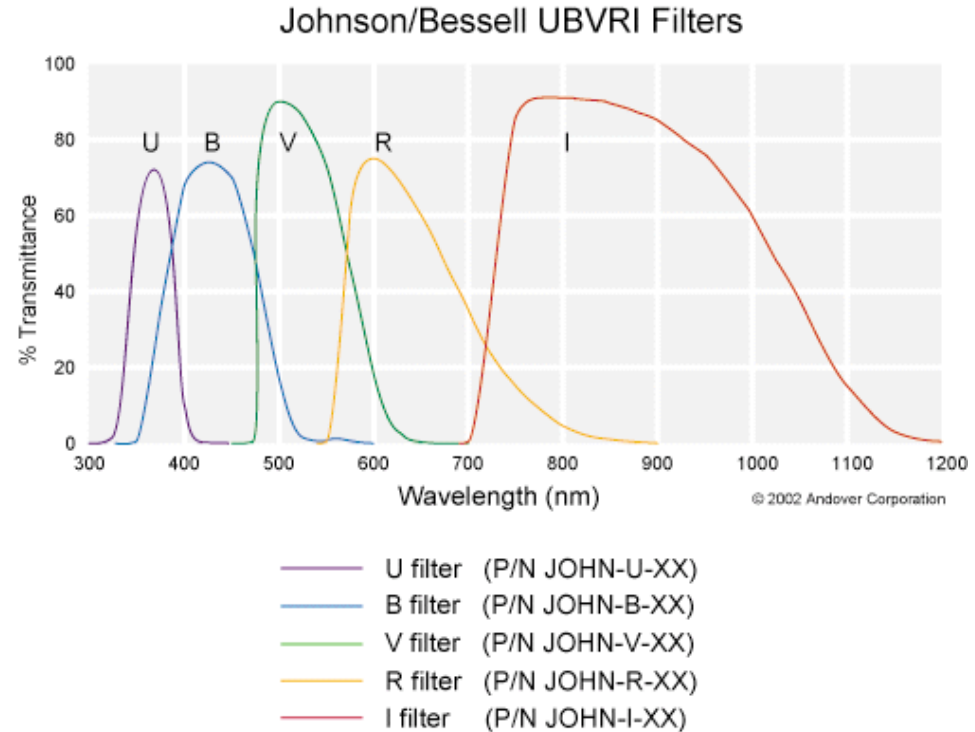


Flux measurements and the Vega system

- In each passband (integrated over wavelength), we measure the “flux” (the total amount of energy per unit area arriving at the telescope’s detector per second)
 - To create a standard system of how *relatively* bright sources appear to be, astronomers created a system of *magnitudes*. For magnitude (m) and flux (f)
 - $m - m_0 = -2.5 \log_{10}(f/f_0)$
 - where the 0 subscript, here, refers to a measure relative to some “standard” star that calibrates the zero-point of the system
 - For a long time, the zero-point was chosen to be the star Vega (i.e. f_0 is the flux of Vega in a given band and $m_0 = 0$ is the magnitude of Vega in a given band)
-

Flux measurements and the Vega system

- The main early standard system in use was the Johnson *UBV* system
 - see syllabus links
- This system was extended to redder filters (*RI* by Cousins)
 - and extended to a system of cheaper glass filters by Bessell
- In this system (calibrated by flux measurements of many stars) Vega's magnitude is close to 0 in every passband:
 - $U_{\text{Vega}} = 0$; $B_{\text{Vega}} = 0$; $V_{\text{Vega}} = 0$; $R_{\text{Vega}} = 0$; $I_{\text{Vega}} = 0$



AB magnitudes

- Using Vega in this manner to calibrate a magnitude system is problematic for a number of reasons
 - Vega does *not* have a flat spectral energy distribution (SED...the flux-wavelength relation) so it doesn't make much sense to *force* it to be flat
 - This becomes even more problematic for UV and IR surveys (surveys outside of the optical), where Vega deviates substantially from a flat SED
 - Vega may be a δ -scuti star, which vary in brightness!
 - A solution is to calibrate the system using the absolute physical flux from Vega (in $\text{WHz}^{-1}\text{m}^{-2}$) across Vega's SED...this system is the AB system (see syllabus links)
-

AB magnitudes

- Modern systems of passbands, such as the SDSS *ugriz* filter system are on the AB magnitude system
 - In this system, the zero-point source is a theoretical source *defined* such that it *truly* has a flat SED
 - In the AB system, the flux zero-point in *every* filter is *defined* to be 3631 Jy (Janskys; $1 \text{ Jy} = 10^{-26} \text{ WHz}^{-1}\text{m}^{-2}$)
 - Thus, AB magnitude in any passband is given by
 - $m = -2.5 \log 10f + 8.9$ (magnitude m and flux in Jy)
 - $m = -2.5 \log 10f - 56.1$ (flux in $\text{WHz}^{-1}\text{m}^{-2}$)
 - Conversions between the *UBVRI* Vega system and the *ugriz* AB system are linked from the syllabus
-

Nanomaggies and model vs PSF fluxes

- We will often work with the SDSS sweeps files. The sweeps store SDSS fluxes in tags such as
 - *PSFFLUX* (*ugriz* flux as measured fitting a profile that assumes the source is a point source)
 - *MODELFLUX* (*ugriz* flux as measured using the best-fitting profile)
 - These fluxes are in a unit of nanomaggies, a system where the zero-point flux is $(3631 \times 10^9) \text{ Jy}$ or $10^9 f_0$
 - Thus $m = -2.5 \log_{10}(f/10^9 f_0) = -2.5 \log_{10}(f/f_0) + 2.5 \log_{10} 10^9 = 22.5 - 2.5 \log_{10}(f/f_0)$
 - So, in the sweeps, to convert the FLUX tags to magnitudes, simply take $m = 22.5 - 2.5 \log_{10}(FLUX)$
-

asinh magnitudes

- The official (online) SDSS magnitudes are stored in a unit called *luptitudes* or *asinh magnitudes*
 - This unit was designed to improve magnitudes for very faint objects (for very low signal-to-noise measurements)
 - In this system, $m = -(2.5/\ln 10)[\operatorname{asinh}((f/f_0)/2b) + \ln(b)]$ instead of $m = -2.5\log_{10}(f/f_0)$
 - b is a “softening parameter” designed to improve magnitudes as f approaches 0 (see syllabus links)
 - We won’t study asinh magnitudes as I suspect they won’t be used outside of the SDSS (b changes with survey depth, which makes b hard to calibrate)
 - but it’s worth noting that *asinh magnitudes* differ slightly from *magnitudes* for very *faint objects*
-

IDL tasks

1. Consider the star PG1633+099A, the discussion on how to convert between *UBVRI* and SDSS *ugriz*, and the *SDSS Navigator Tool*, all linked from the syllabus
 - by using the *UBVRI* to *ugriz* transformations, show that the *g* magnitude displayed for PG1633+099A in the *SDSS Navigator Tool* is near the expected value
 - grab *ugriz* for PG1633+099A from the SDSS sweep files...show they agree with the *Navigator Tool* values
 - Don't forget to make the first line of your IDL code `setenv, 'PHOTO_SWEEP=/d/quasar2/dr8/'`
 2. Find a faint object in the *Navigator Tool* image...show that *ugriz* for *this* object *differ* between the sweeps and the *Navigator Tool* values. Why might this be the case?
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