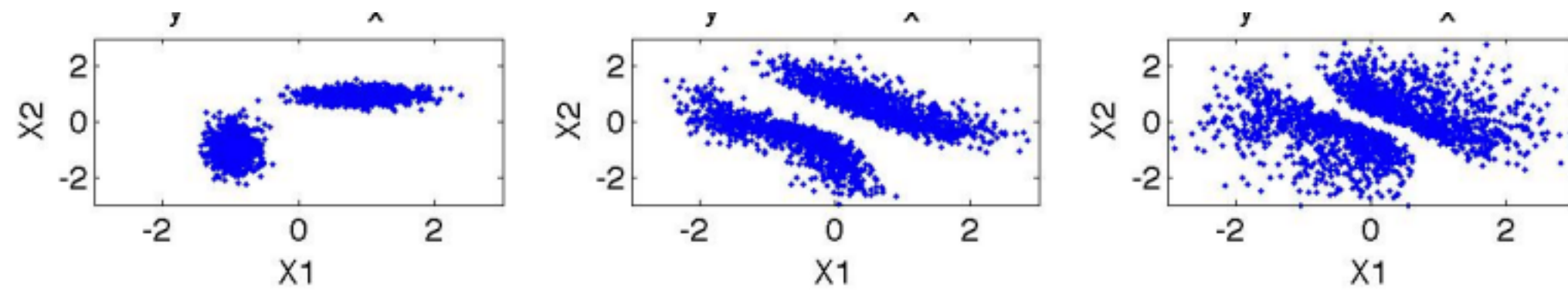


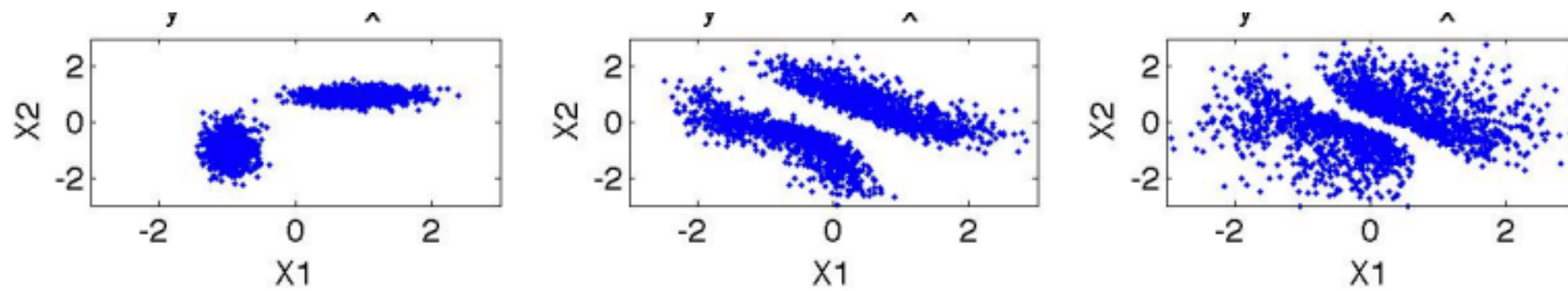
Normalizing Flow history



2010

Tabak, Esteban G., and Cristina V. Turner.
"A family of nonparametric density estimation
algorithms."

Normalizing Flow history



3.1 Regularizing the Transformations

We will train the model on data by minimizing an objective composed of several parts:

Divergence Penalty $\mathcal{D}(\Psi)$: This determines the fit of the current encoding transformation. It forces the marginal densities of the empirical distribution of the representation-space data to match a target distribution of our choice, by penalizing divergence from it.

Invertibility Measure $\mathcal{I}(\Theta)$: This ensures the invertibility of $f_{\Theta}(\cdot)$ by penalizing poorly-conditioned transformations.

Reconstruction Loss $\mathcal{R}(\Theta, \Psi)$: This jointly penalizes the encoder $g_{\Psi}(\cdot)$ and decoder $f_{\Theta}(\cdot)$ to ensure that $g_{\Psi}(y) \approx f_{\Theta}^{-1}(y)$ on the data.

Each of these participates in the overall objective given by:

$$C(\Theta, \Psi) = \mu_{\mathcal{D}}\mathcal{D}(\Theta) + \mu_{\mathcal{I}}\mathcal{I}(\Psi) + \mu_{\mathcal{R}}\mathcal{R}(\Theta, \Psi), \quad (6)$$

where $\mu_{\mathcal{I}}, \mu_{\mathcal{D}}, \mu_{\mathcal{R}} \in \mathbb{R}$ are the weights of each term. We will examine each of these terms in more detail in the proceeding sections.

2010

Tabak, Esteban G., and Cristina V. Turner.
"A family of nonparametric density estimation algorithms."

2013

Rippel, Oren, and Ryan Prescott Adams.

"High-dimensional probability estimation with deep density models."