A Language for Specifying Optimization Strategies

Wouldn't it be great...



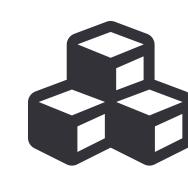
...to *look behind the curtains* of optimizing compilers and actually understand how optimizations are applied?



...to define well-known optimizations once and *reuse* them whenever possible?



...to have *one principled way* to write compiler optimizations based on a strong theoretical foundation?



...to build your own optimizations using simple and *composable building blocks*?

Optimizing Programs like it's 1998 2019

Visser et. al.: Building program optimizers with rewriting strategies (ICFP 1998)

Basic Strategy Building Blocks

A Strategy is a function: Program > Program A *Transformation* is the simplest strategy

map(f) → join o map(map f) o split(n)

splitJoin-Rule

id: Strategy = λp.p

Strategy > Strategy > Strategy = λf. λs. λp. s (f p)

Choice: Strategy \rightarrow Strategy \rightarrow Strategy \rightarrow Strategy \rightarrow Af. λ s. λ p. try (f p) catch (s p)

try: Strategy → Strategy = λs. choice s id

repeat: Strategy → Strategy = λs. try (s; (repeat s))

norm : Strategy → Strategy
= λs. repeat(find s)

Traversals: Where to apply a strategy?

$$\lambda f. map f \rightarrow fo capply$$

$$map o of$$

Expression

AST

Generic one-level traversals: Strategy → Strategy







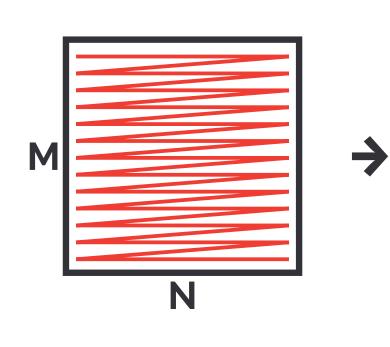
Generic traversal strategies: Strategy → Strategy

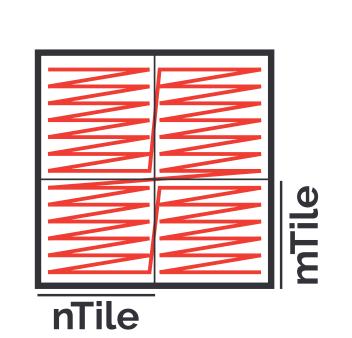
topdown = $\lambda s.s.$; all(topdown s)

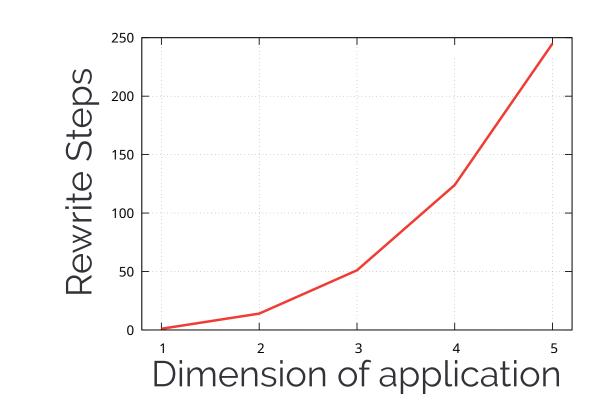
 $tryAll = \lambda s. all(tryAll(trys)); (trys)$

find = $\lambda s \cdot s < + one(find s)$











Tile every dimension λn.tryAll(splitJoin n)



Rewrite Normalform norm(mapFission) mapFission = $(f \circ g) = f \circ g$



Rearrange dimensions

 $\lambda d \cdot \lambda p \cdot d match$ case <2 : p

case 2 : (shuffleDim d) p case _: (rearrangeDim (d-1); (shuffleDim d)) p

Example input program: **f

**
$$f \rightarrow J \circ **(J \circ **f \circ S) \circ S \rightarrow$$

(* = map | S = split(s) | J = join | T = transpose)

