

# **EC 1152 - Using Big Data to Solve Economic and Social Problems**

**Review Session #1**  
**TF: Diana Goldemberg**

Prof: Raj Chetty  
Harvard University  
Spring 2019

# Logistics

- I'm Diana.
- Take 2 min to fill out this survey please [ [bit.ly/ec1152d006](https://bit.ly/ec1152d006) ]  
Find this prez at: [https://github.com/dianagold/Ec1152\\_diana](https://github.com/dianagold/Ec1152_diana)
- We'll meet every Thursdays @ 4.30-5.30pm (Sever 208)
  - Introductory level, no previous Stats background
  - Focus on intuition and applications
- Office Hours:
  - Wednesdays @ 4.30-6.30pm (Barker 103)
  - I'm also available by appointment and after sections.
- Expectations:
  - Email ([diana\\_goldemberg@g.harvard.edu](mailto:diana_goldemberg@g.harvard.edu)) response times: within 24 hours M-F; 48 hours on the weekend
  - Google form to submit questions before section

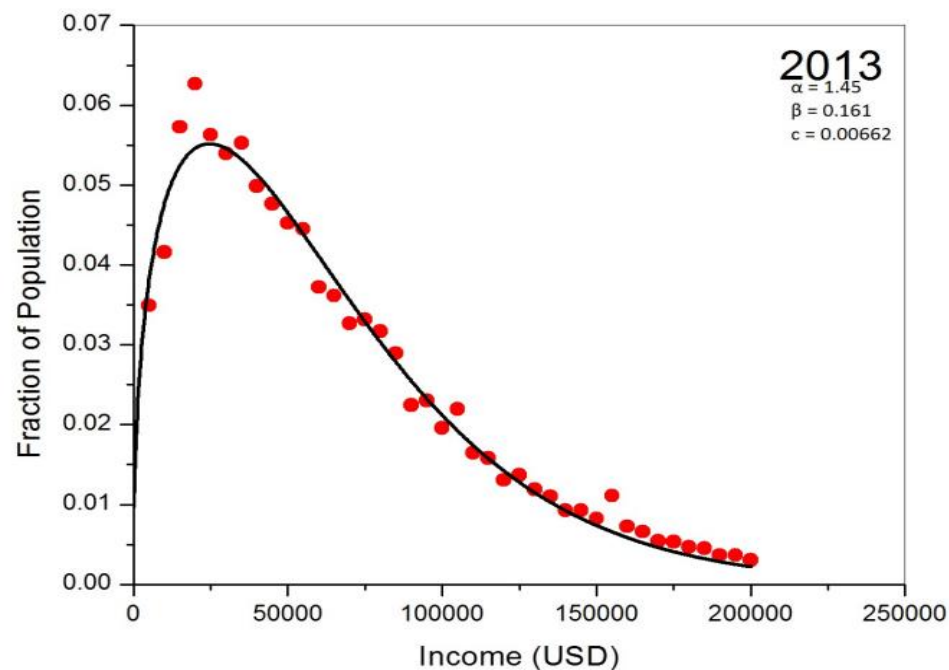
# Outline

- Level the playing field: Summary Stats & Inference
- Intergenerational Mobility main graph
- Backdrop on Regression Analysis
- Stata demo: regression on bowling alleys
- Correlation is not causation (!)

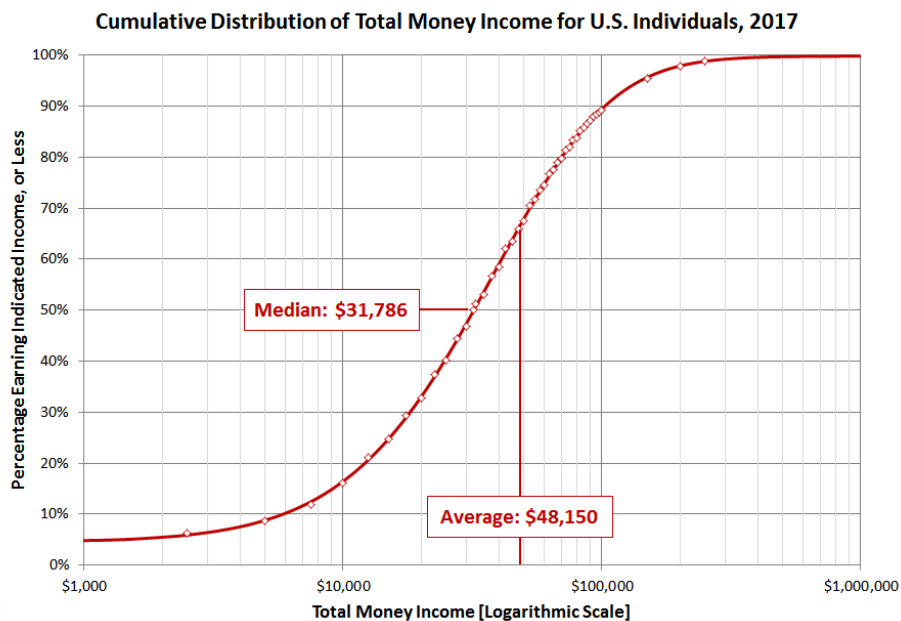
# Summary Statistics

- Suppose you have access to all of Professor Chetty's data
  - That means you know everyone's income in the USA in 2017
- In 2017, the mean U.S. Individual Income was \$48,150.
  - How many individuals made close to \$48,150 (say within \$1000)?
  - How many individuals made more than \$48,150?
- What pieces of information related to your data might you want to know...
  - To understand the "center" of the distribution?
  - To understand the "dispersion" of the distribution?
  - To visualize your distribution?

# Summary Statistics



Probability Distribution Function



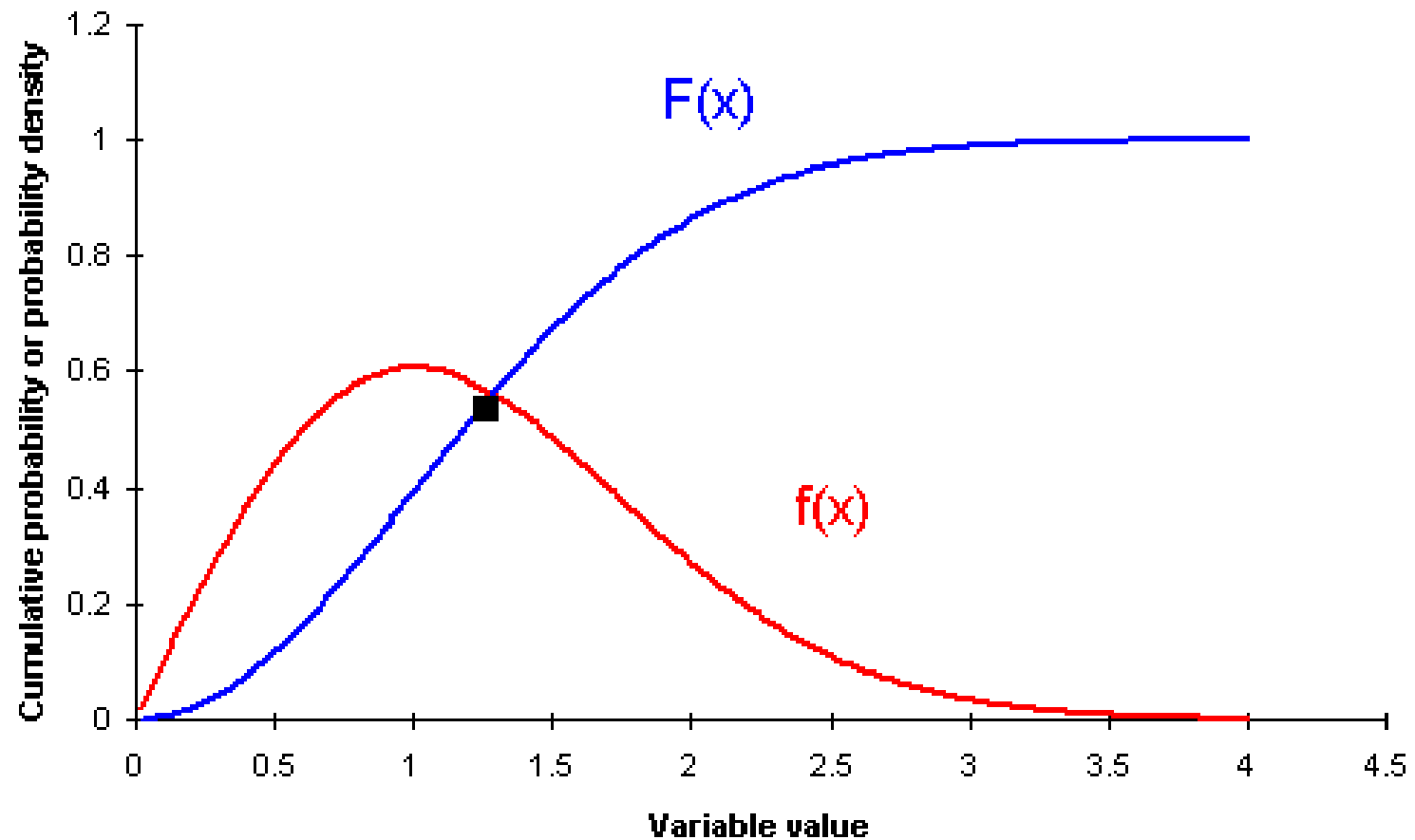
Source: U.S. Census, Current Population Survey, Annual Social and Economic Supplement, 2018

©Political Calculations 2018

Cumulative Distribution Function

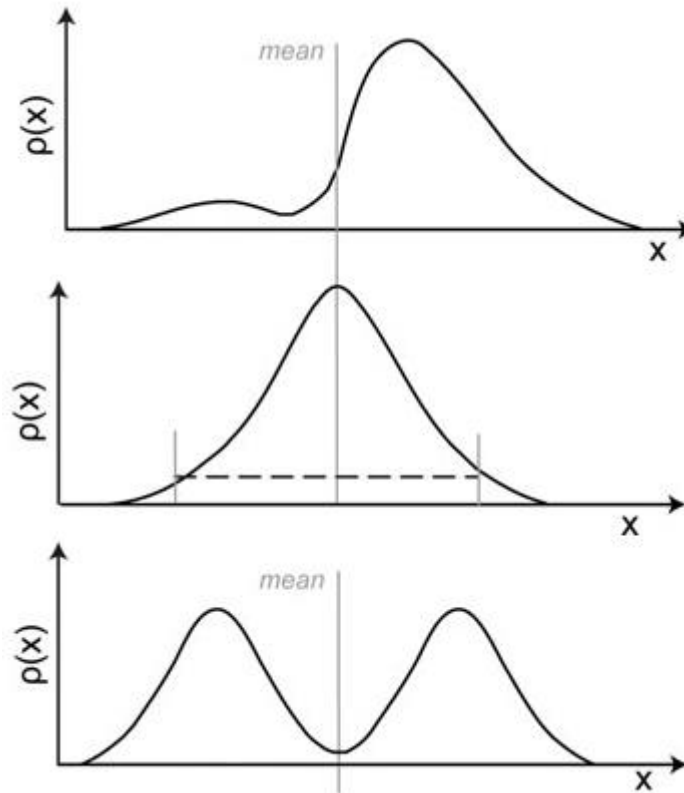
- A “low income” person in 2017 (aka: 25<sup>th</sup> percentile) earns up to...?

# Summary Statistics



# Summary Statistics

- Three distributions with the same mean, and same variance / standard error



- Always important to visualize when possible!

# Summary Statistics: Takeaways I



- Summary statistics and visualization are a good place to start when facing a new dataset.
- There is no one summary statistic that tells you everything you need to know.
- Common measures of centrality:
  - Mean: What is the "center of mass" of the data? If all the income were divided equally, how much would everyone receive?
  - Median: What is the "typical" value of the data? For what income level do half of people make more, and half of people make less? The 50th percentile.
  - Mode: What is the most common value of the data? If you had to guess the exact amount that a randomly chosen individual makes, what would be the best guess?



# Summary Statistics: Takeaways II



- Common measures of dispersion:
  - Variance: Mean of squared deviations from the mean.
  - Standard Deviation: Square Root of the Variance. Has nice statistical properties for certain distributions (as does variance).
  - Interquartile range: What is the difference between the 75th percentile and the 25th percentile in your data? How spread out is the "middle half" of your data?
- Visualizing a single variable:
  - Probability distribution function (PDF): Easiest to think of this as visualizing relative frequency of your data. Higher point in PDF means a value is more common in your data.
  - Cumulative distribution function (CDF): For each value in your data, plots what fraction of your data is less than that value. Always starts at zero and rises to one.

# Population, Sample and Inference

Suppose that:

- I only like **BLUE** m&m's
- Yesterday I opened one pack of each, finding



$$4 / 15 = 26.8\%$$



$$4 / 20 = 20.0\%$$

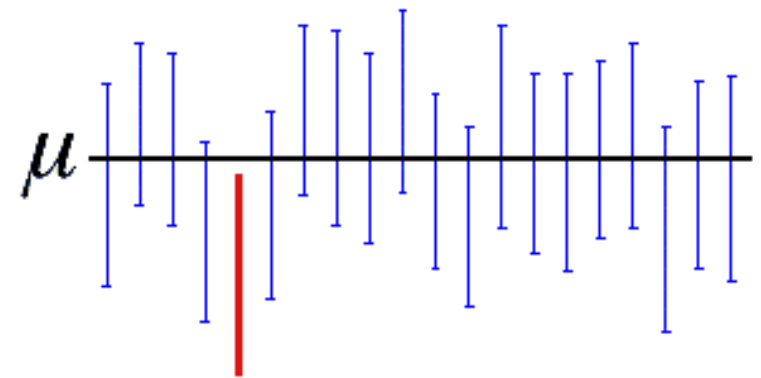
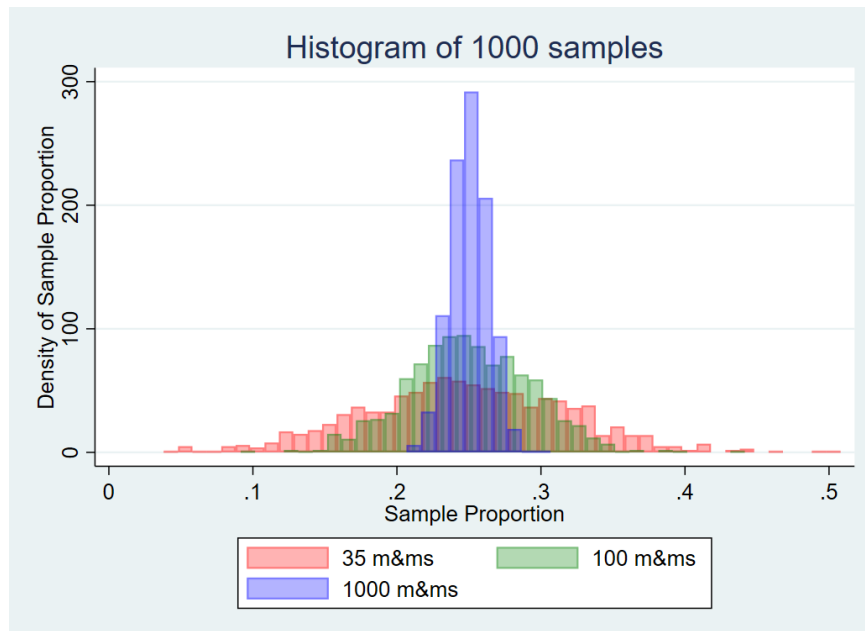
- Should I only buy Peanut m&m's from now on, trusting that they have a bigger share of **BLUE** m&m's?
- According to Mars, **BLUE** m&m's represent **25.0%** of their production in the NJ plant (but changes across their plants!), and does not vary between fillings (m/p/pb)

$$\Rightarrow \text{combining them: } 8 / 35 = 22.9\%$$

# Population, Sample and Inference

- **Confidence intervals:**

- My sample: I estimate the true value that Mars uses as [8.9%, 36.8%] with 95% confidence, using my 35 sample, that is the 22.9% plus or minus 1.96\*standard errors
- Reality: a new sample of 35 m&m's will have [10.7%, 39.3%] with 95% confidence, that is the 25.0% plus or minus 1.96\*standard deviations



A 95% confidence interval indicates that 19 out of 20 samples (95%) from the same population will produce confidence intervals that contain the population parameter.

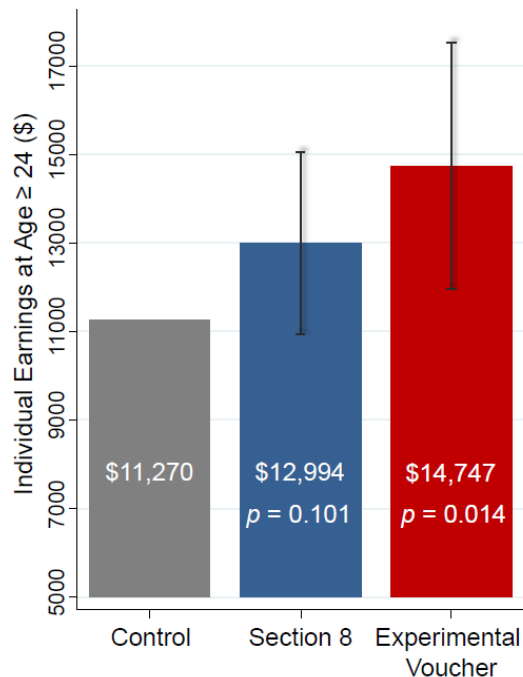
# Population, Sample and Inference

- **P-values:** a friendly answer to testing hypothesis
  - Peanut and peanut butter m&m's have the same distribution of blues.  $p = 0.65$
  - The m&m's I ate follow the stated distribution of blues by Mars.  $p=0.78$
  - Translate the chance that your hypothesis is true and you observed your result.  
Low  $p \Rightarrow$  reject hypothesis [stars];      High  $p \Rightarrow$  cannot reject hypothesis

## Bringing it back to Chetty's lecture on MTO...

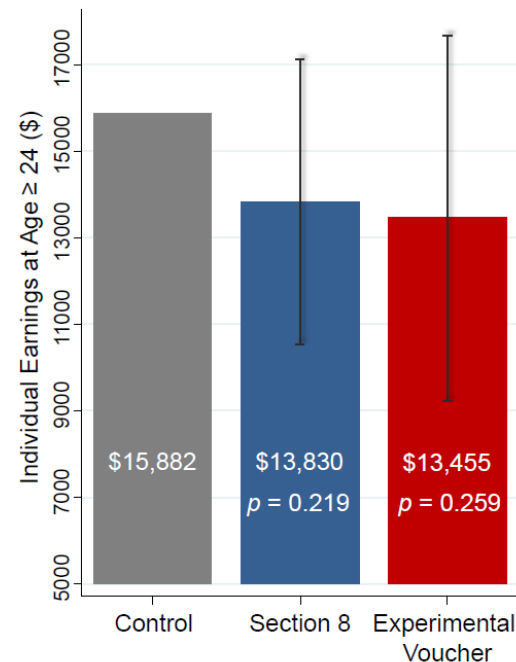
Impacts of MTO on Children Below 13

(a) Earnings



Impacts of MTO on Children Age 13-18

(a) Earnings



# Inference: Takeaways

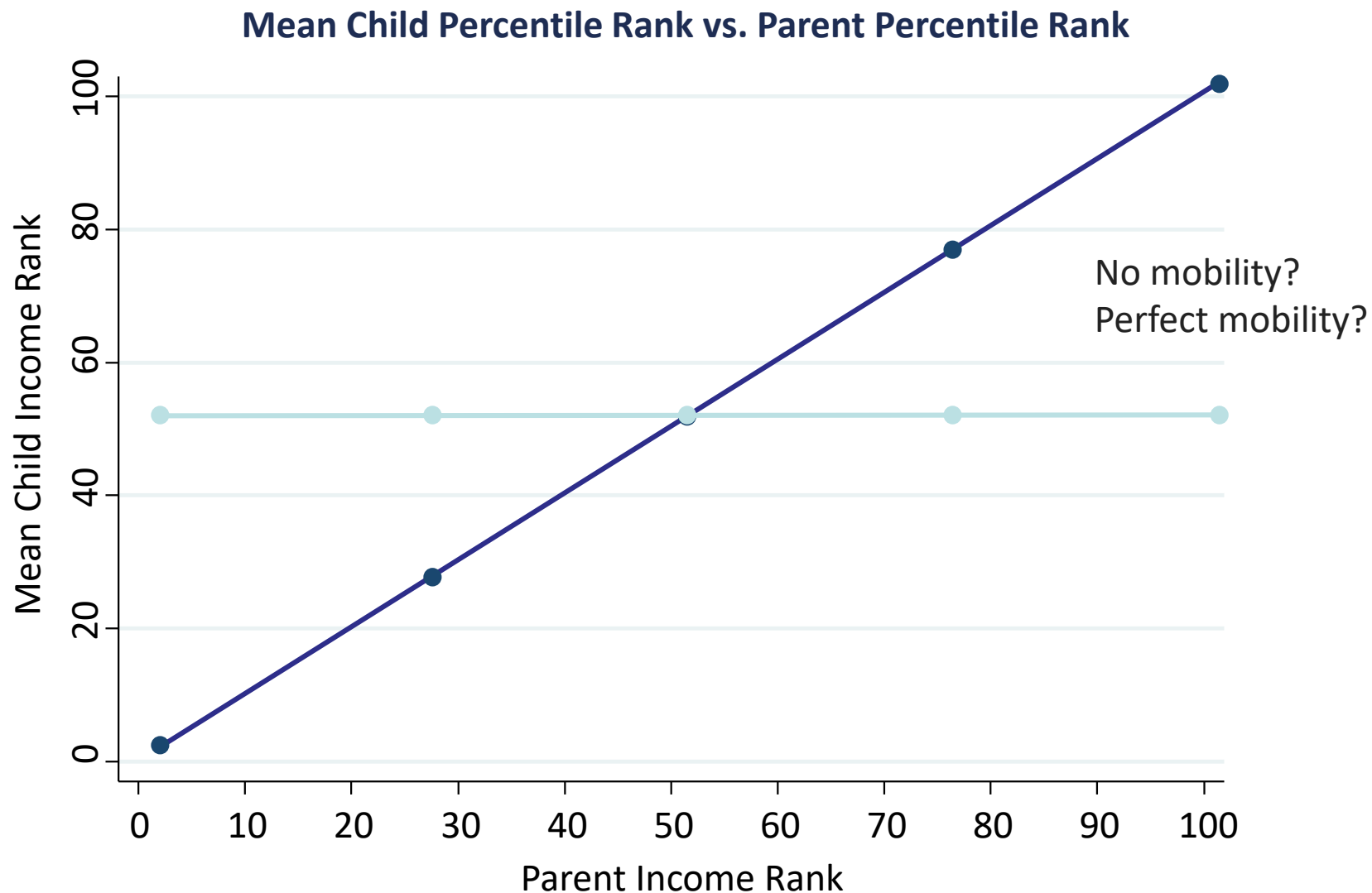


Statistical inference is the theory, methods, and practice of forming judgments about the parameters of a population and the reliability of statistical relationships, typically on the basis of random sampling.

- Randomness exists. Results on a sample of data will not always match the population value.
- To deal with this, we calculate new statistics:
  - Standard errors tells us how far we might expect the sample mean to be from the true population mean.
  - Confidence intervals provide a net that we can use to try to "catch" the population mean with a pre-specified level of certainty.
  - P-values are the most friendly answer to hypothesis testing. Usually translates "what is the probability that we would observe such an extreme result by pure chance?"
    - Typical significance levels: p-value below 0.1, 0.05, 0.01? [stars]
- All of these values are given by statistical software, but you need to know which 'questions' to ask. P-value is your friend, always look for the p-value and the test it is addressing!!!

# Intergenerational Mobility

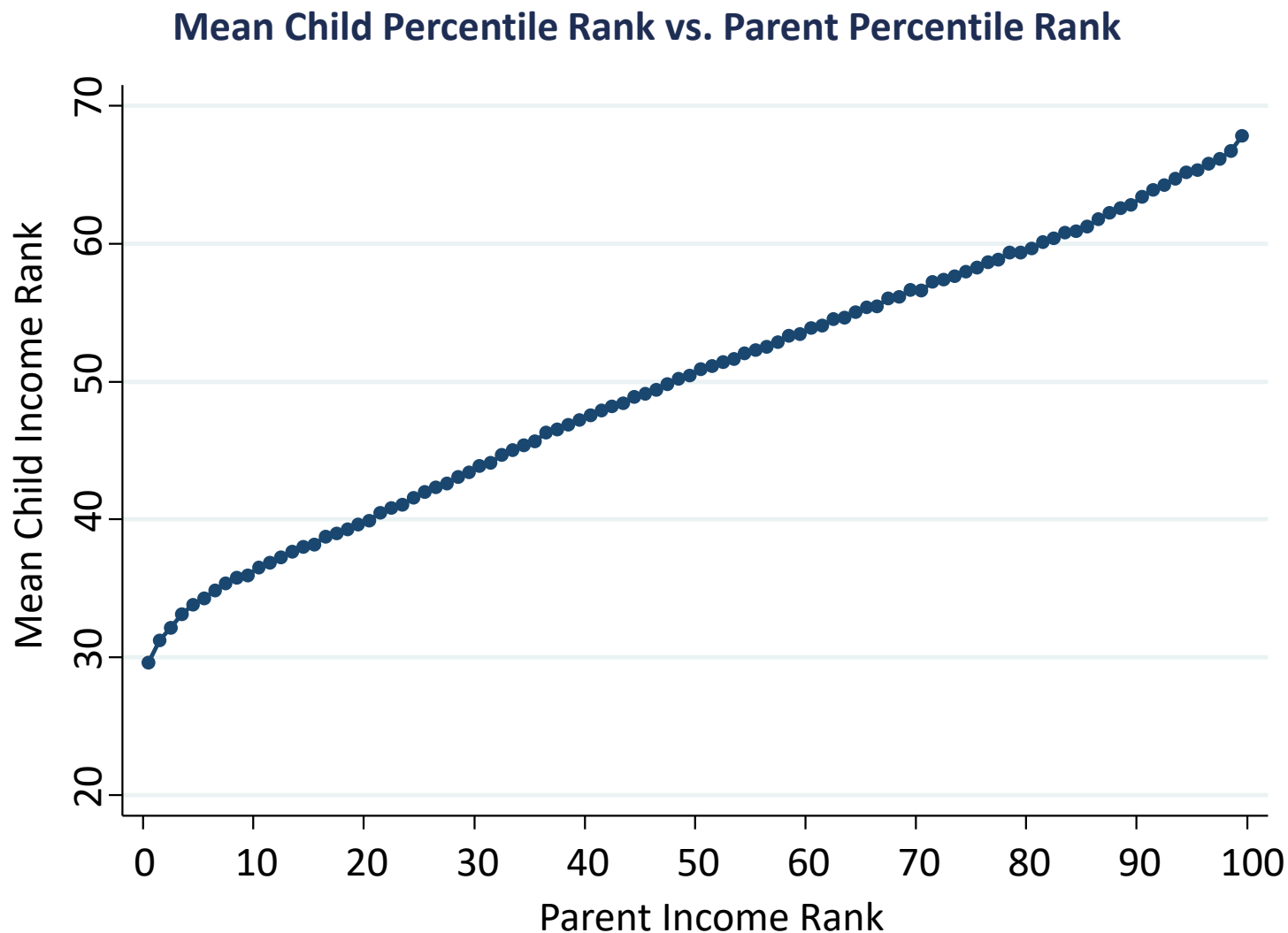
- Main graph?



# Intergenerational Mobility

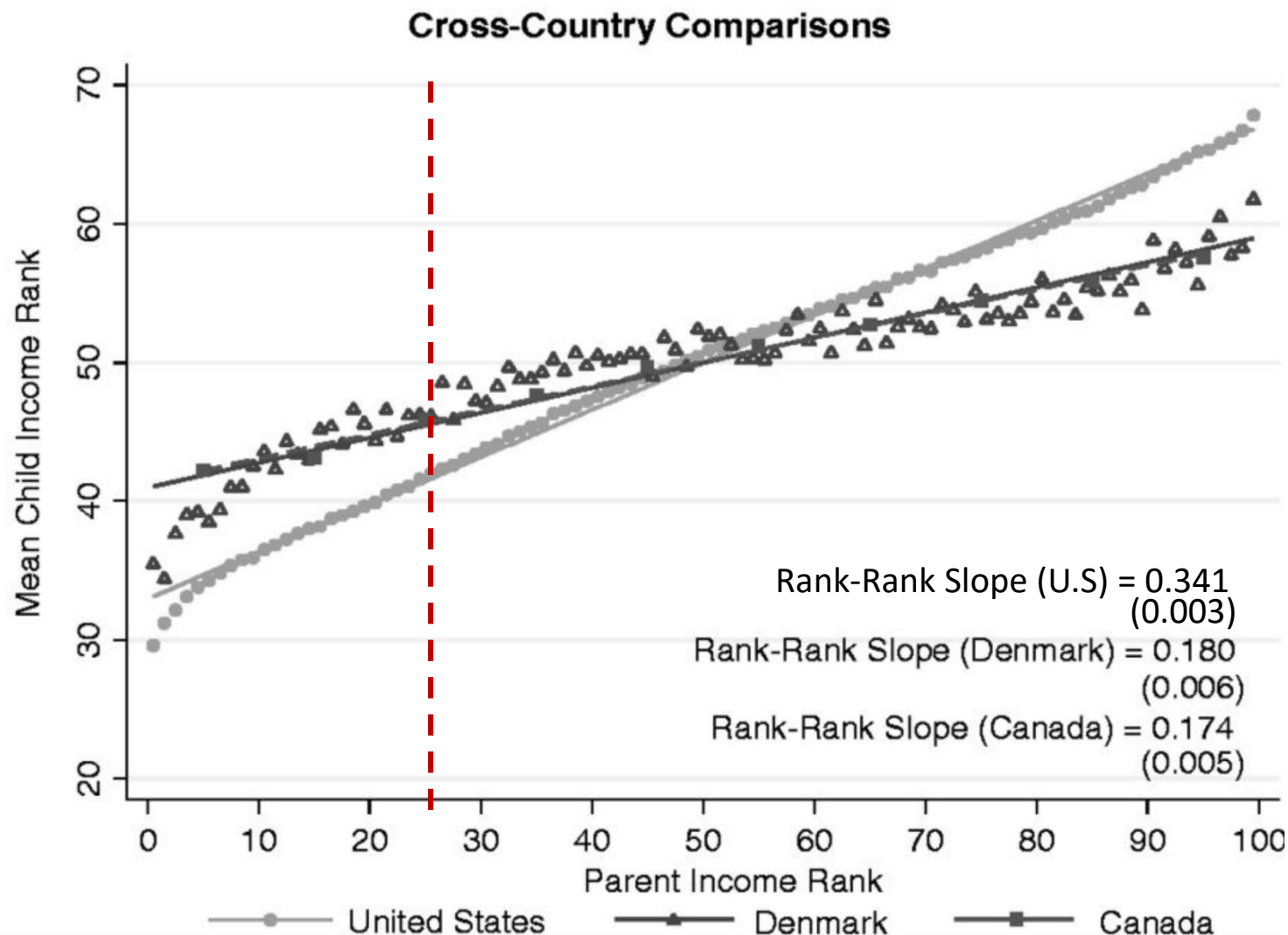
- Think of some measures that translate mobility

[this is the Figure I.A, Chetty et al 2018a]



# Intergenerational Mobility

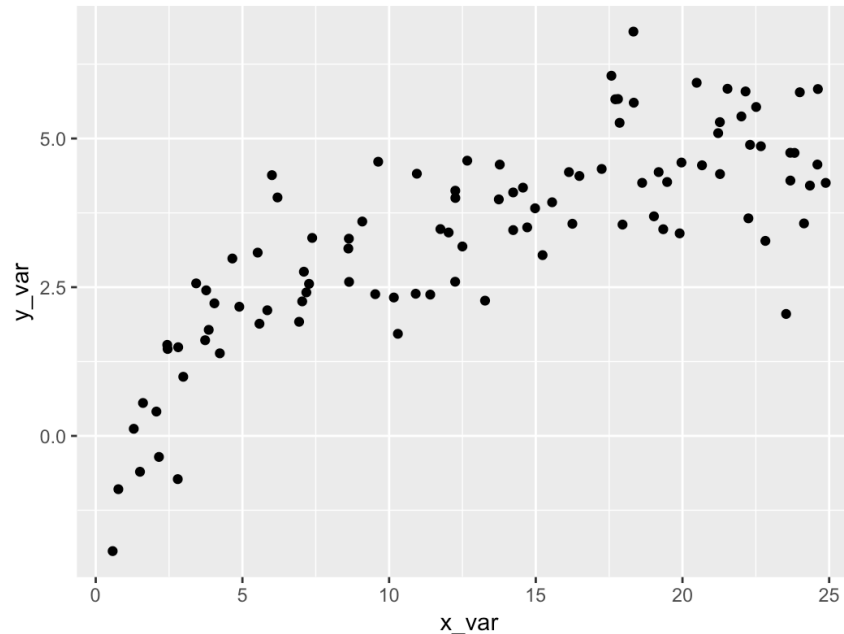
- In simple terms: how well do kids from poor parents do?





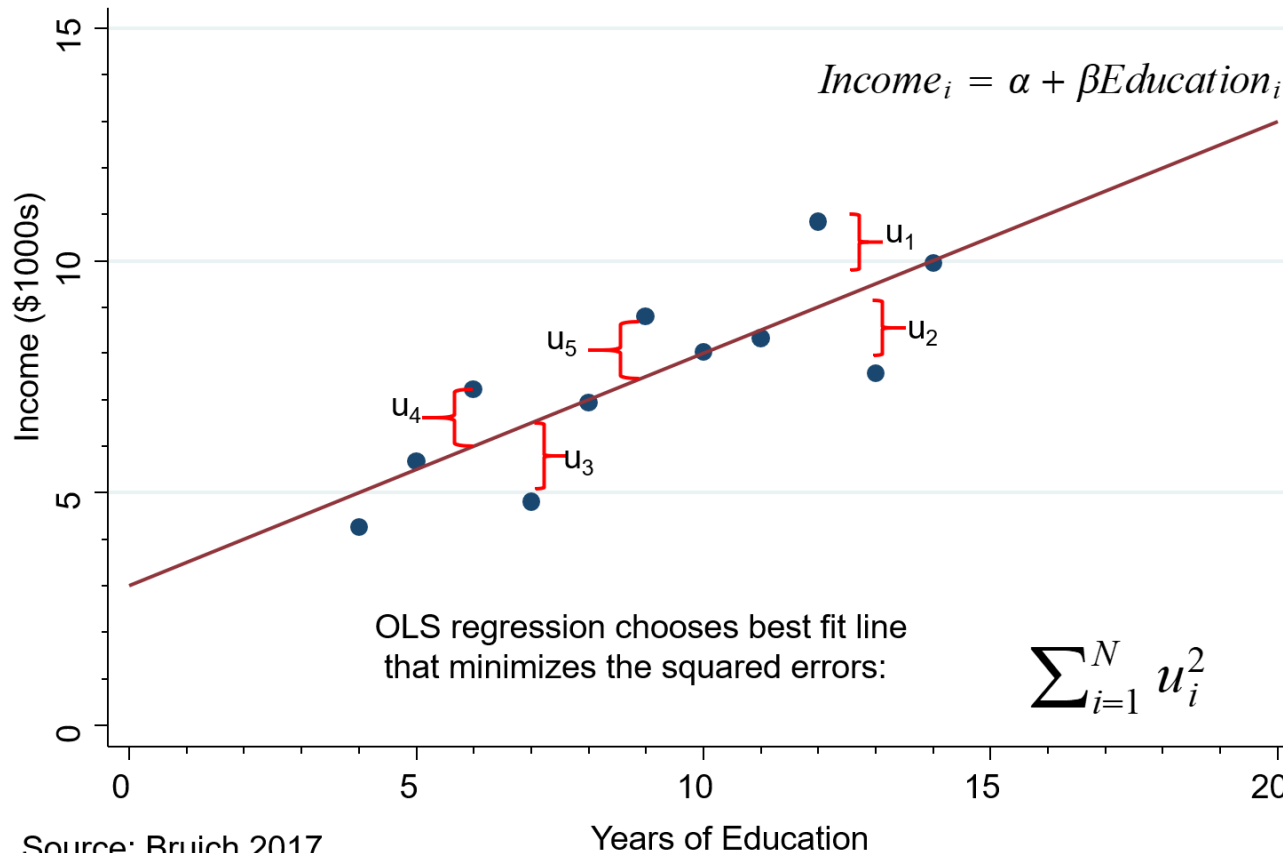
# Backdrop on Regression Analysis

- On the previous slides, we took a series of points from our data, and we drew a line through them
  - How did we even do that?
- Suppose you have data on years of education and income for a group of people. How would you try to fit a line through that data?



# Backdrop on Regression Analysis

## Review of Regression Analysis: The Relationship between Income and Education



- What's an interpretation of  $\alpha$  and of  $\beta$ ?
- Does this line give results for the population or for a sample? To what consequences?

# Regression Analysis: Common Output

```
. reg e_rank_b bowl_per_capita, robust
```

Linear regression

Number of obs	=	586
F(1, 584)	=	339.47
Prob > F	=	0.0000
R-squared	=	0.4124
Root MSE	=	3.9697

e_rank_b	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
bowl_per_capita	12.04453	.6537132	18.42	0.000	10.76061	13.32844
_cons	39.28227	.2571105	152.78	0.000	38.77729	39.78724

Where is the regression **slope**? **Intercept**?

How precise are those estimates, or: where are their **standard errors**?

What is the **probability** that you would get this result (this slope estimate) even if the true population coefficient was zero? (This is the **p-value**, your best friend!!!)

Note that a **p-value** smaller than 5% means that the 95% CI will not include zero!

# Regression Analysis: Standardization

- How can we compare the strength of relationship between different variables on a "level playing field?"
- For example, how could we tell if average years of education in a district or fraction of people married in a district is more closely associated with income in that district?
  - Key point: we need a **standardized** measure of correlation
  - It turns out, we can run a very simple regression to get a **correlation coefficient** that:
    - Is always between  $-1$  and  $1$ .
    - Is  $-1$  if variables are perfectly linearly related in a negative way
    - Is  $1$  if variables are perfectly linearly related in a positive way
    - Is  $0$  if variables are not at all linearly related

# Regression Analysis: Standardization

Suppose you have variables  $X_i$ ,  $Y_i$ . Construct  $X_i^*$  and  $Y_i^*$  as follows:

$$Y_i^* = \frac{Y_i - \text{Mean}(Y_i)}{\text{Std\_Deviation}(Y_i)} \quad X_i^* = \frac{X_i - \text{Mean}(X_i)}{\text{Std\_Deviation}(X_i)}$$

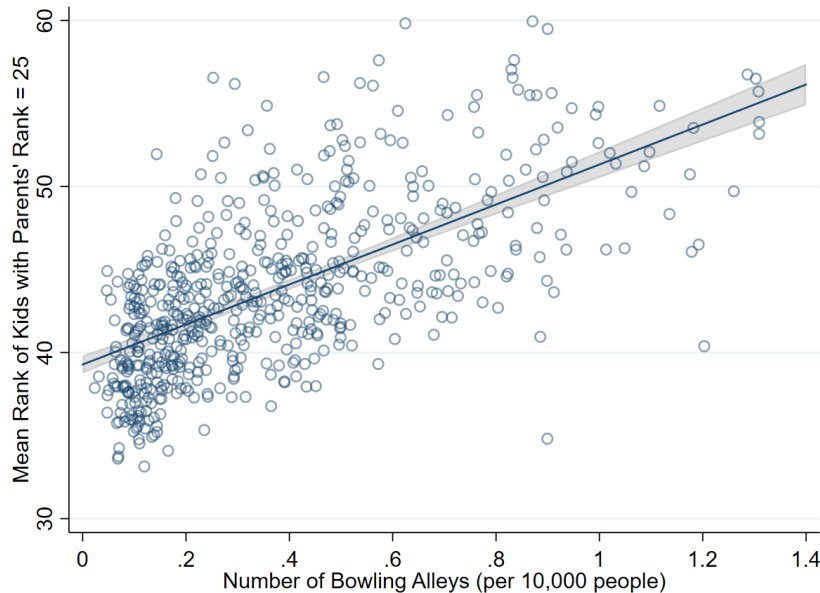
Then you can compute the least squares regression equation:

$$Y_i^* = a + r X_i^*$$

**Fact:** When you compute the above regression, you will always find that:

- The intercept  $a = 0$
- The slope  $r$  is a correlation coefficient of the type we described.
- If you square  $r$ , ("**R squared**") you get a number between 0 and 1 that is equal to the fraction of variation in  $Y$  explained by a linear regression on  $X$ .

# Regression Analysis: Standardization



Unstandardized slope (left) tells you that how much of an increase in mean rank of kids with parent rank = 25 is associated with one additional bowling alley per 10,000 people.

Standardized slope (left) tells you **how correlated** mean rank of kids with parent rank = 25 and bowling alleys per 10000 people are, on a scale of -1 to 1.

# Regression Analysis: Takeaways



- Regression analysis allows us to fit a line to data in a systematic way.
- In this class, we will begin with "Ordinary Least Squares" regression (OLS).
  - OLS minimizes sum of the squared errors between data points & the fitted line.
- Nice features of OLS and other regression techniques:
  - The slope of the line often has a natural interpretation.
    - "One more year of education is associated with B in increased earnings"
  - When data is noisy, OLS allows you to focus in on the trends and patterns..
  - In certain circumstances, OLS constitutes our "best guess" at the Y value when all we know is X. "Knowing only a person's education is X, I'd guess their earnings are Y on average."
- Regression coefficient estimates come with their standard errors, which are needed to test hypothesis (inference and p-values!)

## Stata hands-on demo

- *Stata will be used in section*
- *But you're very welcomed to follow the Jupyter notebooks for:*
  - *R*
  - *Python*
- *All files at: [https://github.com/dianagold/Ec1152\\_diana](https://github.com/dianagold/Ec1152_diana)*

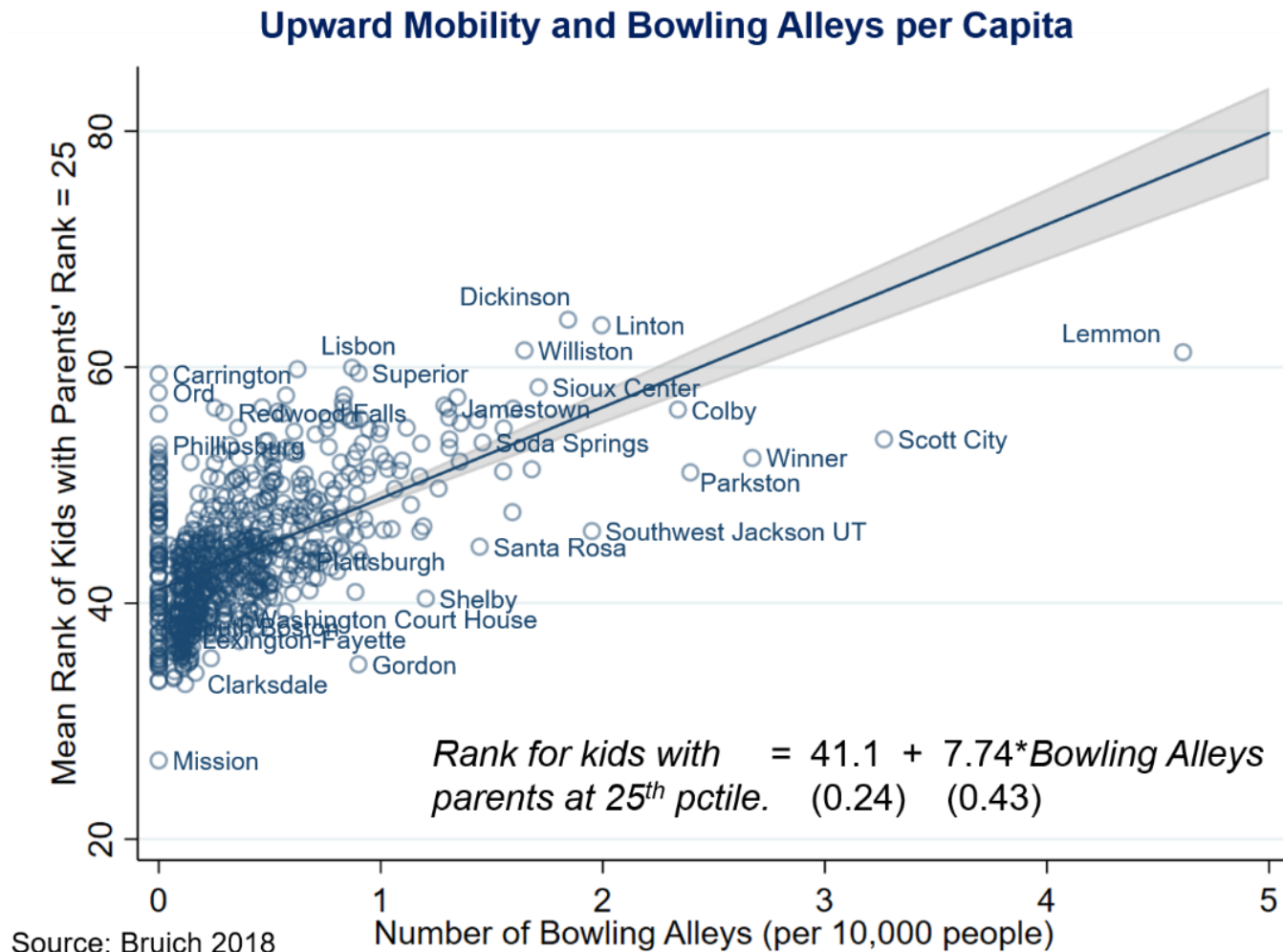


# Stata demo

Required files at: [https://github.com/dianagold/Ec1152\\_diana](https://github.com/dianagold/Ec1152_diana)

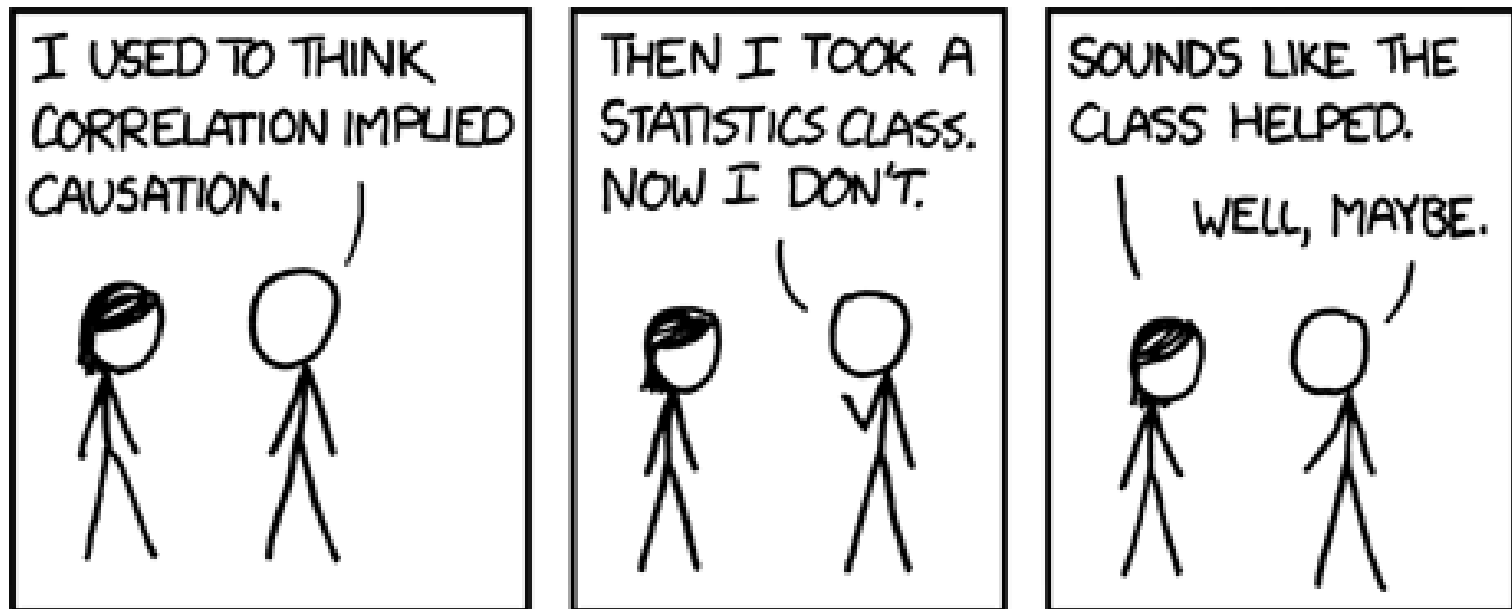
- If you have Stata in your computer, you may want to do it along
  - How to install & hints: <https://canvas.harvard.edu/courses/19323>
  - Optional workshop: Monday at 5:30 pm in Emerson Hall 105
- Why are we using Stata?
  - The most popular software used by economists for applied econometrics
  - Works for “big data”: up to 20 billion observations and 32 thousand variables (contingent on RAM)
- Upward mobility (Y) as a linear regression of Bowling Alleys per capita (X)
- Tasks:
  - Get means and stdevs
  - Standardize Y and X
  - Use OLS to estimate correlation coefficients

# Correlation is not causation!



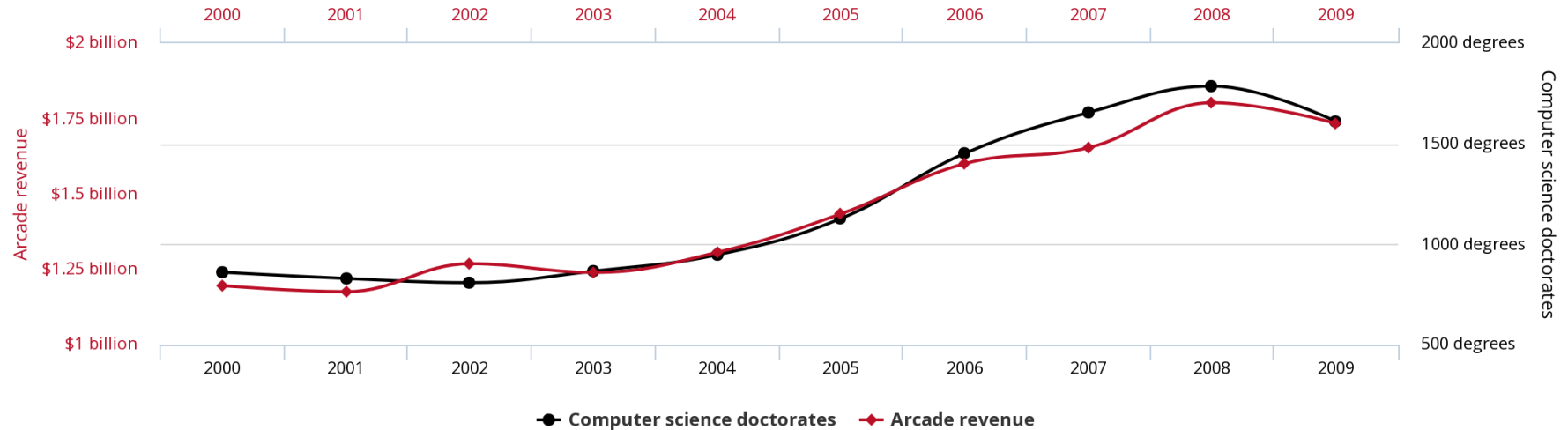
# Correlation is not causation!

- Have you seen this meme before?
- Have you take a Stats class before?
- Correlation or causation?



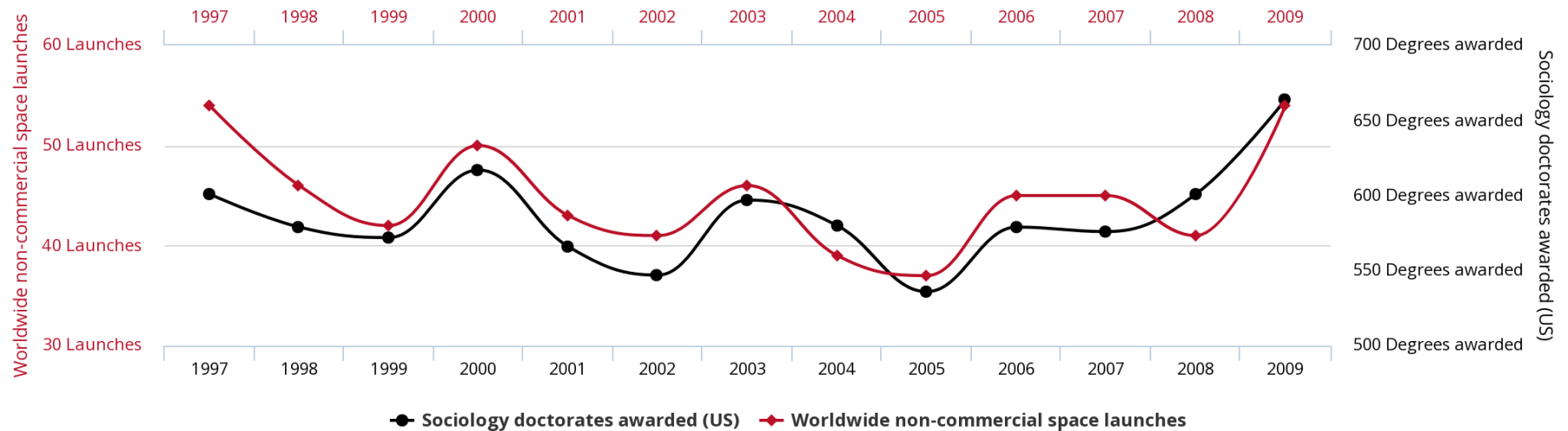
# Correlation is not causation! Examples

**Total revenue generated by arcades**  
correlates with  
**Computer science doctorates awarded in the US**



# Correlation is not causation! Examples

**Worldwide non-commercial space launches**  
correlates with  
**Sociology doctorates awarded (US)**



# Correlation is not causation! Examples

## Math doctorates awarded correlates with Uranium stored at US nuclear power plants

