```
In[*]:= SetOptions[SelectedNotebook[],
                                      PrintingStyleEnvironment → "Printout", ShowSyntaxStyles → True]
      In[0]:= n = 25; (* Points to sample along each connection *)
      In[\cdot]:= \Pi = N@With[\{\Gamma = \{0, 0, 0\}, X = \{0, 1, 0\}, W = \{\frac{1}{2}, 1, 0\}, L = \{\frac{1}{2}, \frac{1}{2}, \frac{1}{2}\}, M = \{\frac{1}{2}, \frac{1}{2}\},
                                                           K = \left\{\frac{3}{4}, \frac{3}{4}, 0\right\}, U = \left\{\frac{1}{4}, 1, \frac{1}{4}\right\}, \{L, K, U, W, \Gamma, X, W, L, \Gamma, K, U, X\}\right];
                                 (* The list of high-symmetry points *)
                                 K = Subdivide[#1, #2, n] \&@@@ Partition[\Pi, 2, 1] // Flatten[#, 1] & //
                                                 DeleteAdjacentDuplicates; (* List of n points sampled along
                                            each line of the path going through the high-symmetry points,
                                it's literally the points generated by traversing the line,
                                 although not in equal steps *)
                                 Length@K (* Total count of the sampling points *)
                                Graphics3D[{Point[#] & /@K, Line[∏]}, Axes → True]
Out[ = ] =
                                276
Out[•]=
```

0.2

0.0

0.2

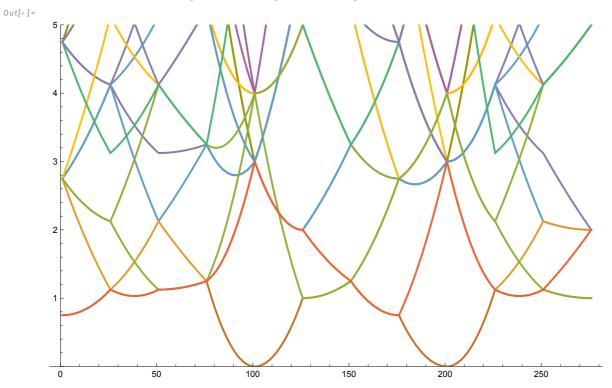
1.0

0.5

```
In[ \circ ] := \beta = N@ \{ \{1, -1, 1\}, \{1, 1, -1\}, \{-1, 1, 1\} \}; (* The basis for the G *)
       G = Tuples[Range[-5, 5], 3].\beta;
       (\star All possible combinations that give the G points \star)
       Length@G (* Number of sampled points *)
       (* 1BZ represented for a bcc lattice *)
       With [\{G = Tuples [Range[-5, 5], 3].\beta\}, Show [VoronoiMesh[G, PlotTheme \rightarrow "Lines",
           MeshCellStyle → {{3, "Interior"} → Directive[Opacity[0.8]]}],
          \label{lem:graphics3D} $$\operatorname{Graphics3D}[{\{AbsolutePointSize[7], Red, Point[G]\}, \{Thick, Line[\pi]\}\}],$}
          PlotRange → Automatic]]
Out[0]=
       1331
Out[•]=
```

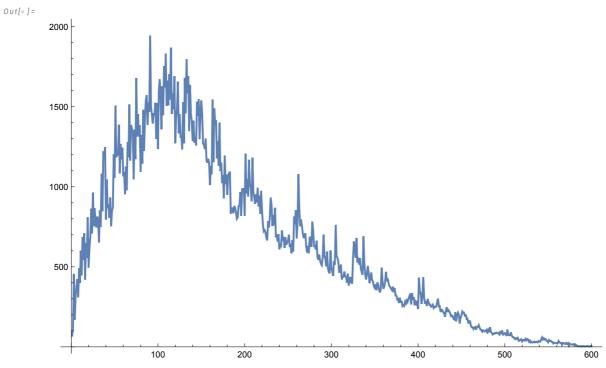
 $ln[\cdot]:= \lambda = With [\{\xi = Tuples[\{K, G\}] // Partition[#, Length@G] \&\},$ Norm[#1 - #2] 2 &@@@# & /@ ξ] // Transpose; (* Energy levels calculated along the path traced in the first Brillouin zone for a bcc lattice *)

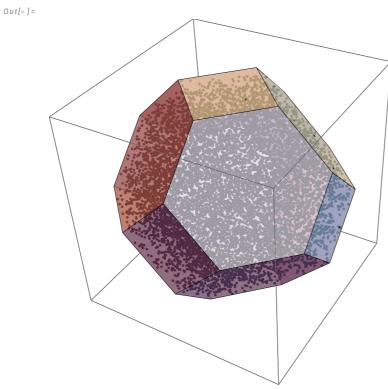
ListLinePlot[λ , ImageSize \rightarrow Large, PlotRange \rightarrow {0, 5}]



 $In[\circ]:=$ (* Density of states (only somes states) for the free electron *)

BinCounts[Flatten@\(\partial\), {0, 300, 0.5}] // ListLinePlot[#, ImageSize → Large] &





Out[•]=

 $\label{eq:local_local_local_local_local} $$\inf[\{\xi = \text{Tuples}[\{K,G\}] // \text{Partition}[\#, \text{Length@G}] \&\}, $$ \text{Norm}[\#1 - \#2]^2 \&@@@\# \& /@ ξ] // \text{Transpose};$

```
In[\circ]:= B = BinCounts[Flatten@\Lambda, {0, 50, 0.5}];
      B_{fit} = NonlinearModelFit[B, a \sqrt{x}, {a}, x];
```

Bfit[{"ANOVATable", "ParameterTable"}]

Out[•]=

		DF	SS		MS						
(Model	1	1.54208	×10 ¹¹	1.54208 ×10 ¹¹		Estimate	Estimate Standard Error t-Statistic P-Value			
{	Error	99	1.11208	$\times 10^7$	112 331.	,	- 5505.00	5525.96 4.71633	1171.07	7.47875	×10 ⁻²⁰⁷ }
	Uncorrected Total	100 1	.54219	$\times 10^{11}$		а	a 5525.96 4.	4./1033	11/1.0/		
	Corrected Total	99	1.71354	$\times 10^{10}$							

(* Plot of the density of states as a function of energy *)

 $Show[BinCounts[Flatten@\Lambda, \{0,\,120,\,0.5\}] \ // \ ListLinePlot[\#,\,ImageSize \rightarrow Large] \ \&,$ $Plot[B_{fit}["BestFit"], \{x, 0, 130\}, PlotStyle \rightarrow \{Dashed, Orange, Thick\}],$ PlotRange → All]



